

EXPERIMENT NO. 7

Aim :- To solve blocks world problem using Planning in AI.

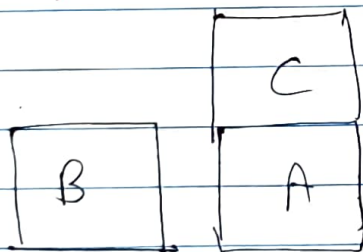
Theory :-

Blocks World Problem :

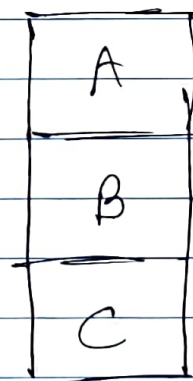
The blocks world problem domain consists of a set of cube-shaped blocks sitting on a table. The blocks can be stacked, but only one block can fit directly on top of another. A robot arm can pick up a block only one block at a time.

The goal will always be to build one or more stacks of blocks, specified in terms of what blocks are on top of what other blocks.

INITIAL STATE :



GOAL STATE :



Predicates used :

- $On(b, x)$ is used to indicate that block b is on x , where x is either another block on the table.
- $Move(b, x, y)$ is used to indicate movement of block b from the top of x to the top of y .
- $Clear(x)$ It is used to indicate that nothing is on top of x .

Action ($Move(b, x, y)$),

PRECOND : $On(b, x) \wedge Clear(b) \wedge Clear(y)$

EFFECT : $On(b, y) \wedge Clear(x) \wedge \neg On(b, x) \wedge \neg Clear(y)$

For next step,

Action ($MoveToTable(b, x)$),

PRECOND : $On(b, x) \wedge Clear(x)$

EFFECT : $On(b, Table) \wedge Clear(x) \wedge \neg On(b, x)$

PLANNING :

Sequence Solution :

[Move To Table (c, A), Move (B, Table, c),
Move (A, Table, B)]

Init (On (A, Table) \wedge On (B, Table) \wedge
Clear (B) \wedge Clear (C))

Goal (On (A, B) \wedge On (B, C))

Action (Move (b, x, y),

PRECOND : On (b, x) \wedge Clear (b) \wedge Clear (y) \wedge
Block (b) \wedge Block (y) \wedge (b \neq x) \wedge (b \neq y)
 \wedge (x \neq y),

EFFECT : On (b, Table) \wedge Clear (x) \wedge \neg On (b, x)

Conclusion : -

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Thus, we understood planning in AI and was able to solve the blocks world problem by using appropriate planning techniques.