

Point Operators 85-98

- i. image described by its histogram
- ii. construct new image from old, point by point.

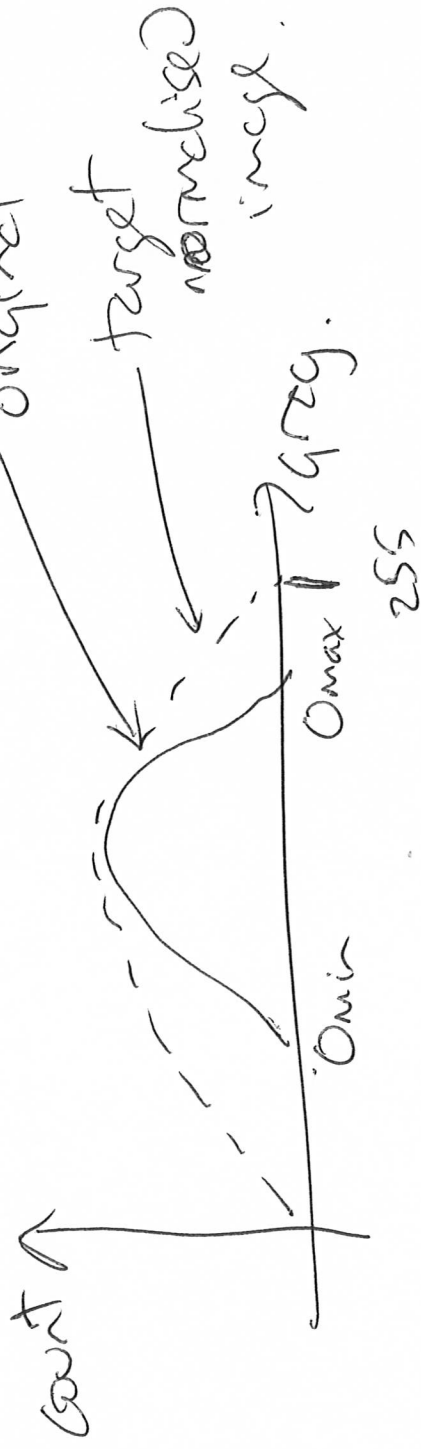
$$N_{x,y} = f(O_{x,y})$$

$$\begin{aligned} \text{e.g.} \quad &= -O_{x,y} \quad \text{inversion} \\ &= k(O_{x,y}) + b \quad \text{scaling.} \\ &= \log(O_{x,y}) \end{aligned}$$

needs values + functions

need automatic display - processing

iii) intensity normalisation



$$scaling = \frac{255}{O_{max} - O_{min}}$$

$$N_{x,y} = scaling \times (O_{x,y} - O_{min})$$

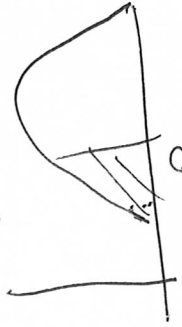
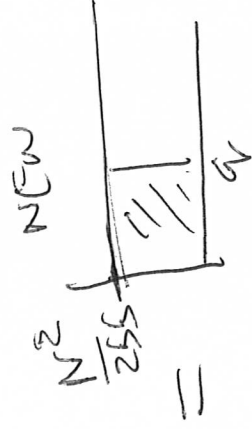
Common use in computer vision algorithms.

iv) histogram equalisation

good for display (only)

human vision.

for a $N \times N$ image



points in new image = # points in old image

" " " " up to level P

" " " " up to level q

$$\sum_{l=0}^P O(l)$$

$$\sum_{l=0}^q N(l)$$

(level $\rightarrow l=0$)

$$\sum_{l=0}^P O(l)$$

$$\sum_{l=0}^q N(l) = \sum_{l=0}^P O(l)$$

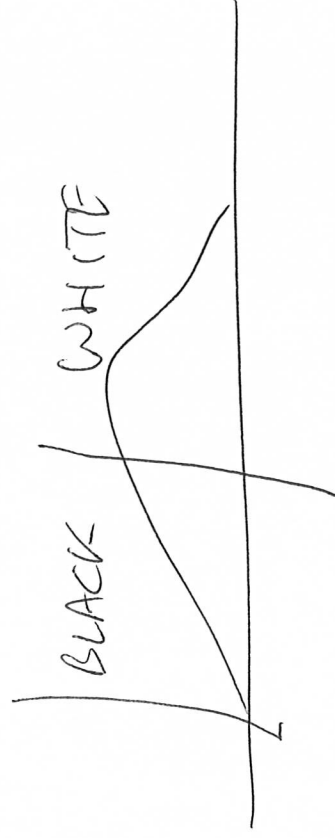
$$\frac{1}{255} \times \sum_{l=0}^P O(l)$$

$$q = \frac{255}{N^2} \times \sum_{d=0}^p O(d)$$

gives an equalising function

$$N_{x,y} = F(q, 0).$$

v. thresholding.



$$N_{x,y} = \begin{cases} 1 & \text{if } O_{x,y} \geq \text{threshold} \\ 0 & \text{otherwise} \end{cases}$$