

All Palindromic Partitions

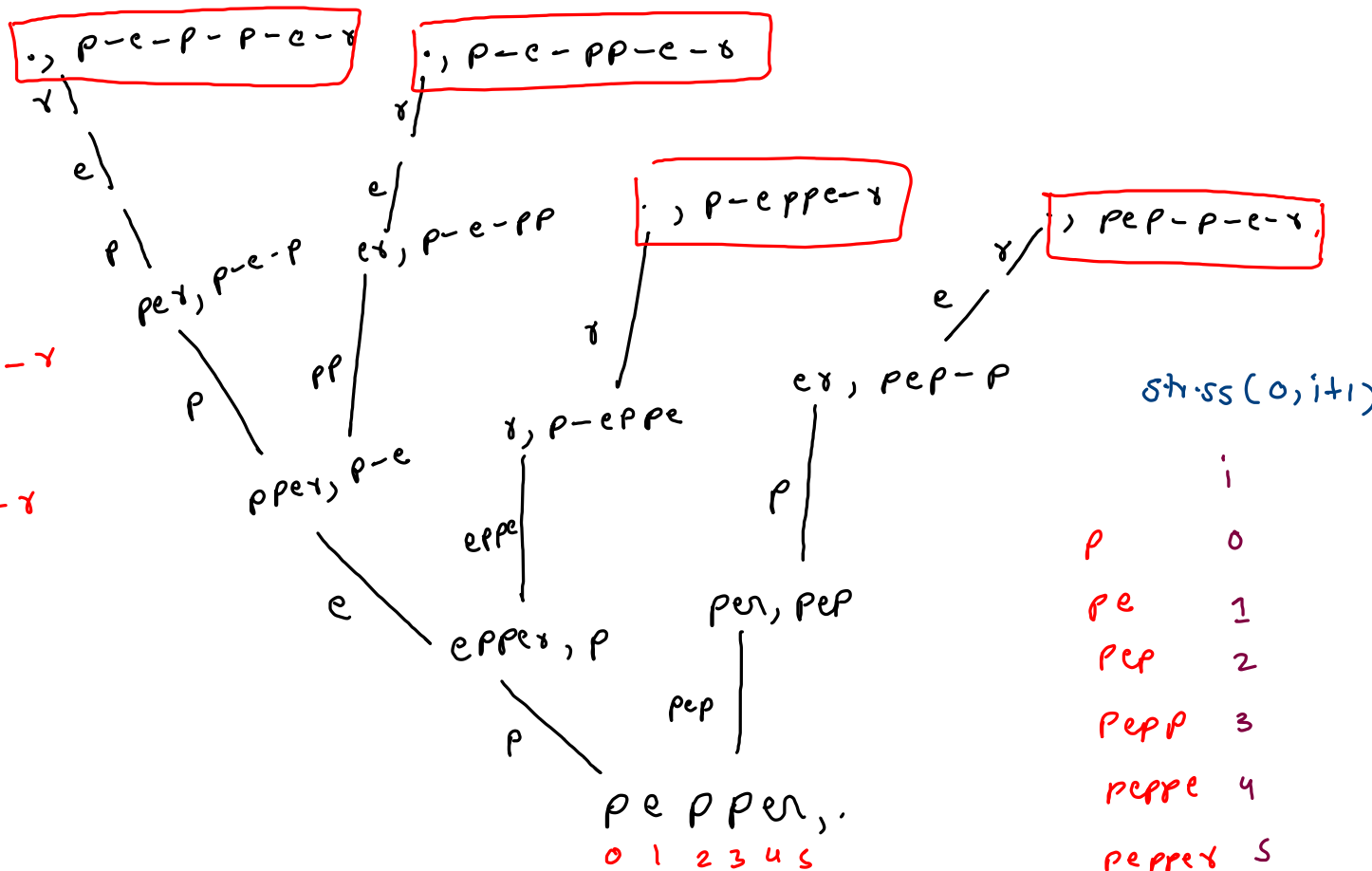
str: p e p p e t

(i) p - e - p - p - e - t

(ii) p - e - p p - e - t

(iii) p e p - p - e - t

(iv) p - e p p e - t



str.substr(0, i+1)

	i
p	0
pe	1
pep	2
pepp	3
peppe	4
peppet	5

All Palindromic Permutations

Str: a a b b

palindromic

$(P_1) \quad (P_1')$ a b c c b a

$(P_1)_{ch} \quad (P_1')$ a b c b a

$P_1' \rightarrow \text{rev}(P_1)$

distinct perm

a a b b

a b a b

a b b a

b a b a

b b a a

b a a b

palindromic
perm



a b b a

b a a b

Str: **abacbcda**

odd $j \rightarrow$ 'd'

$$\frac{a^4 b^2 c^2 d^1}{2} = a^2 b^1 c^1$$

aa**b**c**d**c**b**a**a**

aa**c**b**d**b**c**a**a**

ba**c**a**d**a**c**a**b**

bc**a**a**d**a**a**c**b**

ba**a**c**d**c**a**a**b**

ca**a**b**d**b**a**a**c**

cb**a**a**d**a**a**b**c**

ca**b**a**d**a**b**a**c**

ab**a**c**d**c**a**b**a**

ab**c**a**d**a**c**b**a**

ac**b**a**d**a**b**c**a**

ac**a**b**d**b**a**c**a**

str: a b a c c b

odd j = 1

$$\frac{a2b2c2}{2} = a1b1c1$$

a b c c b a

a c b b c a

b a c c a b

b c a a c b

c a b b a c

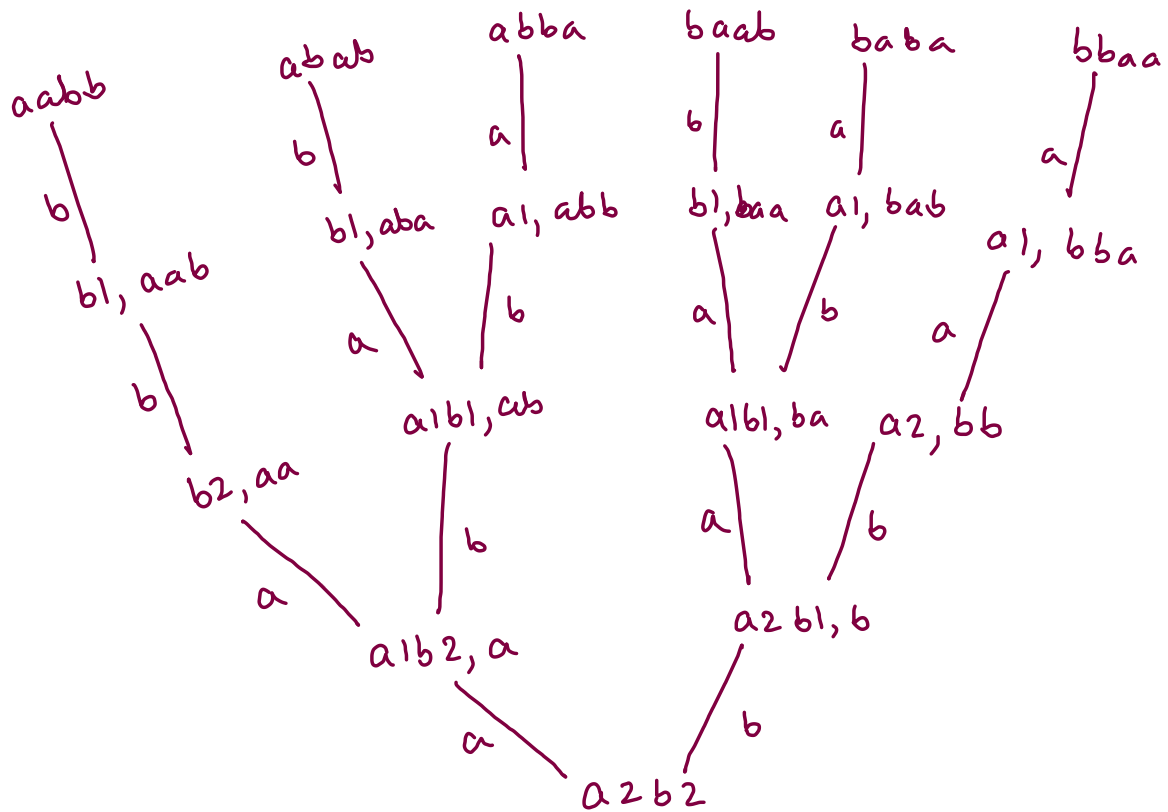
c b a a b c

Stk:

abababab

$$\frac{a_4 b_4}{2} \rightarrow a_2 b_2$$

aabb



Pattern Matching

graphtreesgraph
pep

S: graph trees graph
p' p e p

$p \rightarrow \text{graph}$

$e \rightarrow \text{trees}$

m pepper x pepper

| | / /

a b c b

a - m

b - pepper

c - x

mpepper x pepper

| | /)

a b c b

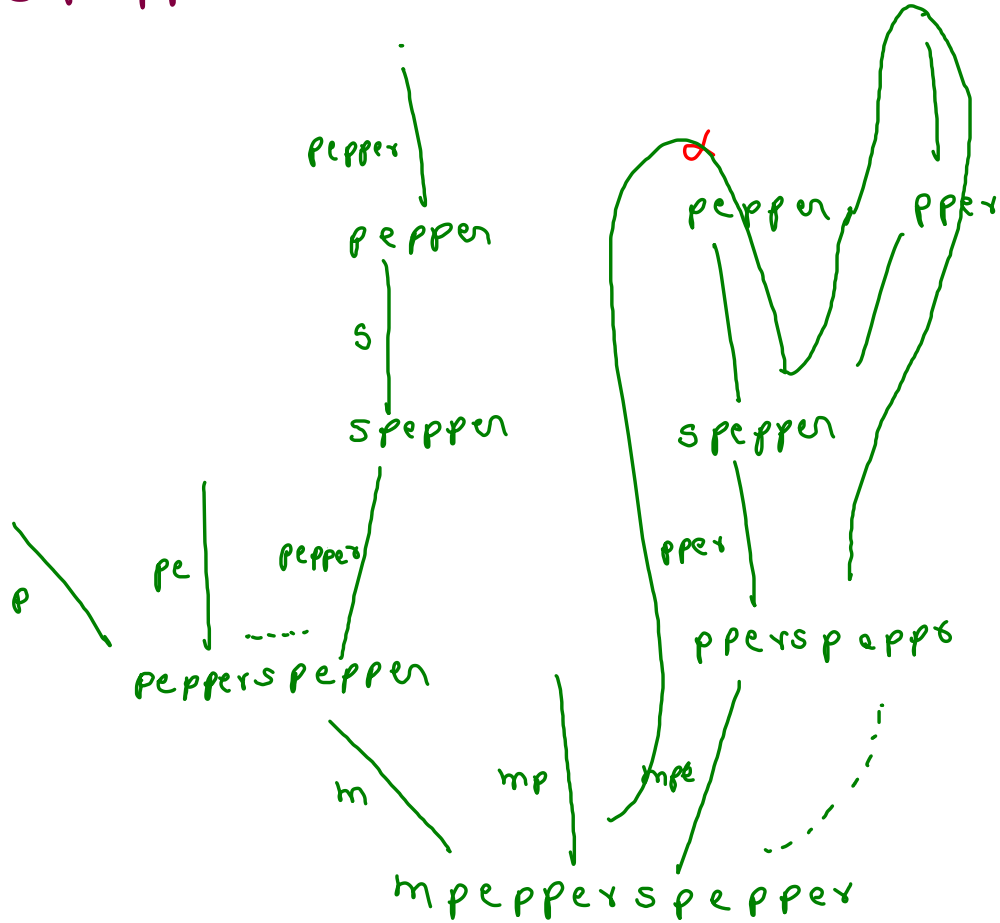
a - mp

b - epper

c - xp

Sto: mpcppenspepex

pat: a b c b

 $a \rightarrow m$

b → pepper

C → S

6

C

$$A \rightarrow mpe$$

b-) pper

$C \rightarrow \text{Spe}$

2

a

Word Break - I

str: i love mango icecream

i - love - mango - icecream

i - love - mango - ice - cream

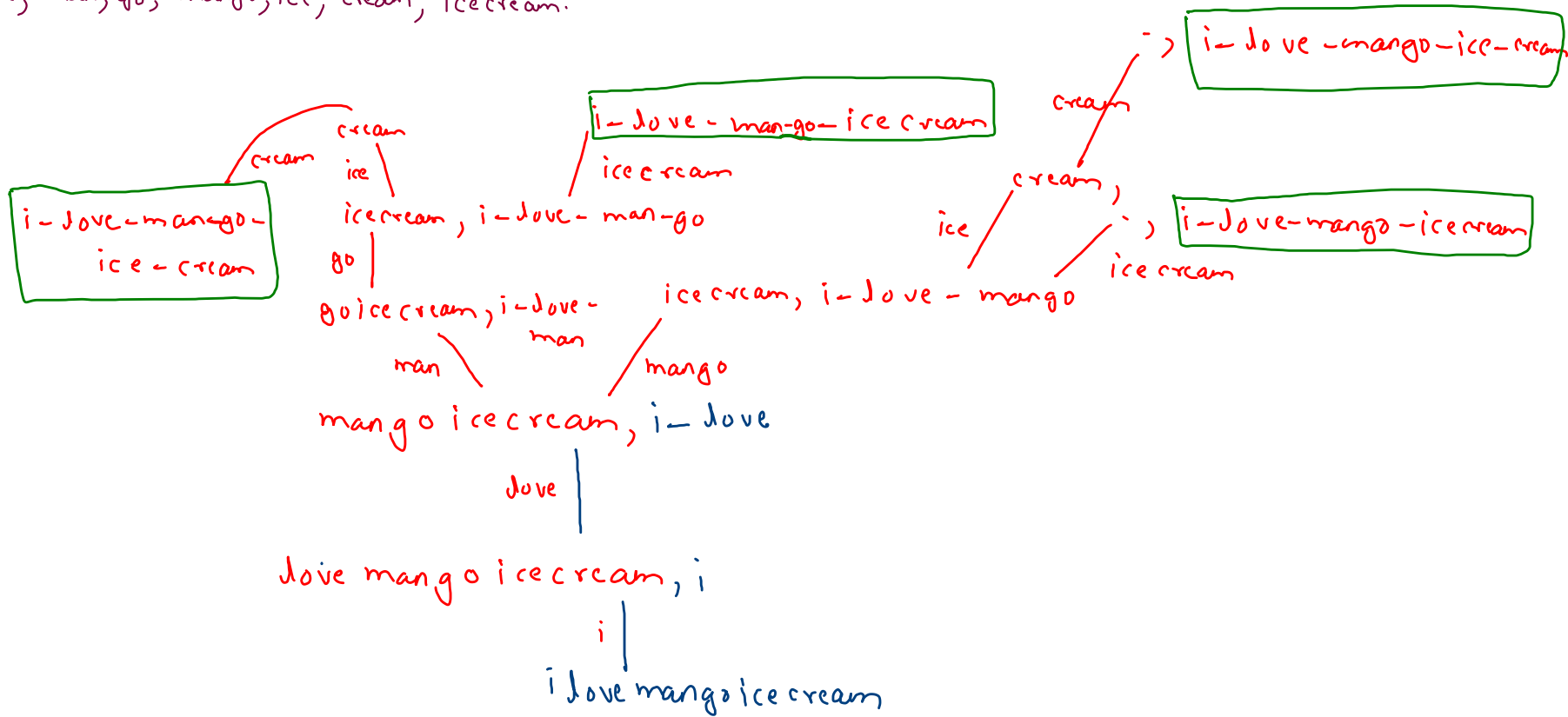
i - love - man - go - icecream

i - love - man - go - ice - cream

dict : i, love, man,
go, mango,
ice, cream,
icecream.

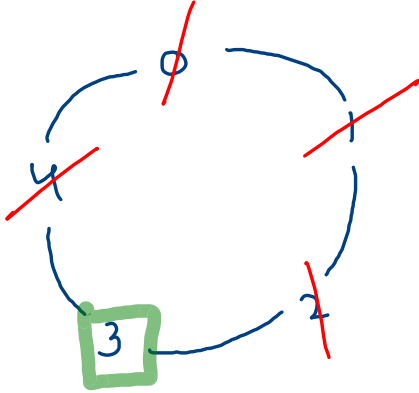
str. i love mango ice cream

dict: i, love, man, go, mango, ice, cream, icecream.

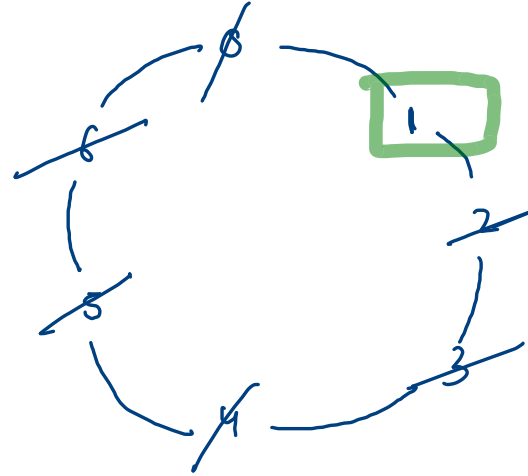


Josephus Problem

$n = 5$, $k = 3$

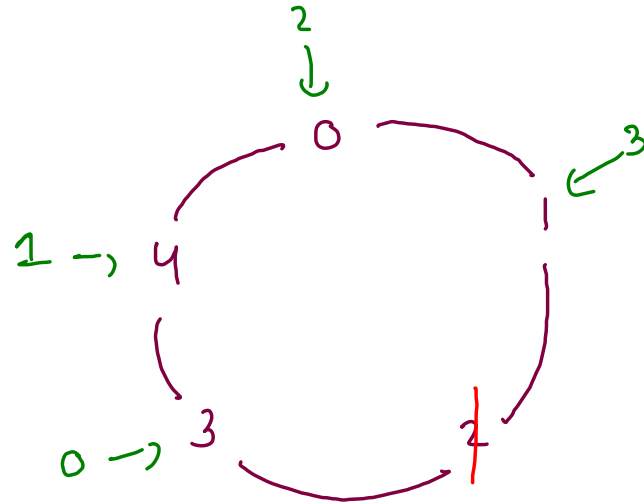


$n = 7$, $k = 4$

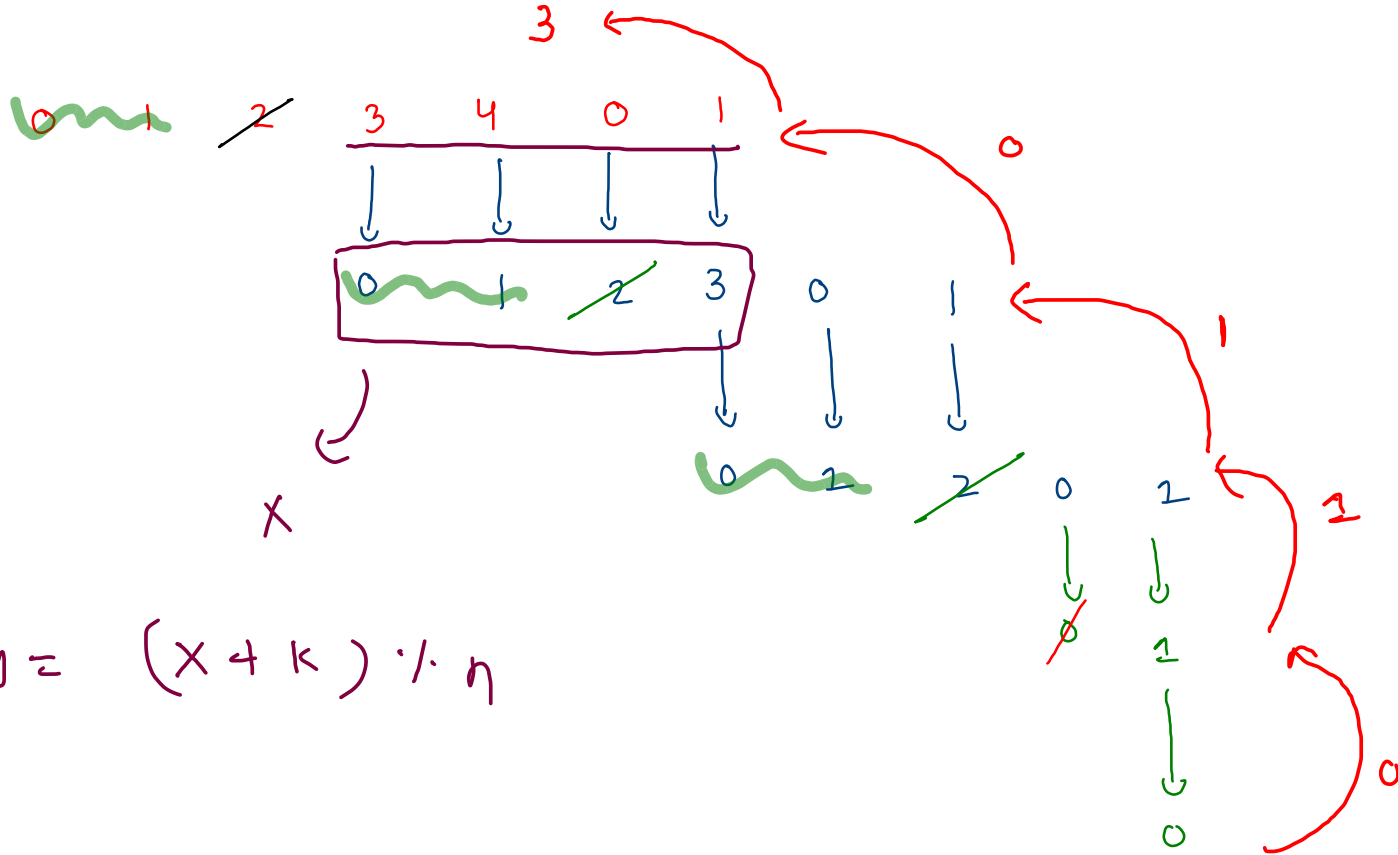


$$n = 5$$

$$k = 3$$



$$h = 5, \quad k = 3$$



$$y = (x + k) \cdot \eta$$

```

public static int solution(int n, int k){
    if(n == 1) {
        return 0;
    }

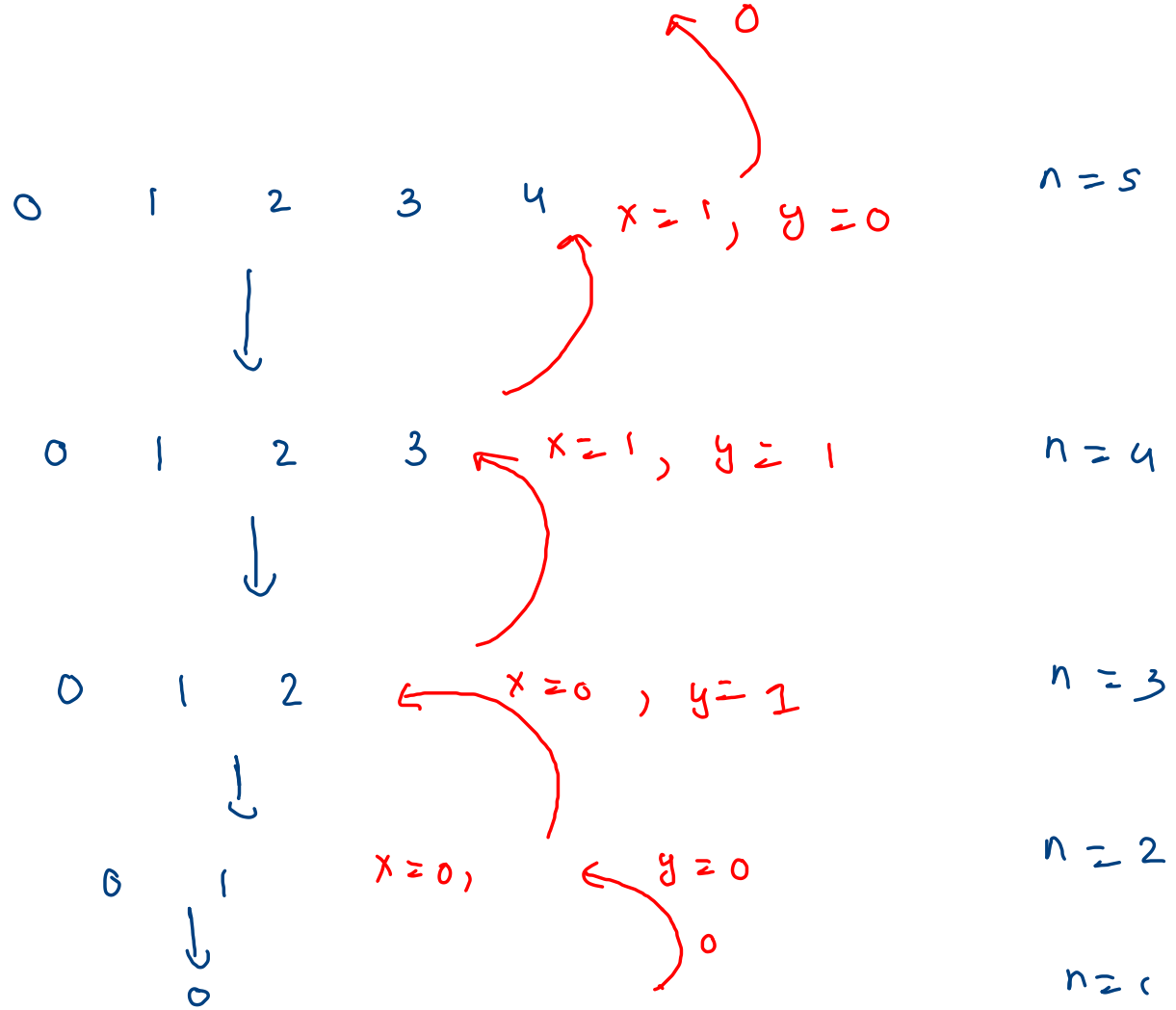
    int x = solution(n-1,k);
    int y = (x + k) % n;

    return y;
}

```

$k = 4$

$n = 5, k = 4$



Remove Invalid Parenthesis

0000

min sum = 1

() ()) ()
0 1 2 3 4 5 6

4
/

() () ()

1
/

(())()

min no. of brackets remove

||
↓

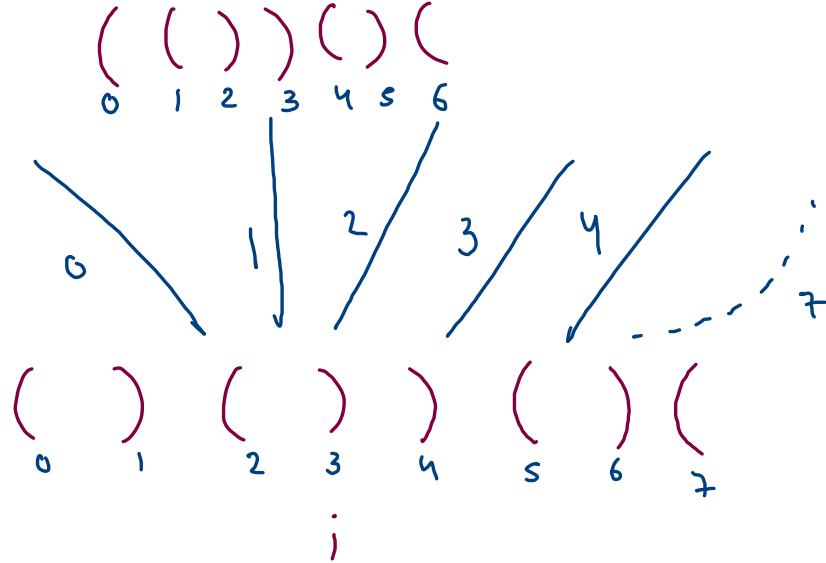
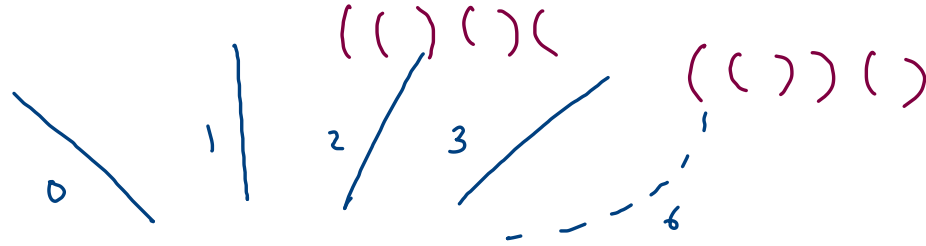
print all the balanced ans (distinct)

str:

() () () () ()
0 1 2 3 4 5 6 7

minremovals = 2

(()) ()



2nd removal

1 removal

$$res = str.ss(0, i) + str.ss(i+1, j)$$

Str: $(\text{---}) (\text{---})) \text{---} (\text{---} ($
 0 1 2 3 4 5 6 7

↑

(
~~(~~
)
~~(~~
~~(~~

st.size() → min removals

```
if (ch == '(') {
    st.push(ch);
```

```
}
```

```
else {
```

```
if (st.size() == 0 || st.pop() != ')') {
```

```
    st.push(ch);
```

```
}
```

```
else {
```

```
    st.pop();
```

```
}
```

```
}
```

~~(~~ ~~(~~ ~~)~~ ~~)~~ ~~)~~ ~~(~~ ~~)~~ ~~(~~ ~~(~~ ~~)~~

```
for(int i=0; i < str.length();i++) {
    char ch = str.charAt(i);

    if(ch == '(') {
        st.push(ch);
    }
    else {
        if(st.size() == 0 || st.peek() == '(') {
            st.push(ch);
        }
        else {
            st.pop();
        }
    }
}

return st.size();
```

