

Q1] Diffie-Hellman is also known as exponential key exchange and it is a method of digital encryption that uses numbers raised to specific powers to produce a decryption key. on the basis of the components that are never directly transmitted. This is used to exchange the secret key between the sender and receiver. The algorithm facilitates the exchange of secret key without actually transmitting it.

Q2]  $n = 17$   
 $p = 5$   
 $k_A = 4$   
 $k_B = 6$

$$\text{Public key of Alice} = 5^4 \% 17 \\ = 13$$

$$\text{Public key of Bob} = 5^6 \% 17 \\ = 8$$

$$\text{Secret key of Alice} = 2^4 \bmod 17 \\ = 16$$

$$\text{Secret key of Bob} = 3^6 \bmod 17 \\ = 16$$

Common secret key = 16

Option 1.

3] Encryption:  
~~The~~ plain text = P  
key = K

Encrypt = E

$$E = (P + K) \bmod 26$$

Decryption = D

$$D = (E - K + 26) \bmod 26.$$

4]  $\alpha = \text{lambda}$   $x, y : \alpha x * y$   
 $\text{print}(x(2, 1))$

2] For Diffie-Hellman both users should know ~~to be~~ private and mutually agree on positive whole number  $p$  &  $q$ . such that  $p$  is a prime number and  $q$  is a generator of  $p$ .  $q$  is a number that when raised to positive whole-number powers less than  $p$ , never produces the same result for any two such whole nos. The value of  $p$  may be large but the value of  $q$  is usually small.



~~Bob~~ X

Public key =  $P, G$

Private key =  $a$   
key generated

$$x = G^a \text{ mod } P$$

Exchanged of keys take place

key received =  $y$

Secret key Generated

$$k_a = y^a \text{ mod } P$$

$$k_a = k_b$$

~~Bob~~ Y

Public key =  $P, G$

Private key =  $b$   
key generated

$$y = G^b \text{ mod } P$$

key received =  $x$

Secret key Generated

$$k_b = x^b \text{ mod } P$$

Q3] It is a method of encrypting alphabetic text. It uses a simple form of polyalphabetic substitution. A polyalphabetic cipher is any cipher based on substitution, using multiple substitution alphabets. The encryption of the original text is done using the Vigenère square or Vigenère table. The table consists of alphabets written out 26 times in different rows, each alphabet shifted cyclically to the left compared to the previous alphabet, corresponding to the 26 possible Caesar Ciphers. At different points in the encryption process, the cipher uses a different alphabet from one of the rows. The alphabet used at each point depends on a repeating keyword.

Input: Plaintext: GEEKS FORGEEKS

keyword: AYUSH

Output: Ciphertext: GCYCZFMLYLEIM

For generating key, the given key word is repeated in a circular manner until it matches the length of plaintext.

The keyword "AYUSH" generates key "AYUSHAYUSHAYU"

Encryption:

The plaintext (P) and key (K) are added modulo 26.

$$E_i = (P_i + K_i) \bmod 26$$

Decryption:

$$D_i = (E_i - K_i + 26) \bmod 26$$

Q4] string = "GEEKSFORGEEKS"  
keyword = "SHARAN"

```
def generate_key(string, key):  
    key = list(key)  
    if len(string) == len(key):  
        return key  
    else:  
        for i in range(len(string) - len(key)):  
            key.append(key[i % len(key)])  
    return "".join(key)  
  
def encrypt_cipher_text(string, key):  
    cipher_text = []  
    for i in range(len(string)):  
        x = (ord(string[i]) + ord(key[i])) % 26 +  
            ord('A')
```



```
cipher_text.append(chr(x))  
return " ".join(cipher_text)
```

```
key = generate_key(string, keyword)
```

```
print("Original Message".string)  
print("Keyword:", keyword)  
cipher_text = encrypt_cipher_text(string, key)  
print("Cipher text:", cipher_text)
```

Original message: GEEKSFORGEEKS  
Keyword: SHARAN  
Cipher text: YLEBSSG YGVEXK