# Telecom Churn Case Study

### Content

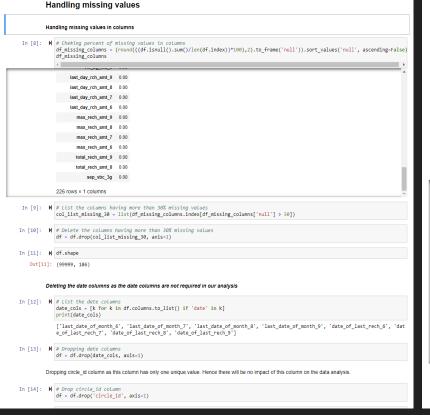
- Problem Statement
- Data Preparation
- O EDA
- Training Data
- Building Model
- Model Evaluation
- Recommendations

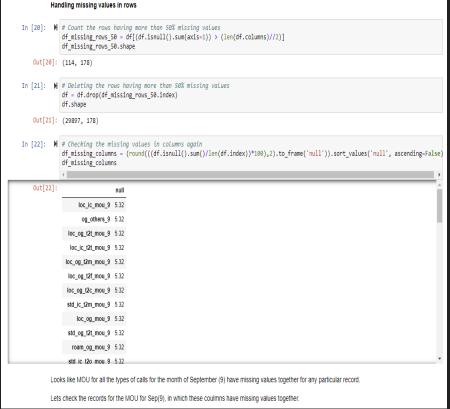
### **Problem Statement**

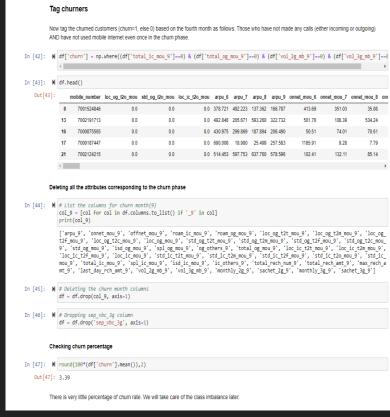
- To reduce customer churn, telecom companies need to predict which customers are at high risk of churn. In this project, we will analyse customer-level data of a leading telecom firm, build predictive models to identify customers at high risk of churn and identify the main indicators of churn.
- Retaining high profitable customers is the main business goal here.

## **Data Preparation**

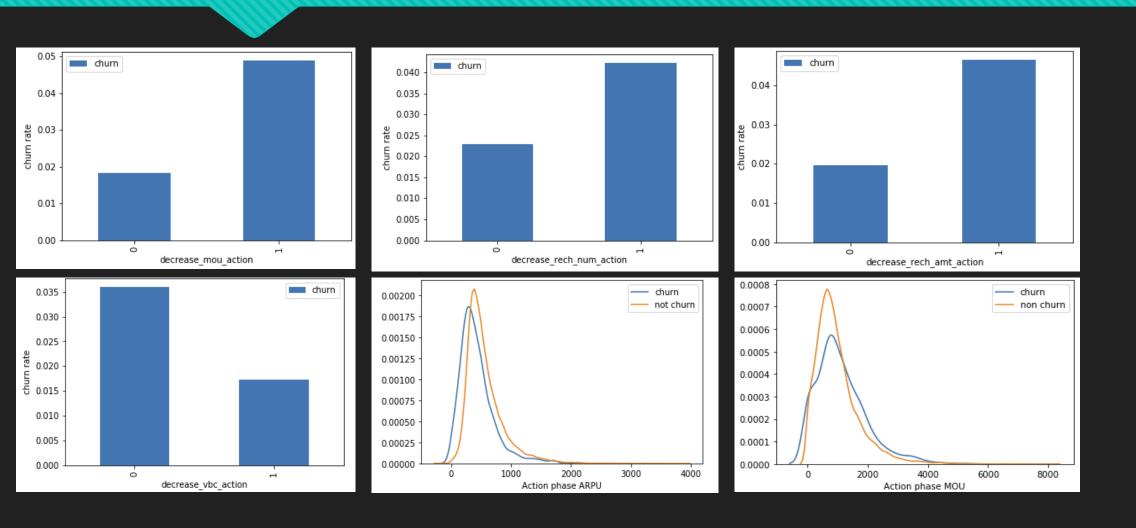
- Importing the Libraries, loading the data in data frame. Checking on the shape and datatypes
- Checking on the Null & Select values and replacing it with Not known.
- Processing null values accordingly & dropping irrelevant columns.

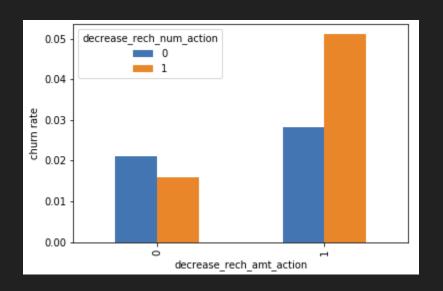


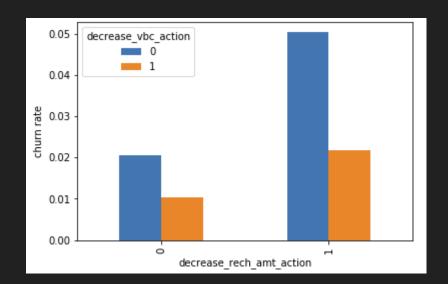


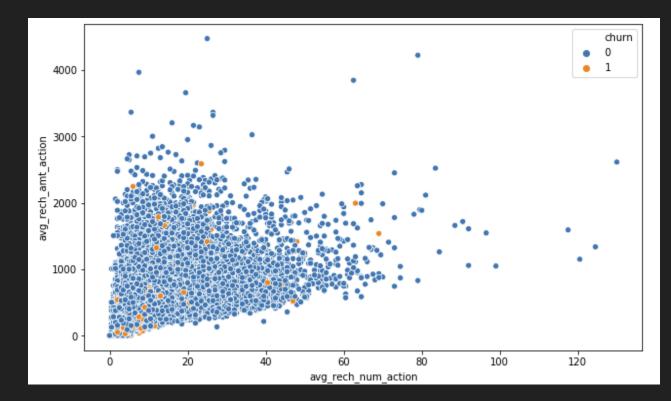


## Exploratory Data Analysis(EDA)









## **Training Data**

Splitting the dataset for training & testing, fitting the training data

### Train-Test Split

### Dealing with data imbalance

We are creating synthetic samples by doing upsampling using SMOTE(Synthetic Minority Oversampling Technique).

### **Feature Scaling**

In [94]:	# Standardization method from sklearn.preprocessing import StandardScaler
In [95]:	# Instantiate the Scaler scaler = StandardScaler()
In [97]:	# List of the numeric columns  cols_scale = X_train.columns.to_list()  # Removing the derived binary columns  cols_scale.remove('decrease_mou_action')  cols_scale.remove('decrease_rech_num_action')  cols_scale.remove('decrease_rech_amt_action')  cols_scale.remove('decrease_appu_action')  cols_scale.remove('decrease_appu_action')  cols_scale.remove('decrease_vbc_action')
In [98]:	# Fit the data into scaler and transform X_train[cols_scale] = scaler.fit_transform(X_train[cols_scale])

### In [99]: M X\_train.head()

Out[99]:		loc_og_t2o_mou	std_og_t2o_mou	loc_ic_t2o_mou	arpu_6	arpu_7	arpu_8	onnet_mou_6	onnet_mou_7	onnet_mou_8	offnet_mou_6	offnet_mo
	0	0.0	0.0	0.0	0.140777	-0.522792	-0.276289	0.106540	-0.662084	-0.465777	-0.211202	-0.636
	1	0.0	0.0	0.0	-1.427243	4.428047	3.254270	-0.658491	-0.236590	-0.004450	-0.776075	2.523
	_											

0	0.0	0.0	0.0	0.140777	-0.522792	-0.276289	0.106540	-0.662084	-0.465777	-0.211202	-0.63
1	0.0	0.0	0.0	-1.427243	4.428047	3.254270	-0.658491	-0.236590	-0.004450	-0.776075	2.52
2	0.0	0.0	0.0	-0.222751	0.543206	0.809117	-0.601239	-0.599206	-0.331043	-0.363395	-0.49
3	0.0	0.0	0.0	-0.911173	0.842273	0.731302	-0.702232	-0.650471	-0.458464	-0.789784	-0.65
4	0.0	0.0	0.0	0.271356	0.247684	1.256421	-0.356392	-0.180394	0.114727	0.899204	0.90
4											-

### Scaling the test set

Out[100]

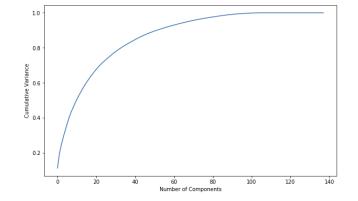
We don't fit scaler on the test set. We only transform the test set.

In [100]: ) # Transform the test set
X\_test[cols\_scale] = scaler.transform(X\_test[cols\_scale])
X\_test.head()

]:		loc_og_t2o_mou	std_og_t2o_mou	loc_ic_t2o_mou	arpu_6	arpu_7	arpu_8	onnet_mou_6	onnet_mou_7	onnet_mou_8	offnet_mou_6	offnet_
	5704	0.0	0.0	0.0	0.244310	-0.268832	1.005890	-0.725286	-0.690223	-0.476634	0.483540	0.
	64892	0.0	0.0	0.0	0.048359	-0.779609	-0.157969	-0.734066	-0.698072	-0.502219	-0.358555	-0.
	39613	0.0	0.0	0.0	0.545470	0.184388	1.403349	-0.537110	-0.521615	-0.206890	0.694901	0.
	93118	0.0	0.0	0.0	0.641508	0.816632	-0.211023	-0.058843	0.029897	-0.155872	-0.148197	-0.
	81235	0.0	0.0	0.0	3.878627	0.911619	2.745295	4.117829	1.452446	2.809582	-0.002634	-0.
	4											-

# **Building Model**

### Model with PCA In [101]: | #Import PCA from sklearn.decomposition import PCA In [102]: # Instantiate PCA pca = PCA(random state=42) In [103]: H # Fit train set on PCA pca.fit(X train) Out[103]: PCA(copy=True, iterated power='auto', n components=None, random state=42, svd solver='auto', tol=0.0, whiten=False) In [104]: ▶ # Principal components pca.components\_ Out[104]: array([[-7.50315936e-20, 4.16333634e-17, 1.11022302e-16, ..., -2.59799614e-02, -2.57740516e-02, 1.40032998e-02], [-1.61507486e-19, -5.55111512e-17, 0.00000000e+00, ..., -1.16737642e-02, -9.94022864e-03, -1.42598315e-02], [ 1.91332162e-19, -2.77555756e-17, 0.00000000e+00, ..., -4.18532955e-02, -4.28357226e-02, 2.46812846e-02], [-0.00000000e+00. -3.78694731e-02. -3.56427844e-02. .... 1.23056947e-16, -4.06575815e-17, -0.00000000e+00], [ 0.00000000e+00, 2.32804774e-01, 3.95374959e-02, ..., 6.41847686e-17, 3.12250226e-17, 8.32667268e-17], [ 9.99999199e-01, -3.85782335e-04, 1.19512948e-03, ..., 1.35525272e-20, 3.11708125e-19, -1.99086624e-17]]) In [105]: ► # Cumuliative varinace of the PCs variance\_cumu = np.cumsum(pca.explained\_variance\_ratio\_) print(variance\_cumu) [0.11213256 0.19426234 0.24575583 0.28953571 0.32841891 0.36623473 0.40173361 0.43144425 0.45702167 0.48194328 0.50480575 0.52673812 0.54724457 0.5670202 0.58530008 0.60304258 0.6190213 0.63473458 0.64927873 0.66341423 0.67712828 0.69025011 0.7020618 0.71278516 0.72309435 0.73290234 0.74255604 0.75209676 0.76151565 0.77010093 0.77861315 0.7866115 0.79429496 0.80173555 0.80878909 0.81538157 0.82193734 0.8283476 0.83472622 0.84089758 0.84687761 0.85280024 0.85840083 0.86374029 0.86901646 0.87418749 0.87891437 0.88341796 0.91060084 0.91411689 0.91752343 0.92076319 0.92395413 0.92705111 0.93001239 0.93296077 0.93580029 0.93862291 0.94138851 0.9441162 0.94678675 0.94937767 0.95188405 0.95433786 0.95665036 0.95893735 0.96116409 0.96323063 0.96526039 0.967203 0.96912626 0.97100138 0.97284931 0.9746657 0.97639261 0.97806622 0.97972617 0.98133794 0.98290963 0.98446566 0.98601222 0.98753485 0.98877905 0.98998795 0.99114751 0.99224606 0.99321228 0.99407803 0.9949224 0.99573799 0.99652652 0.99717502 0.99776401 0.99831985 0.99880793 0.99912289 0.99942656 0.99969174 0.99985313 0.99994737 0.99998103 0.99999839 0.99999963 0.99999989 1. In [106]: ▶ # Plotting scree plot fig = plt.figure(figsize = (10,6)) plt.plot(variance cumu) plt.xlabel('Number of Components') plt.ylabel('Cumulative Variance') Out[106]: Text(0, 0.5, 'Cumulative Variance')



We can see that 60 components explain amost more than 90% variance of the data. So, we will perform PCA with 60 components

### Performing PCA with 60 components

In [107]: M # Importing incremental PCA from sklearn.decomposition import IncrementalPCA
--

```
In [108]: M # Instantiate PCA with 60 components pca_final = IncrementalPCA(n_components=60)
```

### Applying transformation on the test set

We are only doing Transform in the test set not the Fit-Transform. Because the Fitting is already done on the train set. So, we just have to do the transformation with the already fitted data on the train set.

```
In [110]: M X_test_pca = pca_final.transform(X_test)
```

### Emphasize Sensitivity/Recall than Accuracy

We are more focused on higher Sensitivity/Recall score than the accuracy.

Beacuse we need to care more about chum cases than the not chum cases. The main goal is to reatin the customers, who have the possibility to chum. There should not be a problem, if we consider few not churn customers as chum customers and provide them some incentives for retaining them. Hence, the sensitivity score is more important here.

### Logistic regression with PCA

from sklearn import metrics

from sklearn.metrics import confusion\_matrix

```
In [111]: ▶ # Importing scikit logistic regression module
             from sklearn.linear model import LogisticRegression
In [112]: ▶ # Impoting metrics
```

### Tuning hyperparameter C

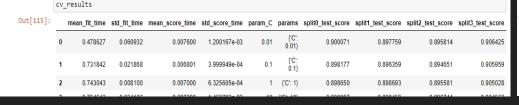
In [115]: ▶ # results of grid search CV

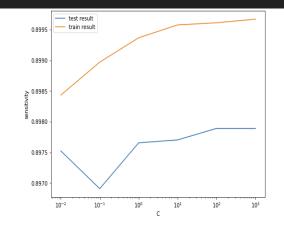
cv results = pd.DataFrame(model cv.cv results )

C is the the inverse of regularization strength in Logistic Regression. Higher values of C correspond to less regularization.

```
In [113]: № # Importing libraries for cross validation
             from sklearn.model selection import KFold
             from sklearn.model_selection import cross_val_score
             from sklearn.model selection import GridSearchCV
In [114]: ► # Creating KFold object with 5 splits
              folds = KFold(n_splits=5, shuffle=True, random_state=4)
             # Specify params
             params = {"C": [0.01, 0.1, 1, 10, 100, 1000]}
             # Specifing score as recall as we are more focused on acheiving the higher sensitivity than the accuracy
             model_cv = GridSearchCV(estimator = LogisticRegression(),
                                     param grid = params,
                                     scoring= 'recall',
                                     cv = folds,
                                     verbose = 1,
                                     return train score=True)
             # Fit the model
             model_cv.fit(X_train_pca, y_train)
             Fitting 5 folds for each of 6 candidates, totalling 30 fits
              [Parallel(n_jobs=1)]: Using backend SequentialBackend with 1 concurrent workers.
              [Parallel(n_jobs=1)]: Done 30 out of 30 | elapsed: 21.6s finished
   Out[114]: GridSearchCV(cv=KFold(n_splits=5, random_state=4, shuffle=True),
```

```
error_score=nan,
estimator=LogisticRegression(C=1.0, class_weight=None, dual=False,
                            fit intercept=True,
                            intercept_scaling=1, l1_ratio=None,
                            max iter=100, multi class='auto',
                            n_jobs=None, penalty='12',
                            random state=None, solver='lbfgs',
                            tol=0.0001, verbose=0,
                            warm start=False),
iid='deprecated', n_jobs=None,
param_grid={'C': [0.01, 0.1, 1, 10, 100, 1000]},
pre_dispatch='2*n_jobs', refit=True, return_train_score=True,
scoring='recall', verbose=1)
```





```
[19]: # Best score with best C
         best_score = model_cv.best_score_
        best_C = model_cv.best_params_['C']
        print(" The highest test sensitivity is {0} at C = {1}".format(best_score, best_C))
```

The highest test sensitivity is 0.8978916608693863 at C = 100

### Logistic regression with optimal C

```
# Instantiate the model with best C
        logistic_pca = LogisticRegression(C=best_C)
[21]: | # Fit the model on the train set
        log_pca_model = logistic_pca.fit(X_train_pca, y_train)
```

### Prediction on the train set

[22]: | # Predictions on the train set

```
y_train_pred = log_pca_model.predict(X_train_pca)
123]: # Confusion matrix
        confusion = metrics.confusion_matrix(y_train, y_train_pred)
         print(confusion)
         [[17908 3517]
         [ 2154 19271]]
```

```
124]: N TP = confusion[1,1] # true positive
        TN = confusion[0,0] # true negatives
        FP = confusion[0,1] # false positives
        FN = confusion[1,0] # false negatives
```

```
125]: H # Accuracy
         print("Accuracy:-",metrics.accuracy_score(y_train, y_train_pred))
         # Sensitivity
         print("Sensitivity:-",TP / float(TP+FN))
         print("Specificity:-", TN / float(TN+FP))
```

```
Accuracy: - 0.8676546091015169
Sensitivity:- 0.899463243873979
Specificity: - 0.8358459743290548
```

### Prediction on the test set

```
In [126]: # Prediction on the test set
             y_test_pred = log_pca_model.predict(X_test_pca)
In [127]: ▶ # Confusion matrix
             confusion = metrics.confusion matrix(y test, y test pred)
             print(confusion)
             [[4452 896]
               36 157]]
TN = confusion[0,0] # true negatives
            FP = confusion[0,1] # false positives
            FN = confusion[1,0] # false negatives
In [129]: ▶ # Accuracy
             print("Accuracy:-",metrics.accuracy_score(y_test, y_test_pred))
             # Sensitivity
             print("Sensitivity:-",TP / float(TP+FN))
             # Specificity
            print("Specificity:-", TN / float(TN+FP))
             Accuracy: - 0.8317993142032124
             Sensitivity:- 0.8134715025906736
```

### Model summary

- Train set
  - Accuracy = 0.86

Specificity:- 0.8324607329842932

- Sensitivity = 0.89
- Specificity = 0.83
- Test set
  - Accuracy = 0.83
  - Sensitivity = 0.81
  - Specificity = 0.83

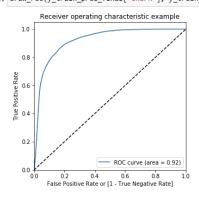
Overall, the model is performing well in the test set, what it had learnt from the train set

### **Model Evaluation**

### Plotting the ROC Curve (Trade off between sensitivity & specificity)

```
In [194]: ₩ # ROC Curve function
             def draw_roc( actual, probs ):
                 fpr, tpr, thresholds = metrics.roc_curve( actual, probs,
                                                           drop_intermediate = False )
                  auc score = metrics.roc auc score( actual, probs )
                 plt.figure(figsize=(5, 5))
                 plt.plot( fpr, tpr, label='ROC curve (area = %0.2f)' % auc_score )
                 plt.plot([0, 1], [0, 1], 'k--')
                 plt.xlim([0.0, 1.0])
                 plt.ylim([0.0, 1.05])
                 plt.xlabel('False Positive Rate or [1 - True Negative Rate]')
                 plt.ylabel('True Positive Rate')
                 plt.title('Receiver operating characteristic example')
                 plt.legend(loc="lower right")
                 plt.show()
                 return None
```

### In [195]: M draw\_roc(y\_train\_pred\_final['churn'], y\_train\_pred\_final['churn\_prob'])



We can see the area of the ROC curve is closer to 1, whic is the Gini of the model.

```
Metrics
In [214]:
          # Confusion matrix
             confusion = metrics.confusion_matrix(y_test_pred_final['churn'], y_test_pred_final['test_predicted'])
             print(confusion)
             [[4190 1158]
              [ 34 159]]
In [215]:
          TP = confusion[1,1] # true positive
             TN = confusion[0,0] # true negatives
             FP = confusion[0,1] # false positives
             FN = confusion[1,0] # false negatives
print("Accuracy:-",metrics.accuracy_score(y_test_pred_final['churn'], y_test_pred_final['test_predicted']))
             # Sensitivity
             print("Sensitivity:-",TP / float(TP+FN))
             # Specificity
             print("Specificity:-", TN / float(TN+FP))
             Accuracy: - 0.7848763761053962
             Sensitivity:- 0.8238341968911918
             Specificity:- 0.7834704562453254
```

### Recommendations

- 1. Target the customers, whose minutes of usage of the incoming local calls and outgoing ISD calls are less in the action phase (mostly in the month of August).
- 2. Target the customers, whose outgoing others charge in July and incoming others on August are less.
- 3.Also, the customers having value based cost in the action phase increased are more likely to churn than the other customers. Hence, these customers may be a good target to provide offer.
- 4. Cutomers, whose monthly 3G recharge in August is more, are likely to be churned.
- 5. Customers having decreasing STD incoming minutes of usage for operators T to fixed lines of T for the month of August are more likely to churn.
- 6. Cutomers decreasing monthly 2g usage for August are most probable to churn.
- 7. Customers having decreasing incoming minutes of usage for operators T to fixed lines of T for August are more likely to churn.
- 8.roam\_og\_mou\_8 variables have positive coefficients (0.7135). That means for the customers, whose roaming outgoing minutes of usage is increasing are more likely to churn.

# Thank You!