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Practical no:-9&8 Study of Operation Research in Python(LPP)

Q1)Write a Python program to solve the following LPP: Max $Z = 150x + 75y$ subject to $4x + 6y \leq 24$ $5x + 3y \leq$

15 $x \geq 0, y \geq 0$ Out[7]:

```
In [2]: from pulp import* lpp=LpProblem(name='LPP',
sense=LpMaximize) x=LpVariable("x",
lowBound=0) y=LpVariable("y", lowBound=0)
lpp +=(4*x + 6 * y <= 24) lpp +=(5*x + 3* y
<= 15) lpp += (150*x + 75 * y) lpp
```

```
LPP:
MAXIMIZE
150 *x + 75*y + 0
SUBJECT TO
_C1: 4 x + 6 y <= 24
_C2: 5 x + 3 y <= 15
VARIABLES x
Continuous y
Continuous
```

```
lpp.solve()
```

```
1
```

In [4]:

```
lpp.objective.value()
```

Out[4]:

```
450.0
```

In [5]:

```
x.value()
```

Out[5]:

```
3.0
```

In [6]:

```
y.value()
```

Out[6]:

```
0.0
```

In [7]:

Q2)Write a Python program to solve the following LPP: Max $Z = 5x + 3y$ subject to $x + y \leq 7$ $2x + 5y \leq 1$ $x \geq 0, y \geq 0$.

```
from pulp import* lpp=LpProblem(name='LPP',
sense=LpMaximize) x=LpVariable("x",
lowBound=0) y=LpVariable("y", lowBound=0)
lpp +=(x + y <= 7) lpp +=(2*x + 5* y <= 1)
lpp += (5*x + 3* y) lpp
```

In [8]:

```
Out[8]: LPP:
        MAXIMIZE
        5 *x + 3*y + 0
        SUBJECT TO
        _C1: x + y <= 7 _C2:
        2 x + 5 y <= 1
```

```
        VARIABLES x
        Continuous y
```

```
In [9]: Continuous
        lpp.solve()
```

```
Out[9]:
        1
```

```
In [10]: lpp.objective.value()
Out[10]:
```

```
In [11]: 2.5
```

```
Out[11]: x.value()
```

```
In [12]: 0.5
```

```
Out[12]: y.value()
        0.0
```

Q3) Write a Python program to solve the following LPP: Max $Z = x + y$ subject to $2x - 2y \geq 1$, $x + y \geq 2$, $x \geq 0$, $y \geq 0$.

```
In [16]: from pulp import* lpp=LpProblem(name='LPP',
sense=LpMaximize) x=LpVariable("x",
lowBound=0) y=LpVariable("y", lowBound=0)
lpp +=(2*x - 2* y >= 1) lpp +=(x + y >= 2)
lpp += (x + y) lpp
```

```
Out[16]: LPP:
MAXIMIZE
1 *x + 1*y + 0
SUBJECT TO
_C1: 2 x - 2 y >= 1
_C2: x + y >= 2
VARIABLES x
Continuous y
Continuous
lpp.solve()
```

```
In [18]: -2
```

```
Out[18]: lpp.objective.value()
```

```
In [19]: 0.0
```

```
Out[19]:
In [20]: x.value()
```

```
Out[20]: 0.0
```

```
In [21]: y.value()
```

```
Out[21]: 0.0
```

Q4) Write a Python program to solve the following LPP: Min $Z = 3.5x + 2y$ subject to $x + y \geq 5$, $x \geq 4$, $y \leq 2$, $x \geq 0$, $y \geq 0$.

```
In [45]: from pulp import*
lpp=LpProblem(name='LPP',sense=LpMinimize)
x=LpVariable("x",lowBound=0)
y=LpVariable("y",lowBound=0) lpp +=(x + y
>= 5) lpp +=(x >= 4) lpp +=(y <= 2) lpp
+=(3.5 * x + 2 * y ) lpp
```

```
LPP:
MINIMIZE
3.5 *x + 2*y + 0.0
Out[45]: SUBJECT TO
_C1: x + y >= 5
_C2: x >= 4
_C3: y <= 2
VARIABLES x
Continuous y
Continuous
lpp.solve()
```

```
In [46]: 1
```

```
Out[46]: lpp.objective.value()
```

```
In [47]: 16.0
```

```
Out[47]: x.value()
```

```
In [48]: 4.0
```

```
Out[48]: y.value()
```

```
In [49]: 1.0
```

```
Out[49]:
```

Q5) Solve LPP

```
from pulp import*
lpp=LpProblem(name='LPP',sense=LpMinimize)
x=LpVariable("x",lowBound=0)
y=LpVariable("y",lowBound=0) lpp +=( x >=
6) lpp +=( y >= 6) lpp +=( x + y >= 11)
```

by using python: Min $Z = x + y$ subject to $x \geq 6$, $y \geq 6$, $x + y \geq 11$, $x \geq 0$, $y \geq 0$.

In [36]:

```
lpp +=( x + y )
lpp
```

```

Out[36]: LPP:
MINIMIZE
1 *x + 1*y + 0
SUBJECT TO
_C1: x >= 6

_C2: y >= 6

_C3: x + y >= 11

VARIABLES x
Continuous y
Continuous

```

```
In [37]: lpp.solve()
```

```
Out[37]: 1
```

```
In [38]: lpp.objective.value()
```

```
Out[38]:
```

```
In [39]: 12.0
```

```
Out[39]: x.value()
```

```
In [40]: 6.0
```

```
Out[40]: y.value()
```

```
6.0
```

Q6) Write a Python program to solve the following LPP: Max $Z = 4x + y + 3z + 5w$ subject to $4x + 6y - 5z - 4w \geq -20$, $-8x - 3y + 3z + 2w \leq 20$, $x \geq 0, y \geq 0$

```

In [29]: from pulp import* lpp=LpProblem(name='LPP',
sense=LpMaximize) x=LpVariable("x",
lowBound=0) y=LpVariable("y", lowBound=0)
z=LpVariable("z", lowBound=0)
w=LpVariable("w", lowBound=0) lpp +=(4*x +
6*y - 5*z - 5*w >= -20) lpp +=(-8*x - -3*y
+3*z + 2*w <= 20) lpp +=(4*x + y + 3*z
+5*w) lpp

```

```

Out[29]: LPP:
MAXIMIZE 5 *w + 4*x + 1*y
+ 3*z + 0
SUBJECT TO
_C1: - 5 w + 4 x + 6 y - 5 z >= -20 _C2:

2 w - 8 x + 3 y + 3 z <= 20

```

```

VARIABLES w
Continuous x
Continuous y

```

Continuous z
Continuous

In [30]: lpp.solve()

Out[30]: -2

In [31]: lpp.objective.value()

Out[31]:

20.0

In [32]:

x.value()

Out[32]:

0.0

In [33]:

y.value()

Out[33]:

0.0

In [34]:

z.value()

Out[34]:

0.0

In [35]:

w.value()

Out[35]:

4.0