Lecture 6: Visualizing Numerical and Categorical Data

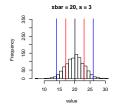
Chapter 1.6+1.7

Goals for Today

- ▶ Rule of thumb for standard deviations
- ▶ Population vs sample mean/variance/standard deviations
- ► Percentiles and Quartiles
- Boxplots
- ► Piecharts, barplots, mosaicplots

Rule of Thumb for Standard Deviations

Example



- ▶ black line is mean \bar{x}

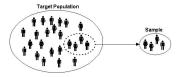
red lines mark about
$$\frac{2}{3}$$
: $[\overline{x} - s, \overline{x} + s] = [17, 23]$.

▶ blue lines mark about 95%:

$$[\overline{x} - 2s, \overline{x} + 2s] = [14, 26].$$

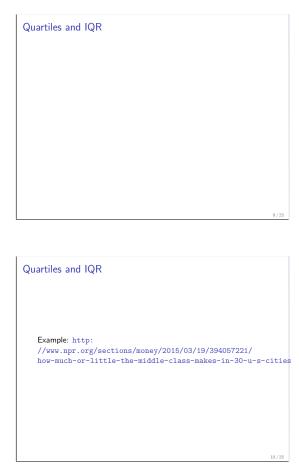
Population vs Sample Mean/Variance/Standard Deviation

Recall the notion of taking a representative sample from a study/target population. Say we are interested in the income of the individuals



Population vs Sample Mean/Variance/Standard Deviation

Population vs Sample Mean/Variance/Standard Deviation
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Percentiles





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Boxplots

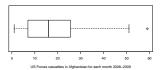
Boxplots are an alternative visualization of a sample x_1, \ldots, x_n , but draw attention to outliers.

Example: # US Forces casualties in the war in Afghanistan for each month from 2008-2009:

7, 1, 7, 5, 16, 28, 20, 22, 27, 16, 1, 3, 14, 15, 13, 6, 12, 24, 44, 51, 37, 59, 17, 17

Boxplots

The summary values:



Length of whiskers: they capture data that is no more than $1.5 \times IQR$ of both ends of the box.

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Outliers Are Relatively Extreme

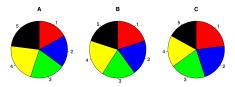
An outlier is an observation that appears extreme relative to the rest of the data.

Why it is important to look for outliers? Examination of data for possible outliers serves many useful purposes, including

- ▶ Identifying strong skew in the distribution.
- Identifying data collection or entry errors.
- Providing insight into interesting properties of the data.

Piecharts

Say we have the following piecharts represent the polling from a local election with five candidates (1-5) at three different time points A, B, an C:

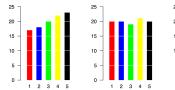


Answer the following questions:

- ▶ In the first race, is candidate 5 doing better than candidate 4?
- Who did better between time A and time B, candidate 2 or candidate 4?

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Barplots Instead



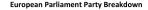


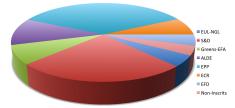
Answers:

- ► Candidate 5 is doing better than 4
- ▶ Between A and B, candidate 2 went from about 17% to 20% while candidate went from about 22% to 21%. So candidate 2 did better

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3D Piecharts Can Be Deceiving





EEP (teal) has 266 seats, whereas S&D (red) has 190 seats.

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Titanic Survival Data

Typing data(Titanic) in R loads the survival and death counts, split by each of the following categories:

- ► Class: 1st, 2nd, 3rd, or crew (4 levels)
- ► Gender (2 levels)
- ► Age: Child or adult (2 levels)

i.e. $4 \times 2 \times 2 = 16$ possible groups to consider.

Questions

- What was the effect of class (1st, 2nd, 3rd, crew) on your chances of survival?
- ▶ Did the "women and children" first lifeboat policy hold?

Frequency Table

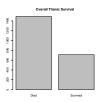
A table summarizing a single categorial variable is called a frequency table. Overall:

Died	1490
Survived	711
Total	2201

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Barplot

Barplots are ways to display categorial variables:



Contingency Table

A table that cross-classifies two categorical variables is a contingency table. Now let's split survival by class: 1st, 2nd, 3rd, and crew.

Before:

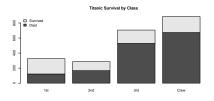
Died	1490		
Survived	711		
Total	2201		

After:

				Crew	
				673	
Survived	203	118	178	212	711
Total	325	285	706	885	2201

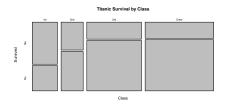
Stacked Barplot

Stacked barplots are one way to display values from a contingency table:



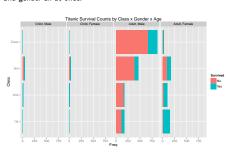
Mosaic Plots

Mosaic plots are similar, but the widths of the bars now reflect proportions:



Stacked Barplots

Using the ggplot2 package, we can plot survivals by class, age, and gender all at once.



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Standardized/Normalized Stacked Barplots Instead of raw counts, we can expand each bar to reflect proportions (i.e. standardize/normalize them). Trianic Survival Proportions by Class x Gender x Age Add. Name Add. Name Add. Femiles Barried No. Barried No. Barried No. Barried No.

0.00 0.25 0.50 0.75 1.00.00 0.25 0.50 0.75 1.00.00 0.25 0.50 0.75 1.00.00 0.25 0.50 0.75 1.00

