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Class: SE DS

Subject: Design & Analysis of Algorithms Lab

Experiment: 0

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AIM: – To implement the various functions e.g. linear, non-linear, quadratic, exponential etc.

#CODE

```
#include <math.h>
#include <stdio.h>
#include <stdlib.h>

//helper functions
double fact(double n)//returns factorial
{
    double mult = 1;
    for(;n>=1;n--)
    {
        mult*=n;
    }
    return mult;
}

//actual functions
double fn1(double n)// (3/2)^n
{
    double a = pow((double)3/2, n);
    return a;
}

double fn2(double n)// n^3
{
    return pow(n, 3);
}

double fn3(double n)//log^2 n (base 2)
```

```

{
    return pow(log2(n), 2);
}

double fn4(double n)//log n! (base 2)
{
    return log2(fact(n));
}

double fn5(double n)//2^(2^n)
{
    return pow(2, pow(2, n));
}

double fn6(double n)//n ^ (1/log n) (base 2)
{
    return pow(n, (1/log2(n)));
}

double fn7(double n)//ln (ln n)
{
    return log(log(n));
}

double fn8(double n)//log n (base 2)
{
    return log2(n);
}

double fn9(double n)//n . 2^n
{
    return n * pow(2, n);
}

double fn10(double n)//n^(log log n) (base 2)
{
    return pow(n, log2(log2(n)));
}

void table(double (*f)(double) )
{
    printf("%p\n", f);
}

```

```

for ( int ctr = 0 ; ctr <=100 ; ctr+=10 )
{
    double n = (*f)(ctr);
    printf("| \t%d\t| \t%lf\n",ctr, n);
}
printf("\n");
}

void main()
{

    printf("Function : 1 : (3/2)^n\n");
    table(fn1);
    printf("Function : 2 : n^3\n");
    table(fn2);
    printf("Function : 3 : log^2 n (base 2)\n");
    table(fn3);
    printf("Function : 4 : log n! (base 2)\n");
    table(fn4);
    printf("Function : 5 : 2^(2^n)\n");
    table(fn5);
    printf("Function : 6 : n ^ (1/log n) (base 2)\n");
    table(fn6);
    printf("Function : 7 : ln (ln n)\n");
    table(fn7);
    printf("Function : 8 : log n (base 2)\n");
    table(fn8);
    printf("Function : 9 : n . 2^n\n");
    table(fn9);
    printf("Function : 10: n^(log log n) (base 2)\n");
    table(fn10);
}

```

#RESULT

Function : 1 : $(3/2)^n$

0040144D

0	1.000000
10	57.665039
20	3325.256730
30	191751.059233
40	11057332.320940
50	637621500.214050
60	36768468716.933022
70	2120255184830.252000
80	122264598055704.640000
90	7050392822843069.000000
100	406561177535215230.000000

Function : 2 : n^3

0040147C

0	0.000000
10	1000.000000
20	8000.000000
30	27000.000000
40	64000.000000
50	125000.000000
60	216000.000000
70	343000.000000
80	512000.000000
90	729000.000000
100	1000000.000000

Function : 3 : $\log^2 n$ (base 2)

004014A5

0	1.#INF00
10	11.035206
20	18.679062
30	24.077575
40	28.322919
50	31.853113
60	34.891357
70	37.568110
80	39.966775
90	42.144157
100	44.140825

Function : 4 : $\log n!$ (base 2)

004014D6

0	0.000000
10	21.791061
20	61.077384
30	107.709067
40	159.159040
50	214.208138
60	272.132930
70	332.453265
80	394.826859
90	458.997235
100	524.764993

Function : 5 : $2^{(2^n)}$

004014FD

0	2.000000
10	1.#INF00
20	1.#INF00
30	1.#INF00
40	1.#INF00
50	1.#INF00
60	1.#INF00
70	1.#INF00
80	1.#INF00
90	1.#INF00
100	1.#INF00

Function : 6 : $n^{(1/\log n)}$ (base 2)

00401538

0	1.000000
10	2.000000
20	2.000000
30	2.000000
40	2.000000
50	2.000000
60	2.000000
70	2.000000
80	2.000000
90	2.000000
100	2.000000

Function : 7 : $\ln(\ln n)$

0040156A

0	-1.#IND00
10	0.834032
20	1.097189
30	1.224128
40	1.305323
50	1.364055
60	1.409607
70	1.446565
80	1.477511
90	1.504035
100	1.527180

Function : 8 : $\log n$ (base 2)

00401591

0	-1.#INF00
10	3.321928
20	4.321928
30	4.906891
40	5.321928
50	5.643856
60	5.906891
70	6.129283
80	6.321928
90	6.491853
100	6.643856

Function : 9 : $n \cdot 2^n$

004015B0

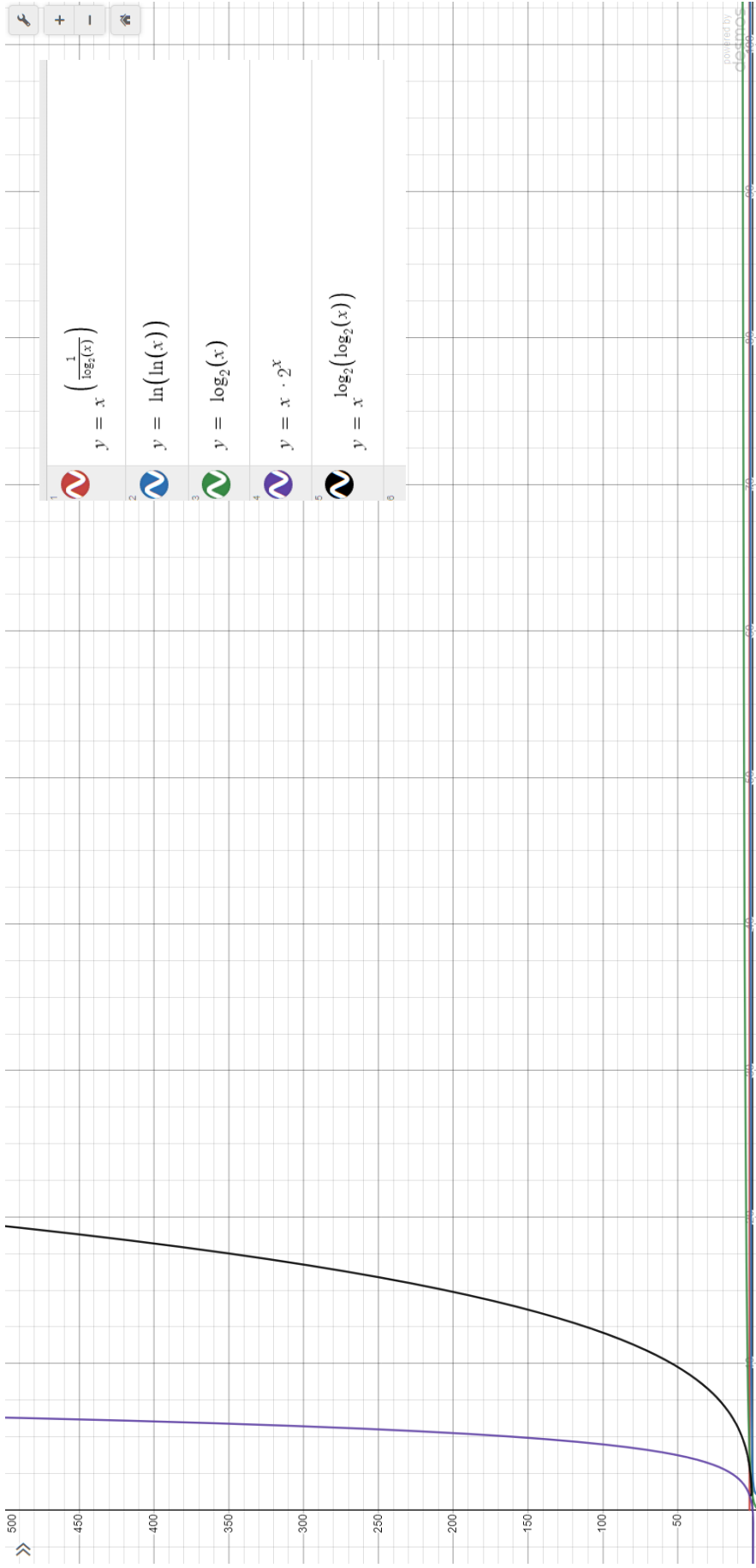
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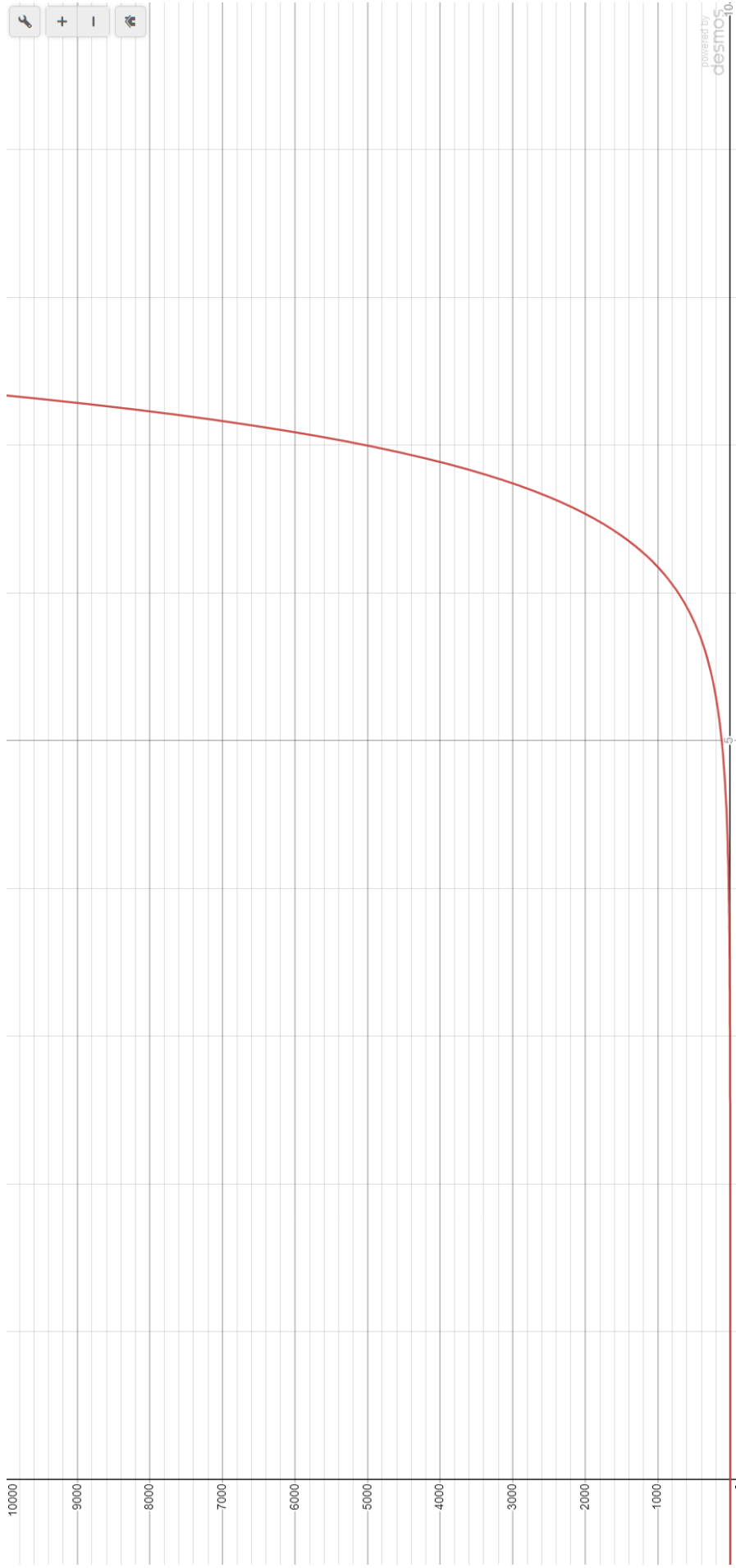
Function : 10 : $n^{(\log \log n)}$ (base 2)
004015DC

	0		-1.#IND00
	10		53.953652
	20		558.923805
	30		2453.077703
	40		7312.856023
	50		17449.641770
	60		36002.511074
	70		67028.075382
	80		115588.141769
	90		187835.707195
	100		291099.655375

#GRAPHS







- 1) The domain taken is from $X = 0$ to $X = 100$, and the codomain from $Y = 0$ to $Y = 500$ for graphs 1 and 2
- 2) The domain taken is from $X = 0$ to $X = 10$, and the codomain from $Y = 0$ to $Y = 10000$ for graph 3 which is $n!$

#OBSERVATIONS

- 1) Some functions rise more steeply than others. $Y = 2^{2^n}$ asymptotes to infinity at $n \sim 7.5$.
- 2) On the other hand, functions like $\ln(\ln(x))$ rise slowly. Here, this function asymptotes at around $Y \sim 10$.
- 3) In my opinion, this is an indication that some functions, here, that represent the time taken for completing certain operations, are dependent on the number of operations done. As each algorithm shall have a mathematical function associated with it, which tells us about its time taken, I understand some algorithms are better suited for small number of operations and some work better for a larger number. Their time taken varies on the number of operations.

#RESULT

This Lab activity helped me with intuitive and graphical understanding of the different mathematical functions.