1. Importing Packages

```
In [1]:
```

```
import warnings
warnings.filterwarnings("ignore")
from sklearn.datasets import load boston
from random import seed
from random import randrange
from csv import reader
from math import sqrt
from sklearn import preprocessing
import pandas as pd
import numpy as np
import matplotlib.pyplot as plt
from prettytable import PrettyTable
from sklearn.linear model import SGDRegressor
from sklearn import preprocessing
from sklearn.metrics import mean_squared_error
from sklearn.metrics import mean absolute error
```

2. Loading Dataset

```
In [2]:
from sklearn.datasets import load boston
boston = load boston()
In [3]:
print(boston.data.shape)
(506, 13)
In [4]:
print(boston.feature names)
['CRIM' 'ZN' 'INDUS' 'CHAS' 'NOX' 'RM' 'AGE' 'DIS' 'RAD' 'TAX' 'PTRATIO'
'B' 'LSTAT']
In [5]:
print(boston.target)
[24. 21.6 34.7 33.4 36.2 28.7 22.9 27.1 16.5 18.9 15. 18.9 21.7 20.4
18.2 19.9 23.1 17.5 20.2 18.2 13.6 19.6 15.2 14.5 15.6 13.9 16.6 14.8
18.4 21. 12.7 14.5 13.2 13.1 13.5 18.9 20. 21. 24.7 30.8 34.9 26.6
25.3 24.7 21.2 19.3 20. 16.6 14.4 19.4 19.7 20.5 25. 23.4 18.9 35.4
```

```
24. 21.6 34.7 33.4 36.2 28.7 22.9 27.1 16.5 18.9 15. 18.9 21.7 20.4 18.2 19.9 23.1 17.5 20.2 18.2 13.6 19.6 15.2 14.5 15.6 13.9 16.6 14.8 18.4 21. 12.7 14.5 13.2 13.1 13.5 18.9 20. 21. 24.7 30.8 34.9 26.6 25.3 24.7 21.2 19.3 20. 16.6 14.4 19.4 19.7 20.5 25. 23.4 18.9 35.4 24.7 31.6 23.3 19.6 18.7 16. 22.2 25. 33. 23.5 19.4 22. 17.4 20.9 24.2 21.7 22.8 23.4 24.1 21.4 20. 20.8 21.2 20.3 28. 23.9 24.8 22.9 23.9 26.6 22.5 22.2 23.6 28.7 22.6 22. 22.9 25. 20.6 28.4 21.4 38.7 43.8 33.2 27.5 26.5 18.6 19.3 20.1 19.5 19.5 20.4 19.8 19.4 21.7 22.8 18.8 18.7 18.5 18.3 21.2 19.2 20.4 19.3 22. 20.3 20.5 17.3 18.8 21.4 15.7 16.2 18. 14.3 19.2 19.6 23. 18.4 15.6 18.1 17.4 17.1 13.3 17.8 14. 14.4 13.4 15.6 11.8 13.8 15.6 14.6 17.8 15.4 21.5 19.6 15.3 19.4 17. 15.6 13.1 41.3 24.3 23.3 27. 50. 50. 50. 22.7 25. 50. 23.8 23.8 22.3 17.4 19.1 23.1 23.6 22.6 29.4 23.2 24.6 29.9 37.2 39.8 36.2 37.9 32.5 26.4 29.6 50. 32. 29.8 34.9 37. 30.5 36.4 31.1 29.1 50. 33.3 30.3 34.6 34.9 32.9 24.1 42.3 48.5 50. 22.6 24.4 22.5 24.4 20. 21.7 19.3 22.4 28.1 23.7 25. 23.3 28.7 21.5 23. 26.7 21.7 27.5 30.1 44.8 50. 37.6 31.6 46.7 31.5 24.3 31.7 41.7 48.3 29. 24. 25.1 31.5 23.7 23.3 22. 20.1 22.2 23.7 17.6 18.5 24.3 20.5 24.5 26.2 24.4 24.8 29.6 42.8 21.9 20.9 44. 50. 36. 30.1 33.8 43.1 48.8 31. 36.5 22.8 20.7 50. 42.8 21.9 20.9 44. 50. 36. 30.1 33.8 43.1 48.8 31. 36.5 22.8 20.7 50. 43.5 20.9 44.5 50. 36.1 33.8 43.1 48.8 31. 36.5 22.8 20.7 50. 42.8 21.9 20.9 44. 50. 36. 30.1 33.8 43.1 48.8 31. 36.5 22.8 20.7 50. 42.8 21.9 20.9 44. 50. 36. 30.1 33.8 43.1 48.8 31. 36.5 22.8 20.7 50. 43.5 20.9 44.5 50. 36. 30.1 33.8 43.1 48.8 31. 36.5 22.8 20.7 50. 43.5 20.9 44.5 50. 36. 30.1 33.8 43.1 48.8 31. 36.5 22.8 20.7 50. 43.5 20.9 44.5 50. 36. 30.1 33.8 43.1 48.8 31. 36.5 22.8 20.7 50. 43.5 20.9 43.5 20.9 44.5 20.9 44.5 20.9 44.5 20.9 44.5 20.9 44.5 20.9 44.5 20.9 44.5 20.9 44.5 20.9 44.5 20.9 44.5 20.9 44.5 20.9 44.5 20.9 44.5 20.9 44.5 20.9 44.5 20.9 44.5 20.9 44.5 20.9 44.5 20.9 44.5 20.9 44.5 20.9 44.5 20.9 44.5 20.9 44.5 20.9 44.5 20.9 44.5 20.9 44.5 20.9
```

```
JU. / JU. 4J.J ZU. / ZI.I ZJ.Z ZT.T JJ.Z JZ.T JZ. JJ.I ZJ.I JJ.I
45.4 35.4 46. 50. 32.2 22. 20.1 23.2 22.3 24.8 28.5 37.3 27.9 23.9
21.7 28.6 27.1 20.3 22.5 29. 24.8 22. 26.4 33.1 36.1 28.4 33.4 28.2
22.8 20.3 16.1 22.1 19.4 21.6 23.8 16.2 17.8 19.8 23.1 21. 23.8 23.1
20.4 18.5 25. 24.6 23. 22.2 19.3 22.6 19.8 17.1 19.4 22.2 20.7 21.1
19.5 18.5 20.6 19. 18.7 32.7 16.5 23.9 31.2 17.5 17.2 23.1 24.5 26.6
22.9 24.1 18.6 30.1 18.2 20.6 17.8 21.7 22.7 22.6 25. 19.9 20.8 16.8
21.9 27.5 21.9 23.1 50. 50. 50. 50. 50. 13.8 13.8 15. 13.9 13.3
13.1 10.2 10.4 10.9 11.3 12.3 8.8 7.2 10.5 7.4 10.2 11.5 15.1 23.2
9.7 13.8 12.7 13.1 12.5 8.5 5. 6.3 5.6 7.2 12.1 8.3 8.5 5.
11.9 27.9 17.2 27.5 15. 17.2 17.9 16.3 7. 7.2 7.5 10.4 8.8 8.4
16.7 14.2 20.8 13.4 11.7 8.3 10.2 10.9 11.
                                           9.5 14.5 14.1 16.1 14.3
11.7 13.4 9.6 8.7 8.4 12.8 10.5 17.1 18.4 15.4 10.8 11.8 14.9 12.6
14.1 13. 13.4 15.2 16.1 17.8 14.9 14.1 12.7 13.5 14.9 20. 16.4 17.7
19.5 20.2 21.4 19.9 19. 19.1 19.1 20.1 19.9 19.6 23.2 29.8 13.8 13.3
16.7 12. 14.6 21.4 23. 23.7 25. 21.8 20.6 21.2 19.1 20.6 15.2 7.
8.1 13.6 20.1 21.8 24.5 23.1 19.7 18.3 21.2 17.5 16.8 22.4 20.6 23.9
22. 11.9]
```

In [6]:

print(boston.DESCR)

.. boston dataset:

Boston house prices dataset

Data Set Characteristics:

:Number of Instances: 506

:Number of Attributes: 13 numeric/categorical predictive. Median Value (attribute 14) is usually the target.

:Attribute Information (in order):

- CRIM per capita crime rate by town
- ZN proportion of residential land zoned for lots over 25,000 sq.ft.
- INDUS proportion of non-retail business acres per town
- CHAS Charles River dummy variable (= 1 if tract bounds river; 0 otherwise)
- NOX nitric oxides concentration (parts per 10 million)
- RM average number of rooms per dwelling
- AGE proportion of owner-occupied units built prior to 1940
- DIS weighted distances to five Boston employment centres
 RAD index of accessibility to radial highways
- RAD index of accessibility to radial highwaysTAX full-value property-tax rate per \$10,000
- PTRATIO pupil-teacher ratio by town
- B $1000\,(\mathrm{Bk}$ 0.63)^2 where Bk is the proportion of blacks by town
- LSTAT $\,\,$ % lower status of the population
- MEDV Median value of owner-occupied homes in \$1000's

:Missing Attribute Values: None

:Creator: Harrison, D. and Rubinfeld, D.L.

This is a copy of UCI ML housing dataset.

https://archive.ics.uci.edu/ml/machine-learning-databases/housing/

This dataset was taken from the StatLib library which is maintained at Carnegie Mellon University.

The Boston house-price data of Harrison, D. and Rubinfeld, D.L. 'Hedonic prices and the demand for clean air', J. Environ. Economics & Management, vol.5, 81-102, 1978. Used in Belsley, Kuh & Welsch, 'Regression diagnostics ...', Wiley, 1980. N.B. Various transformations are used in the table on pages 244-261 of the latter.

The Boston house-price data has been used in many machine learning papers that address regression problems.

- .. topic:: References
- Belsley, Kuh & Welsch, 'Regression diagnostics: Identifying Influential Data and Sources of C ollinearity', Wiley, 1980. 244-261.
- Quinlan, R. (1993). Combining Instance-Based and Model-Based Learning. In Proceedings on the T enth International Conference of Machine Learning, 236-243, University of Massachusetts, Amherst.

```
Morgan Kaufmann.
In [7]:
import pandas as pd
bos = pd.DataFrame(boston.data)
bos.head()
Out[7]:
       0
           1 2 3
                         4
                               5
                                    6
                                          7 8
                                                   9 10
                                                             11
                                                                  12
0 0.00632 18.0 2.31 0.0 0.538 6.575 65.2 4.0900 1.0 296.0 15.3 396.90 4.98
1 0.02731 0.0 7.07 0.0 0.469 6.421 78.9 4.9671 2.0 242.0 17.8 396.90
2 0.02729 0.0 7.07 0.0 0.469 7.185 61.1 4.9671 2.0 242.0 17.8 392.83 4.03
           0.0 2.18 0.0 0.458 6.998 45.8 6.0622 3.0 222.0 18.7 394.63 2.94
4 0.06905 0.0 2.18 0.0 0.458 7.147 54.2 6.0622 3.0 222.0 18.7 396.90 5.33
3. As the column names are in index value form so we rename
them accoring to the description data
In [8]:
bos.columns = boston['feature names']
In [9]:
bos.head()
Out[9]:
    CRIM
         ZN INDUS CHAS NOX
                                 RM AGE
                                             DIS RAD TAX PTRATIO
                                                                        B LSTAT
0 0.00632 18.0
                2.31
                       0.0 \quad 0.538 \quad 6.575 \quad 65.2 \quad 4.0900
                                                  1.0 296.0
                                                                15.3 396.90
                                                                             4.98
1 0.02731
           0.0
                7.07
                       0.0 0.469 6.421 78.9 4.9671
                                                  2.0 242.0
                                                               17.8 396.90
                                                                             9.14
2 0.02729
           0.0
                7.07
                       0.0 0.469 7.185 61.1 4.9671
                                                  2.0 242.0
                                                                17.8 392.83
                                                                             4.03
3 0.03237
                       0.0 0.458 6.998 45.8 6.0622
                                                  3.0 222.0
                                                                18.7 394.63
                                                                            2.94
           0.0
                2 18
4 0.06905 0.0
                2.18
                       0.0 0.458 7.147 54.2 6.0622
                                                  3.0 222.0
                                                                18.7 396.90
                                                                             5.33
In [10]:
\# bos =
bos.rename({0:'CRIM',1:'ZN',2:'INDUS',3:'CHAS',4:'NOX',5:'RM',6:'AGE',7:'DIS',8:'RAD',9:'TAX',10:'1
IO',11:'B',
                      12:'LSTAT'},axis=1)
4
In [11]:
bos['PRICE'] = boston.target
X = bos.drop('PRICE', axis = 1)
Y = bos['PRICE']
In [12]:
Y.head()
Out[12]:
0
    24.0
```

21.6

```
2 34.7
3 33.4
4 36.2
Name: PRICE, dtype: float64
```

4. Splitting Data into Train and Test set

```
In [13]:
from sklearn.model_selection import train test split
X_train, X_test, Y_train, Y_test = train_test_split(X, Y, test_size = 0.33, random_state = 5)
print(X train.shape)
print(X test.shape)
print(Y train.shape)
print(Y_test.shape)
(339, 13)
(167, 13)
(339,)
(167,)
In [14]:
from sklearn.preprocessing import MinMaxScaler
scalar = MinMaxScaler()
X_train = scalar.fit_transform(X_train)
X test = scalar.transform(X test)
print(X_train.shape)
print(X test.shape)
(339, 13)
(167, 13)
In [15]:
Xtrain = pd.DataFrame.from_records(X_train)
Xtrain.columns = boston["feature_names"]
Xtest = pd.DataFrame.from records(X test)
Xtest.columns = boston["feature_names"]
```

In [16]:

```
Xtrain.head()
```

Out[16]:

	CRIM	ZN	INDUS	CHAS	NOX	RM	AGE	DIS	RAD	TAX	PTRATIO	В	LSTAT
0	0.125324	0.0	0.636089	0.0	0.730453	0.587852	0.944387	0.104533	1.000000	0.913958	0.808511	0.272149	0.594371
1	0.000513	0.0	0.081540	0.0	0.213992	0.660280	0.858908	0.241800	0.043478	0.156788	0.553191	1.000000	0.104029
2	0.051086	0.0	0.636089	0.0	0.685185	0.000000	0.875386	0.050398	1.000000	0.913958	0.808511	0.892997	0.148731
3	0.001033	0.3	0.138920	0.0	0.088477	0.535926	0.514933	0.624266	0.217391	0.214149	0.425532	0.938765	0.261865
4	0.041389	0.0	0.636089	0.0	0.674897	0.539375	0.880536	0.151354	1.000000	0.913958	0.808511	0.986130	0.356512

```
In [17]:
```

```
manual_Xtrain = Xtrain.T
manual_Xtest = Xtest.T
manual_ytrain = np.array([Y_train])
manual_ytest = np.array([Y_test])
```

E Amblica Manial I incom Decreasion on and Tusin and Task

applying wanual Linear Regression on our Train and Test sets

In [20]: def initialize parameters(lenw): w = np.random.randn(1,lenw)b = 0return w,b def forward prop(X,w,b): z = np.dot(w, X) + breturn z def back prop(X,y,z): m = y.shape[1]dz = (1/m) * (z-y)dw = np.dot(dz, X.T)db = np.sum(dz)return dw, db def gradient descent update(w,b,dw,db,lr): w = w - lr*dwb = b - lr*dbreturn w,b def linear regression model(xtrain, ytrain, lr, epochs): lenw = xtrain.shape[0] w,b = initialize_parameters(lenw) for i in range(1,epochs+1): z = forward prop(xtrain, w, b)dw,db = back_prop(xtrain,ytrain,z) w,b = gradient_descent_update(w,b,dw,db,lr) return w,b def pred(X test, w, b): y pred=[] for i in range(len(X_test)): y=np.asscalar(np.dot(w,X test[i])+b) y pred.append(y) return np.array(y_pred) def plot_(X_test,y_pred): #scatter plot plt.scatter(Y test, y pred) plt.grid(b=True, linewidth=0.3) plt.title('scatter plot between actual y and predicted y') plt.xlabel('actual y') plt.ylabel('predicted y') plt.show() In [22]: w,b = linear regression model(manual Xtrain,manual ytrain,0.4,500) In [231: w,b Out[23]: 2.81152147, -0.67684544, 0.94131682, (array([[-8.39794673, -3.86387878, 24.14918406, -0.76032164, -9.23962616, 5.434565 , -5.26516346, -8.50229375, 5.48755893, -16.73926421]]), 19.99478422423874) In [24]: y pred manual = pred(np.array(Xtest), w=w, b=b)

In [25]:

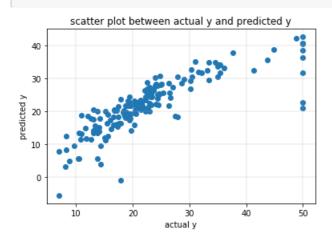
```
y_pred_manual
Out[25]:
array([37.74777303, 30.37003301, 26.77665346, 5.66822103, 34.12904734,
        5.6495394 , 27.55477754, 29.65824848, 26.54307865, 22.05356863,
       32.42899723, 21.64226279, 23.10120576, 32.95773268, 27.77488574,
       16.35775712, -1.08934277, 19.10973331, 14.14305076, 12.06246644,
        3.33776958, 20.03036901, 38.6792785 , 24.45280669, 31.71994315,
       11.53934045, 24.98869779, 23.16571715, 23.39690331, 22.49778306,
       15.42970796, 7.88266519, 17.7514154, 23.87890383, 28.56363465,
       19.44576721, 28.35323257, 8.40872985, 42.15369838, 33.49600281,
       20.16499578, 3.92103109, 29.17938958, 11.4915768, 27.41988222,
       30.88256916, -5.37942365, 19.37700289, 22.46760626, 13.88486912,
       20.10358069, 20.1197512 , 23.54641144, 13.6172954 , 18.17258553,
       25.47472936, 35.66086267, 15.14573431, 28.73915485, 21.67532832,
       20.48276008, 25.39642676, 14.74642904, 32.43013127, 21.35885306,
       12.66959923, 20.30845802, 25.12847291, 21.45300294, 20.64149728, 20.35434348, 26.24493353, 17.49926586, 18.53489966, 18.35555518,
       26.96449288, 21.44033803, 16.35922155, 34.97550083, 17.83628371,
       21.82265035, 40.65341989, 21.75139977, 15.0153848 , 24.40915316,
       17.51636799, 18.14119804, 9.61054117, 19.64646213, 18.65630031,
       36.37577772, 17.91003585, 21.0647574 , 19.25322985, 25.04724107,
       28.1993273 , 12.55547673, 24.23142233, 20.57059992, 13.47366402,
       22.60582024, 22.1908283 , 14.2773397 , 42.51185108, 5.17882754,
       22.00107657, 18.47900291, 20.94689917, 28.32875109, 17.26725197,
       27.84246029, 23.84314436, 20.4908912 , 32.72517478, 20.08933545,
       13.50037562,\ 21.56710089,\ 18.42544684,\ 19.97835841,\ 16.55261117,
       21.66826185, 34.72574114, 22.86873111, 20.22332417, 24.36861364,
       25.59789831, 20.58460164, 22.55706247, 23.17121463, 40.57581941,
       38.72008889, 27.44017179, 13.43744303, 16.42084643, 18.77147296,
       21.72741558, 14.90784834, 5.69561009, 24.42586726, 30.54681075,
       22.69326398, 18.97322197, 15.73013297, 21.7141724 , 34.93184568,
       22.76298838, 30.28557492, 18.13607681, 22.25840705, 28.8538589 ,
       13.69736979, 31.71591134, 11.6284262, 13.25948995, 26.31034766,
       31.72664929, 11.4906407, 25.11814497, 29.64997105, 32.0337451,
```

5.1. Visualizing Data using Scatter Plots

```
In [23]:
```

```
plotting = plot_(np.array(Xtest),y_pred_manual)
```

15.67329418, 30.36167208, 9.76050384, 34.20497882, 25.53362151,



19.76099658, 15.8897928])

5.2. Printing Data Frame of Actual and Predicted values using Linear Regression Model

```
In [27]:
```

```
df_manual = pd.DataFrame({'Actual Values': Y_test,'Predicted Values': y_pred_manual})
```

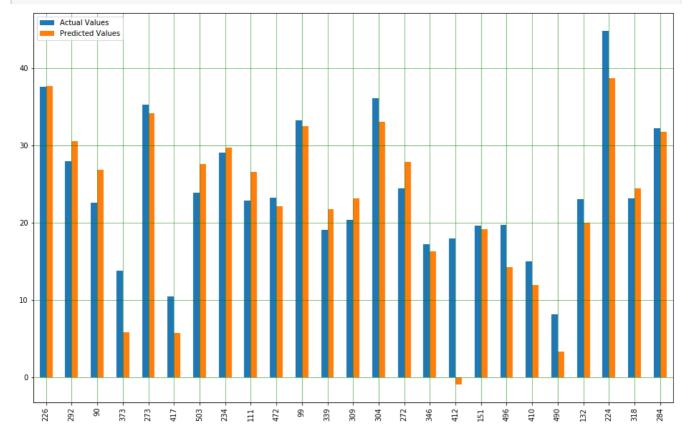
In [28]: df_manual.head() Out[28]:

	Actual Values	Predicted Values
226	37.6	37.691440
292	27.9	30.502252
90	22.6	26.847459
373	13.8	5.769157
273	35.2	34.092390

5.3. Visualizing Data Using Bar Plots

```
In [29]:
```

```
#https://towardsdatascience.com/a-beginners-guide-to-linear-regression-in-python-with-scikit-learn
-83a8f7ae2b4f
df1 = df_manual.head(25)
df1.plot(kind='bar',figsize=(16,10))
plt.grid(which='major', linestyle='-', linewidth='0.5', color='green')
plt.grid(which='minor', linestyle=':', linewidth='0.5', color='black')
plt.show()
```



5.4. Visualizing Data usind Kernel Density(KDE) plot

sns.kdeplot(np.array(delta y), bw=.15,shade=True, color="r")

```
In [30]:

delta_y = Y_test - y_pred_manual;

import seaborn as sns;
import numpy as np;
sns.set_style('whitegrid')
```



5.5. Finding Mean Absolute Error , Mean Squared Error , Root Mean Squared Error

```
In [31]:
```

```
print('Mean Absolute Error:', mean_absolute_error(Y_test, y_pred_manual))
print('Mean Squared Error:', mean_squared_error(Y_test, y_pred_manual))
print('Root Mean Squared Error:', sqrt(mean_squared_error(Y_test, y_pred_manual)))
```

Mean Absolute Error: 3.369378635648655 Mean Squared Error: 28.669500644115576 Root Mean Squared Error: 5.3543907817897995

6. Applying Linear Regression on our Train and Test sets

In [32]:

```
# code source:https://medium.com/@haydar_ai/learning-data-science-day-9-linear-regression-on-bosto
n-housing-dataset-cd62a80775ef
from sklearn.linear_model import LinearRegression
import matplotlib.pyplot as plt

from plotly import plotly
import plotly.offline as offline
import plotly.graph_objs as go
offline.init_notebook_mode()

lm = LinearRegression()
lm.fit(Xtrain, Y_train)

Y_pred_linear = lm.predict(Xtest)
```

In [33]:

```
#Retrieve intercept
print(lm.intercept_)
```

25.059473071710524

In [34]:

```
#Retrieve slope
print(lm.coef_)
```

```
[-13.91249965 3.85490972 -0.66391866 0.78643968 -6.29219928
20.89003164 -1.12658717 -12.9285439 7.86040903 -7.06828342
-9.29534072 4.75575802 -17.12862872]
```

6.1. Printing Data Frame of Actual and Predicted values using Linear Regression Model

```
In [35]:
```

```
df_linear = pd.DataFrame({'Actual Values': Y_test,'Predicted Values': Y_pred_linear})
```

In [36]:

```
df_linear.head()
```

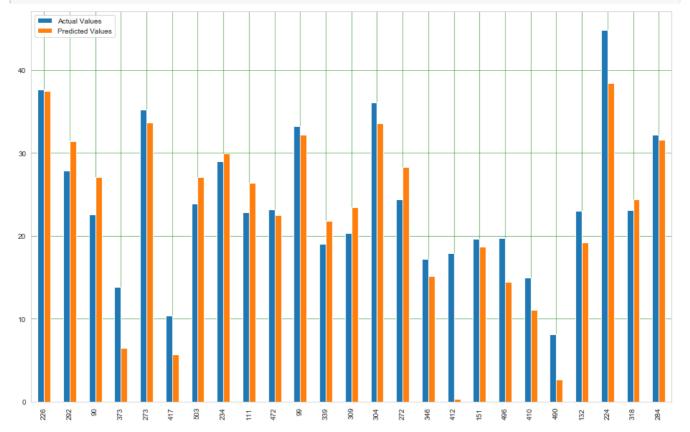
Out[36]:

	Actual Values	Predicted Values
226	37.6	37.467236
292	27.9	31.391547
90	22.6	27.120196
373	13.8	6.468433
273	35.2	33.629667

6.2. Visualizing Data Using Bar Plots

In [37]:

```
#https://towardsdatascience.com/a-beginners-guide-to-linear-regression-in-python-with-scikit-learn
-83a8f7ae2b4f
df2 = df_linear.head(25)
df2.plot(kind='bar',figsize=(16,10))
plt.grid(which='major', linestyle='-', linewidth='0.5', color='green')
plt.grid(which='minor', linestyle=':', linewidth='0.5', color='black')
plt.show()
```



6.3. Visualizing Data using Scatter Plots

```
In [38]:
```

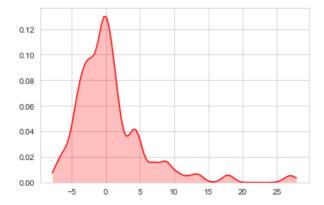
```
plt.scatter(Y_test, Y_pred_linear)
plt.xlabel("ACTUAL PRICE")
plt.ylabel("PREDICTED PRICE")
plt.title("Prices vs Predicted prices: $Y_i$ vs $\hat{Y}_i$")
plt.show()
```



6.4. Visualizing Data usind Kernel Density(KDE) plot

```
In [39]:
```

```
delta_y = Y_test - Y_pred_linear;
import seaborn as sns;
import numpy as np;
sns.set_style('whitegrid')
sns.kdeplot(np.array(delta_y), bw=.15,shade=True, color="r")
plt.show()
```



The above KDE plot shows that our linear regression model is working moderate as the curve is not falling down smoothly on the left and is peakered.

6.5. Finding Mean Absolute Error , Mean Squared Error , Root Mean Squared Error

```
In [40]:
```

```
print('Mean Absolute Error:', mean_absolute_error(Y_test, Y_pred_linear))
print('Mean Squared Error:', mean_squared_error(Y_test, Y_pred_linear))
print('Root Mean Squared Error:', sqrt(mean_squared_error(Y_test, Y_pred_linear)))
```

Mean Absolute Error: 3.4550349322483522 Mean Squared Error: 28.53045876597462 Root Mean Squared Error: 5.341391089030518

7. Applying SGDRegressor using 'l2' Regularization on our Train and Test sets

```
In [41]:
```

```
# code source:https://medium.com/@haydar_ai/learning-data-science-day-9-linear-regression-on-bosto
n-housing-dataset-cd62a80775ef
from sklearn.linear_model import SGDRegressor
import matplotlib.pyplot as plt

from plotly import plotly
import plotly.offline as offline
import plotly.graph_objs as go
offline.init_notebook_mode()

lm1 = SGDRegressor(learning_rate = 'constant', penalty ='12' , max_iter = 1000)
lm1.fit(Xtrain, Y_train)

Y_pred_sgd_12 = lm1.predict(Xtest)
```

7.1. Printing Data Frame of Actual and Predicted values using SGDRegressor with 'I2' Regularization Model

```
In [42]:
```

```
df_sgd_12 = pd.DataFrame({'Actual Values': Y_test,'Predicted Values': Y_pred_sgd_12})
```

In [43]:

```
df_sgd_12.head()
```

Out[43]:

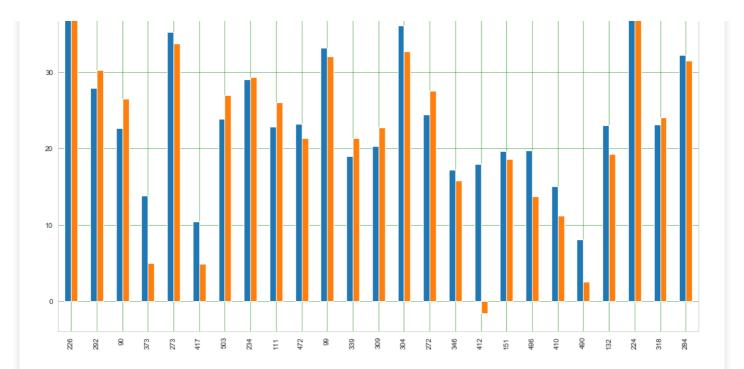
	Actual Values	Predicted Values
226	37.6	37.205189
292	27.9	30.222423
90	22.6	26.466172
373	13.8	4.970637
273	35.2	33.720718

7.2. Visualizing Data using Bar Plots

```
In [44]:
```

```
df3 = df_sgd_l2.head(25)
df3.plot(kind='bar',figsize=(16,10))
plt.grid(which='major', linestyle='-', linewidth='0.5', color='green')
plt.grid(which='minor', linestyle=':', linewidth='0.5', color='black')
plt.show()
```





7.3. Visualizing Data using Scatter Plots

```
In [45]:
```

```
plt.scatter(Y_test, Y_pred_sgd_l2)
plt.xlabel("ACTUAL PRICE")
plt.ylabel("PREDICTED PRICE")
plt.title("Prices vs Predicted prices: $Y_i$ vs $\hat{Y}_i$")
plt.show
```

Out[45]:

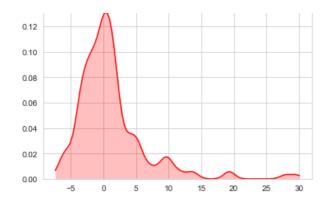
<function matplotlib.pyplot.show(*args, **kw)>



7.4. Visualizing Data usind Kernel Density(KDE) plot

```
In [46]:
```

```
delta_y = Y_test - Y_pred_sgd_12;
import seaborn as sns;
import numpy as np;
sns.set_style('whitegrid')
sns.kdeplot(np.array(delta_y), bw=.15,shade=True, color="r")
plt.show()
```



7.5. Finding Mean Absolute Error , Mean Squared Error , Root Mean Squared Error

The above KDE plot shows that our SGDRegressor with '12' regularization model is working much better than the Linear Regression model as the curve is falling down smoothly till value 0.065 on the left and is less peakered.

```
In [47]:
```

```
print('Mean Absolute Error using SGD with 12 regularization:', mean_absolute_error(Y_test,
Y_pred_sgd_12))
print('Mean Squared Error using SGD with 12 regularization:', mean_squared_error(Y_test,
Y_pred_sgd_12))
print('Root Mean Squared Error using SGD with 12 regularization:', sqrt(mean_squared_error(Y_test,
Y_pred_sgd_12)))
```

Mean Absolute Error using SGD with 12 regularization: 3.3693414342742187
Mean Squared Error using SGD with 12 regularization: 29.75040721068125
Root Mean Squared Error using SGD with 12 regularization: 5.454393386132068

8. Applying SGDRegressor using 'I1' Regularization on our Train and Test sets

```
In [48]:
```

```
# code source:https://medium.com/@haydar_ai/learning-data-science-day-9-linear-regression-on-bosto
n-housing-dataset-cd62a80775ef
from sklearn.linear_model import SGDRegressor
import matplotlib.pyplot as plt

from plotly import plotly
import plotly.offline as offline
import plotly.graph_objs as go
offline.init_notebook_mode()

lm2 = SGDRegressor(learning_rate = 'constant', penalty ='ll' , max_iter = 1000)
lm2.fit(Xtrain, Y_train)

Y_pred_sgd_ll = lm2.predict(Xtest)
```

8.1. Printing Data Frame of Actual and Predicted values using SGDRegressor with 'I1' Regularization Model

```
In [49]:
```

```
df_sgd_l1 = pd.DataFrame({'Actual Values': Y_test,'Predicted Values': Y_pred_sgd_l1})
```

```
In [50]:
```

```
df_sgd_l1.head()
```

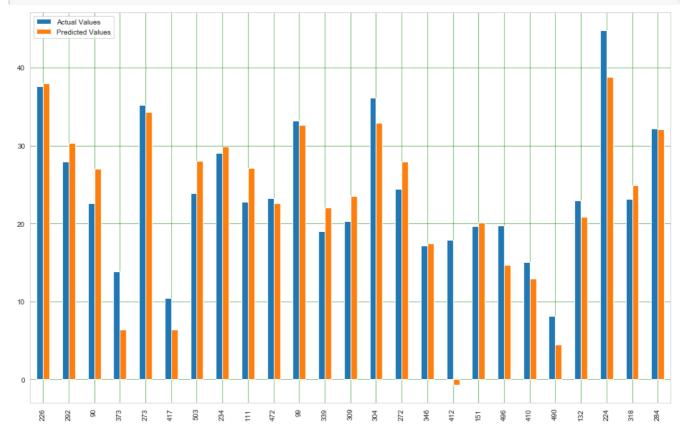
Out[50]:

	Actual Values	Predicted Values
226	37.6	38.023230
292	27.9	30.367456
90	22.6	27.022105
373	13.8	6.387844
273	35.2	34.325044

8.2. Visualizing Data using Bar Plots

In [51]:

```
df4 = df_sgd_l1.head(25)
df4.plot(kind='bar',figsize=(16,10))
plt.grid(which='major', linestyle='-', linewidth='0.5', color='green')
plt.grid(which='minor', linestyle=':', linewidth='0.5', color='black')
plt.show()
```



8.3. Visualizing Data using Scatter Plots

```
In [52]:
```

```
plt.scatter(Y_test, Y_pred_sgd_l1)
plt.xlabel("ACTUAL PRICE")
plt.ylabel("PREDICTED PRICE")
plt.title("Prices vs Predicted prices: $Y_i$ vs $\hat{Y}_i$")
plt.show
```

Out[52]:

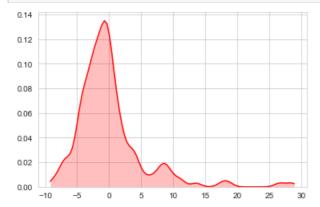
```
<function matplotlib.pyplot.show(*args, **kw)>
```



8.4. Visualizing Data usind Kernel Density(KDE) plot

```
In [53]:
```

```
delta_y = Y_test - Y_pred_sgd_l1;
import seaborn as sns;
import numpy as np;
sns.set_style('whitegrid')
sns.kdeplot(np.array(delta_y), bw=.15,shade=True, color="r")
plt.show()
```



The above KDE plot shows that our SGDRegressor with 'I1' regularization model is not working good as compared to the above two models as the width is more.

8.5. Finding Mean Absolute Error , Mean Squared Error , Root Mean Squared Error

```
In [54]:
```

```
print('Mean Absolute Error using SGD with 11 regularization:', mean_absolute_error(Y_test,
Y_pred_sgd_11))
print('Mean Squared Error using SGD with 11 regularization:', mean_squared_error(Y_test,
Y_pred_sgd_11))
print('Root Mean Squared Error using SGD with 11 regularization:', sqrt(mean_squared_error(Y_test,
Y_pred_sgd_11)))
```

Mean Absolute Error using SGD with 11 regularization: 3.4608270591915025 Mean Squared Error using SGD with 11 regularization: 28.581949753429775 Root Mean Squared Error using SGD with 11 regularization: 5.3462089141212745

9. Conclusion

In [56]:

```
# http://zetcode.com/python/prettytable/
from prettytable import PrettyTable

#If you get a ModuleNotFoundError error , install prettytable using: pip3 install prettytable

x = PrettyTable()

x.field_names = [ "Model", "Mean Absolute Error", "Mean Squared Error", "Root Mean Squared Error"]

x.add_row(["Manual LinearRegression", 3.3693, 28.5304, 5.3543])

x.add_row(["LinearRegression", 3.4550, 28.5304, 5.3413])

x.add_row(["SGDRegressor using 12 regularization", 3.3693, 29.7504, 5.4543])

x.add_row(["ASGDRegressor using 11 regularization", 3.4608 , 28.5819, 5.3462])
```

In [57]:

++ +	-+		-+		+
Model ed Error				Squared Error	-
Manual LinearRegression	ı	3.3693	ı	28.5304	5.35
LinearRegression	1	3.455	I	28.5304	5.34
SGDRegressor using 12 regularization	1	3.3693	I	29.7504	5.45
ASGDRegressor using 11 regularization	1	3.4608	I	28.5819	5.34