

**Autonomous Intelligent Systems,  
Institute for Computer Science VI, University of Bonn**

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**Exercises for Artificial Life (MA-INF 4201), SS18**

**Exercises sheet 2, till: Mon 23. April, 2018**

16.4.2018

	Name	11	12	13	14	15	16	17	$\Sigma$

**Assignment 11** (2 Points)

How long would it take to print all  $Z$  possible rules for a 1-dimensional CA for the case  $k = 4$  and  $r = 1$  if you can manage to print 100 rules per second?

To answer this task set up a formula for the number  $Z = Z(r, k)$  of possible rules as a function of the neighborhood radius  $r$  and the number of states  $k$ .

**Assignment 12** (1 Point)

Prove or disprove the following sentence for 1-dim,  $k = 2$ , cellular Automata:

*All totalistic rules are legal, because they are symmetric and have a silent state.*

**Assignment 13** (1 Point)

Find and name a simulation tool for 1-dimensional cellular automata, that is operating under Unix/Linux, or Android, or iOS, or Windows, or one that is operating from a web browser. Give the detailed web address, and write a personal comment about the simulation tool.

**Assignment 14** (2 Points)

Develop and implement a formula for a classical spreadsheet program that implements the 1-dimensional cellular automaton with:  $d = 1, k = 2, r = 1$ , totalistic rule **150<sub>D</sub>**, (Rule number following the Wolfram notation) and print the result for at least 20 timesteps.

### Assignment 15 (2 Points)

Please write down formulas that calculate the number  $Z$  of possible rules for a 1-dimensional CA with respect to the neighborhood radius  $r$  and the number of states  $k$  for the case of:

- a) all possible rules  $Z =$
- b) rules that are peripheral  $Z_p =$
- c) rules that are totalistic  $Z_t =$
- d) rules that have a silent state  $Z_s =$ .

### Assignment 16 (4 Points)

A rule of a Cellular Automaton can be visualized as a table.

Depict the tables for the ( $d=1, r=1, k=2$ ) rules defined by the following (decimal) Wolfram Numbers, and classify for each rule if it is *legal*, *symmetric*, *totalistic*, or *peripheral*:

( 0, 17, 42, 51, 110, 165, 204, 243 ).

Your solution shall show, how the Wolfram number and the table are connected to each other.

### Assignment 17 (3 Points)

Imagine you would have to explain the 4 behaviours of CAs (Wolfram's classification) to someone who has not listened to the Artificial Life lecture and no experience in cellular automata.

Name these 4 behaviours of CAs (Wolfram's classification) and describe their characteristics in your own words (maximum two sentences each).

### Programming Assignment: A (5 Points, due date Mon 23.4.2018 )

Implement a 1-dimensional cellular automaton with the  $k = 2$  states  $\{0, 1\}$ , with a neighborhood radius of  $r = 1$  or  $r = 2$ , and 84 cells.

The boundary cells  $j = 0, j = 1, j = 82, j = 83$  shall be fixed to the content  $a_j = 0$ . The program shall depict in every line the complete state of all 84 cells as `text console ASCII` output.

Implement two possible starting conditions for the CA:

**S:** a seed (all cells are empty but cell no 42,  $a_{i=42} = 1$ ), and

**R:** random starting condition, each cell is set with a probability of  $p = 0.5$ .

Let the user enter at runtime: the neighborhood radius  $r$ , the rule for the CA (Wolfram Notation), and the starting condition (S or R).

Please use C, C++, or Java to implement your program.

Send an E-Mail to your tutor containing the **documented** source code, **a description how to compile and run your program** (e.g. give the commands), and a file containing at least 10 lines of result.