

获得的答案

Given the context – free grammar G is

$$R \rightarrow XRX \mid S$$

$$S \rightarrow aTb \mid bTa$$

$$T \rightarrow XTX \mid X \mid \varepsilon$$

$$X \rightarrow a \mid b$$

a. The variables of G are R, S, T and X

Variables are the non-terminal symbols that appear in the rules of the grammar.

b. The terminals of G are a, b .

Terminals are the terminal symbols that appear in the rules of the grammar.

c. The start variable of G is R .

$$R \rightarrow XRX \mid S$$

Start variable is a variable usually occurs on the left – hand side of the topmost rule.

d. Case1: Consider the rule $R \rightarrow S$

Substitute S with rule $S \rightarrow aTb$

$$R \rightarrow aTb$$

Substitute T with rule $T \rightarrow \varepsilon$.

$$R \rightarrow a \in b$$

$$R \rightarrow ab$$

Case2: Consider the rule $R \rightarrow S$

Substitute S with rule $S \rightarrow bTa$

$$R \rightarrow bTa$$

Substitute T with rule $T \rightarrow \varepsilon$.

$$R \rightarrow b \in a$$

$$R \rightarrow ba$$

Case3: Consider the rule $R \rightarrow S$

Substitute S with rule $S \rightarrow aTb$

$$R \rightarrow aTb$$

Substitute T with rule $T \rightarrow X$.

$$R \rightarrow aXb$$

Substitute X with rule $X \rightarrow a$.

$$R \rightarrow aab$$

Therefore, the 3 strings in $L(G)$ are ab, ba and aab .

e. The three strings not in $L(G)$ are aba, b and ε . Since these strings cannot be derived from the given grammar G .

f. False

$T \Rightarrow aba$, the string cannot be derived using G .

g. True

$T \Rightarrow^* aba$, the string can be derived using G .

h. False

$T \Rightarrow T$, the string cannot be derived using G .

i. True

$T \xRightarrow{*} T$, the string can be derived using G .

j. True

$XXX \xRightarrow{*} aba$, the string can be derived using G .

k. False

$X \xRightarrow{*} aba$, the string cannot be derived using G .

l. True

$T \xRightarrow{*} XX$, the string can be derived using G .

m. True

$T \xRightarrow{*} XXX$, the string can be derived using G .

n. False

$S \xRightarrow{*} \epsilon$, the string cannot be derived using G .

o. $L(G)$ consists of all strings that are not palindromes and are formed over terminal symbols a and b .