

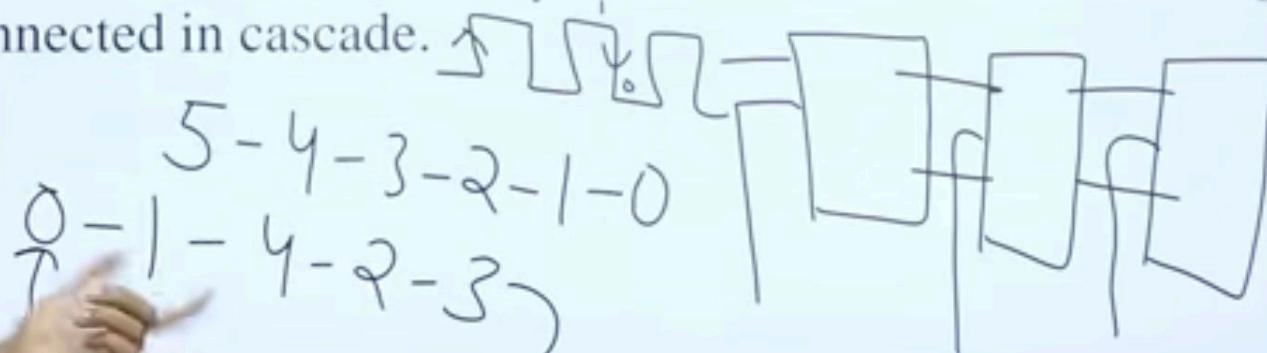
Counters

- Counter is a device that stores (and sometimes displays) the number of times a particular event or process has occurred, often in relationship to a clock.
- A counter circuit is usually constructed of a number of flip-flops connected in cascade.

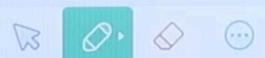
Counters

A counter is a device that stores (and sometimes displays) the number of times a particular event or process has occurred, often in relationship to a clock.

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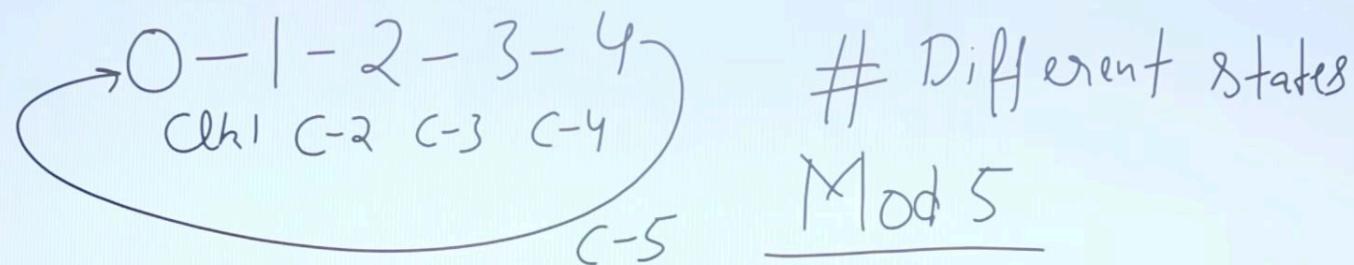


- How to find the Mod value of a Counter?
- How to find no. of flip flops required to design Mod-n Counter?



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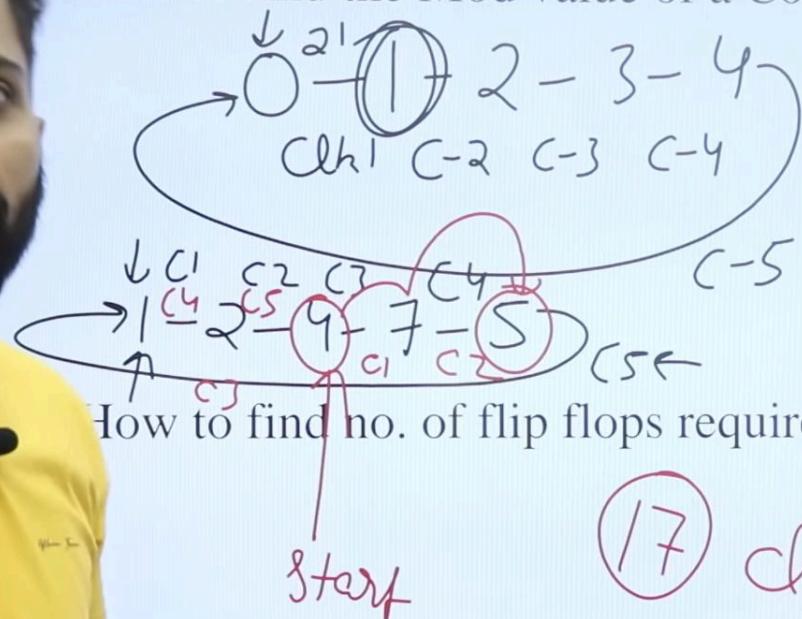
- How to find the Mod value of a Counter?



- How to find no. of flip flops required to design Mod-n Counter?



- How to find the Mod value of a Counter?



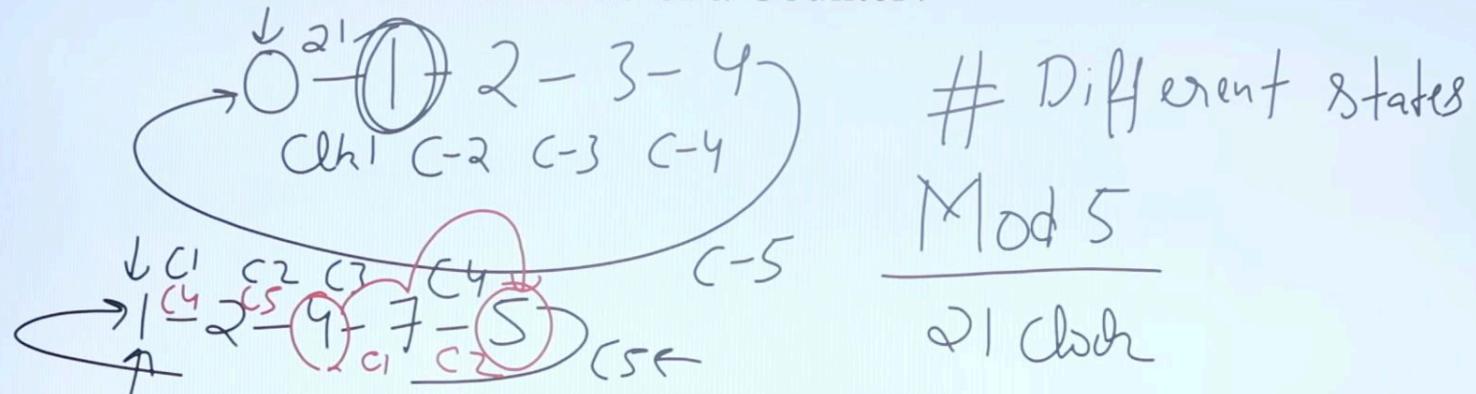
Different states
Mod 5
21 clock

How to find no. of flip flops required to design Mod-n Counter?

(17) clock Pulse

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- How to find the Mod value of a Counter?



- How to find no. of flip flops required to design Mod-n Counter?

$$2^n \geq M$$

$$\lceil (\log_2 M) \rceil = 8$$

$2^3 \geq 5$

$2^4 \geq 16$

$2^5 \geq 32$

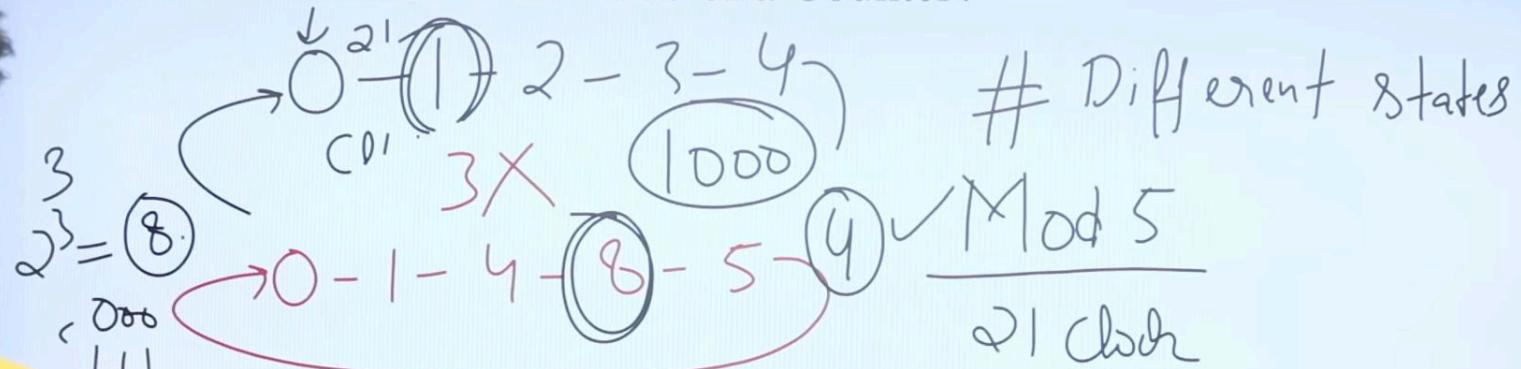
$2^6 \geq 64$

$2^7 \geq 128$

$2^8 \geq 256$

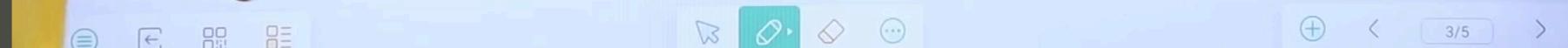
$\lceil \log_2 272 \rceil = 8$

- How to find the Mod value of a Counter?

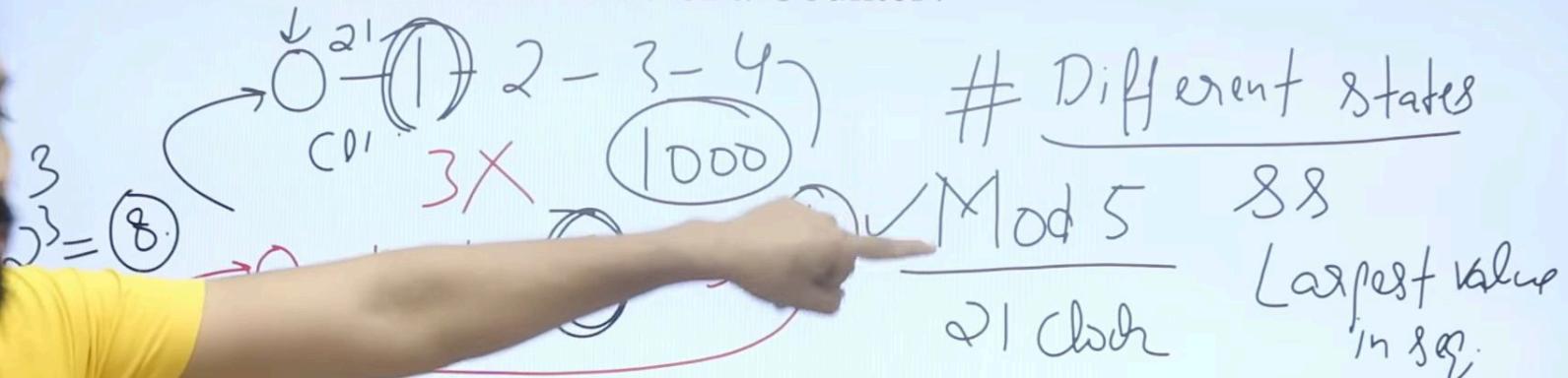


- How to find no. of flip flops required to design Mod-n Counter?

$$\begin{array}{l} \text{MOD-S} \\ \boxed{\log_2 M} \\ \boxed{\log_2 272} \\ 8 \end{array}$$



- How to find the Mod value of a Counter?



How to find no. of flip flops required to design Mod-n Counter?

$$2^n \geq M \quad \lceil \frac{\log_2 M}{\log_2 272} \rceil = 8$$

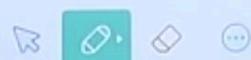
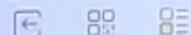


Synchronous vs Asynchronous Counter

Synchronous Counter

Asynchronous Counter

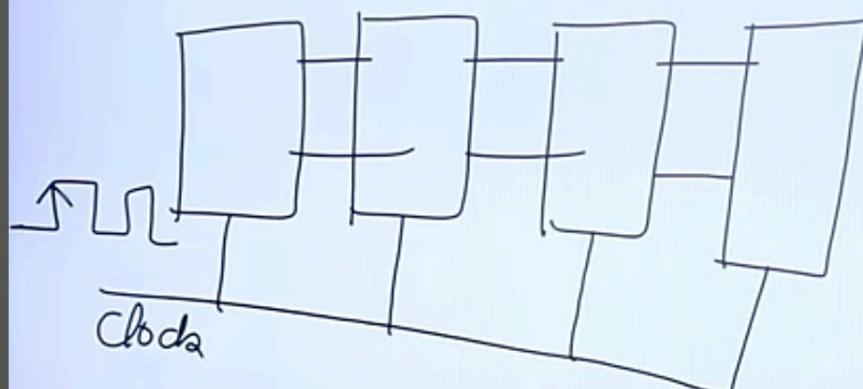
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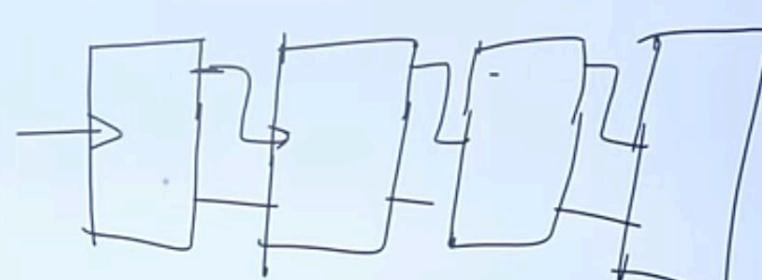
5/5
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Synchronous vs Asynchronous Counter

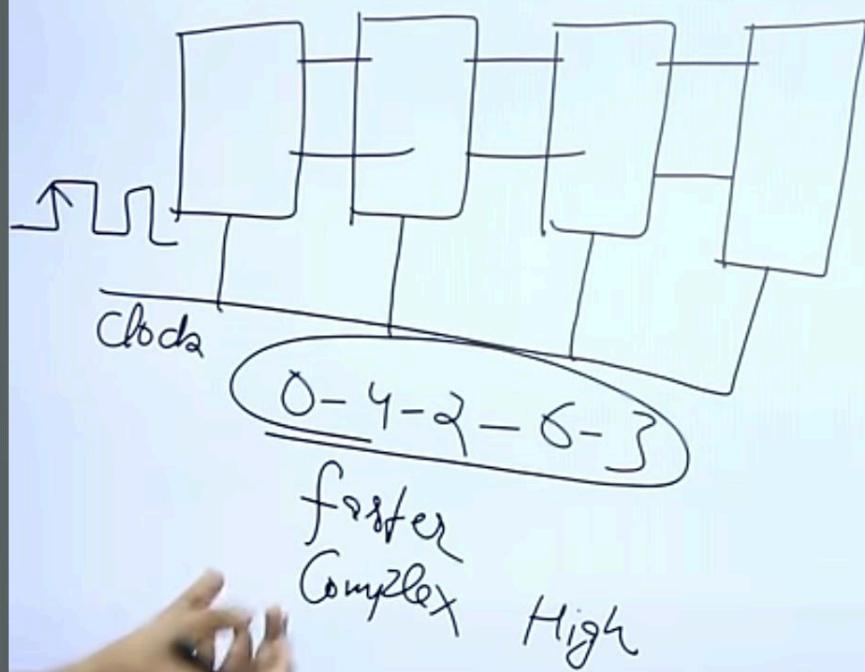
Synchronous Counter



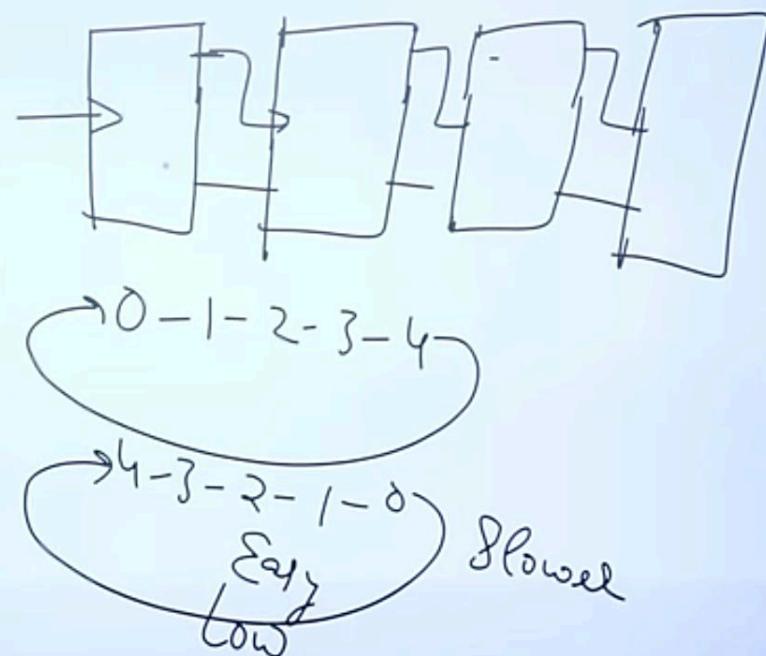
Asynchronous Counter



Synchronous Counter



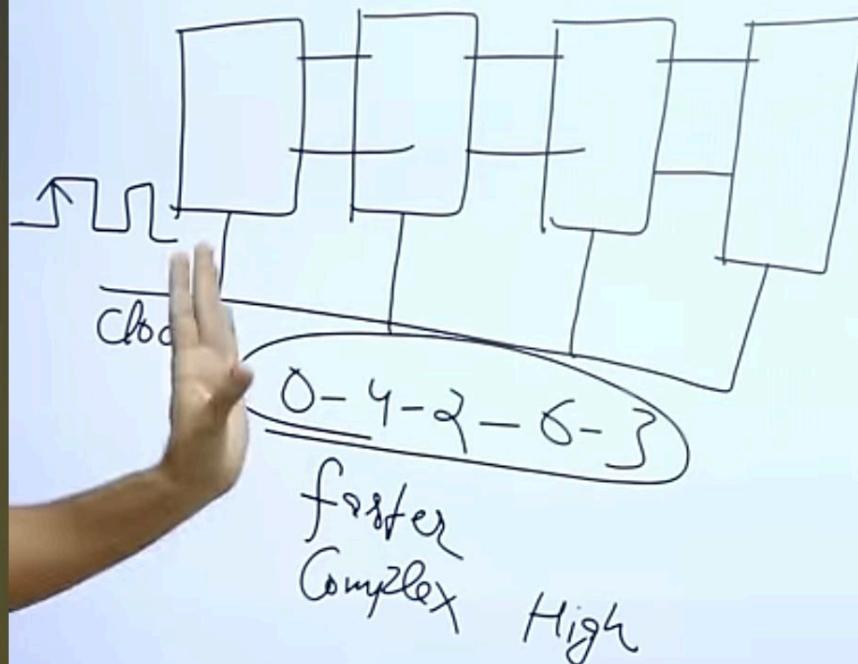
Asynchronous Counter



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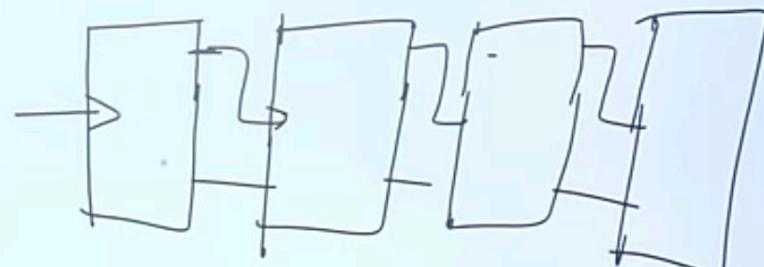
Synchronous Counter

Ring, T-R Johnson



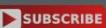
Asynchronous Counter

Ripple Counter.

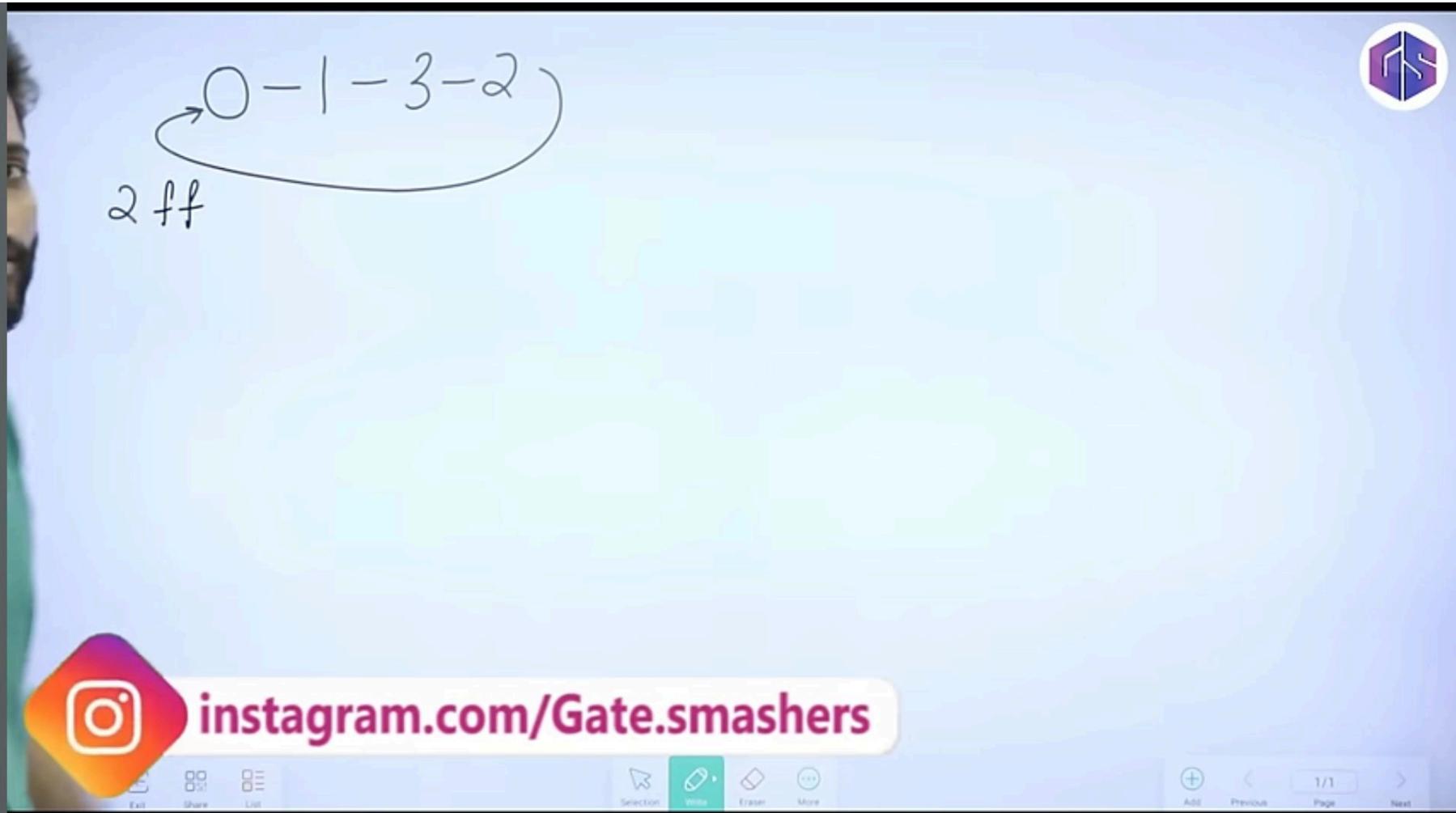


0-1-2-3-4-

9-3-2-1-0
Egg
low



Design Synchronous counter





0-1-3-2			
2 ff	PS	Next state	
Q_1	Q_0	Q_1^+	Q_0^+
0	0	0	1
0	1	1	1
1	0	0	0
1	1	1	0

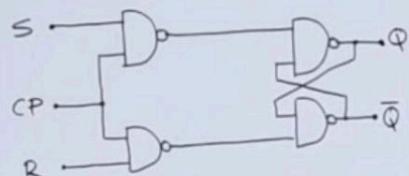
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Here we are using D
flipflop
And we will make use of
its excitation table

Summary of Flip-Flops

Logic diagram

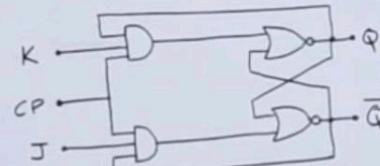
S-R F/F



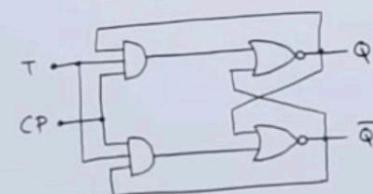
D F/F



J-K F/F



T F/F



Characteristic Table

S	R	$Q(t+1)$
0	0	$Q(t)$
0	1	0
1	0	1
1	1	?

No Change
Reset
Set
Indeterminate

D	$Q(t+1)$
0	0
1	1

J	K	$Q(t+1)$
0	0	$Q(t)$
0	1	0
1	0	1
1	1	$\bar{Q}(t)$

T	$Q(t+1)$
0	$Q(t)$
1	$\bar{Q}(t)$

Excitation Table

$Q(t)$	$Q(t+1)$	S	R
0	0	0	X
0	1	1	0
1	0	0	1
1	1	X	0

$Q(t)$	$Q(t+1)$	D
0	0	0
0	1	0
1	0	0
1	1	1

$Q(t)$	$Q(t+1)$	J
0	0	0
0	1	1
1	0	1
1	1	1

$Q(t)$	$Q(t+1)$	D
0	0	0
0	1	1
1	0	1
1	1	1

$Q(t)$	$Q(t+1)$	J
0	0	0
0	1	1
1	0	1
1	1	1

$Q(t)$	$Q(t+1)$	J
0	0	0
0	1	1
1	0	1
1	1	1

$Q(t)$	$Q(t+1)$	J
0	0	0
0	1	1
1	0	1
1	1	1

$Q(t)$	$Q(t+1)$	J
0	0	0
0	1	1
1	0	1
1	1	1

$Q(t)$	$Q(t+1)$	J
0	0	0
0	1	1
1	0	1
1	1	1

$Q(t)$	$Q(t+1)$	J
0	0	0
0	1	1
1	0	1
1	1	1

$Q(t)$	$Q(t+1)$	J
0	0	0
0	1	1
1	0	1
1	1	1

$Q(t)$	$Q(t+1)$	J
0	0	0
0	1	1
1	0	1
1	1	1

$Q(t)$	$Q(t+1)$	J
0	0	0
0	1	1
1	0	1
1	1	1

$Q(t)$	$Q(t+1)$	J
0	0	0
0	1	1
1	0	1
1	1	1

$Q(t)$	$Q(t+1)$	J
0	0	0
0	1	1
1	0	1
1	1	1

$Q(t)$	$Q(t+1)$	J
0	0	0
0	1	1
1	0	1
1	1	1

$Q(t)$	$Q(t+1)$	J
0	0	0
0	1	1
1	0	1
1	1	1

$Q(t)$	$Q(t+1)$	J
0	0	0
0	1	1
1	0	1
1	1	1

$Q(t)$	$Q(t+1)$	J
0	0	0
0	1	1
1	0	1
1	1	1

$Q(t)$	$Q(t+1)$	J
0	0	0
0	1	1
1	0	1
1	1	1

$Q(t)$	$Q(t+1)$	J
0	0	0
0	1	1
1	0	1
1	1	1

$Q(t)$	$Q(t+1)$	J
0	0	0
0	1	1
1	0	1
1	1	1

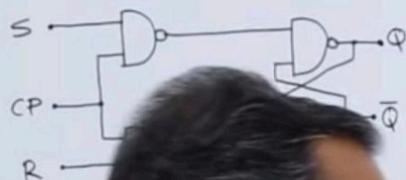
$Q(t)$	$Q(t+1)$	J
0	0	0
0	1	1
1	0	1
1	1	1

Q

Summary of Flip-Flops

Logic diagram

S-R F/F



D F/F



J-K F/F



Characteristic Table

S	R	$Q(t+1)$
0	0	$Q(t)$
0	1	0
1	0	1
1	1	?

No Change
Reset
Set
Indeterminate

D	$Q(t+1)$
0	0
1	1

J	K	$Q(t+1)$
0	0	$Q(t)$
0	1	0
1	0	1
1	1	$\bar{Q}(t)$

T	$Q(t+1)$
0	$Q(t)$
1	$\bar{Q}(t)$

Excitation Table

$Q(t)$	$Q(t+1)$	S	R
0	0	0	X
0	1	1	0
1	0	0	1
1	1	X	0

$Q(t)$	$Q(t+1)$	D
0	0	0
0	1	1
1	0	0
1	1	1

$Q(t)$	$Q(t+1)$	J	K
0	0	0	X
0	1	1	X
1	0	X	1
1	1	X	0

$Q(t)$	$Q(t+1)$	T
0	0	0
0	1	1
1	0	1
1	1	0





0-1-3-2

2 ff
PS

Next state

$Q_1 Q_0$

$Q_1^+ Q_0^+$

$D_1 D_0$

0 0

0 1

0

0 1

1 1

0

1 0

0 0

0

1 1

1 0

1

00
01
10
11

001
MSB
LSB
001
LSB
MSB



SUBSCRIBE



0-1-3-2

2 ff
PS

$Q_1 Q_0$

0 0

0 1

1 0

1 1

Next state
 $Q_1^+ Q_0^+$

0 1

1 1

0 0

1 0

00
01
10
11

$D_1 D_0$

001
MSB
LSB
001
LSB
MSB

SUBSCRIBED



SUBSCRIBE



0-1-3-2

2 ff
PS
 $Q_1 Q_0$

Next state
 $Q_1^+ Q_0^+$

[0 0]

[- 0 1]

[0]

[- 1]

[0 1]

[- 1 1]

[0 0]

[1 0]

00 0
01 1
10 0
11 1

D₁ D₀

0 1 -

1 - 1 -

0 0

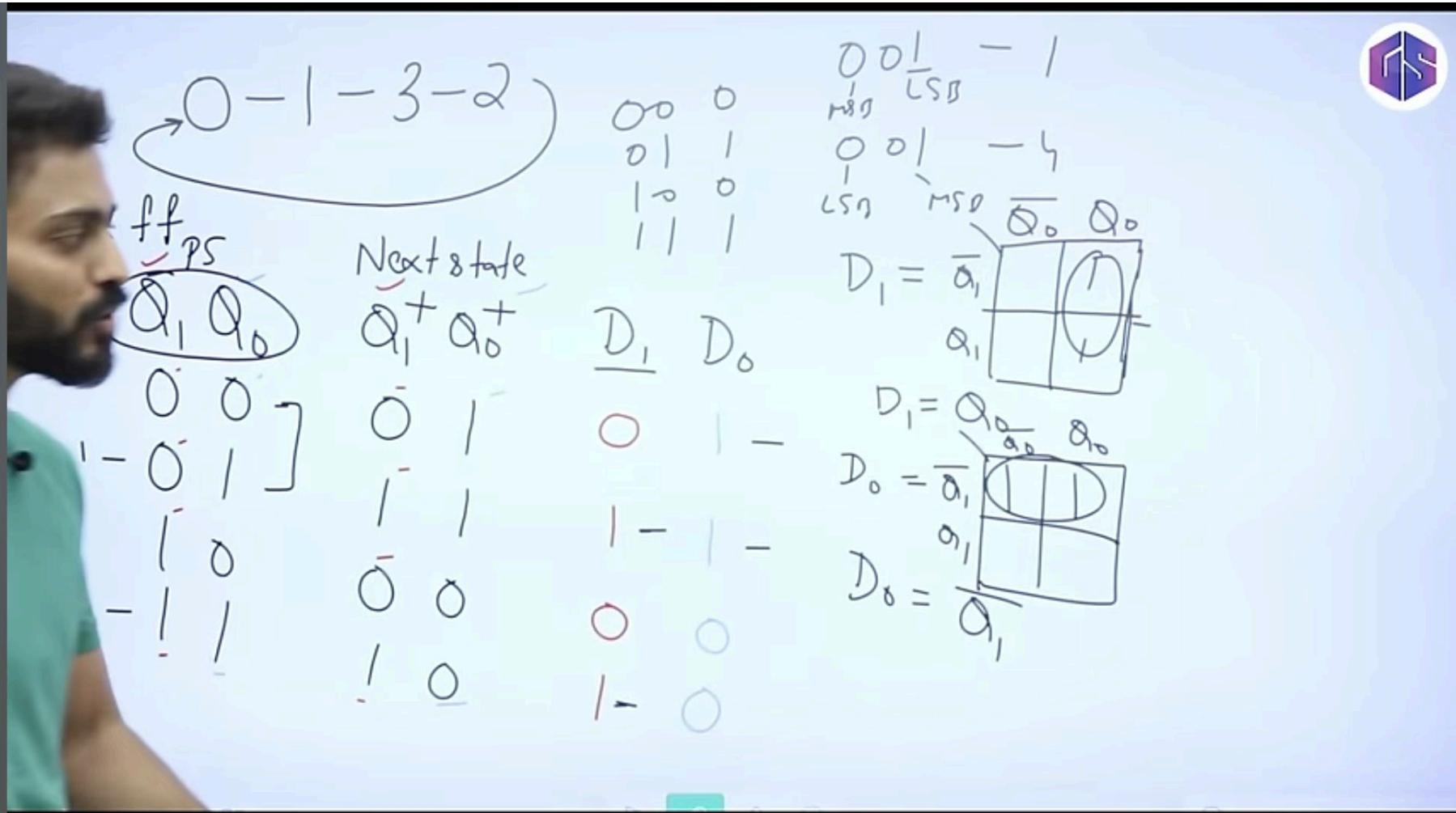
1 - 0

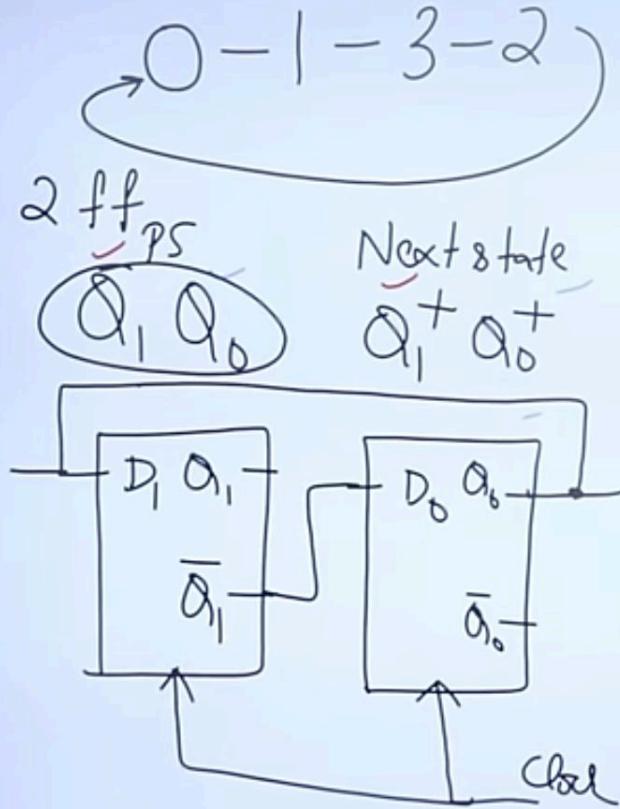
001
MSB
LSB - 1

001
LSB MSB - 4

D₁ = $\overline{Q_1} \begin{array}{|c|c|c|} \hline & & \\ \hline & & \\ \hline & & \\ \hline \end{array} Q_0$

SUBSCRIBE





00 0
01 1
10 0
11 1

D_1 D_0

0 1 -
1 - 1 -
0 0 -
1 - 0

$$\begin{array}{c} \text{MSB} \\ 001 \\ \text{LSB} \end{array} - 1$$
$$\begin{array}{c} \text{MSB} \\ 001 \\ \text{LSB} \end{array} - 4$$
$$D_1 = \overline{Q_1} \quad \boxed{Q_0}$$

$$D_1 = Q_0 \quad \overline{Q_0}$$
$$D_0 = \overline{Q_1} \quad \boxed{Q_1}$$

Up and Down counters

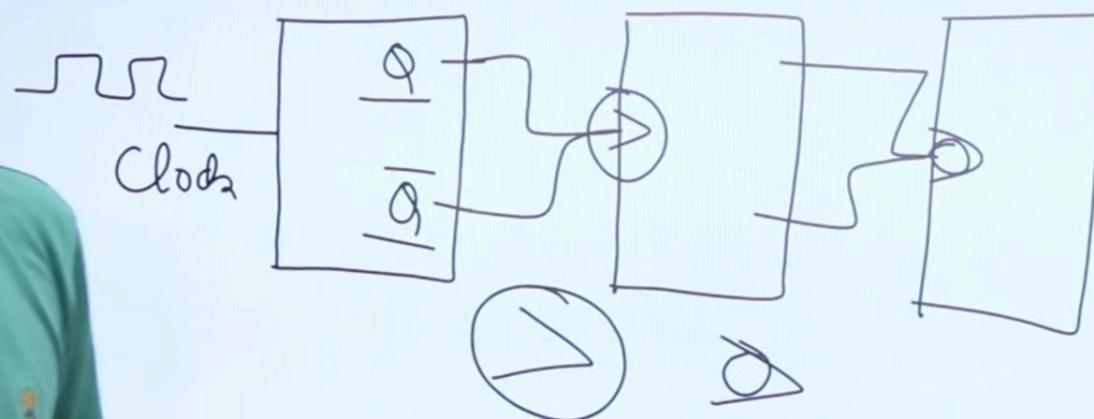


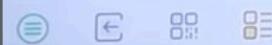
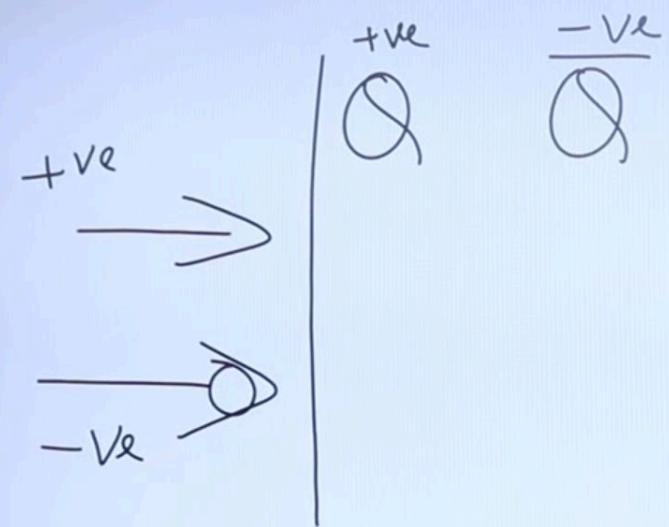
Level Trigger vs Edge Tri



UP $0 \rightarrow 1 - 2 - 3$

Down $3 - 2 - 1 - 0$

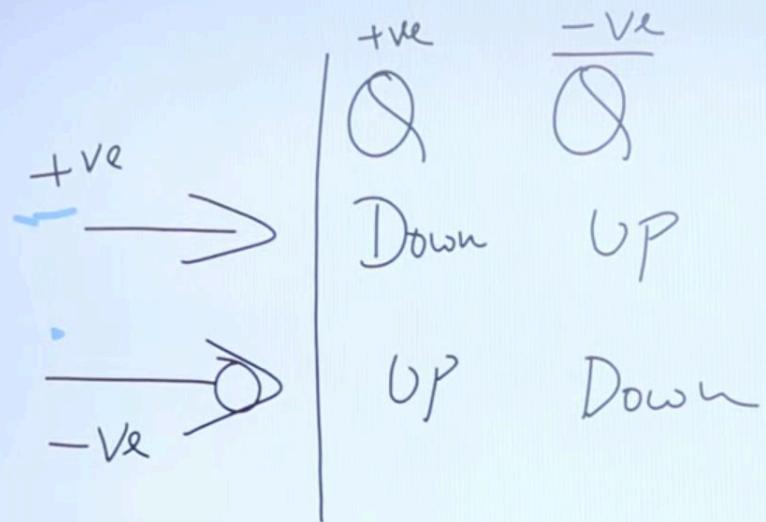




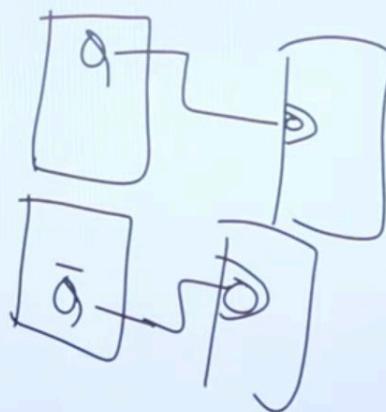
Selection Write Eraser More

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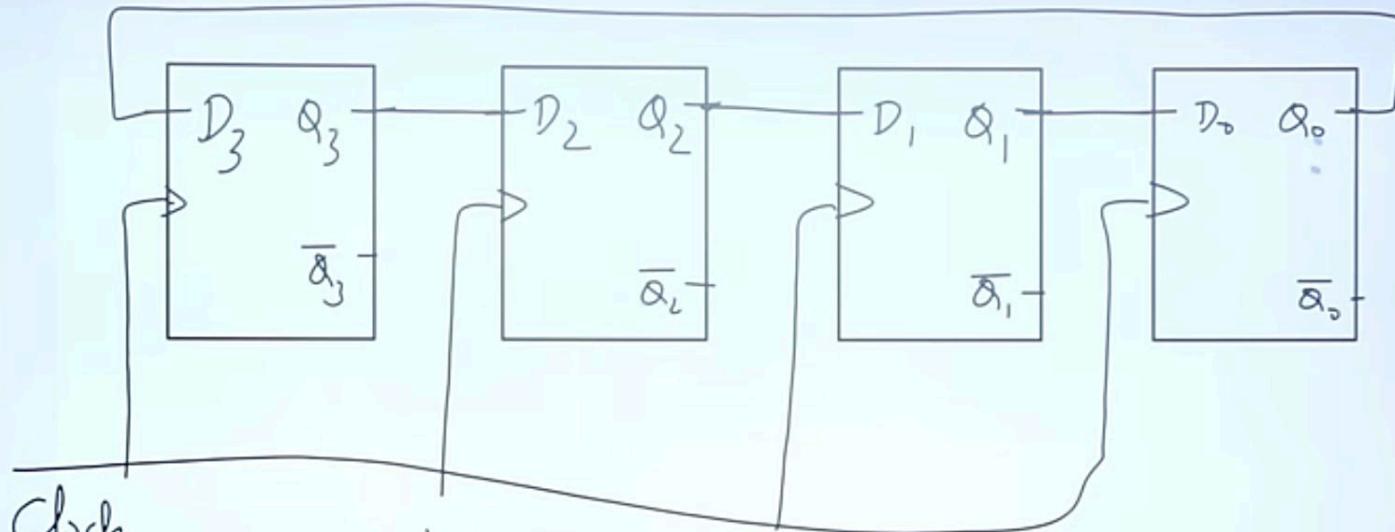


Same - Down
Diff = UP



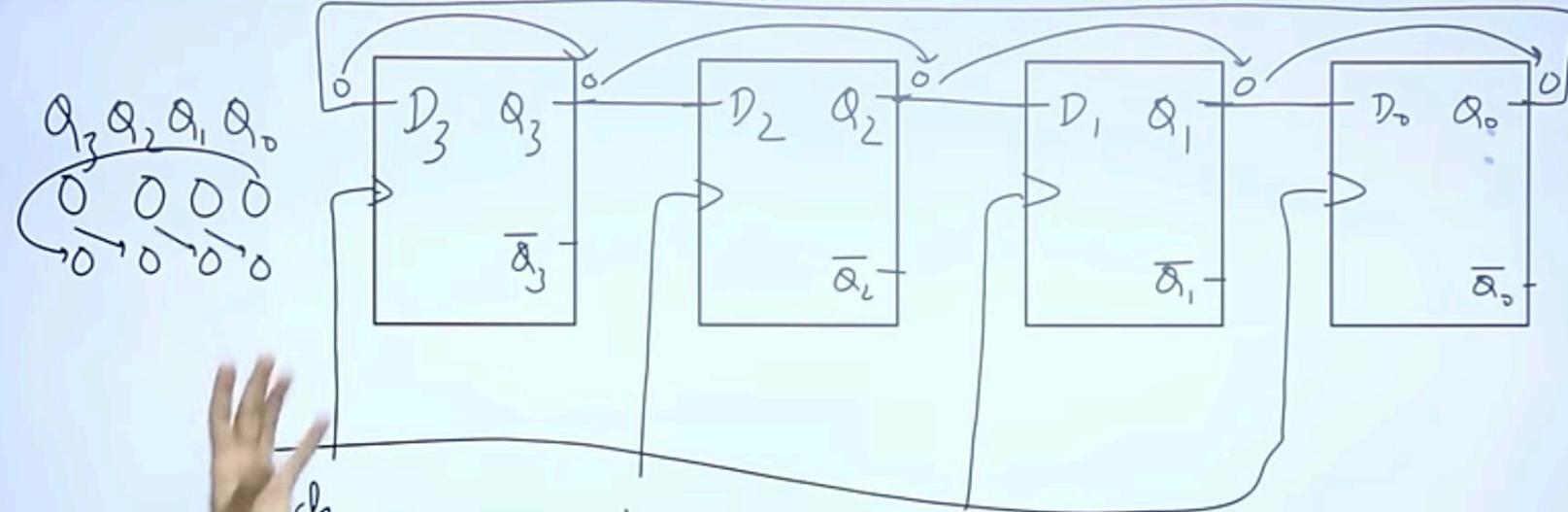
Ring counter and Johnson Counter

(Types of Synchronous Counter)



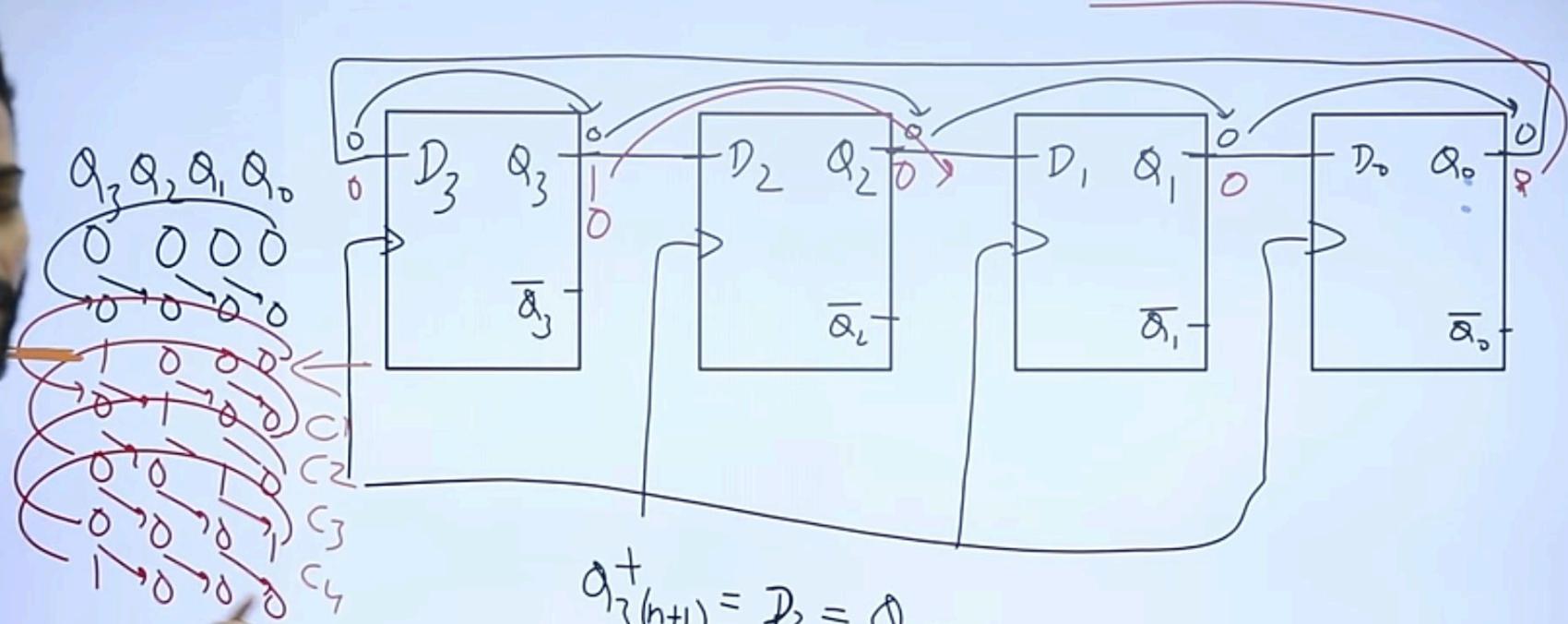
$$Q_3^+(n+1) = D_3 = Q_0(n)$$

$$Q_2^+(n+1) = D_2 = Q_3(n)$$



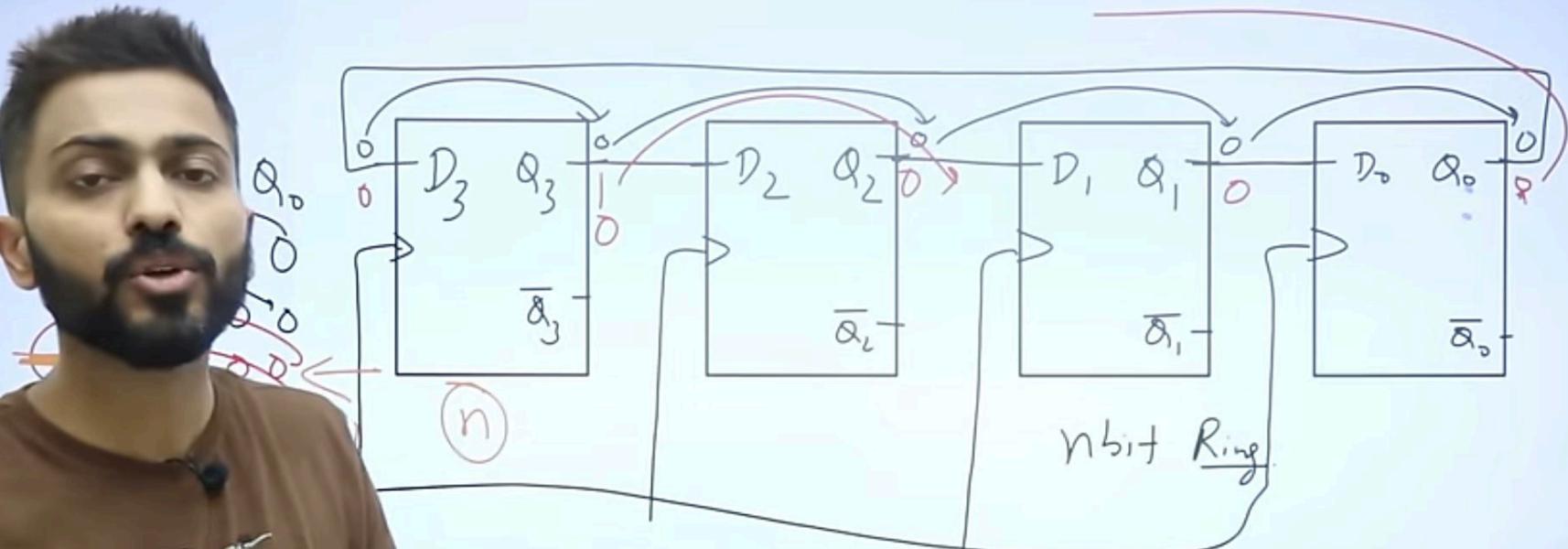
$$Q_3^+(n+1) = D_3 = Q_0(n)$$

$$Q_2^+(n+1) = D_2 = Q_3(n)$$



$$Q_3^+(n+1) = D_3 = Q_0(n)$$

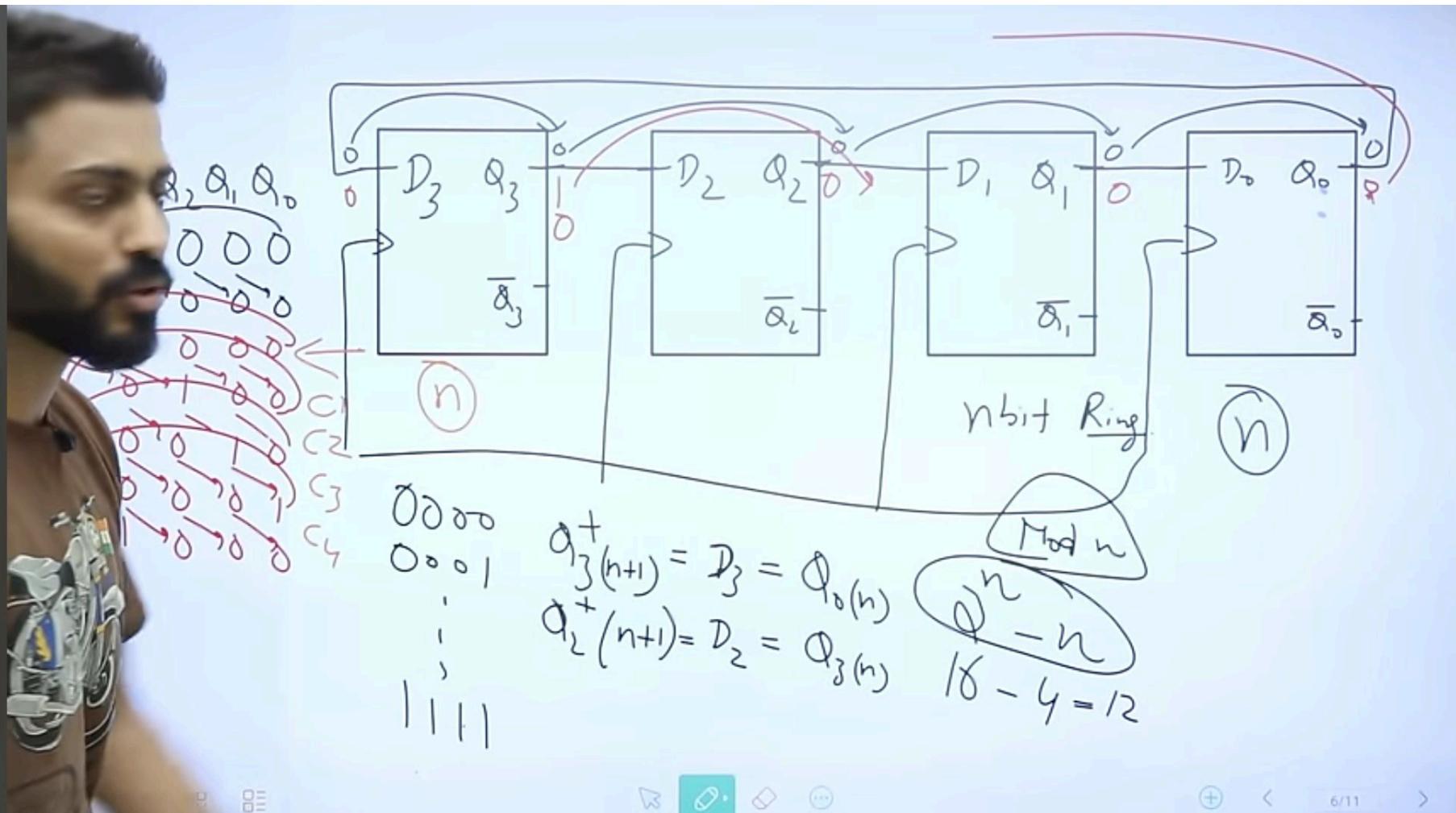


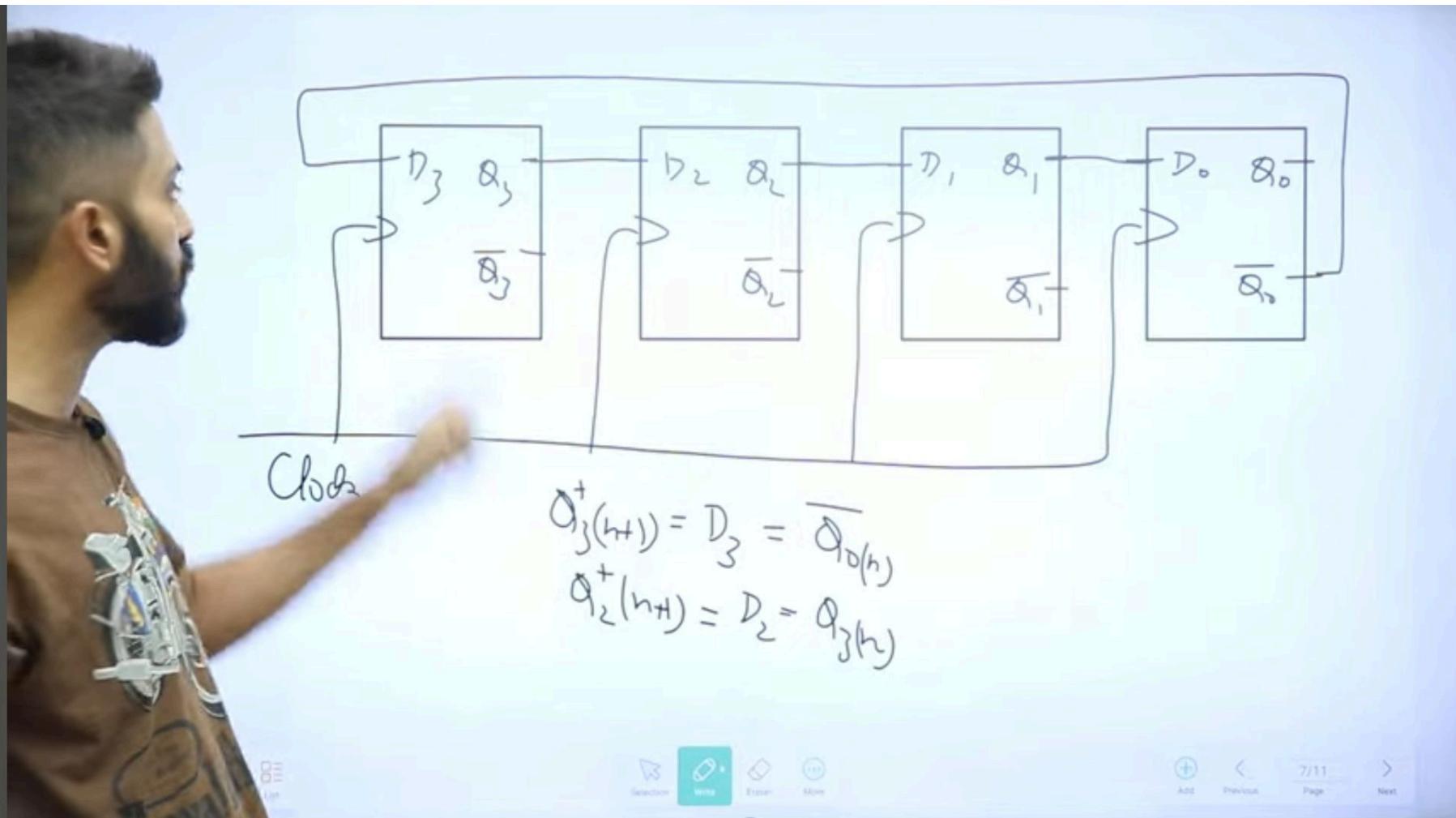


$$Q_3^{+}(n+1) = D_3 = Q_0(n)$$

$$Q_2^{+}(n+1) = D_2 = Q_3(n)$$

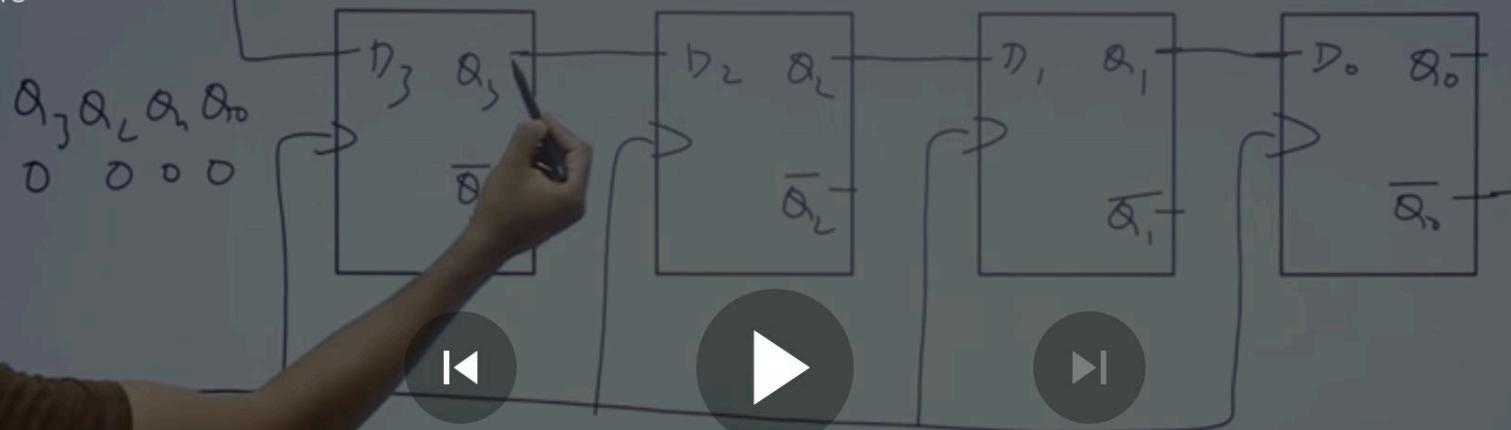
Mod n





Johnson Counter | Twisted Ring Counter >

Gate Smashers



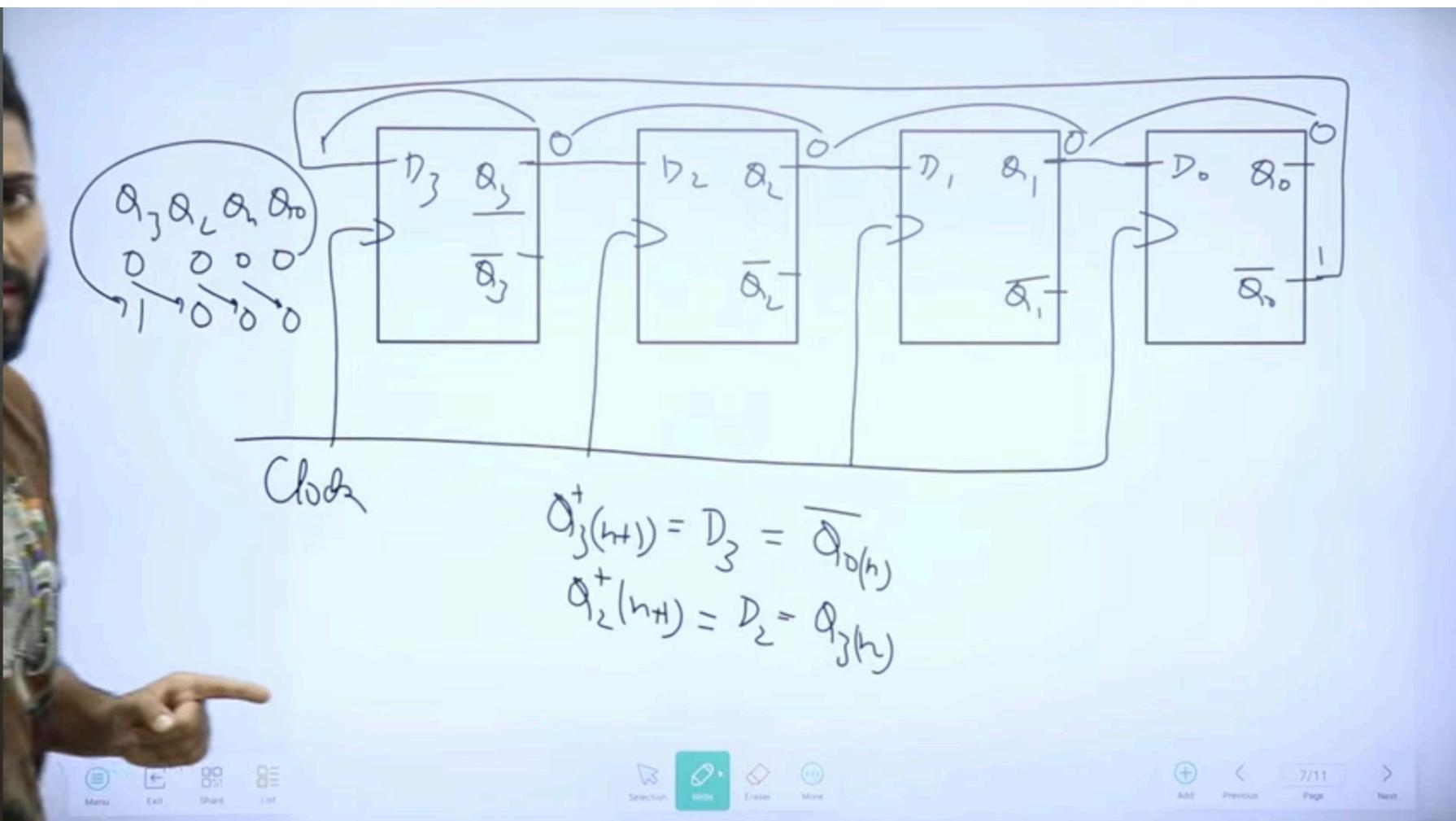
$$Q_3^{+}(h+1) = D_3 = \overline{Q_0}(h)$$
$$Q_2^{+}(h+1) = D_2 = Q_3(h)$$

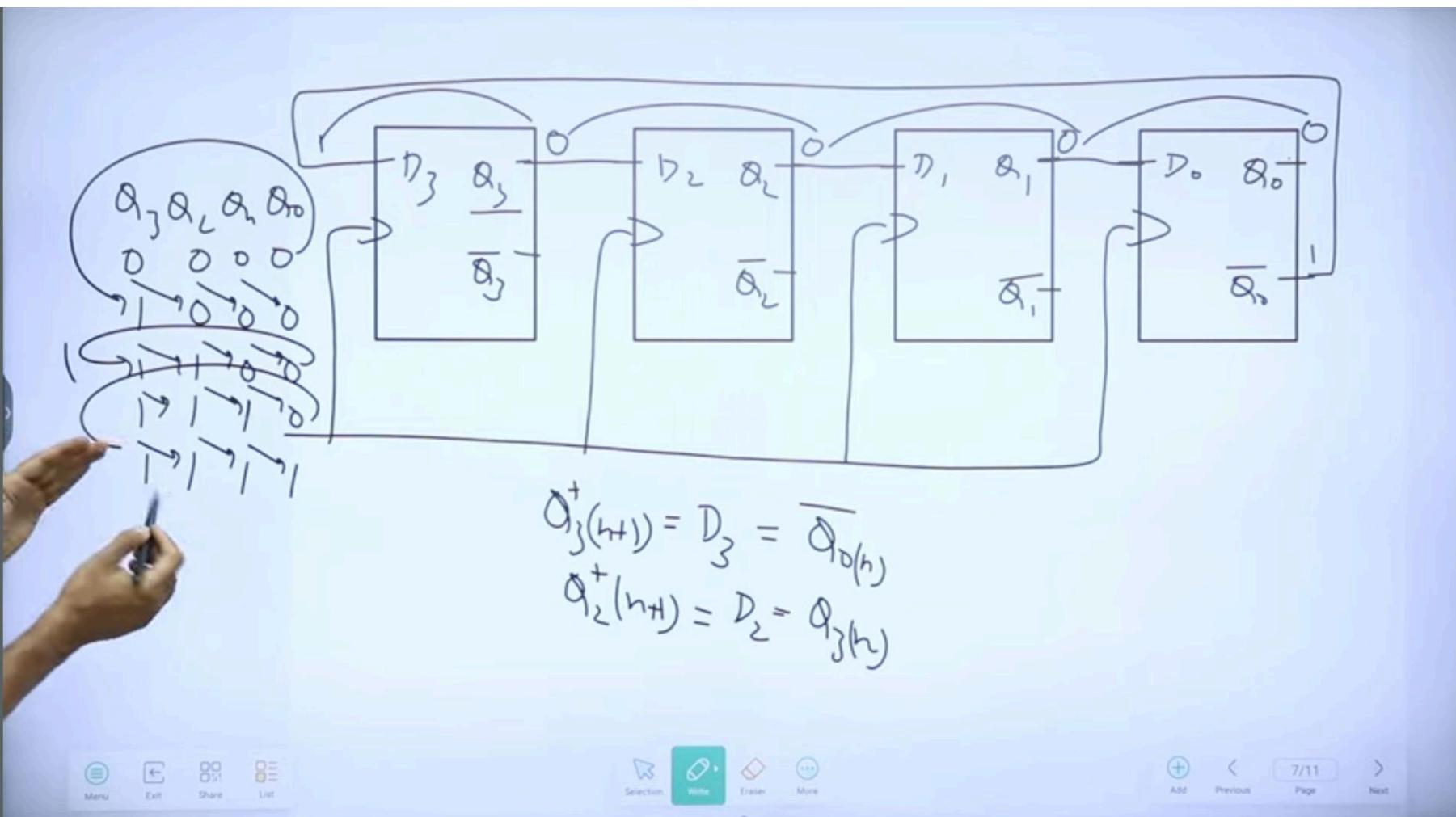
2:57 / 6:32

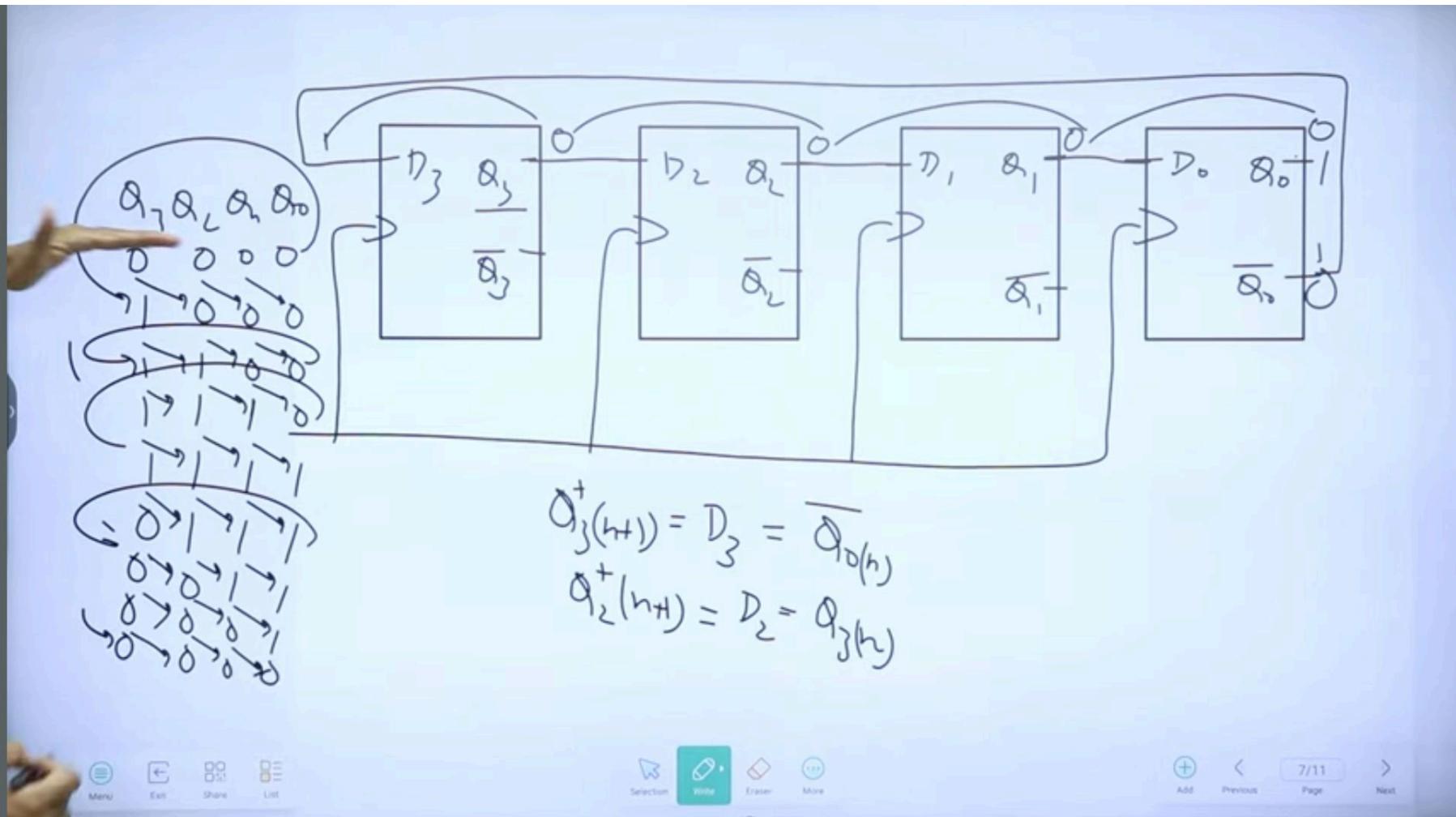


More videos
Tap or swipe up to see all









A hand-drawn diagram of a 4-bit mod 8 counter. It consists of four flip-flops arranged horizontally. From left to right, they are labeled D_3 , Q_3 , \bar{Q}_3 ; D_2 , Q_2 , \bar{Q}_2 ; D_1 , Q_1 , \bar{Q}_1 ; and D_0 , Q_0 , \bar{Q}_0 . Each flip-flop has a feedback loop from its output Q back to its data input D . Below the flip-flops, the text "4 bit" is written above "n bit". To the right of the flip-flops, the text "Mod" is followed by "Mod 8" and "Mod 2ⁿ".

$Q_3^{(n+1)} = D_3 = \bar{Q}_0^{(n)}$

$Q_2^{(n)} = 16 - 8 = 8$

Below the diagram is a digital whiteboard interface with various tools and a navigation bar.

Twisted ring/johnson is
still better

Total states - unused

states = usable

$$16-12=4(\text{Ring})$$

$$16-7=8(\text{Johnson})$$