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Bitwise operators

lec 17

- bitwise operators work on bits
- used to compare binary numbers (operation)

eg:- $a = 5$
 $b = 4$

$\text{print}(a \& b) \Rightarrow 4$

\therefore in binary $5 = 0101$
 $4 = 0100$

$5 \& 4$

0	1	0	0
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 $\Rightarrow 4$

$\&$	bitwise AND
$ $	OR
\wedge	XOR
\sim	NOT / Complement
\ll	left shift
\gg	right shift.

Bitwise $\&$ (and) sets the bit 1 if both the bits are 1

$\text{print}(5 | 4) \cdot \text{print}(a | b) \Rightarrow 5$

\therefore

0	1	0	1
0	1	0	0
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0	1	0	1

 $\Rightarrow 5$

Bitwise OR ($|$) sets the bit 1 if one of the two bits is 1

XOR (\wedge) :-

$\text{print}(a \wedge b) \Rightarrow 1$

\therefore

5	=	0	1	0	1
4	=	0	1	0	0
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0	0	0	1		

 $\Rightarrow 1$

Bitwise XOR (\wedge) sets 1 if both bits are different

Complement (\sim) :-

$\text{print}(\sim a) \Rightarrow -6$

\sim will do reverse of the bit.

eg:- $\sim 0 = 1$
 $\sim 1 = 0$

So here $\sim a$ $a = 5$

So $\sim a = 1010$

So using 2's complement we can store -ve numbers.

$$2's = 1's + 1$$

what is 1's (ones complement)?

we can get 1's complement of any binary number by just reversing its bits.

eg:- $6 = 0110$

1's of 6 = 1001

1's + 1

+ 1

1010

\Rightarrow it is 2's complement of -6 which is same as ~ 5

So we got $\sim a = -6$
 $\sim 5 = -6$

left shift (\ll):- $a = 5$

$\text{print}(a \ll 2) \Rightarrow 20$

$5 = 00000101$

$\ll 00010100 \Rightarrow 20$

$$[x \ll y = x * 2^y]$$

- It shifts the bits of first operand with respect to second operand
- shifts left by pushing zeros in from the right & let the leftmost bits fall off. In left shift we gain bits.

right shift (>>) :-

$a = 5$

`print(a >> 2)`

5 = 0101
→
0001 → 1

here we are losing
bits.

$$[x \gg y = x / 2^y]$$

exercise:

`print(26 & 23)`

`print(17 | 24)`

`print(17 ^ 24)`

`print(~45)`

`print(68 << 2)`

`print(56 >> 3)`