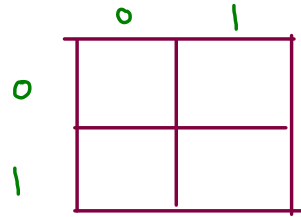


queen - combination 1 (boxes choose)



$N \rightarrow$ order

$n \rightarrow N \times N$ (boxes)

$r \rightarrow N$ (queen)

$${}^4C_2 \rightarrow 6$$

q q
- -

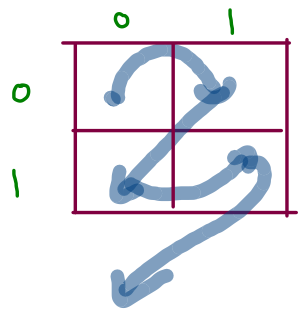
- q
q -

q -
q -

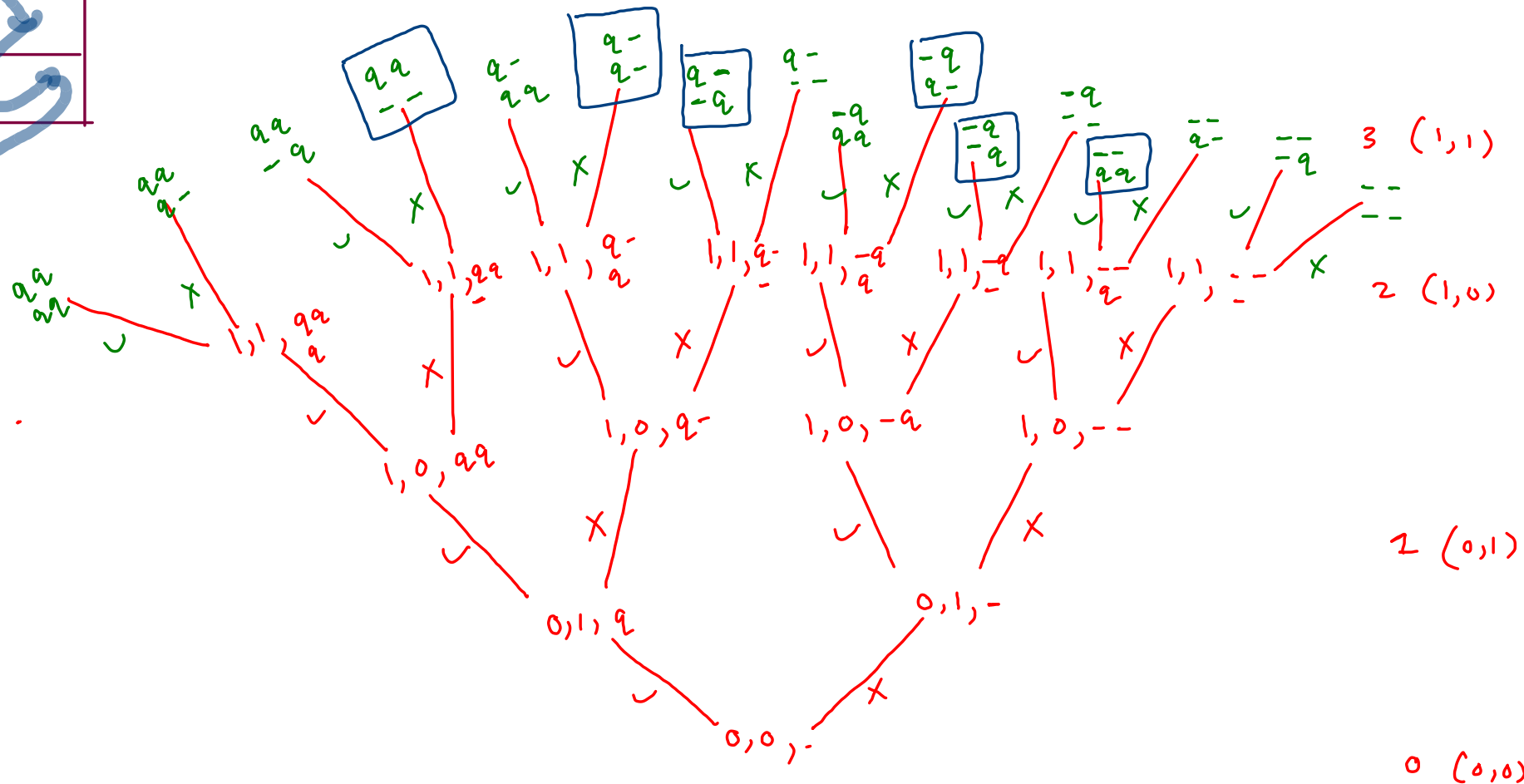
- q
- q

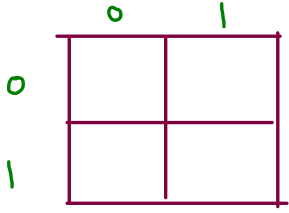
q -
- q

- -
q q



0, 1, .





$r, c, qpsf, asf$

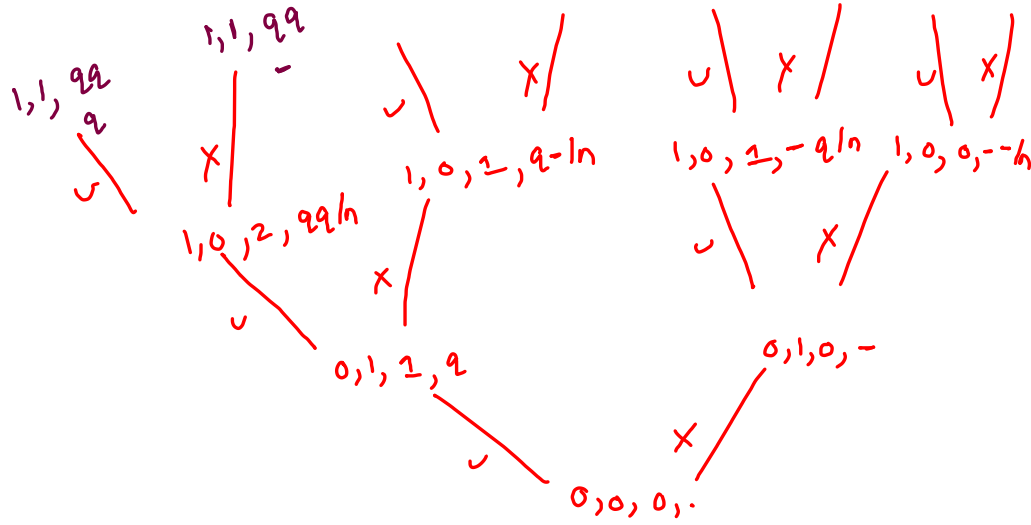
```

public static void queensCombinations(int qpsf, int N, int row, int col, String asf){
    if(row == N) {
        if(qpsf == N) {
            System.out.println(asf);
        }
        return;
    }

    //yes
    if(col < N-1) {
        queensCombinations(qpsf+1, N, row, col+1, asf + "q");
    }
    else {
        queensCombinations(qpsf+1, N, row+1, 0, asf + "q\n");
    }

    //no
    if(col < N-1) {
        queensCombinations(qpsf, N, row, col+1, asf + "-");
    }
    else {
        queensCombinations(qpsf, N, row+1, 0, asf + "-\n");
    }
}

```



Queen permutations-1 (Queen chooses)

$$n \rightarrow 4$$

$$r \rightarrow 2$$

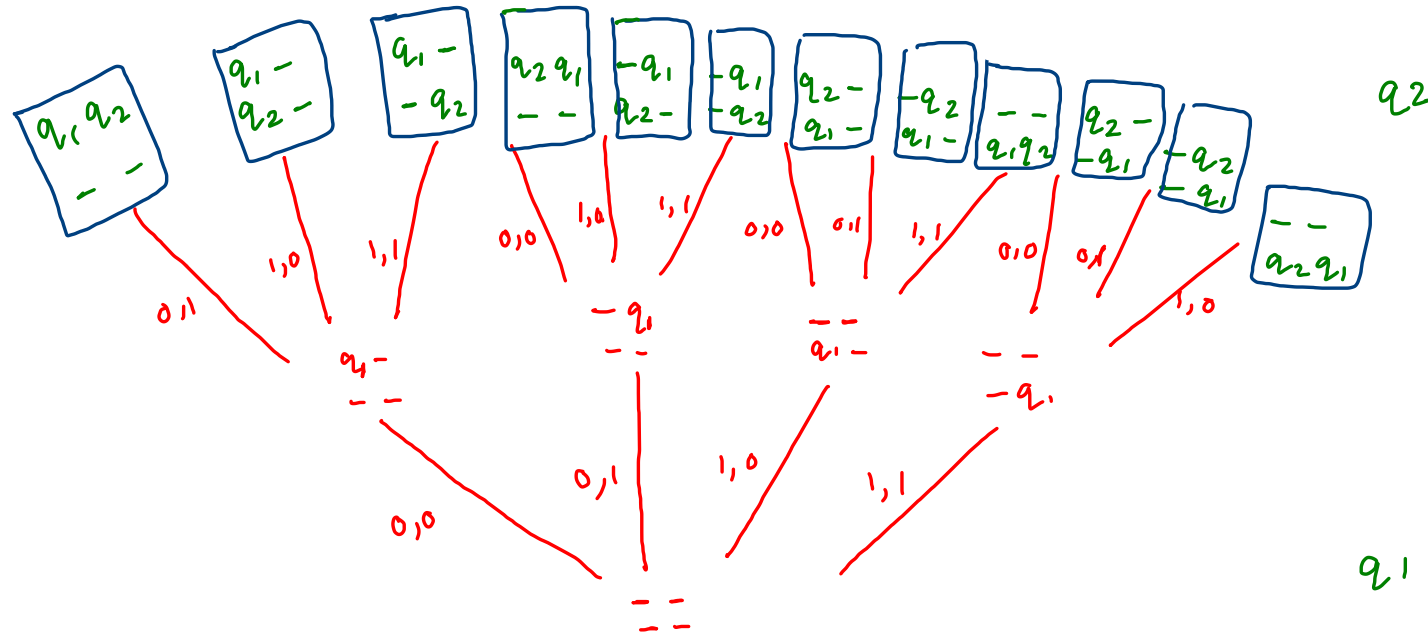
$$4P_2 = \underline{12}$$

	0	1
0		
1		

$$N \rightarrow 2$$

$$n \rightarrow N \times N$$

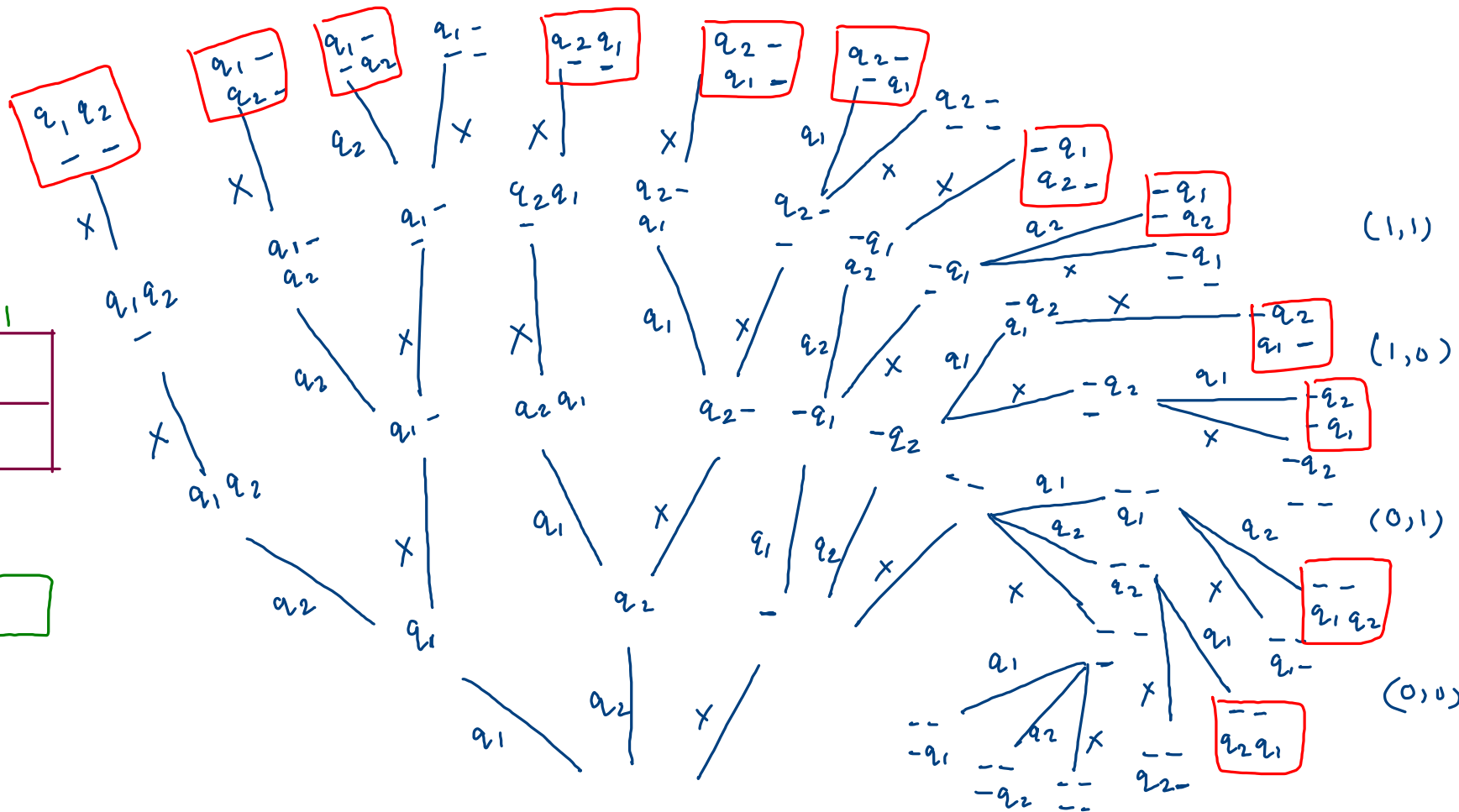
$$r = N$$



Queen permutation: 2

(box chooses)

	0	1
0		
1		



```

if(row == N) {
    if(qpsf == N) {
        System.out.println(asf);
        System.out.println();
    }

    return;
}

//box choice -> yes calls
for(int q = 0; q < N; q++) {
    if(queens[q] == false) {
        queens[q] = true;
        if(col < N-1) {
            queensPermutations(qpsf+1, N, row, col+1, asf + "q" + (q+1) + "\t", queens);
        }
        else {
            queensPermutations(qpsf+1, N, row+1, 0, asf + "q" + (q+1) + "\n", queens);
        }
        queens[q] = false;
    }
}

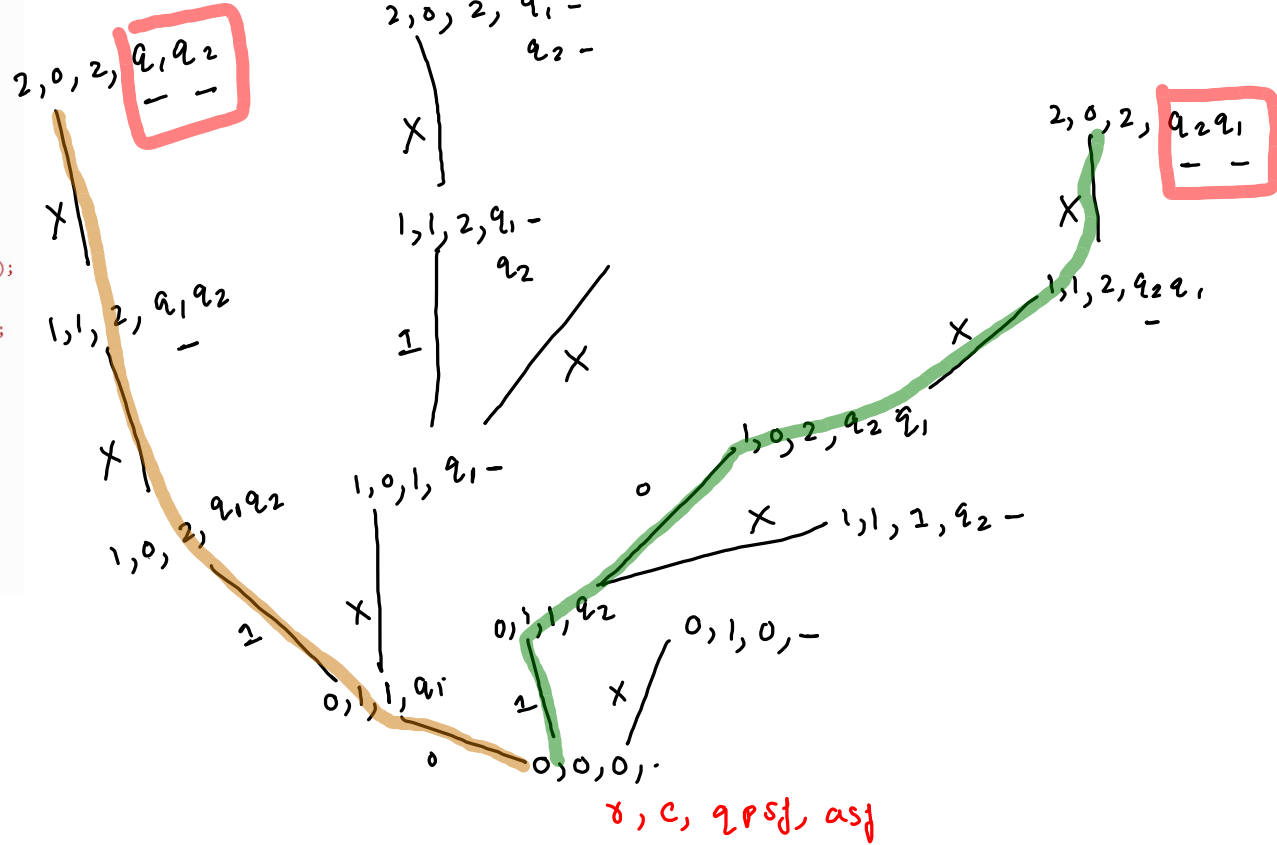
//box no call
if(col < N-1) {
    queensPermutations(qpsf, N, row, col+1, asf + "-\t", queens);
}
else {
    queensPermutations(qpsf, N, row+1, 0, asf + "-\n", queens);
}

```

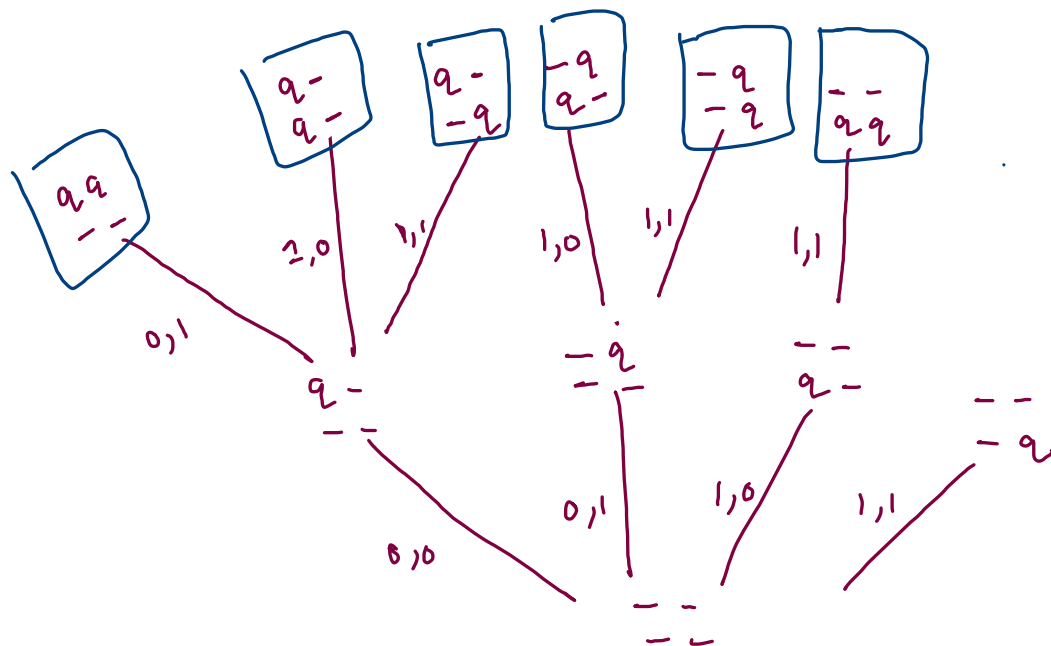
q_1, q_2
- -

q_1 -
 q_2 -

	0	1
0		
1		



combinations - 2 (queen choice)



q

q

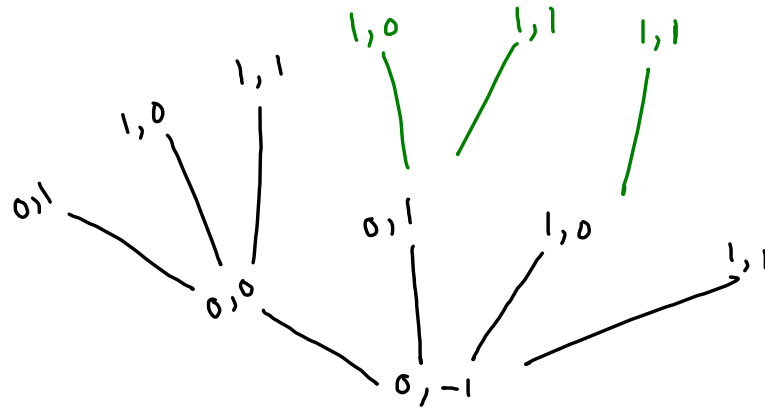
	0	1
0		
1	.	

$dr \Rightarrow$ last placed queen's row

$dc \Rightarrow$ last placed queen's col

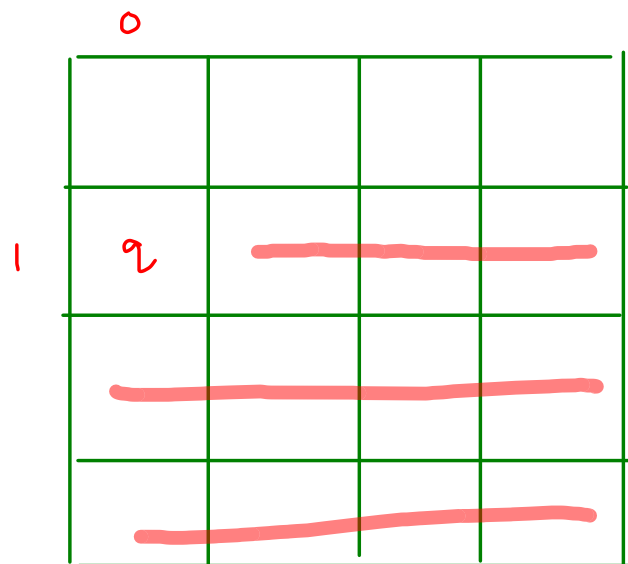
```
for (int i = dr; i < N; i++) {
```

```
    for (int j = (i == dr) ? dc + 1 : 0; j < N; j++)
```




```
for (int i = dr ; i < N ; i++) {
```

```
    for (int j = (i == dr) ? dc + 1 : 0 ; j < N ; j++)
```



$dr = 1$

$dc = 0$

	0	1	2	3
0	0	1	2	3
1	4	5	6	7
2	8	9	10	11

(2d to 1d)

i, j to bno

$$\text{bno} = i * \text{cols} + j$$

(1d to 2d)

bno. to i, j

$$i = \text{bno.} / \text{cols}$$

$$j = \text{bno.} \% \text{cols}$$

Queen comb 2d as 1d
(queen chooses)

	0	1
0	0	1
1	2	3

