Métodos Runge-Kuttas

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1 Programa 1

```
[1]: import pandas as pd
import numpy as np
pd.set_option('display.max_rows', None)
```

1.1 Métodos de Runge-Kutta-Merson y de grado 4

1.1.1 Rubrica

| Elemento | Pts. |
|---|------|
| Cambia PVI | 3 |
| Lee valores iniciales | 2 |
| Pide h y tolerancia | 2 |
| Presenta tabla (x, y) correcta [R-K-4] | 4 |
| Presenta tabla (x, y) correcta [R-K-M] | 4 |
| Da opción de presentar tabla (K's) | 3 |
| Compara métodos con diferencia entre ellos | 2 |
| Permite volver a ejecutar y cambiar valores iniciales | 2 |
| Aplica control de error (Extra) | 2 |

1.2 Código

```
# Lo que muestra al llamar la función print
  def __str__(self:any) -> str:
      self.rkmMethod()
      return "Objeto de tipo Método Runge-Kutta"
  #region Método de Runge-Kutta-4
  def rk4(self:any):
      self.firstRowOrder4()
      self.iterationsOrder4()
      return pd.DataFrame(self.solTab, columns=self.
⇔header) [['x','y','k1','k2','k3','k4','Error']]
  # Método para crear la primera iteración de RK4
  def firstRowOrder4(self:any) -> None:
      x,y = self._initialValue[0], self._initialValue[1]
      self.solTab[0,0] = x
      self.solTab[0,1] = y
      self.solTab[0,2] = self.k1(x,y)
      self.solTab[0,3] = self.k2(x,y,self.solTab[0,2])
      self.solTab[0,4] = self.k3(x,y,self.solTab[0,3])
      self.solTab[0,5] = self.k4(x,y,self.solTab[0,2],self.solTab[0,3],self.
\hookrightarrowsolTab[0,4])
  # Método para crear el resto de las iteraciones de RK4
  def iterationsOrder4(self:any) -> None:
      rango = int(np.abs((self. initialValue[0]-self.point)/self.h value))
      for i in range(0,rango):
          yn = np.zeros(shape=(1,8))
           x,y = self.solTab[i,0] + self.h_value,self.solTab[i,1]
           yn[0,0] = x
           yn[0,1] = self.get_y(y=y, k1=self.solTab[i,2], k2=self.solTab[i,3],_
⇒k3=self.solTab[i,4], k4=self.solTab[i,5])
          y = yn[0,1]
          yn[0,2] = self.k1(x,y)
          yn[0,3] = self.k2(x,y,yn[0,2])
          yn[0,4] = self.k3(x,y,yn[0,3])
          yn[0,5] = self.k4(x,y,yn[0,2],yn[0,3],yn[0,4])
           self.solTab = np.append(self.solTab,yn, axis=0)
           del yn,x,y
  # Métodos para obtener las k del metodo de RK4
  def k1(self, x:float, y:float) -> float:
      return self.fdexy(x,y)
  def k2(self, x:float, y:float, k1:float) -> float:
      return self.fdexy(x + self.h_value/2, y + k1 * self.h_value /2)
```

```
def k3(self, x:float, y:float, k2:float) -> float:
      return self.fdexy(x + self.h_value/2, y + k2 * self.h_value /2)
  def k4(self, x:float, y:float, k1:float, k2:float, k3:float) -> float:
      return self.fdexy(x + self.h_value, y + k3 * self.h_value )
  def get_y(self,y:float, k1:float, k2:float, k3:float, k4:float) -> float:
       """Return the next y with a global error of O(h^3)"""
      return y + (k1 + 2 * k2 + 2 * k3 + k4) * self.h_value/6
  #endregion
  #region Método de Runge-Kutta-Merson
  def rkmMethod(self:any) -> pd.DataFrame:
      self.firstRowMerson()
      self.iterationsMerson()
      return pd.DataFrame(self.solTab, columns=self.
→header) [['x','y','k1','k2','k3','k4','k5','Error']]
  # Método para crear la primera iteración de Merson
  def firstRowMerson(self:any) -> None:
      x,y = self._initialValue[0], self._initialValue[1]
      self.solTab[0,0] = x
      self.solTab[0,1] = y
      self.solTab[0,2] = self.mersonk1(x,y)
      self.solTab[0,3] = self.mersonk2(x,y,self.solTab[0,2])
      self.solTab[0,4] = self.mersonk3(x,y,self.solTab[0,2],self.solTab[0,3])
      self.solTab[0,5] = self.mersonk4(x,y,self.solTab[0,2],self.
\rightarrowsolTab[0,3],self.solTab[0,4])
       self.solTab[0,6] = self.mersonk5(x,y,self.solTab[0,2],self.
\hookrightarrowsolTab[0,3],self.solTab[0,4],self.solTab[0,5])
  # Método para crear el resto de las iteraciones de Merson
  def iterationsMerson(self) -> None:
      rango = int(np.abs((self._initialValue[0]-self.point)/self.h_value))
      for i in range(0,rango):
           yn = np.zeros(shape=(1,8))
           x,y = self.solTab[i,0] + self.h_value,self.solTab[i,1]
           yn[0,0] = x
           yn[0,1] = self.get_yMerson(y=y, k1=self.solTab[i,2], k3=self.
⇒solTab[i,4], k4=self.solTab[i,5], k5=self.solTab[i,6])
           y = yn[0,1]
           yn[0,2] = self.mersonk1(x,y)
           yn[0,3] = self.mersonk2(x,y,yn[0,2])
           yn[0,4] = self.mersonk3(x,y,yn[0,2],yn[0,3])
           yn[0,5] = self.mersonk4(x,y,yn[0,2],yn[0,3],yn[0,4])
```

```
yn[0,6] = self.mersonk5(x,y,yn[0,2],yn[0,3],yn[0,4],yn[0,5])
           self.solTab = np.append(self.solTab,yn, axis=0)
           del yn,x,y
  # Esta función recibirá una cadena que representará la función, usaremos la
→función "eval"
  def fdexy(self,x:float, y:float) -> float:
       """This is the equation we want to get the numeric solution"""
       # Notita: las variables x, y si se ocupan ; aunque no lo parezca!
      return eval(self.equation)
  # Métodos para obtener las k del metodo de Merson
  def mersonk1(self, x:float, y:float) -> float:
       return self.h_value * self.fdexy(x,y)
  def mersonk2(self, x:float, y:float, k1:float) -> float:
       return self.h_value * self.fdexy(x + self.h_value/3, y + k1/3)
  def mersonk3(self, x:float, y:float, k1:float, k2:float) -> float:
       return self.h_value * self.fdexy(x + self.h_value / 3, y + k1/6 + k2/6)
  def mersonk4(self, x:float, y:float, k1:float, k2:float, k3:float) -> float:
       return self.h_value * self.fdexy(x + self.h_value / 2, y + k1 / 8 + 3/8<sub>\square</sub>
→* k3)
  def mersonk5(self,x:float,y:float, k1:float, k2:float, k3:float, k4:float)
       return self.h_value * self.fdexy(x + self.h_value, y + k1/2 - 3/2 * k3_
\rightarrow+ 2*k4)
  def mersonk6(self, x:float, y:float, k1:float, k2:float, k3:float, k4:
→float, k5:float) -> float:
      return self.h_value * self.fdexy(x + self.h_value/2, y - 8/27*k1 + 2*k2_
\rightarrow 3544/2565*k3 + 1859/4104*k4 - 11/40*k5)
   # Regresa la y de Merson
  def get_yMerson(self,y:float, k1:float, k3:float, k4:float, k5:float) ->__
→float:
       """Return the next y with a global error of O(h^2)"""
      return y + (k1 + 4*k4 + k5)/6
  #endregion
```

1.2.1 Tabla con el método de grado 4

```
[3]:
                                        k2
                     У
                              k1
                                                  k3
                                                            k4 Error
             3.000000 -0.103923 -0.103472 -0.103474 -0.103023
                                                                  0.0
              2.948263 -0.103023 -0.102572 -0.102574 -0.102123
                                                                  0.0
     1
        1.0 2.896977 -0.102123 -0.101672 -0.101674 -0.101223
                                                                  0.0
        1.5 2.846140 -0.101223 -0.100772 -0.100774 -0.100323
                                                                  0.0
     3
     4
        2.0 2.795754 -0.100323 -0.099872 -0.099874 -0.099423
                                                                  0.0
     5
        2.5 2.745817 -0.099423 -0.098972 -0.098974 -0.098523
                                                                  0.0
     6
        3.0 2.696331 -0.098523 -0.098072 -0.098074 -0.097623
                                                                  0.0
     7
        3.5 2.647294 -0.097623 -0.097172 -0.097174 -0.096723
                                                                  0.0
     8
        4.0 2.598708 -0.096723 -0.096272 -0.096274 -0.095823
                                                                  0.0
        4.5 2.550571 -0.095823 -0.095372 -0.095374 -0.094923
                                                                  0.0
     10 5.0 2.502885 -0.094923 -0.094472 -0.094474 -0.094023
                                                                  0.0
        5.5 2.455648 -0.094023 -0.093572 -0.093574 -0.093123
                                                                  0.0
     12
        6.0 2.408862 -0.093123 -0.092672 -0.092674 -0.092223
                                                                  0.0
     13 6.5 2.362525 -0.092223 -0.091772 -0.091774 -0.091323
                                                                  0.0
     14 7.0 2.316639 -0.091323 -0.090872 -0.090874 -0.090423
                                                                  0.0
```

1.2.2 Tabla con el método de R-K-M

```
[4]: tab2=RungeKuttas(initialValue=(0,3),h_value=0.5, point=7, equation="-0.06*y**(1/

2)").rkmMethod()

tab2
```

```
[4]:
                              k1
                                        k2
                                                  k3
                                                            k4
                                                                      k5
                                                                          Error
          х
                    у
             3.000000 -0.051962 -0.051811 -0.051812 -0.051737 -0.051512
                                                                            0.0
        0.5 2.948263 -0.051512 -0.051361 -0.051362 -0.051287 -0.051062
                                                                            0.0
     1
     2
        1.0 2.896977 -0.051062 -0.050911 -0.050912 -0.050837 -0.050612
                                                                            0.0
        1.5 2.846140 -0.050612 -0.050461 -0.050462 -0.050387 -0.050162
                                                                            0.0
     3
        2.0 2.795754 -0.050162 -0.050011 -0.050012 -0.049937 -0.049712
                                                                            0.0
     4
        2.5 2.745817 -0.049712 -0.049561 -0.049562 -0.049487 -0.049262
     5
                                                                            0.0
        3.0 2.696331 -0.049262 -0.049111 -0.049112 -0.049037 -0.048812
                                                                            0.0
     6
     7
        3.5 2.647294 -0.048812 -0.048661 -0.048662 -0.048587 -0.048362
                                                                            0.0
        4.0 2.598708 -0.048362 -0.048211 -0.048212 -0.048137 -0.047912
                                                                            0.0
     8
     9
        4.5 2.550571 -0.047912 -0.047761 -0.047762 -0.047687 -0.047462
                                                                            0.0
     10 5.0 2.502885 -0.047462 -0.047311 -0.047312 -0.047237 -0.047012
                                                                            0.0
        5.5 2.455648 -0.047012 -0.046861 -0.046862 -0.046787 -0.046562
                                                                            0.0
     11
     12
        6.0 2.408862 -0.046562 -0.046411 -0.046412 -0.046337 -0.046112
                                                                            0.0
        6.5 2.362525 -0.046112 -0.045961 -0.045962 -0.045887 -0.045662
                                                                            0.0
     13
     14 7.0 2.316639 -0.045662 -0.045511 -0.045512 -0.045437 -0.045212
                                                                            0.0
```

2 Interfaz

```
[5]: import wx
     ModuleNotFoundError
                                                Traceback (most recent call last)
     Cell In[5], line 1
     ----> 1 import wx
     ModuleNotFoundError: No module named 'wx'
[]: # Create the Application Object
     app = wx.App()
     # Now create a Frame (representing the window)
     frame = wx.Frame(parent=None, title='Simple Hello World') # And add a text_
     → label to it
     text = wx.StaticText(parent=frame, label='Hello Python')
     # Display the window (frame)
     frame.Show()
     # Start the event loop
     app.MainLoop()
[]: import tkinter as tk
     def save info():
         info = \Pi
         for entry in entries:
             info.append(entry.get())
         print(info)
     root = tk.Tk()
     root.title("Mi Ventana")
     entries = []
     for i in range(5):
         label = tk.Label(root, text=f"Ingrese la cadena #{i+1}")
         label.pack()
         entry = tk.Entry(root)
         entry.pack()
         entries.append(entry)
     button = tk.Button(root, text="Guardar información", command=save_info)
     button.pack()
     root.mainloop()
```

```
[]: import tkinter as tk
     from tkinter import ttk
     import pandas as pd
     class App:
         def __init__(self, master):
             self.master = master
             master.title("Interfaz gráfica")
             # Crear los widgets para la entrada de datos
             tk.Label(master, text="Valor x ").grid(row=0, column=0)
             self.float1_entry = tk.Entry(master)
             self.float1 entry.grid(row=0, column=1)
             tk.Label(master, text="Valor y").grid(row=1, column=0)
             self.float2_entry = tk.Entry(master)
             self.float2_entry.grid(row=1, column=1)
             tk.Label(master, text="Valor h").grid(row=2, column=0)
             self.float3_entry = tk.Entry(master)
             self.float3_entry.grid(row=2, column=1)
             tk.Label(master, text="Punto a interpolar").grid(row=3, column=0)
             self.float4_entry = tk.Entry(master)
             self.float4 entry.grid(row=3, column=1)
             tk.Label(master, text="Ecuación ").grid(row=5, column=0)
             self.cadena_entry = tk.Entry(master)
             self.cadena_entry.grid(row=5, column=1)
             # Crear el botón para enviar los datos y mostrar el DataFrame
             self.button = tk.Button(master, text="Mostrar DataFrame", command=self.
      →mostrar dataframe)
             self.button.grid(row=6, column=1)
         def mostrar dataframe(self,df:pd.DataFrame):
             # Obtener los datos de las entradas
             # float1 = float(self.float1_entry.get())
             # float2 = float(self.float2_entry.get())
             # float3 = float(self.float3_entry.get())
             # float4 = float(self.float4_entry.get())
             # cadena = self.cadena_entry.get()
             # # Crear un diccionario con los datos
             # data = {"Float 1": [float1], "Float 2": [float2], "Float 3":
      →[float3], "Float 4": [float4], "Float 5": [float5], "Cadena": [cadena]}
             # Crear un DataFrame a partir del diccionario y mostrarlo en una tabla
             # df = pd.DataFrame(data)
             window = tk.Toplevel(self.master)
             window.title("DataFrame")
```

```
frame = tk.Frame(window)
    frame.pack(fill="both", expand=True)
    table = ttk.Treeview(frame, columns=df.columns, show="headings")
    table.pack(side="left", fill="both", expand=True)
    for col in df.columns:
        table.heading(col, text=col)
    for index, row in df.iterrows():
        table.insert("", "end", values=[row[col] for col in df.columns])

root = tk.Tk()
app = App(root)
root.mainloop()
```

```
[]: import tkinter as tk
  import pandas as pd

# Crear DataFrame de ejemplo
  data = {'Nombre': ['Juan', 'Ana', 'Pedro'], 'Edad': [25, 30, 35]}
  df = pd.DataFrame(data)

# Crear ventana de tkinter
  root = tk.Tk()

# Crear widget Text para mostrar DataFrame
  text_widget = tk.Text(root)
  text_widget.pack()

# Convertir DataFrame a cadena y mostrarlo en el widget Text
  text_widget.insert('1.0', df.to_string())

# Ejecutar loop principal de la ventana de tkinter
  root.mainloop()
```

[]: