

1 True or False

- 1.1 On a fast cross-continental link (~100Gbps), **propagation delay** usually dominates **end-to-end packet delay** (Most messages are smaller than 100MB).

True; $\text{delay} = \text{size}/100\text{Gbps} + \text{propagation delay}$

- 1.2 On the same cross-continental link (~100Gbps), when transferring a 100GB file, **propagation delay** still dominates end-to-end file delivery.

False, since the
packet is big enough

- 1.3 On-demand circuit-switching is adopted by the Internet.

False

- 1.4 The aggregate (i.e., sum) of peaks is usually much larger than peak of aggregates in terms of bandwidth usage.

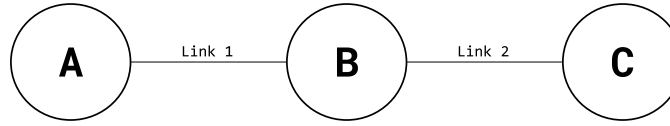
True

- 1.5 Bursty traffic (i.e., when packet arrivals are not evenly spaced in time) always leads to queuing delays.

False

2 End-to-End Delay

Consider the diagram below. Link 1 has length L_1 m (where m stands for meters) and allows packets to be propagated at speed $S_1 \frac{m}{sec}$, while Link 2 has length L_2 m but it only allows packets to be propagated at speed $S_2 \frac{m}{sec}$ (because the two links are made of different materials). Link 1 has transmission rate $T_1 \frac{bits}{sec}$ and Link 2 has transmission rate $T_2 \frac{bits}{sec}$.



Assuming nodes can send and receive bits at full rate and ignoring processing delay, consider the following scenarios:

- 2.1 How long would it take to send a packet of 500 Bytes from Node *A* to Node *B* given $T_1 = 10000$, $L_1 = 100000$, and $S_1 = 2.5 * 10^8$?

$$= 500 * 8 / T_1 + L_1 / S_1 = 0.4004s$$

- 2.2 Compute RTT (round trip time) for a packet of B Bytes sent from Node *A* to Node *C* (packet gets transmitted back from Node *C* immediately after Node *C* receives it).

$$= 8B / T_1 + L_1 / S_1 + 8B / T_2 + L_2 / S_2 + 8B / T_2 + L_2 / S_2 + 8B / T_1 + L_1 / S_1$$

- 2.3 At time 0, Node *A* sends packet P_1 with D_1 Bytes and then it sends another packet P_2 with D_2 Bytes immediately after it pushes all bits of P_1 onto Link 1. When will Node *C* receive the last bit of P_2 ?

$$\begin{aligned} &\text{the time } t_1 = P_1 \text{ was pushed on link2: } 8D_1 / T_1 + L_1 / S_1 + 8D_1 / T_2, \\ &\text{the time } t_2 = P_2 \text{ arrived B: } 8D_1 / T_1 + 8D_2 / T_1 + L_1 / S_1; \\ &\text{if } t_1 > t_2, \text{ then theres a queueing delay, have to wait } t_1 - t_2, \text{ so} \\ &\text{queueing delay} = \max(0, t_1 - t_2) = \max(0, 8D_1 / T_2 - 8D_2 / T_1) \\ &\text{total time} = 8D_1 / T_1 + 8D_2 / T_1 + L_1 / S_1 + \text{queueing delay} + 8D_2 / T_2 + L_2 / S_2; \end{aligned}$$

- 2.4 Find the variable relations that need to be satisfied in order to have no queueing delays for part (c).

$$t_1 - t_2 \leq 0, \text{ namely } D_1 / T_2 - D_2 / T_1 \leq 0$$

3 Statistical Multi-What?

Consider three flows (F_1, F_2, F_3) sending packets over a single link. The sending pattern of each flow is described by how many packets it sends within each one-second interval; the table below shows these numbers for the first ten intervals. A perfectly smooth (i.e., non-bursty) flow would send the same number of packets in each interval, but our three flows are very bursty, with highly varying numbers of packets in each interval:

Time (s)	1	2	3	4	5	6	7	8	9	10
F_1	1	8	3	15	2	1	1	34	3	4
F_2	6	2	5	5	7	40	21	3	34	5
F_3	45	34	15	5	7	9	21	5	3	34

3.1 What is the peak rate of F_1 ? F_2 ? F_3 ? What is the sum of the peak rates?

34, 40, 45; sum of peak rates =
 $34 + 40 + 45 = 119$.

3.2 Now consider all packets to be in the same aggregate flow. What is the peak rate of this aggregate flow?

$45 + 6 + 1 = 52$

3.3 Which is higher - the sum of the peaks, or the peak of the aggregate?

the peak of aggregate