

# ECE374 Fall2020

## Lab5: Counting Sort

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### 1 Introduction

In this lab, we will implement counting sort that accepts negative numbers. Counting sort is a sorting algorithm with time complexity  $O(k+n)$ .

### 2 Python Code for Counting Sort

```
def counting_sort(A):
    minx = min(A)
    maxx = max(A)
    k = maxx-minx+1
    C = []
    B = []
    for i in range(k):
        C.append(0)
    for i in A:
        C[i-minx] += 1
    for i in range(k):
        while C[i] > 0:
            B.append(i+minx)
            C[i] -= 1
    return B
```

minx is the minimum number in A.

maxx is the maximum number in A.

k is the number of buckets needed. I use  $\text{maxx}-\text{minx}+1$  to normalize these numbers and minimize the buckets needed.

First, create  $k$  empty buckets,  $C$ . Then, go through  $A$ , put the numbers in  $A$  into buckets in  $C$  and record the numbers of the numbers in each buckets. Finally, take the numbers out in order and append them to  $B$ .  $B$  is the sorted array.

### 3 Test Example for Counting Sort

```
A = np.random.randint(-10,10,20)
print(A)
A = counting_sort(A)
print(A)
```

```
[ 8  4  6 -2  1 -6 -2  7 -5  9  7  5  7 -4 -7 -9 -7  4  7  5]
[-9, -7, -7, -6, -5, -4, -2, -2,  1,  4,  4,  5,  5,  6,  7,  7,  7,  7,  8,  9]
```

Figure 1: counting sort test result

Here I generate 20 random numbers from -10 to 10, sort them with the `counting_sort` function I developed and output them to see the results.

### 4 Time Complexity Analysis

The first loop is  $O(k)$ . The second loop is  $O(n)$ . The third loop consists of two loops. The outer loop is  $O(k)$ . The inner loop iterates  $C[i]$ .  $C$  contains the number of numbers from  $A$  so the sum of  $C[i]$  is  $n$ . Thus, the inner loop iterates  $n$  times in total. Therefore, the third loop is  $O(k+n)$ . In all, the time complexity of this counting sort is  $O(k+n)$ .