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Correct

Page 2 of 4 Printed: 19/04/2012 10:51:01 Printed For: richard incorrect 40 ## FamilySize is another indication ## I used a Two-sample t-test as it can be used to measure a dependent variable when the independent variable is continuous, as mentioend above > t.test(FamilySize~Correct) Welch Two Sample t-test data: FamilySize by Correct t = 3.1321, df = 70.855, p-value = 0.002523 alternative hypothesis: true difference in means is not equal to 0 95 percent confidence interval: 0.1116560 0.5029038 sample estimates: mean in group correct mean in group incorrect 0.7148457 0.4075658 ## Some more readouts for this > sd(FamilySize) [1] 0.8709066 > var(FamilySize) [1] 0.7584784 C) ## Provided with this file are the three graphs. > barplot(xtabs(~Correct+Length), xlab="Length", ylab="Amount correct") # For 1c\_1, Correct and Length, I went with a barplot, as this clearly shows the proportion correct or incorrect overall. It doesn't show this very clearly in comparison for different lengths, however, although this can be ascertained by comparing the differences visually with a small amount of concentration. > barplot(xtabs(~Correct+Class), horiz = FALSE, xlab = "Class", ylab = "Correctness") # For 1c\_2, Correct and Class, I went with a barplot, as well, as this clearly shows the nature of the xtab table. > plot(FamilySize~Correct, xlab="Correctness", ylab="Family Size with Outliers") # For 1c\_3, Family Size and Correctness, I went with a simple boxplot, as this shows the data fairly well while showing outliers and deviation, which are helpful in understanding it. 2) a) ## It is a good idea to look at the the structure first, to make sure that we are dealing with the same data formats with similar scales of measurement. After checking this using str(), it is useful to look at the nature of the three Nominal predictors we'll be looking at, using xtabs() again, or using subsets. > str(lexdec) > xtabs(~Sex+Correct+NativeLanguage) , , NativeLanguage = English Correct Sex correct incorrect F 533 20 387 8 Μ , , NativeLanguage = Other

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```
Sex correct incorrect
  F
         526
  Μ
         148
                     10
```

Coefficients:

(Intercept) NativeLanguageOther

0.1558

6.3183

##Since none of these raise a flag (for instance, no values in one column, or the wrong sort of scale or data), we can go ahead with the linear model.

## The Null hypothesis is that neither the sex or native language of the participant, nor whether they were correct or not, should influence the reaction times. The alternative hypothesis is that one, two, or all of these factors do influence reation times - meaning, for intance, that females may react faster, or males faster. All alternative hypotheses must be ruled out for the null hypothesis to be validated. c) > calculate <- lm(RT~Correct)</pre> > calculate lm(formula = RT ~ Correct) Coefficients: (Intercept) Correctincorrect 0.0307 6.3839 > anova(calculate) Analysis of Variance Table Response: RT Df Sum Sq Mean Sq F value Pr(>F) Correct 1 0.059 0.058875 1.0094 0.3152 Residuals 1657 96.647 0.058326 > calculate <- lm(RT~Sex)</pre> > calculate Call:  $lm(formula = RT \sim Sex)$ Coefficients: (Intercept) SexM 6.37658 0.02554 > anova(calculate) Analysis of Variance Table Response: RT Df Sum Sq Mean Sq F value Pr(>F) 1 0.241 0.240532 4.1317 0.04225 \* Residuals 1657 96.465 0.058217 Signif. codes: 0 '\*\*\*' 0.001 '\*\*' 0.01 '\*' 0.05 '.' 0.1 ' ' 1 > calculate <- lm(RT~NativeLanguage)</pre> > calculate Call: lm(formula = RT ~ NativeLanguage)

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> anova(calculate)
Analysis of Variance Table

Response: RT

Df Sum Sq Mean Sq F value Pr(>F)

NativeLanguage 1 9.865 9.8647 188.23 < 2.2e-16 \*\*\*

Residuals 1657 86.841 0.0524

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Signif. codes: 0 '\*\*\*' 0.001 '\*\*' 0.01 '\*' 0.05 '.' 0.1 ' ' 1

## Here we can see that correctness did not influence the reaction times of the participants, while their sex was mildly significant, and the Native Language of the participant was very statisitically significant.

d)

## A Type I error here would be to say that Correctness was a significant influence for reaction times, as it discards the null hypothesis although there is no justification for this. A Type II error here would be to say that the Sex and Native Language of the participants did not influence the reaction times - this would mean keeping the null hypothesis although the alternative hypothesis have been shown to be more probably, and the null hypothesis does not stand.