

**Birla Institute of Technology & Science, Pilani.**  
**Hyderabad Campus, First Term 2022-23**

**Course No. ECON F412/FIN F313**

**Course Title: Security Analysis & Portfolio**

**Management**

**Quiz-1 (CB) Max time: 50mins Marks: 20 (10% weight) Date: 11/10/2022**

**Name of the Student:**

**ID No.:**

---

**Each question carries 2 marks. No negative marking. Write the correct option in the box below.**

| <b>Question No.</b> | <b>Option chosen</b> |
|---------------------|----------------------|
| 1                   |                      |
| 2                   |                      |
| 3                   |                      |
| 4                   |                      |
| 5                   |                      |
| 6                   |                      |
| 7                   |                      |
| 8                   |                      |
| 9                   |                      |
| 10                  |                      |

**Q:1/** Given the following information about two risky assets: -

| Stock | Expected Return | Standard Deviation |
|-------|-----------------|--------------------|
| A     | 25%             | 20%                |
| B     | 18%             | 14%                |

Covariance between returns of A and B is 2.8%

Choose the investment below that represents the Minimum risk portfolio if short selling is not allowed:

- a) 100% invest in stock A;
- b) 100% invest in stock B
- c) 50% in stock A and 50% in stock B
- d) 20% invest in stock A and 80% in stock B
- e) None of the options are correct

**Q:2/** In the absence of secondary market, which statements would have been true: -

- I. There would be substantial liquidity risk i.e. risk due to illiquidity
  - II. Investors would demand lower rate of return
- a) Only I is correct
  - b) Only II is correct
  - c) Both I and II are correct
  - d) Neither I nor II are correct

**Q:3/** Suppose there are 2 risky stocks, A and B. Stock A has an expected return of 10% and a standard deviation of return of 8%. The corresponding statistics for Stock B are 4% and 4%, respectively. The correlation coefficient between the returns of stocks A and B is -0.5. An investor wants to achieve a standard deviation of 6% in his portfolio. What is the optimal portfolio for the investor and what is the expected return of this portfolio?

- a) The optimal portfolio has 20.42% invested in Stock A and 79.58% invested in Stock B. The expected return of the portfolio is 8.77%.
- b) The optimal portfolio has 79.58% invested in Stock A and 20.42% invested in Stock B. The expected return of the portfolio is 8.77%.
- c) The optimal portfolio has 29.02% invested in Stock A and 70.98% invested in Stock B. The expected return of the portfolio is 7.97%.
- d) The optimal portfolio has 11.25% invested in Stock A and 88.75% invested in Stock B. The expected return of the portfolio is 9.32%.
- e) None of the above

**Q:4/** Suppose that there are only 2 stocks in the economy, C and D. Stock C has an expected return of 2% and a standard deviation of return of 9%. The corresponding statistics for Stock D are 7% and 15%, respectively. Suppose that the covariance between the returns of stocks C and D is (–ve)1.35%. What is the only possible value of the risk-free rate?

- a) 6.75%
- b) 5.75%
- c) 3.88%
- d) 4.75%
- e) None of the above

**Q:5/** Suppose there are 2 stocks, A and B. Stock A has an expected return of 10%, a standard deviation of return of 25%, and current per share price of \$150. The corresponding statistics for Stock B are 7%, 15%, and \$100, respectively. The correlation coefficient between the returns of stocks A and B is 0.7. Suppose you buy 60 shares of Stock A and 80 shares of Stock B. What is the expected return of this portfolio and what is its standard deviation?

- a) Expected Return range=6%-7%, Standard deviation range=17%-18%
- b) Expected Return range=8%-9.4%, Standard deviation range=18.5%-19.5%
- c) Expected Return range=9.5%-10.5%, Standard deviation range=18.5%-19.5%
- d) Expected Return range=8%-9.4%, Standard deviation range=20%-25%
- e) None of the above

**Q:6/** Assume two stocks have the following characteristics: -

|   | Expected Return | Standard deviation |
|---|-----------------|--------------------|
| C | 15%             | 11%                |
| S | 9%              | 5%                 |

The coefficient of correlation between the returns of the two stocks is 0.

What is the % investment in the two stocks in order to have a minimum variance portfolio? Investor is fully invested and there is no short selling.

- a) 32.9% in C, 67.1% in S
- b) 42.40% in C, 57.6% in S
- c) 17.1% in C, 82.9% in S
- d) 28.1% in C, 71.9% in S
- e) None of the above

**Q:7/** Which of the following is/are true?

- I. Variance of a portfolio with equi-proportionate investments in each security is approximately equal to the average covariance as number of securities become very small.
- II. Markowitz investor prefers more risk to less risk (for a given return) and more return to less return (for a given risk).
- a) Only I is correct
- b) Only II is correct
- c) Both I and II are correct
- d) Neither I nor II are correct

**Q:8/** The investor wants to allocate funds to Stock fund, and some cash (*cash can be considered to be risk free asset*).

Following are the expected return and risk of the various assets.

| Assets         | Expected return | Standard deviation of returns |
|----------------|-----------------|-------------------------------|
| Stock fund     | 15%             | 25%                           |
| Risk free rate | 8%              |                               |

The Investor's Utility function is

$$U = E(R_p) - 0.5 A * (\text{Variance of returns of portfolio})$$

Where A is the coefficient of Risk aversion.  $A = 4$ .

$E(R_p)$  is expected return of the portfolio

How much will be the asset allocation in the stock fund if short selling is not allowed?

- a) 22.4% in Stock fund
- b) 16% in Stock fund
- c) 56% in Stock fund
- d) 28% in Stock fund
- e) None of the above

**Q:9/** The investor wants to allocate funds to Stock fund, Bond fund and some cash (*cash can be considered to be risk free asset*).

Following are the expected return and risk of the various assets.

| Assets         | Expected return | Standard deviation of returns |
|----------------|-----------------|-------------------------------|
| Stock fund     | 15%             | 25%                           |
| Risk free rate | 8%              |                               |
| Bond fund      | 10%             | 15%                           |

The Investor's Utility function is

$$U = E(R_p) - 0.5 A * (\text{Variance of returns of portfolio})$$

Where A is the coefficient of Risk aversion.  $A = 2$ .

$E(R_p)$  is expected return of the portfolio. Correlation of returns between Stock fund and bond fund is 0.20. The optimal tangent portfolio by maximizing sharpe ratio is 66.3% in Stock fund and 33.7% in Bond fund

How much will be the asset allocation in cash if short selling is not allowed?

- a) 13% in Cash
- b) 40.50% in Cash
- c) 60.19% in Cash
- d) 20.37% in Cash
- e) None of the above

**Q:10/** Which of the statements are correct?

- I. Diversification can be achieved if the assets are perfectly positively correlated
- II. The diversification ratio of a portfolio that holds equal risk weights in two uncorrelated assets with equal volatility is  $2^{(1/2)}$

- a) Only I is correct
- b) Only II is correct
- c) Both I and II are correct
- d) Neither I nor II are correct

## FORMULA LIST

$$E(R_{\text{port}}) = \sum_{i=1}^n W_i R_i$$

where :  $W_i$  = the percent of the portfolio in asset i

$E(R_i)$  = the expected rate of return for asset i

$$\sigma_{\text{port}} = \sqrt{\sum_{i=1}^n w_i^2 \sigma_i^2 + \sum_{i=1}^n \sum_{j=1}^n w_i w_j \text{Cov}_{ij}}$$

where :

$\sigma_{\text{port}}$  = the standard deviation of the portfolio

$W_i$  = the weights of the individual assets in the portfolio, where

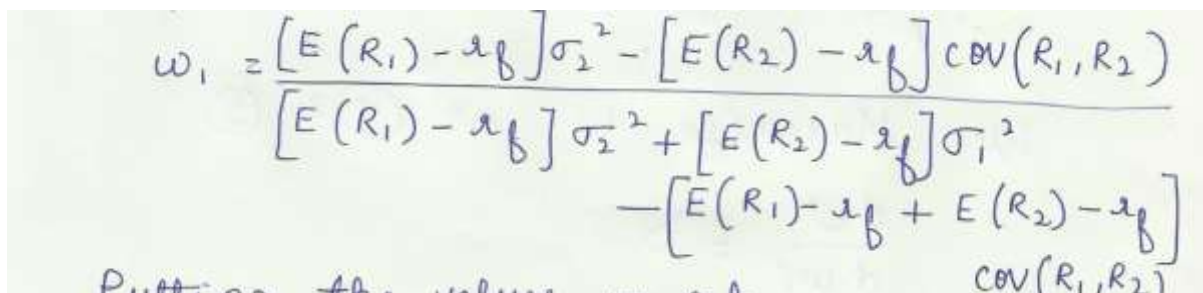
weights are determined by the proportion of value in the portfolio

$\sigma_i^2$  = the variance of rates of return for asset i

$\text{Cov}_{ij}$  = the covariance between the rates of return for assets i and j,

where  $\text{Cov}_{ij} = r_{ij} \sigma_i \sigma_j$

Maximizing Sharpe ratio w.r.t  $w_1$  for 2 risky asset gives:-



$$w_1 = \frac{[E(R_1) - r_f] \sigma_2^2 - [E(R_2) - r_f] \text{Cov}(R_1, R_2)}{[E(R_1) - r_f] \sigma_2^2 + [E(R_2) - r_f] \sigma_1^2 - [E(R_1) - r_f + E(R_2) - r_f] \text{Cov}(R_1, R_2)}$$

Putting the values in a