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CS 2420-001
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Assignment 3 Analysis Document

1. Which aspect of this assignment was the most difficult for you?

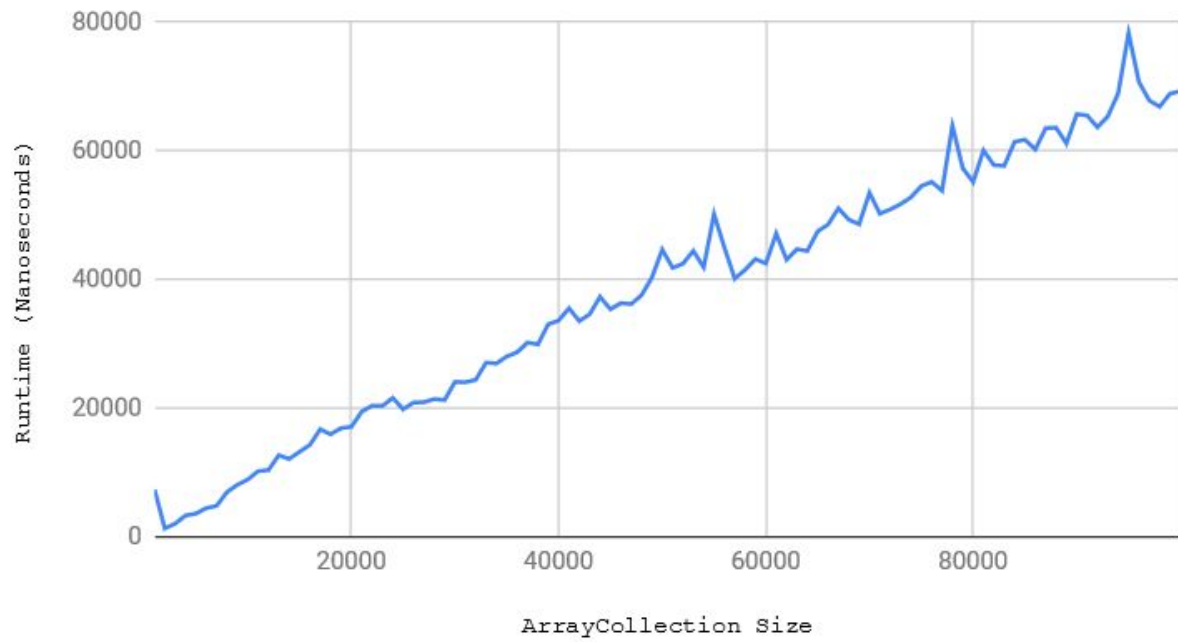
Getting our binary search to work properly was the most difficult, which we later learned was because we'd made it more difficult and complicated than it really needed to be. We did manage to get it fixed in time, however.

It was also difficult to think of some edge cases to test for, though many of them quickly became apparent through experimental testing.

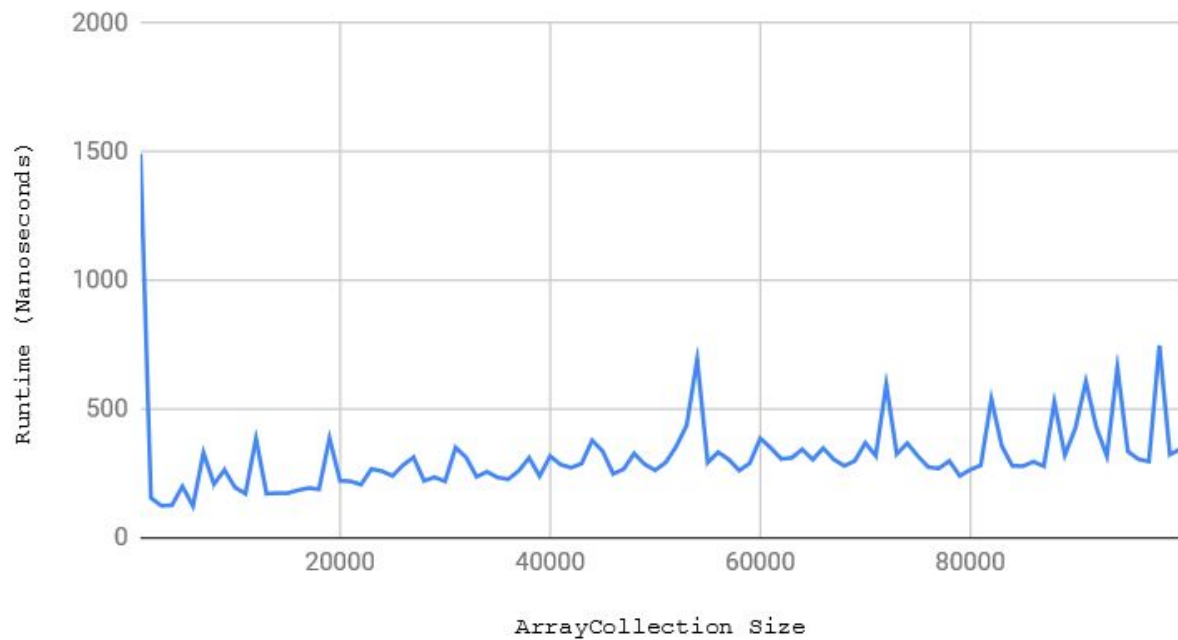
2. Under the Week 3 module, download `TimeArrayCollection.java`, which is a starting point for your timing code, and contains a method for generating a random `Integer`. Also download `IntegerComparator.java`, which implements a comparator on `Integers` (used for `toSortedList` and `binarySearch`). Add both of these files to the `assignment3` package. Use the random integer generator to fill up your `ArrayCollection` with random values for testing. Plot the runtime performance of your `toSortedList` method for varying problem sizes N (number of items in the collection).

See next page for charts.

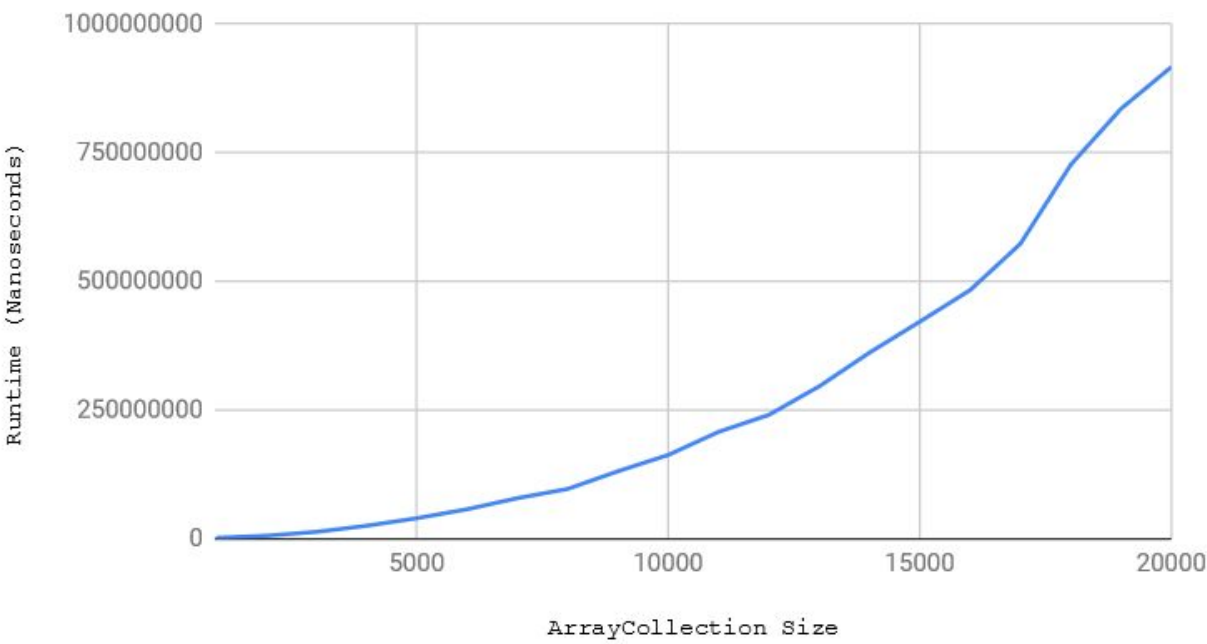
contains Timing Tests



binarySearch Timing Tests

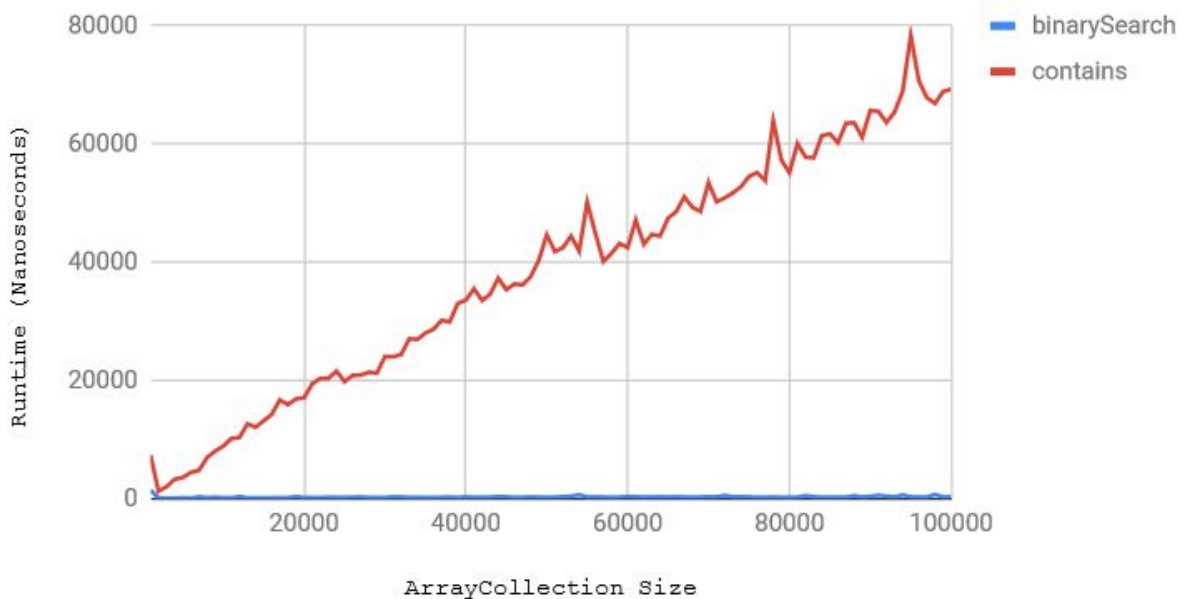


toSortedList Timing Tests



3. Plot the performance of your contains method vs the performance of your SearchUtil.binarySearch method. Use the same guidelines and input sizes as in part 2. Use a random number as the input item to search for.
 - timesToLoop can (and should) be quite a bit higher for these two methods
 - For each iteration through timesToLoop, search for a different random number. Make sure you generate and store these numbers ahead of time, so that random number generation is not included in your timing results (save them in an array, use a different one on each iteration).

contains and binarySearch Timing Tests Comparison



This comparison chart is almost exactly what I expected - contains is very clearly linear, while binarySearch is logarithmic and is barely visible at this scale.

4. Study the code for selection sort (your `toSortedList` method). What is the expected Big-O complexity? Does your plot for part 2 support your expectations? Why or why not?

The expected Big-O complexity for an average case is $O(N^2)$. The plot does support this expectation, rising exponentially as the size of the `ArrayCollection` increases.

5. What is the Big-O complexity for your `SearchUtil.binarySearch` method? Does your plot confirm this?

The expected Big-O complexity of a `binarySearch` method is $O(\log N)$, which is confirmed by the plot. As shown in the test plot, while the `binarySearch` runtime did increase as the `ArrayCollection`'s size increased, it did so at a very slow rate.

6. What is the best, average, and worst case performance for `contains`? Do your timing experiments here have a bias towards the best or worst case? (Hint: Think about the probability of an `ArrayCollection` of 20,000 integers containing any random integer. There are about 2^{31} possible random integer values.)

The best case performance for `contains` is $O(1)$, which will only happen when the value `contains` is searching for is at the very first index in the `ArrayCollection`. The average and worst case scenarios are both N , as `contains` has to search the entire `ArrayCollection` before confirming that a given item is not in fact present in the `ArrayCollection`.

Our experiments have a bias towards the worst case. There's a very high chance that the value `contains` is searching for won't be in the `ArrayCollection` at all, forcing it to search through the entire `ArrayCollection` before it finally returns false. Similarly, if the sought after value is in the array, it has a very low chance of being within the first few indices that `contains` checks, increasing the average time before `contains` returns true.