# THEORY OF COMPUTATION CS302

# PROJECT REPORT

# **BINARY DIVISION TURING MACHINE**

#### **GROUP MEMBERS-**

Kumari Renuka(U101115FCS111) Rishabh K Kandoi(U101115FCS283) Shailesh Mohta(U101115FCS305) Tanmay Patil(U101115FCS164)

# **BINARY DIVISION TUNING MACHINE**

#### PROJECT DESCRIPTION

The designed Turing Machine divides a binary number by a divisor and provides the remainder and quotient as an output. Hence in order to design the Turing Machine the following logic mentioned below was applied by keeping the following constraints into mind.

#### **Input constraint:**

Give two binary numbers divided by a space, and both the numbers should be of same number of digits.

#### **Basic concept:**

Binary division is nothing but successive subtraction of divisor from dividend till the subtraction yields a negative number.

Calculating binary division consists of following phases:

- 1. Copying the divisor.
- 2. Calculating 2's compliment for the divisor.
- 3. Using binary adder to add the dividend with the 2's compliment of divisor and thus update the output by overriding the dividend.
- 4. Use binary comparator to compare if the new dividend is still greater than the divisor or not. If greater, again go to step 3, else halt the Turing Machine. Halting gives the updated dividend as remainder which is the final output.
- 5. Also insert a binary counter each time the loop runs, as it would provide us with the quotient.

#### **OBJECTVE:**

To design a Turing Machine in order to calculate remainder and quotient when binary numbers are divided.

#### **COMPLEXITY:**

The complexity of the designed Turing Machine is-

- a) Number of states in total are 40.
- b) The Turing machine is designed with single tape, if it would have been designed with the multiple tape, the number of states might have reduced with less number of steps to calculated the desired output.

#### PRODUCTION SET

#### **TURING MACHINE CODE:**

The following code is run on morphett.info in order to check the correctness. And it works perfectly. The code gives the correct output as remainder and quotient whenever two binary numbers are divided.

Halting condition is-

• When binary comparator finds that dividend is less than the divisor.

# **Code Snippet-**

```
0 * * r 0
```

 $0_r r q1$ 

q11 urq2

q10 v r q6

q1 # # l q8

- q2 \* \* r q2
- q2 \_ # r q3
- q2 # # r q3
- q3 \* \* r q3
- $q3\,\_\,1\,l\,q4$
- q4 \* \* l q4
- q4##1q5
- q5 \* \* l q5
- q5 u u r q1
- q5 v v r q1
- q6 \* \* r q6
- q6\_#rq7
- q6##rq7
- q7 \* \* r q7
- q7\_0lq4
- q8 v 0 l q8
- q8 u 1 l q9
- q9 u 0 l q9
- q9 v 1 l q9
- q9 \_ \_ l q10
- q10 \* \* l q10
- $q10\,\_\,r\,q11$
- q11 \* \* r q11
- $q11\,\_\,r\,q12$
- q12 \* \* r q12
- q12 # # l q13
- q13 0 u l q14
- q13 \_ \_ r q19

- q13 1 v l q15
- $q13\ v\ v\ l\ q13$
- q13 u u l q13
- q14 \* \* l q14
- q14 \_ \_ l q36
- q36 \* \* 1 q36
- $q36 \_ r q11$
- q36 1 y r q11
- q36 0 x r q11
- q19 u 0 r q19
- q19 v 1 r q19
- q19 # # l q37
- q20 x 0 l q20
- q20 y 1 l q20
- q20 \* \* l q20
- 1-- 1--
- q20 \_ \_ l q39
- q39 1 0 l q39
- q39 \_ 1 r q40
- q39 0 1 r q40
- q40 \* \* r q40
- $q40\,\_\,_r\,q41$
- $q41_rr q41$
- q41 \* \_ r q22
- q15 \* \* l q15
- $q15\,\_\,l\,q16$
- q16 \* \* l q16
- q16 1 0 l q16
- q16\_1\*q17

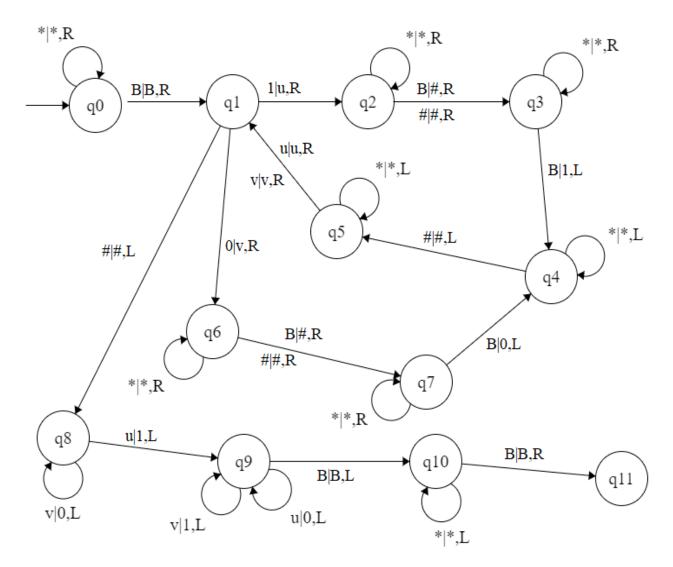
- q16 0 1 \* q17
- q17 \* \* r q17
- $q17 \_ l q18$
- q17 x x l q18
- q17 y y l q18
- q18 1 y r q11
- q18 0 x r q11
- q37 \* \* 1 q37
- q37 \_ \_ l q20
- q22 \_ \_ r q35
- q22 1 y r q23
- q22 0 x r q27
- q23 \* \* r q23
- q23 # # r q24
- q24 \* \* r q24
- q24 1 y l q25
- q24 \_ \_ l q29
- q24 0 0 l q29
- q25 \* \* 1 q25
- $q25\,\_\,l\,q26$
- q26 \* \* 1 q26
- $q26 \; x \; x \; r \; q22$
- q26 y y r q22
- q27 \* \* r q27
- q27 # # r q28
- q28 \* \* r q28
- q28 0 x l q25

- $q28\,\_\,l\,q29$
- $q28\;1\;1\;r\;q32$
- $q29 \times 0 \ l \ q29$
- q29 y 1 l q29
- q29 # # 1 q30
- q30 \* \* 1 q30
- $q30 \_ l q31$
- $q31 \ge 0 \ l \ q31$
- q31 y 1 l q31
- $q31 \_r q11$
- $q31\ 0\ 0\ l\ q31$
- q31 1 1 l q31
- q32 \* \* r q32
- q32 \_ \_ l q33
- q33 \* \_ l q33
- q33 \_ \_ l q34
- . .
- q34 x 0 l q34 q34 y 1 l q34
- q34 \_ \_ r halt
- •
- q34 \* \* 1 q34
- q35 \* \* r q35
- q35 \_ \_ l q29

#### TRANSITION DIAGRAM

# Step 1:

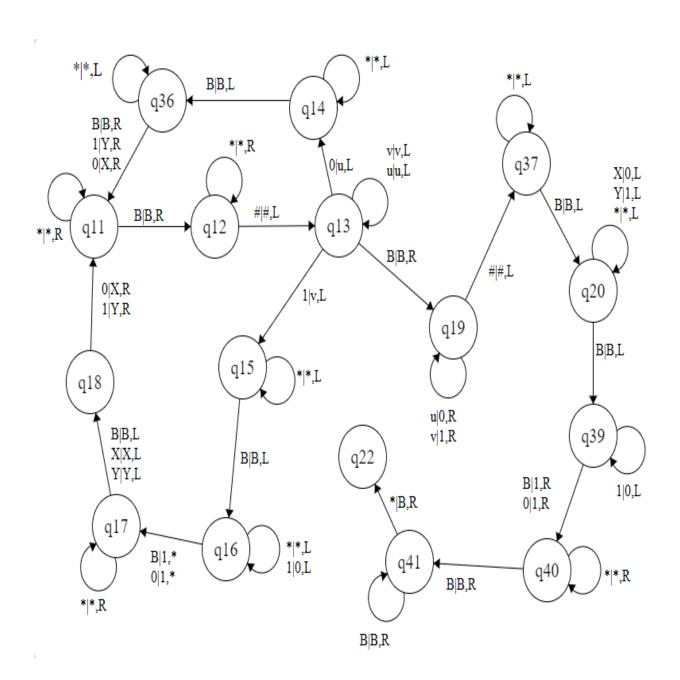
Copy the divisor, along with conversion of divisor to it's 2's compliment



"q11 continued in next diagram"

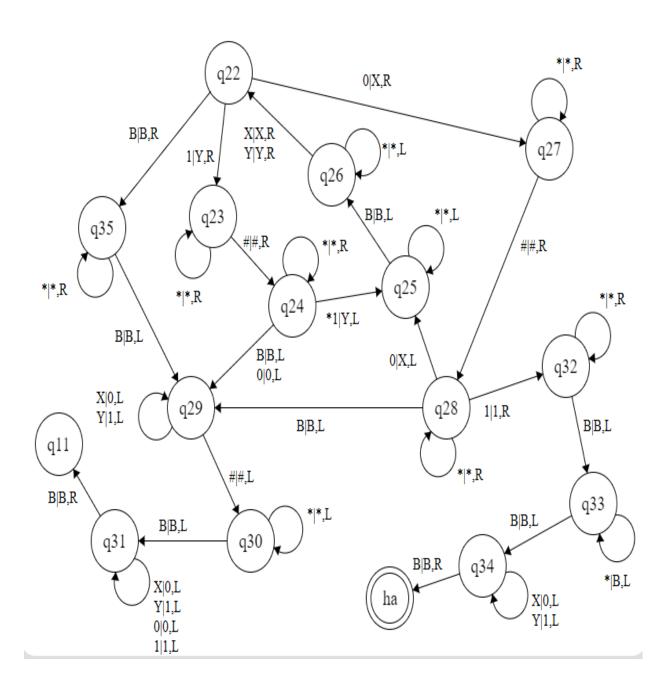
## Step 2:

Add the dividend to the 2's compliment of divisor, and after that, update the binary counter to maintain value of quotient alongside.



"q22 continued in next diagram"

**Step 3:**Compare the updated dividend with the copied divisor as an exit condition from the loop.



"Either halts with acceptance or goes to loop to q11 again"

# **TRANSITION TABLE:-**

	0	1	В	u	V	X	y	#
0	0,r,0	1,r,q1	B,r,q1	u,r,0	v,r,0	x,r,0	y,r,0	#,r,0
<b>q1</b>	v,r,q6	u,r,q2	-	-	-	-	-	#,l,q8
<b>q</b> 2	0,r,q2	1,r,q2	#,r,q3	u,r,q2	v,r,q2	x,r,q2	y,r,q2	#,r,q3
<b>q</b> 3	0,r,q3	1,r,q3	1,l,q4	u,r,q3	v,r,q3	x,r,q3	y,r,q3	#,r,q3
q4	0,l,q4	1,l,q4	B,l,q4	u,l,q4	v,l,q4	x,l,q4	y,l,q4	#,l,q5
<b>q</b> 5	0,l,q5	1,l,q5	B,l,q5	u,r,q1	v,r,q1	x,l,q5	y,l,q5	#,l,q5
<b>q</b> 6	0,r,q6	1,r,q6	#,r,q7	u,r,q6	v,r,q6	x,r,q6	y,r,q6	#,r,q7
<b>q</b> 7	0,r,q7	1,r,q7	0,l,q4	u,r,q7	v,r,q7	x,r,q7	y,r,q7	#,r,q7
<b>q8</b>	-	-	-	1,l,q9	0,l,q8	-	-	-
<b>q</b> 9	-	-	B,l,q10	0,l,q9	1,l,q9	-	-	-
q10	0,l,q10	1,l,q10	B,r,q11	u,l,q10	v,l,q10	x,l,q10	y,l,q10	#,l,q10
q11	0,r,q11	1,r,q11	B,r,q12	u,r,q11	v,r,q11	x,r,q11	y,r,q11	#,r,q11
q12	0,r,q12	1,r,q12	B,r,q12	u,r,q12	v,r,q12	x,r,q12	y,r,q12	#,l,q13
q13	0,l,q14	v,l,q15	B,r,q19	u,l,q13	v,l,q13	-	-	-
q14	0,l,q14	1,l,q14	B,l,q36	u,l,q14	v,l,q14	x,l,q14	y,l,q14	#,l,q14
q15	0,l,q15	1,l,q15	B,l,q16	u,l,q15	v,l,q15	x,l,q15	y,l,q15	#,l,q15
q16	1,*,q17	0,l,q16	1,*,q17	u,l,q16	v,l,q16	x,l,q16	y,l,q16	#,l,q16
q17	0,r,q17	1,r,q17	B,l,q18	u,r,q17	v,r,q17	x,l,q18	y,l,q18	#,l,q17
q18	x,r,q11	y,r,q11	-	-	-	-	-	-
q19	-	-	-	0,r,q19	1,r,q19	-	-	#,1,q37
q20	0,l,q20	1,l,q20	B,l,q39	u,l,q20	v,l,q20	0,l,q20	1,l,q20	#,l,q20
<b>q</b> 22	x,r,q27	y,r,q23	B,r,q35	-	-	-	-	-
<b>q2</b> 3	0,r,q23	1,r,q23	B,r,q23	u,r,q23	v,r,q23	x,r,q23	y,r,q23	#,r,q24
q24	0,l,q29	y,l,q25	B,l,q29	u,r,q24	v,r,q24	x,r,q24	y,r,q24	#,r,q24
q25	0,l,q25	1,l,q25	B,l,q26	u,l,q25	v,l,q25	x,l,q25	y,l,q25	#,l,q25

	0	1	В	u	V	X	у	#
<b>q</b> 26	0,1,q26	1,l,q26	B,l,q26	u,l,q26	v,l,q26	x,r,q22	y,r,q22	#,l,q26
<b>q</b> 27	0,r,q27	1,r,q27	B,r,q27	u,r,q27	v,r,q27	x,r,q27	y,r,q27	#,r,q28
<b>q28</b>	x,l,q25	1,r,q32	B,l,q29	u,r,q28	v,r,q28	x,r,q28	y,r,q28	#,r,q28
<b>q29</b>	-	-	-	-	-	0,l,q29	1,l,q29	#,l,q30
q30	0,1,q30	1,l,q30	B,l,q31	u,l,q30	v,l,q30	x,l,q30	y,l,q30	#,l,q30
q31	0,l,q31	1,l,q31	B,r,q11	-	-	0,l,q31	1,l,q31	-
<b>q</b> 32	0,r,q32	1,r,q32	B,l,q33	u,r,q32	v,r,q32	x,r,q32	y,r,q32	#,r,q32
<b>q33</b>	B,l,q33	B,l,q33	B,l,q34	B,l,q33	B,l,q33	B,l,q33	B,l,q33	B,l,q33
<b>q</b> 34	-	-	B,r,ha	-	-	0,l,q34	1,l,q34	-
<b>q</b> 35	0,r,q35	1,r,q35	B,l,q29	u,r,q35	v,r,q35	x,r,q35	y,r,q35	#,r,q35
<b>q</b> 36	x,r,q11	y,r,q11	B,r,q11	u,l,q36	v,l,q36	x,l,q36	y,l,q36	#,l,q36
<b>q</b> 37	0,1,q37	1,l,q37	B,l,q20	u,l,q37	v,l,q37	x,l,q37	y,l,q37	#,l,q37
<b>q</b> 39	1,r,q40	0,l,q39	1,r,q40	-	-	_	-	-
<b>q40</b>	0,r,q40	1,r,q40	B,r,q41	u,r,q40	v,r,q40	x,r,q40	y,r,q40	#,r,q40
<b>q41</b>	B,r,q22	B,r,q22	B,r,q41	B,r,q22	B,r,q22	B,r,q22	B,r,q22	B,r,q22

## **EXAMPLE:**

The following is an example in which 5 is divided by 2 in order to get the remainder and divisor.

101 010

Step 1: <u>1</u>01 010

Step 2 : 1<u>0</u>1 010

Step 3:10<u>1</u>010

Step 4 : 101\_010

Step 5 : 101 <u>0</u>10

Step  $6:101 \text{ v}\underline{1}0$ 

Step 7:101 v1 $\underline{0}$ 

- Step 8 :  $101 \text{ v}10_{-}$
- Step 9:101 v10#\_
- Step 10:101 v10<u>#</u>0
- Step 11:101 v1<u>0</u>#0
- Step 12:101 v10#0
- Step 13:  $101 \underline{v}10#0$
- Step 14:101 v10#0
- Step 15: 101 vu<u>0</u>#0
- Step 16:101 vu0<u>#</u>0
- Step 17:101 vu0#<u>0</u>
- Step 18: 101 vu0#0\_
- Step 19: 101 vu0#<u>0</u>1
- Step 20 : 101 vu0<u>#</u>01
- Step 21:101 vu<u>0</u>#01
- Step 22:101 v<u>u</u>0#01
- Step 23:101 vu<u>0</u>#01
- Step 24 : 101 vuv<u>#</u>01
- Step 25 : 101 vuv#<u>0</u>1
- Step 26:101 vuv#01
- Step 27:101 vuv#01\_
- Step 28: 101 vuv#0<u>1</u>0
- Step 29:101 vuv#<u>0</u>10
- Step 30 : 101 vuv<u>#</u>010
- Step 31:101 vuv#010
- Step 32 : 101 v<u>u</u>0#010
- Step 33:  $101 \underline{v}10\#010$
- Step 34: 101\_110#010
- Step 35 : 10<u>1</u> 110#010

- Step 36: 101 110#010
- Step 37: <u>1</u>01 110#010
- Step 38 : \_101 110#010
- Step 39: <u>1</u>01 110#010
- Step 40 : 101 110#010
- Step 41: 10<u>1</u> 110#010
- Step 42 : 101\_110#010
- Step 43: 101 <u>1</u>10#010
- Step 44:1011<u>1</u>0#010
- Step 45: 101 11<u>0</u>#010
- Step 46: 101 110<u>#</u>010
- Step 47:101 11<u>0</u>#010
- Step 48: 101 1<u>1</u>u#010
- Step 49: 101 <u>1</u>1u#010
- Step 50 : 101\_11u#010
- Step 51:10<u>1</u>11u#010
- Step 52 : 10y\_11u#010
- Step 53:10y <u>1</u>1u#010
- Step 54:10y 1<u>1</u>u#010
- Step 55: 10y 11<u>u</u>#010
- Step 56: 10y 11u#010
- Step 57: 10y 11<u>u</u>#010
- Step 58: 10y 1<u>1</u>u#010
- Step 59:10y <u>1</u>vu#010
- Step 60 : 10y\_1vu#010
- Step 61:10y 1vu#010
- Step 62 : 1<u>0</u>y 1vu#010
- Step 63:11y 1vu#010

- Step 64 : 1<u>1</u>y 1vu#010
- Step 65 : 1yy 1vu#010
- Step 66 : 1yy\_1vu#010
- Step 67: 1yy 1vu#010
- Step 68: 1yy 1<u>v</u>u#010
- Step 69: 1yy 1v<u>u</u>#010
- Step 70 : 1yy 1vu<u>#</u>010
- Step 71 : 1yy 1v<u>u</u>#010
- Step 72 : 1yy 1<u>v</u>u#010
- Step 73 : 1yy <u>1</u>vu#010
- Step 74 : 1yy <u>1</u>vu#010
- Step 75 : 1yy <u>1</u>vu#010
- Step 76: 1yy <u>1</u>vu#010
- Step 77 : 1yy <u>1</u>vu#010
- Step 78 : 1yy\_vvu#010
- Step 79 : 1yy\_vvu#010
- Step 80 : 1yy vvu#010
- Step 81 : 1<u>vy</u> vvu#010
- Step 82 : <u>1</u>yy vvu#010
- Step 83:\_0yy vvu#010
- Step 84 : 10yy vvu#010
- Step 85 : 10yy vvu#010
- Step 86 : 10yy vvu#010
- Step 87 : 1xyy vvu#010
- Step 89 : 1xyy vvu#010
- Step 90 : 1xyy\_vvu#010
- Step 91 : 1xyy <u>v</u>vu#010
- Step 92 : 1xyy v<u>v</u>u#010

- Step 93: 1xyy vvu#010
- Step 94 : 1xyy v<u>v</u>u#010
- Step 95 : 1xyy <u>v</u>vu#010
- Step 96 : 1xyy\_vvu#010
- Step 97 : 1xyy <u>v</u>vu#010
- Step 98 : 1xyy 1<u>v</u>u#010
- Step 99 : 1xyy 11<u>u</u>#010
- Step 100 : 1xyy 110#010
- Step 101: 1xyy 11<u>0</u>#010
- Step 102: 1xyy 1<u>1</u>0#010
- Step 103: 1xyy <u>1</u>10#010
- Step 104: 1xyy\_110#010
- Step 105 : 1xyy 110#010
- Step 106: 1xy1 110#010
- Step 107: 1<u>x</u>11 110#010
- Step 108: <u>1</u>011 110#010
- Step 109:\_1011 110#010
- Step 110 : \_ 1011 110#010
- Step 111 : 1\_1011 110#010
- Step 112:1 <u>1</u>011 110#010
- Step 113 : 1 <u>0</u>11 110#010
- Step 114:1 x<u>1</u>1 110#010
- Step 115 : 1 x1<u>1</u> 110#010
- Step 116 : 1 x11\_110#010
- Step 117 : 1 x11 <u>1</u>10#010
- Step 118:1 x11 1<u>1</u>0#010
- Step 120 : 1 x11 11<u>0</u>#010
- Step 121 : 1 x11 110#010

- Step 122 : 1 x11 110#<u>0</u>10
- Step 123 : 1 x11 110<u>#</u>x10
- Step 124:1 x11 11<u>0</u>#x10
- Step 125 : 1 x11 1<u>1</u>0#x10
- Step 126:1 x11 <u>1</u>10#x10
- Step 127 : 1 x11\_110#x10
- Step 128:1 x11 110#x10
- Step 129 : 1 x<u>1</u>1 110#x10
- Step 130 : 1 xy<u>1</u> 110#x10
- Step 131 : 1 xy1\_110#x10
- Step 132 : 1 xy1 <u>1</u>10#x10
- Step 132 : 1 xy1 1<u>1</u>0#x10
- Step 133 : 1 xy1 11<u>0</u>#x10
- Step 134:1 xy1 110<u>#</u>x10
- Step 135 : 1 xy1 110# $\underline{x}$ 10
- Step 136:1 xy1 110#x<u>1</u>0
- Step 137 : 1 xy1 110#xy0
- Step 138:1 xy1 110#xy0
- Step 139 : 1 xy1 11<u>0</u>#xy0
- Step 140 : 1 xy1 1<u>1</u>0#xy0
- Step 141 : 1 xy1 <u>1</u>10#xy0
- Step 142 : 1 xy1\_110#xy0
- Step 143 : 1 xy<u>1</u> 110#xy0
- Step 144:1 xy1 110#xy0
- Step 145 : 1 xy1 110#xy0
- Step 146: 1 xyy\_110#xy0
- Step 147:1 xyy <u>1</u>10#xy0
- Step 148:1 xyy 1<u>1</u>0#xy0

- Step 149 : 1 xyy 11<u>0</u>#xy0
- Step 150 : 1 xyy 110<u>#</u>xy0
- Step 151 : 1 xyy 110# $\underline{x}$ 10
- Step 152:1 xyy 110#x<u>1</u>0
- Step 153:1 xyy 110#x10
- Step 154:1 xyy 110<u>#</u>010
- Step 155 : 1 xyy 11<u>0</u>#010
- Step 156: 1 xyy 1<u>1</u>0#010
- Step 157:1 xyy <u>1</u>10#010
- Step 158:1 xyy\_110#010
- Step 159:1 xy1 110#010
- Step 161:1 xy1 110#010
- Step 162:1 <u>x</u>11 110#010
- Step 163:1\_011 110#010
- Step 164:1 <u>0</u>11 110#010
- Step 165 : 1 0<u>1</u>1 110#010
- Step 166:1 01<u>1</u> 110#010
- Step 167:1 011\_110#010
- Step 168:1 011 <u>1</u>10#010
- Step 169:1 011 1<u>1</u>0#010
- Step 170 : 1 011 11<u>0</u>#010
- Step 171 : 1 011 110<u>#</u>010
- Step 171 : 1 011 11<u>0</u>#010
- Step 172:1 011 1<u>1</u>u#010
- Step 173 : 1 011 <u>1</u>1u#010
- Step 174:1 011\_11u#010
- Step 175 : 1 01<u>1</u> 11u#010
- Step 176 : 1 01y\_11u#010

- Step 177 : 1 01y <u>1</u>1u#010
- Step 179 : 1 01y 1<u>1</u>u#010
- Step 180 : 1 01y 11<u>u</u>#010
- Step 181 : 1 01y 11u#010
- Step 182 : 1 01y 11<u>u</u>#010
- Step 183:1 01y 1<u>1</u>u#010
- Step 184:1 01y <u>1</u>vu#010
- Step 185 : 1 01y\_1vu#010
- Step 186 : 1 01y 1vu#010
- Step 187 : 1 0<u>1</u>y 1vu#010
- Step 188 : 1 <u>0</u>0y 1vu#010
- Step 189 : 1 10y 1vu#010
- Step 190 : 1 10y 1vu#010
- Step 191 : 1 10y 1vu#010
- Step 192 : 1 1xy 1vu#010
- Step 193 : 1 1xy\_1vu#010
- Step 194:1 1xy 1vu#010
- Step 195 : 1 1xy 1<u>v</u>u#010
- Step 196:1 1xy 1vu#010
- Step 197 : 1 1xy 1vu#010
- Step 198:1 1xy 1v<u>u</u>#010
- Step 199:1 1xy 1<u>v</u>u#010
- Step 200 : 1 1xy 1vu#010
- Step 201 : 1 1xy\_vvu#010
- Step 202 : 1 1xy vvu#010
- Step 203 : 1 1xy vvu#010
- Step 204 : 1 1xy vvu#010
- Step 205 : 1 \_0xy vvu#010

- Step 206 : 1 1<u>0</u>xy vvu#010
- Step 207 : 1 10xy vvu#010
- Step 208 : 1 1<u>0</u>xy vvu#010
- Step 209 : 1 1xxy vvu#010
- Step 210 : 1 1xxy vvu#010
- Step 211 : 1 1xxy\_vvu#010
- Step 212 : 1 1xxy vvu#010
- Step 213 : 1 1xxy vvu#010
- Step 214: 11xxy vvu#010
- Step 215 : 1 1xxy vvu<u>#</u>010
- Step 216: 1 1xxy vvu#010
- Step 217 : 1 1xxy vvu#010
- Step 218: 1 1xxy vvu#010
- Step 219: 11xxy\_vvu#010
- Step 220 : 1 1xxy vvu#010
- Step 221 : 1 1xxy 1<u>v</u>u#010
- Step 222 : 1 1xxy 11<u>u</u>#010
- Step 223 : 1 1xxy 110#010
- Step 224 : 1 1xxy 11<u>0</u>#010
- Step 225 : 1 1xxy 1<u>1</u>0#010
- Step 226: 11xxy <u>1</u>10#010
- Step 227 : 1 1xxy\_110#010
- Step 228 : 1 1xxy 110#010
- Step 229 : 1.1xx1.110#010
- Step 230 :  $1 1 \underline{x} 01 110 \# 010$
- Step 231:1 1001 110#010
- Step 232 : 1\_1001 110#010
- Step 233: <u>1</u> 1001 110#010

- Step 234 : \_0 1001 110#010
- Step 235 : 10 1001 110#010
- Step 236: 10\_1001 110#010
- Step 237:10 <u>0</u>01 110#010
- Step 238:10 x<u>0</u>1 110#010
- Step 239 : 10 x0<u>1</u> 110#010
- Step 240 : 10 x01\_110#010
- Step 241:10 x01 <u>1</u>10#010
- Step 242:10 x01 1<u>1</u>0#010
- Step 243: 10 x01 11<u>0</u>#010
- Step 244 : 10 x01 110#010
- Step 245 : 10  $\times 01110 \# 010$
- Step 246 : 10 x01 110<u>#</u>x10
- Step 247:10 x01 11<u>0</u>#x10
- Step 247 : 10 x01 1<u>1</u>0#x10
- Step 248:10 x01 <u>1</u>10#x10
- Step 249 : 10 x01\_110#x10
- Step 250 : 10 x0<u>1</u> 110#x10
- Step 251 : 10  $\times 011104 \times 10$
- Step 252 : 10  $\times 01110$ #x10
- Step 253 : 10  $\times 01 110 \text{ m} \times 10$
- Step 254: 10 xx1 110#x10
- Step 255 : 10 xx1\_110#x10
- Step 256:10 xx1 <u>1</u>10#x10
- Step 257:10 xx1 1<u>1</u>0#x10
- Step 258:10 xx1 11<u>0</u>#x10
- Step 259 : 10 xx1 110<u>#</u>x10
- Step 260 : 10 xx1 110# $\underline{x}$ 10

```
Step 261 : 10 xx1 110#x<u>1</u>0
```

Step 246 : 10 
$$xx1$$

Step 246 : 10  $\underline{0}01$  –halted with acceptance

Since the 5 was divided by 2 hence the remainder obtained is 1 with quotient as 2.

#### STUDENT TAKEAWAY

By this project we learnt how to design a Turing Machine, how to think logically and find solution to a given problem statement. Since it was a team work we learnt how to work in a team.