

Deal 1

North Deals

None Vul

♠ K 5	♦ K 7
♥ A K 10 7 5 3	♦ J 9 6

♣ Q 9 3	♦ J 10 7 6
♥ 9 2	♦ 4

♦ Q 10 5	♦ J 4 2
♣ K Q 10 7 3	♣ A 8 5 4 2

14	♠ A 8 4 2
9 6	♥ Q J 8 6
11	♦ A 9 8 6 3
	♣ —

West	North	East	South
	1 ♥	Pass	4 ♣
Pass	4 NT	Pass	5 NT
Pass	7 ♥	Pass	Pass
Pass			
7 ♥ by North			



SOUTH's jump to 4 $\hat{a}^{\text{TM}}\mathfrak{L}$ is a Splinter bid,
at least 4-card

$\hat{a}^{\text{TM}}\mathbb{Y}$

support,

at least opening hand, and a $\hat{a}^{\text{TM}}\mathfrak{L}$
Singleton or Void.

NORTH bids 4 NT, Blackwood.

SOUTH's 5 NT reply shows two Aces and
a Void somewhere, obviously $\hat{a}^{\text{TM}}\mathfrak{L}$ s.

NORTH counts thirteen tricks and bids 7

$\hat{a}^{\text{TM}}\mathbb{Y}$

.

Deal 2

East Deals

None Vul

♠ —
 ♥ A 9 7 5
 ♦ K 9 8 6 4
 ♣ J 9 3 2

9
8 18
5

<i>West</i>	<i>North</i>	<i>East</i>	<i>South</i>
3 ♥	Pass	1 ♥	Pass
6 ♥	Pass	4 NT	Pass
6 ♥ by East			

♠ Q J 9 7 4 2
 ♥ 8 2
 ♦ Q 7 5
 ♣ A 4

N
 W E
 S

♠ K 5 3
 ♥ K Q J 10 3
 ♦ A
 ♣ K Q 10 6

♠ A 10 8 6
 ♥ 6 4
 ♦ J 10 3 2
 ♣ 8 7 5

EAST figures that if WEST holds two Aces he will bid the slam.

WEST only has one Ace, but she has something else just as good - a void in a suit which

is higher-ranking than

â™¥

s.

EAST manages to figure out that WEST has a â™ void and bids the slam anyway.

Deal 3

South Deals

None Vul

♠ K 7 5 3

♥ J 8 7

♦ A 8 6 5

♣ 7 4

♠ J 10

♥ 10 5 4 3

♦ K Q J 10 4

♣ 10 5



♠ A 9 8 6 4

♥ AKQ

♦ 7

♣ K J 6 3

West

North

East

South

1 ♠

Pass 2 ♠

Pass

Pass

4 ♠

Pass

Pass

4 ♠ by South

SOUTH may have a good hand but NORTH merely gave a simple raise.

Even if NORTH has a maximum there won't be a slam.

Deal 4West Deals
None Vul

♠ —
 ♥ K Q J 8 6 3
 ♦ K J 2
 ♣ A Q 6 5

16 7
 7 **10**

♠ A J 10 6 4
 ♥ 7 5
 ♦ Q 7 4
 ♣ 10 9 8

W N E
S

♠ Q 7 5 3
 ♥ 10 9 4 2
 ♦ A 8
 ♣ K J 4

♠ K 9 8 2
 ♥ A
 ♦ 10 9 6 5 3
 ♣ 7 3 2

<i>West</i>	<i>North</i>	<i>East</i>	<i>South</i>
1 ♥	Pass	3 ♥	Pass
4 ♣	Pass	4 ♦	Pass
6 ♥	Pass	Pass	Pass

6 ♥ by West

WEST has a tough decision after the two Control-showing bids.

If he uses Blackwood and EAST shows two Aces he will be no better off, because he won't know if one

of the Aces is the useless \hat{a}^{TM} A. Based on knowing that EAST holds the

$\hat{a}^{\text{TM}}!$

A,

he bids 6

$\hat{a}^{\text{TM}}Y$

, hoping that he can at least make that and that 7 isn't a laydown!