Lecture 1 Monday, 16 August 2021 2:30 PM Signal: - Function of independent variables, time, distance, position, temp. & pressure--> Contains information. Signal J. Multi dimension. 10 -> speech. -> time variable. Signal V (.T. Digital Sig-Analog signal Ts -> sampling interval. Sinary Sies. 0011100 Digital processing Analy of Advantages et Digital signal proces. 194 allows the sharring it a given Adaptive filter - updation y co-efficients can process low frequency signals. (2, -2)Disadvantages [AD] DA. complexitj in the chit: am se more. Discrete-time Signal. $\mathcal{H}(t) = \mathcal{H}(nTs) = \mathcal{H}(n)$ + = nTs $= \mathcal{H}(nTs) = \mathcal{H}(n)$ Discrere Aine Signal CD. T. Segmence). Introj / -> sequence. $\chi(-1) = -0.1.$ $\chi(-2) = 0.95$ 7. T. Signal withreal -valuer samples. $\frac{1}{2} \hat{\chi}(n) = \frac{1}{2} \cdot \frac{1}{2$ Signal con be complex. $\sqrt{9150} = \begin{cases} --- & 1+j & 1-2j & 2-3j & --- \end{cases}$ signal -> Addition of two real signals where one signal is orthogonal to another. 7, [n) = { -- 1 1 2--1 ! 2 ?) > Length = N = 4 $\begin{cases} 1 & 2 & 1 & 1 & 0 \\ 1 & 2 & 1 & 1 & 0 \end{cases}$ $\Rightarrow N = N_2 - N_1 + 1$ MI < n < H2 -> Length A= H2--H1+1 Infinit-length. Lo right-sided V=171 signal. Left sider both siden-Classification of Signal. (Sequence) Se queree (signal) Iven! $\mathcal{H}[n] = \mathcal{H}e[-n].$ neth) is an even signal. 3 | 2 | m signd. -2 -1 N=01 a(i) = a(-1) = 2 0 4 9 . $\gamma_0 [n] = - \gamma_0 [-n].$ notn) - odd Signal. no[0] = 0. [Sooks! Digital Signal. Proc. 2) Discrete time Signal Pruces.

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