



INTRO TO FINANCIAL CONCEPTS IN PYTHON

# Fundamental Financial Concepts

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# Course Objectives

- The Time Value of Money
- Compound Interest
- Discounting and Projecting Cash Flows
- Making Rational Economic Decisions
- Mortgage Structures
- Interest and Equity
- The Cost of Capital
- Wealth Accumulation



# Financial Decisions

Financial decisions always revolve around:

- Revenues
- Expenses
- Rate of Return (%)
- Economic Value (in Present Value Terms)
- Risk



# Growth and Rate of Return

Two forms of growth:

- Percentage return
- Dollar value

Percentage Growth (For a 1-Day Horizon):

$$\frac{\text{Value Today} - \text{Value Yesterday}}{\text{Value Yesterday}}$$

Dollar Value Growth (For a 1-Day Horizon):

$$\text{Value Today} - \text{Value Yesterday}$$



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**Let's practice!**



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# Present and Future Value

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# The Non-Static Value of Money

## Situation 1

- **Option A:** \$100 in your pocket today
- **Option B:** \$100 in your pocket tomorrow

## Situation 2

- **Option A:** \$10,000 dollars in your pocket today
- **Option B:** \$10,500 dollars in your pocket one year from now



# Time is Money

## Your Options

- **A:** Take the \$10,000 now, and do nothing
- **B:** Take the \$10,000, stash it in the bank at 1% interest per year, risk free
- **C:** Invest the \$10,000 in the stock market and earn an average 8% per year
- **D:** Wait 1 year, take the \$10,500 instead





# Comparing Future Values

- **A:** 10,000 present dollars = 10,000 future dollars
- **B:**  $10,000 * (1 + 0.01) = 10,100$  future dollars
- **C:**  $10,000 * (1 + 0.08) = 10,800$  future dollars
- **D:** 10,500 future dollars



# Present Value in Python

Calculate the present value of \$100 received 3 years from now at a 1.0% inflation rate.

```
[In] 1: import numpy as np  
[In] 2: np.pv(rate=0.01, nper=3, pmt=0, fv=100)  
[Out] 2: -97.05
```



# Future Value in Python

Calculate the future value of \$100 invested for 3 years at a 5.0% average annual rate of return.

```
[In] 1: import numpy as np  
[In] 2: np.fv(rate=0.05, nper=3, pmt=0, pv=-100)  
[Out] 2: 115.76
```



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# Net Present Value and Cash Flows

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# Cash Flows

## Project 1

- Year 0: -\$100
- Year 1: +\$100
- Year 2: +\$125
- Year 3: +\$150
- Year 4: +\$175

## Project 2

- Year 0: \$100
- Year 1: \$100
- Year 2: -\$100
- Year 3: \$200
- Year 4: \$300



# Discounting

Assume a 3% discount rate

## Project 1

- Year 0: -\$100  $\Rightarrow$  `pv(rate=0.03, nper=0, pmt=0, fv=-100)`  $\Rightarrow$  -100
- Year 1: +\$100  $\Rightarrow$  `pv(rate=0.03, nper=1, pmt=0, fv=100)`  $\Rightarrow$  97.09
- Year 2: +\$125  $\Rightarrow$  `pv(rate=0.03, nper=2, pmt=0, fv=125)`  $\Rightarrow$  117.82
- Year 3: +\$150  $\Rightarrow$  `pv(rate=0.03, nper=3, pmt=0, fv=150)`  $\Rightarrow$  137.27
- Year 4: +\$175  $\Rightarrow$  `pv(rate=0.03, nper=4, pmt=0, fv=175)`  $\Rightarrow$  155.49

Sum of all present values = 407.67



# Net Present Value

## Project 1

```
[In] 1: import numpy as np
[In] 2: np.npv(rate=0.03, values=np.array([-100, 100, 125, 150, 175]))
[Out] 2: 407.67
```

## Project 2

```
[In] 1: import numpy as np
[In] 2: np.npv(rate=0.03, values=np.array([100, 100, -100, 200, 300]))
[Out] 2: 552.40
```





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