

Experiment No. 2.3

Student Name: Rishav Kumar

UID: 22MCC20039

Branch: MCA - CCD

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Subject Name: Big Data & Analytics Lab

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1. Aim/Overview of the practical:

Write a Map Reduce Program that implements Matrix Multiplication.

2. Code/Steps for practical:

We assume that the input files for A and B are streams of (key,value) pairs in sparse matrix format, where each key is a pair of indices (i,j) and each value is the corresponding matrix element value. The output files for matrix $C=A*B$ are in the same format.

We have the following input parameters:

The path of the input file or directory for matrix A. The path of the input file or directory for matrix B.

The path of the directory for the output files for matrix C. strategy = 1, 2, 3 or 4.

R = the number of reducers.

I = the number of rows in A and C.

K = the number of columns in A and rows in B. J = the number of columns in B and C.

IB = the number of rows per A block and C block.

KB = the number of columns per A block and rows per B block. JB = the number of columns per B block and C block.

- **Steps:**

1. setup ()
2. var NIB = (I-1)/IB+1

3. $\text{var NKB} = (K-1)/KB+1$
4. $\text{var NJB} = (J-1)/JB+1$
5. $\text{map}(\text{key}, \text{value})$
6. if from matrix A with $\text{key}=(i,k)$ and $\text{value}=a(i,k)$
7. for $0 \leq j_b < \text{NJB}$
8. $\text{emit}(i/IB, k/KB, j_b, 0), (i \bmod IB, k \bmod KB, a(i,k))$
9. if from matrix B with $\text{key}=(k,j)$ and $\text{value}=b(k,j)$
10. for $0 \leq i_b < \text{NIB}$ $\text{emit}(i_b, k/KB, j/JB, 1), (k \bmod KB, j \bmod JB, b(k,j))$

Intermediate keys (i_b, k_b, j_b, m) sort in increasing order first by i_b , then by k_b , then by j_b , then by m .

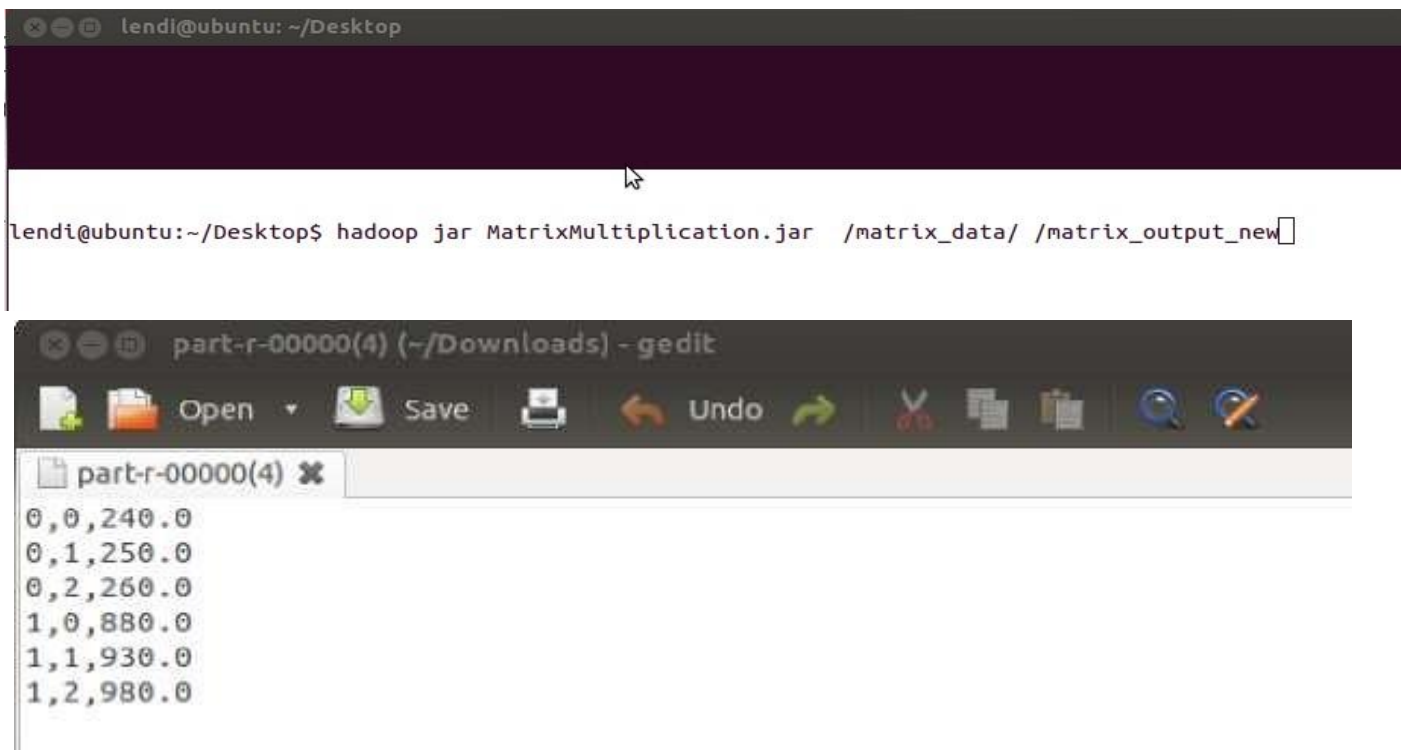
Note that $m = 0$ for A data and $m = 1$ for B data.

- **The partitioner maps intermediate key (i_b, k_b, j_b, m) to a reducer r as follows:**

11. $r = ((i_b * JB + j_b) * KB + k_b) \bmod R$
12. These definitions for the sorting order and partitioner guarantee that each reducer $R[i_b, k_b, j_b]$ receives the data it needs for blocks $A[i_b, k_b]$ and $B[k_b, j_b]$, with the data for the A block immediately preceding the data for the B block.
13. $\text{var A} = \text{new matrix of dimension IB} \times \text{KB}$
14. $\text{var B} = \text{new matrix of dimension KB} \times \text{JB}$
15. $\text{var sib} = -1$
16. $\text{var skb} = -1$
 - **Reduce (key, valueList)**
17. if key is $(i_b, k_b, j_b, 0)$
18. // Save the A block.
19. $\text{sib} = i_b$
20. $\text{skb} = k_b$
21. Zero matrix A
22. for each $\text{value} = (i, k, v)$ in valueList $A(i,k) = v$
23. if key is $(i_b, k_b, j_b, 1)$

24. if $ib \neq sib$ or $kb \neq skb$ return // $A[ib, kb]$ must be zero!
25. // Build the B block.
26. Zero matrix B
27. for each value = (k, j, v) in valueList $B(k, j) = v$
28. // Multiply the blocks and emit the result.
29. $ibase = ib * IB$
30. $jbase = jb * JB$
31. for $0 \leq i < \text{row dimension of A}$
32. for $0 \leq j < \text{column dimension of B}$
33. $sum = 0$
34. for $0 \leq k < \text{column dimension of A} = \text{row dimension of B}$
 - a. $sum += A(i, k) * B(k, j)$
35. if $sum \neq 0$ emit $(ibase+i, jbase+j), sum$

3. Result/Output/Writing Summary:



```
lendi@ubuntu: ~/Desktop
lendi@ubuntu:~/Desktop$ hadoop jar MatrixMultiplication.jar /matrix_data/ /matrix_output_new
```



```
part-r-00000(4) (~/.Downloads) - gedit
0,0,240.0
0,1,250.0
0,2,260.0
1,0,880.0
1,1,930.0
1,2,980.0
```

4. Learning outcomes (What I have learned):

Map Reduce Program that implements Matrix Multiplication.