

**UNIVERSITY OF MUMBAI  
INSTITUTE OF DISTANCE AND OPEN LEARNING (IDOL)**



**PRACTICAL JOURNAL IN PAPER - I**

**RESEARCH IN COMPUTING**

**SUBMITTED BY  
PRAMOD R. SHARMA  
APPLICATION ID :6647  
SEAT NO:508144**

**MASTERS OF SCIENCE IN INFORMATION TECHNOLOGY PART-1  
SEMESTER-1**

**ACADEMIC YEAR  
2022-2023**

**INSTITUTE OF DISTANCE AND OPEN LEARNING  
IDOL BUILDING, VIDYANAGRI,  
SANTACRUZ(EAST), MUMBAI-400 098**

**CONDUCTED AT  
RIZVI COLLEGE OF ARTS, SCIENCE AND COMMERCE  
BANDRA(W), MUMBAI- 400050**

**UNIVERSITY OF MUMBAI  
INSTITUTE OF DISTANCE AND OPEN LEARNING (IDOL)**



**Dr. Shankar Dayal Sharma Bhavan, Kalina  
Vidyanagri, Santacruz(E), Mumbai-400 098**

## Certificate

This is to certify that

Mr. **Pramod Radheshyam Sharma**, Application ID: **6647**, Seat No: **508144** - from  
Rizvi College of Arts, Science and Commerce Bandra(W), Mumbai 400 050 has  
successfully completed practical Paper **I** titled **RESEARCH IN COMPUTING** for M.sc  
(IT) Part1 semester 1 in the academic year 2022-2023.

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M.sc (IT) Co-Ordinator, IDOL

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External Examiner

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# Practical 1

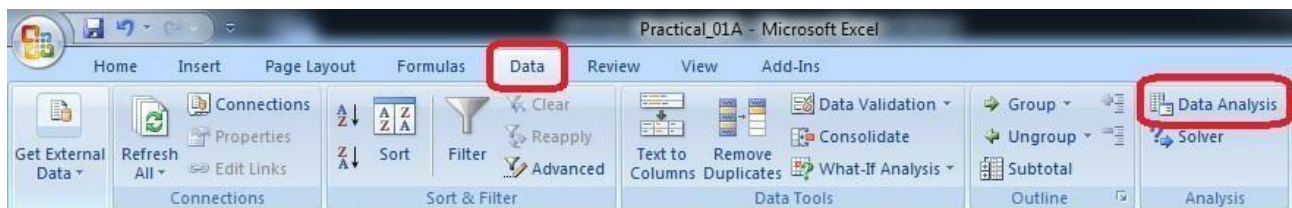
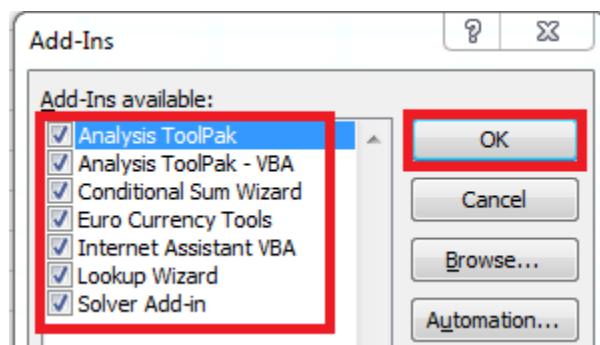
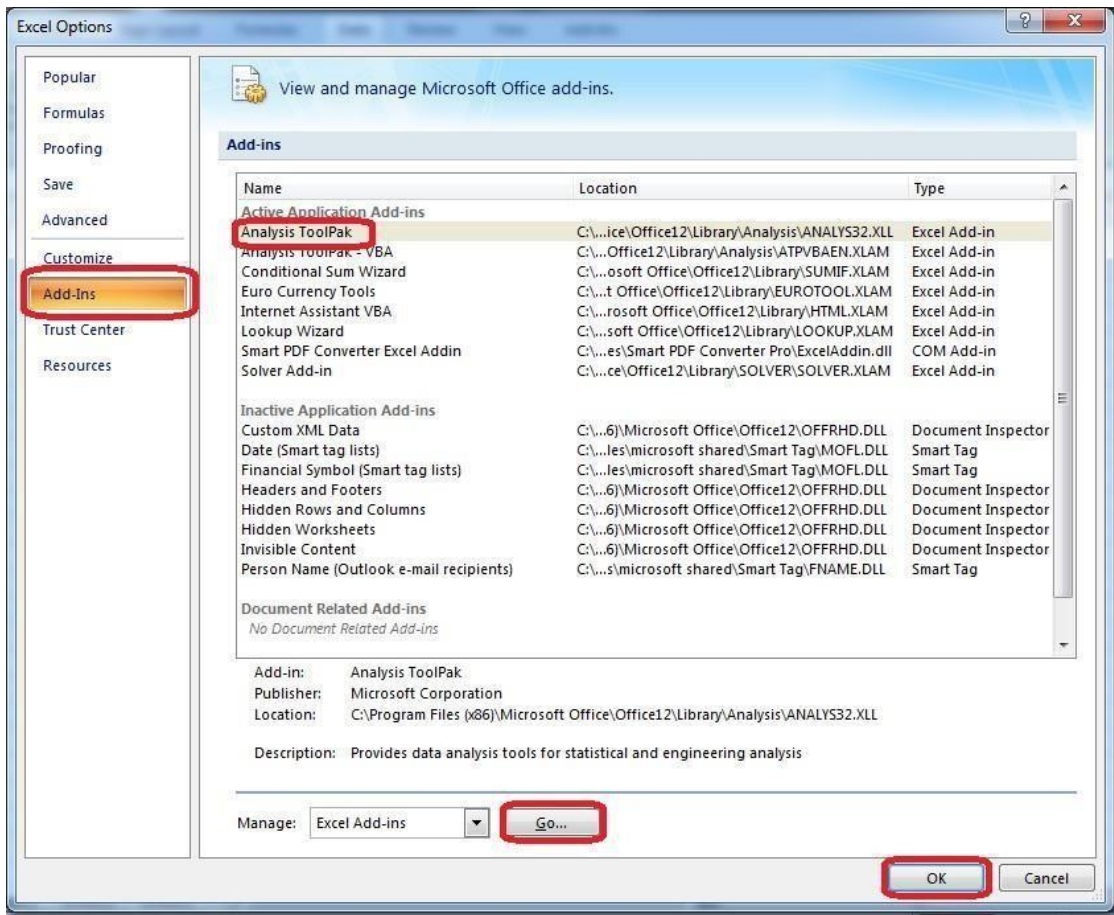
## A. Write a program for obtaining descriptive statistics of data.

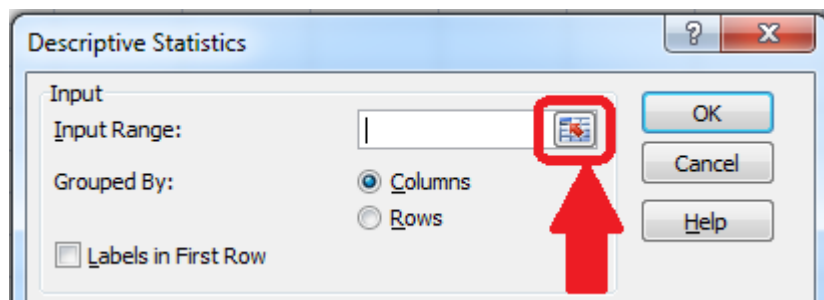
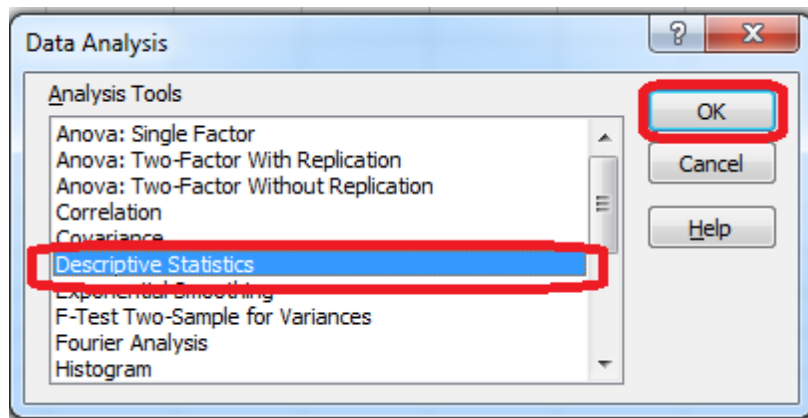
```
#####  
#Practical 1A: Write a python program on descriptive statistics analysis.  
#####import  
pandas as pd  
#Create a Dictionary of series  
d = {'Age':pd.Series([25,26,25,23,30,29,23,34,40,30,51,46]),  
      'Rating':pd.Series([4.23,3.24,3.98,2.56,3.20,4.6,3.8,3.78,2.98,4.80,4.10,3.65])}  
#Create a DataFrame df =  
pd.DataFrame(d)print(df)  
print('##### Sum ##### ')  
print(df.sum())  
print('##### Mean ##### ')  
print(df.mean())  
print('##### Standard Deviation ##### ')print  
(df.std())  
print('##### Descriptive Statistics ##### ')print  
(df.describe())
```

### Output:

```
Age Rating  
0 25 4.23  
1 26 3.24  
2 25 3.98  
3 23 2.56  
4 30 3.20  
5 29 4.60  
6 23 3.80  
7 34 3.78  
8 40 2.98  
9 30 4.80  
10 51 4.10  
11 46 3.65  
##### Sum #####  
Age 382.00  
Rating 44.92  
dtype: float64  
##### Mean #####  
Age 31.833333  
Rating 3.743333  
dtype: float64  
##### Standard Deviation #####  
Age 9.232682  
Rating 0.661628  
dtype: float64  
##### Descriptive Statistics #####  
Age Rating  
count 12.000000 12.000000  
mean 31.833333 3.743333  
std 9.232682 0.661628  
min 23.000000 2.560000  
25% 25.000000 3.230000  
50% 29.500000 3.790000  
75% 35.500000 4.132500  
max 51.000000 4.800000
```

# Using Excel






Select the data range from the excel worksheet.

	A	B	C	D	E	F	G
1	<b>Sr. No</b>	<b>Name</b>	<b>Age</b>	<b>Rating</b>			
2	1	AA	25	4.23			
3	2	BB	26	3.24			
4	3	CC	25	3.98			
5	4	DD	23	2.56			
6	5	EE	30	3.2			
7	6	FF	29	4.6			
8	7	GG	23	3.8			
9	8	HH	34	3.78			
10	9	II	40	2.98			
11	10	JJ	30	4.8			
12	11	KK	51	4.1			
13	12	LL	46	3.65			

Descriptive Statistics



**Descriptive Statistics**

**Input**

Input Range:

Grouped By: ☒ Columns ☐ Rows

☐ Labels in first row

**Output options**

☒ Output Range:

☐ New Worksheet Ply:

☐ New Workbook

☒ Summary statistics

☒ Confidence Level for Mean:  %

☒ Kth Largest:

☒ Kth Smallest:

**Output:**

	A	B	C	D	E	F	G
1	<b>Sr. No</b>	<b>Name</b>	<b>Age</b>	<b>Rating</b>			
2	1	AA	25	4.23		<i>Column1</i>	
3	2	BB	26	3.24			
4	3	CC	25	3.98		Mean	31.83333
5	4	DD	23	2.56		Standard Error	2.665246
6	5	EE	30	3.2		Median	29.5
7	6	FF	29	4.6		Mode	25
8	7	GG	23	3.8		Standard Deviation	9.232682
9	8	HH	34	3.78		Sample Variance	85.24242
10	9	II	40	2.98		Kurtosis	0.24931
11	10	JJ	30	4.8		Skewness	1.135089
12	11	KK	51	4.1		Range	28
13	12	LL	46	3.65		Minimum	23
14						Maximum	51
15						Sum	382
16						Count	12
17						Largest(1)	51
18						Smallest(1)	23
19						Confidence Level(95.0%)	5.866167

## **B. Import data from different data sources (from Excel, csv, mysql, sqlserver, oracle to R/Python/Excel)**

### **SQLite:**

```
import sqlite3 as sqimport
pandas as pd
#####
Base='C:/VKHCG'
sDatabaseName=Base + '/01-Vermeulen/00-RawData/SQLite/vermeulen.db' conn =
sq.connect(sDatabaseName)
#####
sFileName='C:/VKHCG/01-Vermeulen/01-Retrieve/01-EDS/02-
Python/Retrieve_IP_DATA.csv'
print('Loading :',sFileName)
IP_DATA_ALL_FIX=pd.read_csv(sFileName,header=0,low_memory=False)
IP_DATA_ALL_FIX.index.names = ['RowIDCSV'] sTable='IP_DATA_ALL'
print('Storing :',sDatabaseName,' Table:',sTable)
IP_DATA_ALL_FIX.to_sql(sTable, conn, if_exists="replace") print('Loading
:',sDatabaseName,' Table:',sTable) TestData=pd.read_sql_query("select * from
IP_DATA_ALL;", conn)print('#####')
print('## Data Values')
print('#####')
print(TestData)
print('#####')
print('## Data Profile')
print('#####')
print('Rows :',TestData.shape[0])
print('Columns :',TestData.shape[1])
print('#####')
print('### Done!! #####')
```



```

Python 3.7.4 Shell
File Edit Shell Debug Options Window Help
>>>
- RESTART: C:/VKHCG/03-Hillman/01-Retrieve/Retrieve-IP_DATA_ALL_2_Sqlite.py =
Loading : C:/VKHCG/01-Vermeulen/01-Retrieve/01-EDS/02-Python/Retrieve_IP_DATA.csv
Storing : C:/VKHCG/01-Vermeulen/00-RawData/SQLite/vermeulen.db Table: IP_DATA_ALL
Loading : C:/VKHCG/01-Vermeulen/00-RawData/SQLite/vermeulen.db Table: IP_DATA_ALL
#####
## Data Values
#####
RowIDCSV RowID ID ... Longitude First.IP.Number Last.IP.Number
0 0 0 1 ... -73.9725 204276480 204276735
1 1 1 2 ... -73.9725 301984864 301985791
2 2 2 3 ... -73.9725 404678736 404679039
3 3 3 4 ... -73.9725 411592704 411592959
4 4 4 5 ... -73.9725 416784384 416784639
...
3557 3557 3557 3558 ... 11.5392 1591269504 1591269631
3558 3558 3558 3559 ... 11.7500 1558374784 1558374911
3559 3559 3559 3560 ... 11.4667 1480845312 1480845439
3560 3560 3560 3561 ... 11.7434 1480596992 1480597503
3561 3561 3561 3562 ... 11.7434 1558418432 1558418943

[3562 rows x 10 columns]
#####
## Data Profile
#####
Rows : 3562
Columns : 10
#####
### Done!! #####
>>>

```

## MySQL:

Open MySQL

Create a database -DataScience

Create a python file and add the following code:

##### Connection With MySQL #####

importmysql.connector

conn = mysql.connector.connect(host='localhost',

database='DataScience',

user='root', password='root')

conn.connect

if(conn.is\_connected):

print('##### Connection With MySql Established Successfullly ##### ')

print('Not Connected -- Check Connection Properites')

```

>>>
RESTART: C:/Users/User/AppData/Local/Programs/Python/Python37-32/mysqlconnection.py
##### Connection With MySql Established Successfullly #####
>>>

```

## Microsoft Excel

#####Retrieve-Country-Currency.py # -\*-

coding: utf-8 -\*-

importos

import pandas as pd

Base='C:/VKHCG'

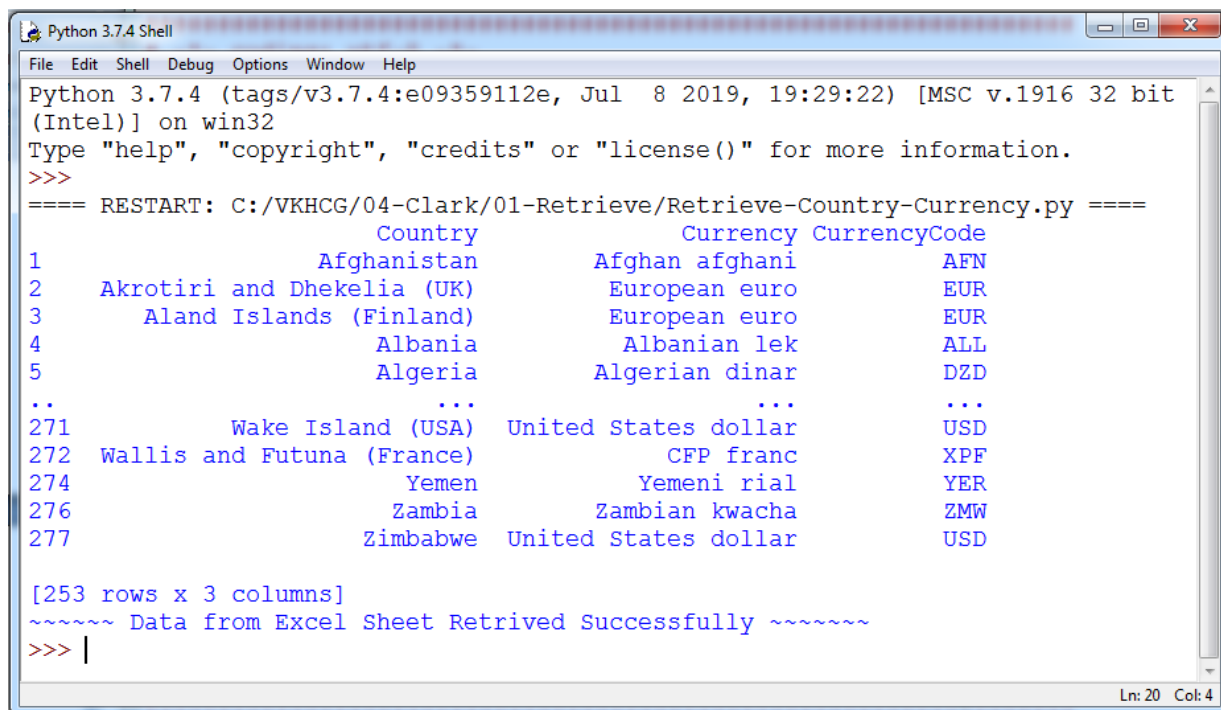
sFileDir=Base + '/01-Vermeulen/01-Retrieve/01-EDS/02-Python'#if not os.path.exists(sFileDir):

```

#os.makedirs(sFileDir)
CurrencyRawData = pd.read_excel('C:/VKHCG/01-Vermeulen/00-RawData/Country_Currency.xlsx')sColumns
= ['Country or territory', 'Currency', 'ISO-4217']
CurrencyData = CurrencyRawData[sColumns]
CurrencyData.rename(columns={'Country or territory': 'Country', 'ISO-4217':
'CurrencyCode'}, inplace=True) CurrencyData.dropna(subset=['Currency'],inplace=True)
CurrencyData['Country'] = CurrencyData['Country'].map(lambda x: x.strip())
CurrencyData['Currency'] = CurrencyData['Currency'].map(lambda x: x.strip())
CurrencyData['CurrencyCode'] = CurrencyData['CurrencyCode'].map(lambda x:x.strip())
print(CurrencyData)
print('~~~~~ Data from Excel Sheet Retrived Successfully ~~~~~')sFileName=sFileDir +
'/Retrieve-Country-Currency.csv' CurrencyData.to_csv(sFileName, index = False)

```

## OUTPUT:



```

Python 3.7.4 Shell
File Edit Shell Debug Options Window Help
Python 3.7.4 (tags/v3.7.4:e09359112e, Jul 8 2019, 19:29:22) [MSC v.1916 32 bit
(Intel)] on win32
Type "help", "copyright", "credits" or "license()" for more information.
>>>
===== RESTART: C:/VKHCG/04-Clark/01-Retrieve/Retrieve-Country-Currency.py =====
Country Currency CurrencyCode
1 Afghanistan Afghan afghani AFN
2 Akrotiri and Dhekelia (UK) European euro EUR
3 Aland Islands (Finland) European euro EUR
4 Albania Albanian lek ALL
5 Algeria Algerian dinar DZD
.. ...
271 Wake Island (USA) United States dollar USD
272 Wallis and Futuna (France) CFP franc XPF
274 Yemen Yemeni rial YER
276 Zambia Zambian kwacha ZMW
277 Zimbabwe United States dollar USD

[253 rows x 3 columns]
~~~~~ Data from Excel Sheet Retrived Successfully ~~~~~
>>> |
Ln: 20 Col: 4

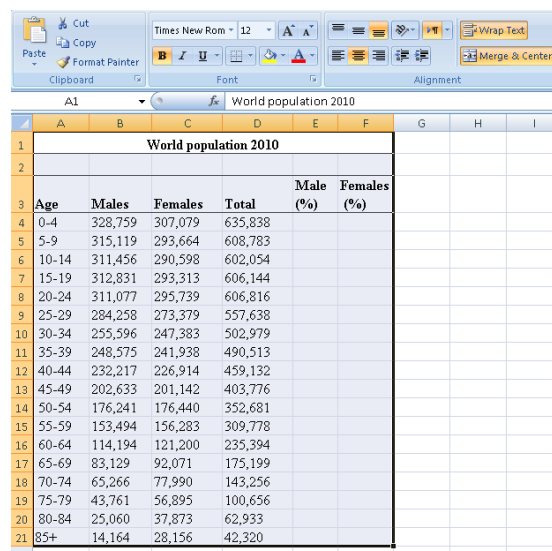
```

## Practical 2

### Perform analysis of given secondary data.

1. **Determine your research question** – Knowing exactly what you are looking for.
2. **Locating data**– Knowing what is out there and whether you can gain access to it. A quick Internet search, possibly with the help of a librarian, will reveal a wealth of options.
3. **Evaluating relevance of the data** – Considering things like the data's original purpose, when it was collected, population, sampling strategy/sample, data collection protocols, operationalization of concepts, questions asked, and form/shape of the data.
4. **Assessing credibility of the data** – Establishing the credentials of the original researchers, searching for full explication of methods including any problems encountered, determining how consistent the data is with data from other sources, and discovering whether the data has been used in any credible published research.
5. **Analysis** – This will generally involve a range of statistical processes.

**Example:** Analyze the given Population Census Data for Planning and Decision Making by using the size and composition of populations.



	A	B	C	D	E	F
	Age	Males	Females	Total	Male (%)	Females (%)
1	0-4	328,759	307,079	635,838		
2	5-9	315,119	293,664	608,783		
3	10-14	311,456	290,598	602,054		
4	15-19	312,831	293,313	606,144		
5	20-24	311,077	295,739	606,816		
6	25-29	284,258	273,379	557,638		
7	30-34	255,596	247,383	502,979		
8	35-39	248,575	241,938	490,513		
9	40-44	232,217	226,914	459,132		
10	45-49	202,633	201,142	403,776		
11	50-54	176,241	176,440	352,681		
12	55-59	153,494	156,283	309,778		
13	60-64	114,194	121,200	235,394		
14	65-69	83,129	92,071	175,199		
15	70-74	65,266	77,990	143,256		
16	75-79	43,761	56,895	100,656		
17	80-84	25,060	37,873	62,933		
18	85+	14,164	28,156	42,320		

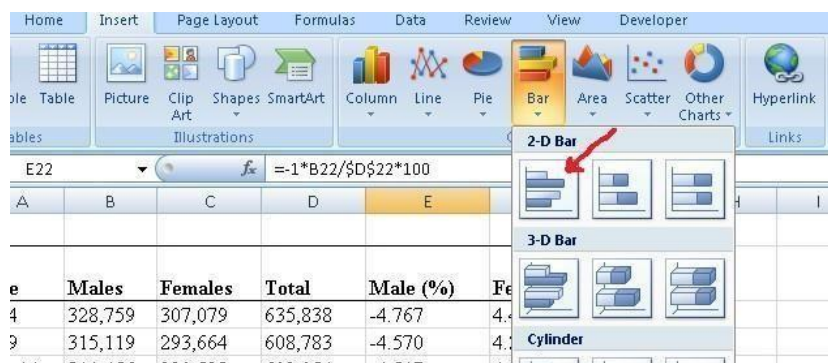
Put the cursor in cell **B22** and click on the **AutoSum** and then click **Enter**. This will calculate the total population. Then copy the formula in cell **D22** across the row **22**. To calculate the percent of males in cell **E4**, enter the formula  $=B4/D22$ . And copy the formula in cell **E4** down to cell **E21**.

To calculate the percent of females in cell **F4**, enter the formula  $=C4/D22$ . Copy the formula in cell **F4** down to cell **F21**.

	A	B	C	D	E	F	G	H	I	J
2										
3	Age	Males	Females	Total	Male (%)	Females (%)				
4	0-4	328,759	307,079	635,838	-4.767	4.453				
5	5-9	315,119	293,664	608,783	-4.570	4.259				
6	10-14	311,456	290,598	602,054	-4.517	4.214				
7	15-19	312,831	293,313	606,144	-4.536	4.253				
8	20-24	311,077	295,739	606,816	-4.511	4.289				
9	25-29	284,258	273,379	557,638	-4.122	3.964				
10	30-34	255,596	247,383	502,979	-3.706	3.587				
11	35-39	248,575	241,938	490,513	-3.605	3.508				
12	40-44	232,217	226,914	459,132	-3.367	3.291				
13	45-49	202,633	201,142	403,776	-2.938	2.917				
14	50-54	176,241	176,440	352,681	-2.556	2.559				
15	55-59	153,494	156,283	309,778	-2.226	2.266				
16	60-64	114,194	121,200	235,394	-1.656	1.758				
17	65-69	83,129	92,071	175,199	-1.205	1.335				
18	70-74	65,266	77,990	143,256	-0.946	1.131				
19	75-79	43,761	56,895	100,656	-0.635	0.825				
20	80-84	25,060	37,873	62,933	-0.363	0.549				
21	85+	14,164	28,156	42,320	-0.205	0.408				
22	Total	3,477,830	3,418,057	6,895,887	-50.433	49.567				
23										
24										

To build the population pyramid, we need to choose a horizontal bar chart with two series of data (% male and % female) and the age labels in column A as the **Category X-axis** labels. Highlight the range **A3:A21**, hold down the CTRL key and highlight the range **E3:F21**

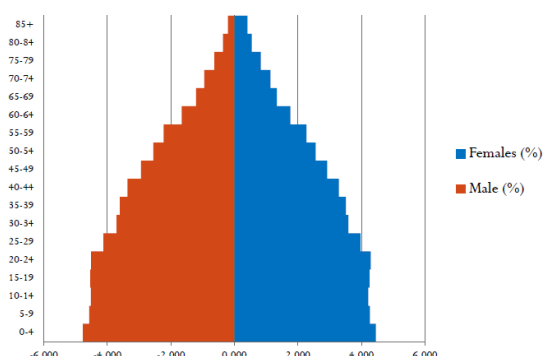
Under **inset** tab, under horizontal bar charts select **clustered bar chart**



Put the tip of your mouse arrow on the **Y-axis** (vertical axis) so it says **-Category Axis**, right click and chose **Format Axis**

Choose **Axis options** tab and set the major and minor tick mark type to **None**, Axis labels to **Low**, and click **OK**.

Click on any of the bars in your pyramid, click right and select **-format data series**. Set the **Overlap** to **100** and **Gap Width** to **0**. Click **OK**.



## Practical 3

### A. Perform testing of hypothesis using one sample t-test.

**One sample t-test :** The One Sample T Test determines whether the sample mean is statistically different from a known or hypothesised population mean. The One Sample T Test is a parametric test.

#### Program Code:

```
# -*- coding: utf-8 -*- from scipy.stats
import ttest_1sampimport numpy as np
ages = np.genfromtxt('ages.csv')
print(ages)
ages_mean = np.mean(ages)
print(ages_mean)
tset, pval = ttest_1samp(ages, 30)print('p-
values - ',pval)

if pval< 0.05: # alpha value is 0.05
    print(" we are rejecting null hypothesis")
else:
    print("we are accepting null hypothesis")
```

#### Output:

```
In [4]: runfile('K:/Research In Computing/Practical Material/Programs/
Practical_05/Prac_3A.py', wdir='K:/Research In Computing/Practical Material/
Programs/Practical_05')
[20. 30. 25. 13. 16. 17. 34. 35. 38. 42. 43. 45. 48. 49. 50. 51. 54. 55.
 56. 59. 61. 62. 18. 22. 29. 30. 31. 39. 52. 53. 67. 36. 47. 54. 40. 40.
 35. 22. 59. 58. 30. 43. 22. 45. 21. 59. 51. 47. 25. 58. 50. 23. 24. 45.
 37. 59. 28. 28. 48. 42. 54. 36. 36. 24. 26. 24. 50. 48. 34. 44. 56. 55.
 35. 33. 39. 53. 34. 28. 56. 24. 21. 29. 28. 58. 35. 57. 26. 25. 59. 56.
 22. 57. 48. 33. 23. 26. 57. 32. 53. 31. 35. 44. 54. 25. 31. 58. 26. 32.
 26. 50. 41. 49. 26. 33. 34. 24. 43. 42. 51. 36. 38. 38. 40. 38. 56. 39.
 23. 33. 53. 30. 38.]
39.47328244274809
p-values - 5.362905195437013e-14
we are rejecting null hypothesis
```

## B. Write a program for t-test comparing two means for independent samples.

The T distribution provides a good way to perform one sample tests on the mean when the population variance is not known provided the population is normal or the sample is sufficiently large so that the Central Limit Theorem applies.

### Two Sample Test

Example: A college Principal informed classroom teachers that some of their students showed Unusual potential for intellectual gains. One months later the students identified to teachers as having potential for unusual intellectual gains showed significantly greater gainsperformance on a test said to measure IQ than did students who were not so identified. Below are the data for the students:

Experimental	Comparison	
35	2	
40	27	
12	38	
15	31	
21	1	
14	19	
46	1	
10	34	
28	3	
48	1	
16	2	
30	3	
32	2	
48	1	
31	2	
22	1	
12	3	
39	29	
19	37	
25	2	
27.15	11.95	Mean
12.51	14.61	Sd

#### Experimental Data

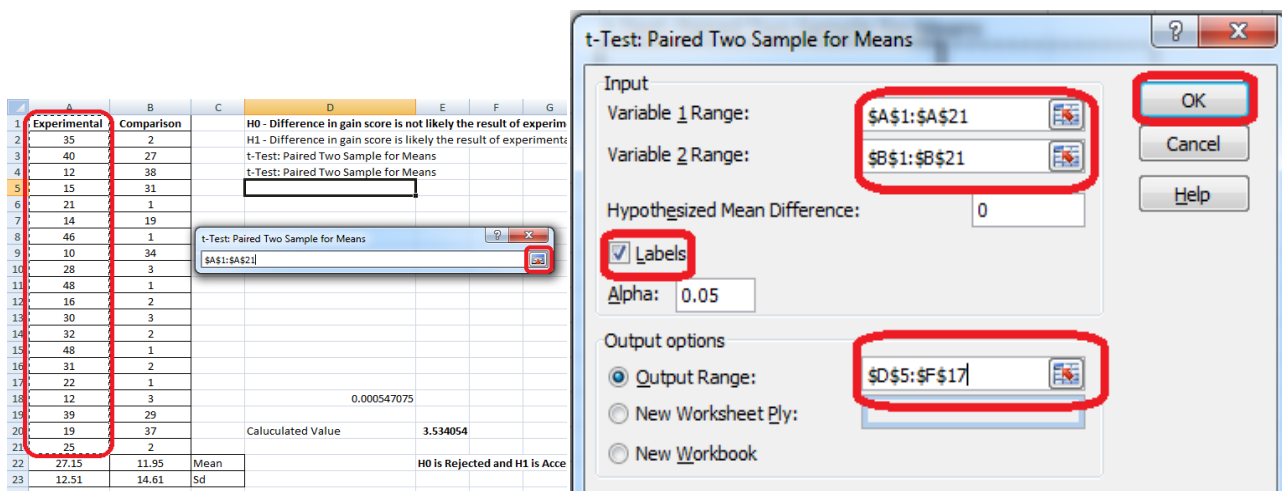
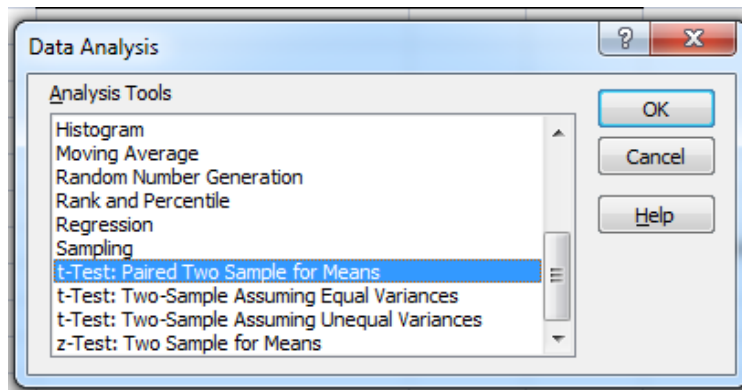
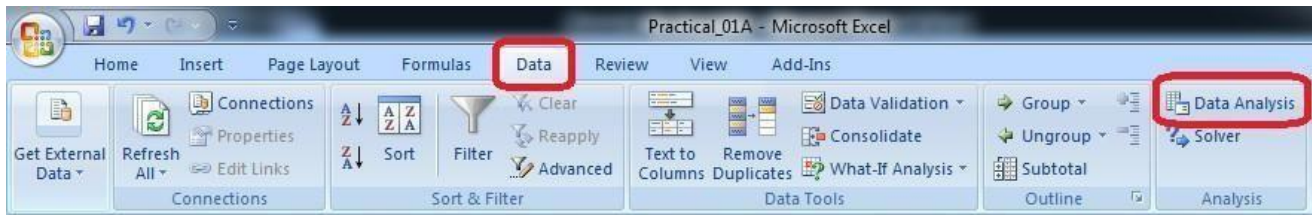
To calculate Standard Mean go to cell A22 and type =SUM(A2:A21)/20

To calculate Standard Deviation go to cell A23 and type =STDEV(A2:A21)

#### Comparison Data

To calculate Standard Mean go to cell B22 and type =SUM(B2:B21)/20

To calculate Standard Deviation go to cell B23 and type =STDEV(B2:B21) To find T-Test Statistics go to data ☐ Data Analysis



To calculate the T-Test square value go to cell E20 and type  

$$=(A22-B22)/\text{SQRT}((A23*A23)/\text{COUNT}(A2:A21)+(B23*B23)/\text{COUNT}(A2:A21))$$

Now go to cell E20 and type  

$$=\text{IF}(E20 < E12, "H0 is Accepted", "H0 is Rejected and H1 is Accepted")$$

Our calculated value is larger than the tabled value at  $\alpha = .01$ , so we reject the null Hypothesis and accept the alternative hypothesis, namely, that the difference in gain scores is likely the result of the experimental treatment and not the result of chance variation.

## Output:

	A	B	C	D	E	F	G	H	I	J	K
1	Experimental	Comparison		H0 - Difference in gain score is not likely the result of experimental treatment.							
2	35	2		H1 - Difference in gain score is likely the result of experimental treatment and not the result of change variation.							
3	40	27		t-Test: Paired Two Sample for Means							
4	12	38		t-Test: Paired Two Sample for Means							
5	15	31		t-Test: Paired Two Sample for Means							
6	21	1									
7	14	19									
8	46	1									
9	10	34									
10	28	3									
11	48	1									
12	16	2									
13	30	3									
14	32	2									
15	48	1									
16	31	2									
17	22	1									
18	12	3									
19	39	29									
20	19	37									
21	25	2									
22	27.15	11.95	Mean								
23	12.51	14.61	Sd								

## Using Python

import numpy as np

from scipy import stats

from numpy.random import randn

N = 20

#a = [35,40,12,15,21,14,46,10,28,48,16,30, 32,48,31,22,12,39,19,25]

#b = [2,27,31,38,1,19,1,34,3,1,2,1,3,1,2,1,3,29,37,2]

a = 5 \* randn(100) + 50

b = 5 \* randn(100) + 51

var\_a =

var\_b =

s = np.sqrt((var\_a + var\_b)/2)

t = (a.mean() - b.mean())/(s\*np.sqrt(2/N))

df = 2\*N - 2

#p-value after comparison with the

stats.t.cdf(t,df=df)

print("t = " + str(t))

print("p = " + str(2\*p))

if t > p :

print('Mean of two distribution are different and significant')

else:

print('Mean of two distribution are same and not significant')

```
In [9]: runfile('E:/Research In Computing/Programs/
Practical_04/Program_48.py', wdir='E:/Research In
Computing/Programs/Practical_04')
t = -1.051463820987354
p = 1.700313560478936
Mean of two distribution are same and not significant

In [10]: runfile('E:/Research In Computing/Programs/
Practical_04/Program_48.py', wdir='E:/Research In
Computing/Programs/Practical_04')
t = 0.46409515960993775
p = 0.6452274090296801
Mean of two distribution are different and significant
```



## A. Perform testing of hypothesis using paired t-test.

The paired sample t-test is also called dependent sample t-test. It's an univariate test that tests for a significant difference between 2 related variables. An example of this is if you were to

collect the blood pressure for an individual before and after some treatment, condition, or time point. The data set contains blood pressure readings before and after an intervention. These are variables `-bp_before` and `-bp_after`.

The hypothesis being tested is:

- **H<sub>0</sub>** - The mean difference between sample 1 and sample 2 is equal to 0.
- **H<sub>0</sub>** - The mean difference between sample 1 and sample 2 is not equal to 0

### Program Code:

```
# -*- coding: utf-8 -*-
```

```
Created on Mon Dec 16 19:49:23 2019 from
```

```
scipy import stats
```

```
import matplotlib.pyplot as plt
```

```
import pandas as pd
```

```
df = pd.read_csv("blood_pressure.csv") print(df[['bp_before', 'bp_after']].describe())
```

```
#First let's check for any significant outliers in each of the variables.
```

```
df[['bp_before', 'bp_after']].plot(kind='box') # This
```

```
saves the plot as a png file
```

```
plt.savefig('boxplot_outliers.png')
```

```
# make a histogram to differences between the two scores.
```

```
df['bp_difference'] = df['bp_before'] - df['bp_after']
```

```
df['bp_difference'].plot(kind='hist', title='Blood Pressure Difference Histogram') # Again,
```

```
this saves the plot as a png file
```

```
plt.savefig('blood pressure difference histogram.png')
```

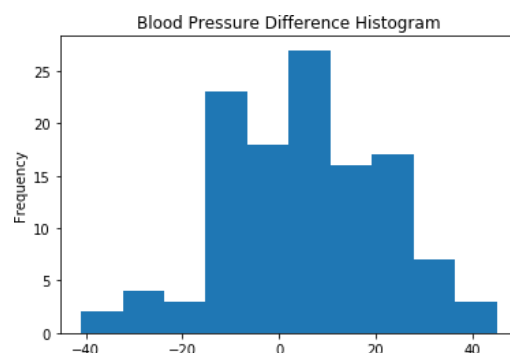
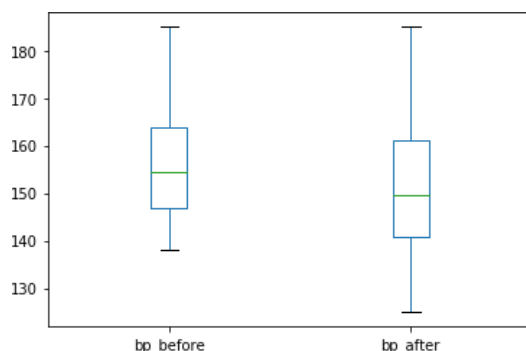
```
stats.probplot(df['bp_difference'], plot=plt) plt.title('Blood
```

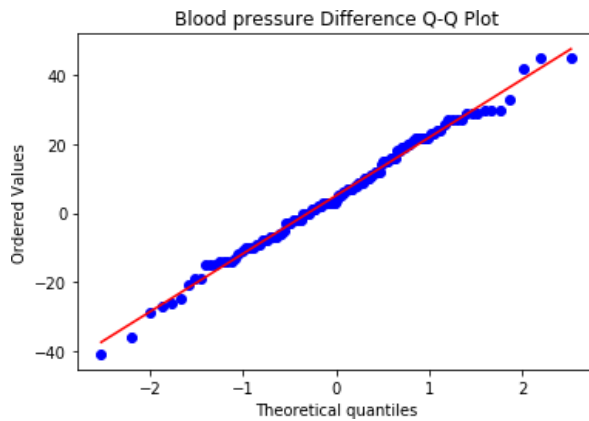
```
pressure Difference Q-Q Plot') plt.savefig('blood pressure
```

```
difference qq plot.png') stats.shapiro(df['bp_difference'])
```

```
stats.ttest_rel(df['bp_before'], df['bp_after'])
```

### Output:





```
In [21]: runfile('K:/Research In Computing/Practical
Material/Programs/Practical_03/Practical_03C.py', wdir='K:/
Research In Computing/Practical Material/Programs/
Practical_03')
```

	bp_before	bp_after
count	120.000000	120.000000
mean	156.450000	151.358333
std	11.389845	14.177622
min	138.000000	125.000000
25%	147.000000	140.750000
50%	154.500000	149.500000
75%	164.000000	161.000000
max	185.000000	185.000000

```
0.0011297914644840823
Ttest_relResult(statistic=3.3371870510833657,
pvalue=0.0011297914644840823)
reject null hypothesis
```

A paired sample t-test was used to analyze the blood pressure before and after the intervention to test if the intervention had a significant affect on the blood pressure. The blood pressure before the intervention was higher ( $156.45 \pm 11.39$  units) compared to the blood pressure postintervention ( $151.36 \pm 14.18$  units); there was a statistically significant decrease in blood pressure ( $t(119)=3.34$ ,  $p= 0.0011$ ) of 5.09 units.

# Practical 4

### A. Perform testing of hypothesis using chi-squared goodness-of-fit test. Problem

A system administrator needs to upgrade the computers for his division. He wants to know what sort of computer system his workers prefer. He gives three choices: Windows, Mac, or Linux. Test the hypothesis or theory that an equal percentage of the population prefers each type of computer system.

System	O	Ei	$\sum \frac{(O_i - E_i)^2}{E_i}$
Windows	20	33.33%	
Mac	60	33.33%	
Linux	20	33.33%	

H0 : The population distribution of the variable is the same as the proposed distribution

HA : The distributions are different

To calculate the Chi –Squared value for Windows go to cell D2 and type =((B2-C2)\*(B2-C2))/C2

To calculate the Chi-Squared value for Mac go to cell D3 and type  $=((B3-C3)*(B3-C3))/C3$

To calculate the Chi –Squred value for Mac go to cell D3 and type  $=((B4-C4)*(B4-C4))/C4$

Go to Cell D5 for  $\sum \frac{(O_i - E_i)^2}{E_i}$  and type=SUM(D2:D4)

To get the table value for Chi-Square for  $\alpha = 0.05$  and  $\text{dof} = 2$ , go to cell D7 and type =CHIINV(0.05,2)

At cell D8 type =IF(D5>D7, "H0 Accepted","H0 Rejected")

**Output:**

[illegible]

## B. Perform testing of hypothesis using chi-squared test of independence.

In a study to understand the performance of M. Sc. IT Part -1 class, a college selects a random sample of 100 students. Each student was asked his grade obtained in B. Sc. IT. The sample is as given below

Sr. No	Roll No	Student's Name	Gen	Grade
1	1	Gaborone	m	O
2	2	Francistown	m	O
3	5	Niamey	m	O
4	13	Maxixe	m	O
5	16	Tema	m	O
6	17	Kumasi	m	O
7	34	Blida	m	O
8	35	Oran	m	O
9	38	Saefda	m	O
10	42	Constantine	m	O
11	43	Annaba	m	O
12	45	Bejaefa	m	O
13	48	Medea	m	O
14	49	Djelfa	m	O
15	50	Tipaza	m	O
16	51	Bechar	m	O
17	54	Mostaganem	m	O
18	55	Tiaret	m	O
19	56	Bouira	m	O
20	59	Tebessa	m	O
21	61	El Harrach	m	O
22	62	Mila	m	O
23	65	Fouka	m	O
24	66	El Eulma	m	O
25	68	SidiBel Abbes	m	O
26	69	Jijel	m	O
27	70	Guelma	m	O
28	85	Khemis El Khechna	m	O
29	87	Bordj El Kiffan	m	O
30	88	Lakhdaria	m	O
31	6	Maputo	m	D
32	12	Lichinga	m	D
33	15	Ressano Garcia	m	D
34	19	Accra	m	D
35	27	Wa	m	D
36	28	Navrongo	m	D
37	37	Mascara	m	D
38	44	Batna	m	D
39	57	El Biar	m	D
40	60	Boufarik	m	D
41	63	OuedRhieu	m	D
42	64	Souk Ahras	m	D
43	71	Dar El Befda	m	D
44	86	Birtouta	m	D
45	18	Takoradi	m	C
46	22	Cape Coast	m	C
47	29	Kwabeng	m	C
48	30	Algiers	m	C

49	31	Laghouat	m	C
50	39	Relizane	m	C
51	52	Setif	m	C
52	53	Biskra	m	C
53	67	Kolea	m	C
54	100	AefnFakroun	m	C
55	26	Nima	m	B
56	32	TiziOuzou	m	B
57	33	Chlef	m	B
58	89	M'sila	m	A
59	96	Heliopolis	m	A
60	97	Berrouaghia	m	A
61	98	Sougueur	m	A

Sr. No	Roll No	Student's Name	Gen	Grade
62	3	Maun	f	O
63	7	Tete	f	O
64	9	Chimoio	f	O
65	11	Pemba	f	O
66	14	Chibuto	f	O
67	25	Mampong	f	O
68	36	Tlemcen	f	O
69	40	Adrar	f	O
70	41	Tindouf	f	O
71	46	Skikda	f	O
72	47	Ouargla	f	O
73	10	Matola	f	D
74	20	Legon	f	D
75	21	Sunyani	f	D
76	72	Teenass	f	D
77	73	Kouba	f	D
78	75	HussenDey	f	D
79	77	Khenchela	f	D
80	82	HassiBahbah	f	D
81	84	Baraki	f	D
82	91	Boudouaou	f	D
83	95	Tadjenanet	f	D
84	4	Molepolole	f	C
85	8	Quelimane	f	C
86	23	Bolgatanga	f	C
87	58	Mohammadia	f	C
88	83	Merouana	f	C
89	24	Ashaiman	f	B
90	76	N'gaous	f	B
91	90	Bab El Oued	f	B
92	92	BordjMenaël	f	B
93	93	Ksar El Boukhari	f	B
94	74	Reghaa	f	A
95	78	Cheria	f	A
96	79	Mouzaa	f	A
97	80	Meskiana	f	A
98	81	Miliana	f	A
99	94	Sig	f	A
100	99	Kadiria	f	A

**Null Hypothesis - H<sub>0</sub>** : The performance of girls students is same as boys students.  
**Alternate Hypothesis - H<sub>1</sub>** : The performance of boys and girls students are different.  
 Open Excel Workbook

	O	A	B	C	D	Total	$\sum \frac{(O_i - E_i)^2}{E_i}$
<b>Girls</b>	11	7	5	5	11	<b>39</b>	6.075
<b>Boys</b>	30	4	3	10	14	<b>61</b>	6.075
<b>Total</b>	41	11	8	15	25	<b>100</b>	<b>12.150</b>
<b>E<sub>i</sub></b>	<b>20.5</b>	<b>5.5</b>	<b>4</b>	<b>7.5</b>	<b>12.5</b>	<b>50</b>	

Prepare a contingency table as shown above.

To calculate Girls Students with O Grade

Go to Cell N6 and type =COUNTIF(\$J\$2:\$K\$40,"O")

To calculate Girls Students with A Grade

Go to Cell O6 and type =COUNTIF(\$J\$2:\$K\$40,"A")

To calculate Girls Students with B Grade

Go to Cell P6 and type =COUNTIF(\$J\$2:\$K\$40,"B")

To calculate Girls Students with C Grade

Go to Cell Q6 and type =COUNTIF(\$J\$2:\$K\$40,"C")

To calculate Girls Students with D Grade

Go to Cell R6 and type =COUNTIF(\$J\$2:\$K\$40,"D")

To calculate Boys Students with O Grade

Go to Cell N7 and type =COUNTIF(\$D\$2:\$E\$62,"O")

To calculate Boys Students with A Grade

Go to Cell O7 and type =COUNTIF(\$D\$2:\$E\$62,"A")

To calculate Boys Students with B Grade

Go to Cell P7 and type =COUNTIF(\$D\$2:\$E\$62,"B")

To calculate Boys Students with C Grade

Go to Cell Q7 and type =COUNTIF(\$D\$2:\$E\$62,"C")

To calculate Boys Students with D Grade

Go to Cell R7 and type =COUNTIF(\$D\$2:\$E\$62,"D")

### **To calculated the expected value E<sub>i</sub>**

Go to Cell N9 and type =N8/2

Go to Cell O9 and type =O8/2

Go to Cell P9 and type =P8/2

Go to Cell Q9 and type =Q8/2

Go to Cell R9 and type =R8/2

Go to Cell S6 and calculate total girl students = SUM(N6:R6)

Go to Cell S7 and calculate total girl students = SUM(N7:R7)

### Now Calculate

Go to cell **T6** and type

=SUM((N6-\$N\$9)^2/\$N\$9,(O6-\$O\$9)^2/\$O\$9,(P6-\$P\$9)^2/\$P\$9,(Q6-\$Q\$9)^2/\$Q\$9,(R6-\$R\$9)^2/\$R\$9)

Go to cell **T7** and type

=SUM((N7-\$N\$9)^2/\$N\$9,(O7-\$O\$9)^2/\$O\$9,(P7-\$P\$9)^2/\$P\$9,(Q7-\$Q\$9)^2/\$Q\$9,(R7-\$R\$9)^2/\$R\$9)

To get the table value go to cell T11 and type =CHINV(0.05,4)

Go to cell O13 and type =IF(T8>=T11," H0 is Accepted", "H0 is Rejected")

M	N	O	P	Q	R	S	T
	H0 : Performance of boys and girls are equal						
	Frequency Table						$(O_i - E_i)^2$
	O	A	B	C	D	Total	Ei
Girls	11	7	5	5	11	39	6.075
Boys	30	4	3	10	14	61	6.075
Total	41	11	8	15	25	100	12.150
Ei	20.5	5.5	4	7.5	12.5	50	
	Critical Value of $\alpha = 0.05$ for df = (2-1) * (5-1)						9.487729
Decesion	H0 is Accepted						

## Using Python

```
import numpy as np
import pandas as pd
import scipy.stats as stats
np.random.seed(10)
stud_grade = np.random.choice(a=["O", "A", "B", "C", "D"],
                               p=[0.20, 0.20, 0.20, 0.20, 0.20], size=100)
stud_gen = np.random.choice(a=["Male", "Female"], p=[0.5, 0.5], size=100)
mscpart1 = pd.DataFrame({"Grades": stud_grade, "Gender": stud_gen})
stud_tab = pd.crosstab(mscpart1.Grades, mscpart1.Gender, margins=True)
stud_tab.columns = ["Male", "Female", "row_totals"]
stud_tab.index = ["O", "A", "B", "C", "D", "col_totals"]
observed = stud_tab.iloc[0:5, 0:2]
print(observed)
expected = np.outer(stud_tab["row_totals"][0:5],
                    stud_tab.loc["col_totals"][0:2]) / 100
print(expected)
chi_squared_stat = (((observed - expected)**2) / expected).sum().sum()
print('Calculated : ', chi_squared_stat)

crit = stats.chi2.ppf(q=0.95, df=4)
print('Table Value : ', crit)

if chi_squared_stat >= crit:
    print('H0 is Rejected')
else:
    print('H0 is Accepted')
```

## Output :

```
In [1]: runfile('E:/Research In Computing/Programs/
Practical_03/ChiSquaer.py', wdir='E:/Research In
Computing/Programs/Practical_03')
Grades Gender
0      C  Female
1      O  Female
2      C   Male
3      C   Male
4      B  Female
..    ...    ...
95     B   Male
96     D  Female
97     B  Female
98     A   Male
99     B   Male

[100 rows x 2 columns]
   Male  Female
O      11     12
A       9     13
B       7     11
C      10      8
D      12      7
[[11.27 11.73]
 [10.78 11.22]
 [ 8.82  9.18]
 [ 8.82  9.18]
 [ 9.31  9.69]]
Calculated :  3.158915138993211
Table Value :  9.487729036781154
H0 is Rejected
```

## Practical 5

### Perform testing of hypothesis using Z-test.

Use a Z test if:

- Your sample size is greater than 30. Otherwise, use a t test.
- Data points should be independent from each other. In other words, one data point isn't related or doesn't affect another data point.
- Your data should be normally distributed. However, for large sample sizes (over 30) this doesn't always matter.
- Your data should be randomly selected from a population, where each item has an equal chance of being selected.
- Sample sizes should be equal if at all possible.

**H<sub>0</sub>** - Blood pressure has a mean of 156 units

### Program Code for one-sample Z test.

```
from statsmodels.stats import weightstats as stests
import pandas as pd
from scipy import stats
df = pd.read_csv("blood_pressure.csv")
df[['bp_before', 'bp_after']].describe()
print(df)
ztest, pval = stests.ztest(df['bp_before'], x2=None, value=156)
print(float(pval))
```

```
if pval < 0.05:
    print("reject null hypothesis")
else:
    print("accept null hypothesis")
```

### Output:

```
In [26]: runfile('K:/Research In Computing/Practical
Material/Programs/Practical_05/Z_Test_One_Sample.py',
wdir='K:/Research In Computing/Practical Material/Programs/
Practical_05')
   patient  gender agegrp  bp_before  bp_after
0         1   Male  30-45        143        153
1         2   Male  30-45        163        170
2         3   Male  30-45        153        168
3         4   Male  30-45        153        142
4         5   Male  30-45        146        141
..      ...   ...   ...   ...   ...
115      116  Female  60+        152        152
116      117  Female  60+        161        152
117      118  Female  60+        165        174
118      119  Female  60+        149        151
119      120  Female  60+        185        163

[120 rows x 5 columns]
0.6651614730255063
accept null hypothesis
```

**Two-sample Z test-** In two sample z-test, similar to t-test here we are checking two independent data groups and deciding whether sample mean of two group is equal or not.

**H<sub>0</sub> : mean of two group is 0**

**H<sub>1</sub> : mean of two group is not 0**

# -\*- coding: utf-8 -\*-

"""



Created on Mon Dec 16 20:42:17 2019@author:  
MyHome ""

```
import pandas as pd
from statsmodels.stats import weightstats as stestsdf =
pd.read_csv("blood_pressure.csv")
df[['bp_before','bp_after']].describe()
print(df)

ztest ,pval = stests.ztest(df['bp_before'], x2=df['bp_after'], value=0,alternative='two-sided')
print(float(pval))

if pval<0.05:
    print("reject null hypothesis")else:
    print("accept null hypothesis")
```

```
In [29]: runfile('K:/Research In Computing/Practical
Material/Programs/Practical_05/Z_Test_Two_Sample.py',
wdir='K:/Research In Computing/Practical Material/Programs/
Practical_05')
```

	patient	gender	agegrp	bp_before	bp_after
0	1	Male	30-45	143	153
1	2	Male	30-45	163	170
2	3	Male	30-45	153	168
3	4	Male	30-45	153	142
4	5	Male	30-45	146	141
..	...	...	...	...	...
115	116	Female	60+	152	152
116	117	Female	60+	161	152
117	118	Female	60+	165	174
118	119	Female	60+	149	151
119	120	Female	60+	185	163

```
[120 rows x 5 columns]
0.002162306611369422
reject null hypothesis
```

## Practical 6

### A. Perform testing of hypothesis using One-way ANOVA.

#### ANOVA ASSUMPTIONS

- The dependent variable (SAT scores in our example) should be continuous.
- The independent variables (districts in our example) should be two or more categorical groups.
- There must be different participants in each group with no participant being in more than one group. In our case, each school cannot be in more than one district.
- The dependent variable should be approximately normally distributed for each category.
- Variances of each group are approximately equal.

From our data exploration, we can see that the average SAT scores are quite different for each district. Since we have five different groups, we cannot use the t-test, use the 1-way ANOVA test anyway just to understand the concepts.

**H0 - There are no significant differences between the groups' mean SAT scores.**

$$\mu_1 = \mu_2 = \mu_3 = \mu_4 = \mu_5$$

**H1 - There is a significant difference between the groups' mean SAT scores.**

If there is at least one group with a significant difference with another group, the null hypothesis will be rejected.

```
import pandas as pd
import numpy as np
import matplotlib.pyplot as plt
import seaborn as sns
from scipy import stats
```

```
data = pd.read_csv("scores.csv")
data.head()
```

```
data['Borough'].value_counts()
```

**##### There is no total score column, have to create it. #####**  
**In addition, find the mean score of the each district across all schools.**

```
data['total_score'] = data['Average Score (SAT Reading)'] + \
data['Average Score (SAT Math)'] + \
data['Average Score (SAT Writing)']
data = data[['Borough', 'total_score']].dropna()
x = ['Brooklyn', 'Bronx', 'Manhattan', 'Queens', 'Staten Island']
district_dict = {}
```

#Assigns each test score series to a dictionary key for district in x:

```

district_dict[district] = data[data['Borough'] == district]['total_score']
y = []
yerror = []
#Assigns the mean score and 95% confidence limit to each district
for district in x:
    y.append(district_dict[district].mean())
    yerror.append(1.96*district_dict[district].std()/np.sqrt(district_dict[district].shape[0]))
    print(district + '_std : {}'.format(district_dict[district].std()))

```

```

sns.set(font_scale=1.8)
fig = plt.figure(figsize=(10,5))
ax = sns.barplot(x, y, yerr=yerror)
ax.set_ylabel('Average Total SAT Score')
plt.show()

```

### ##### Perform 1-way ANOVA

```

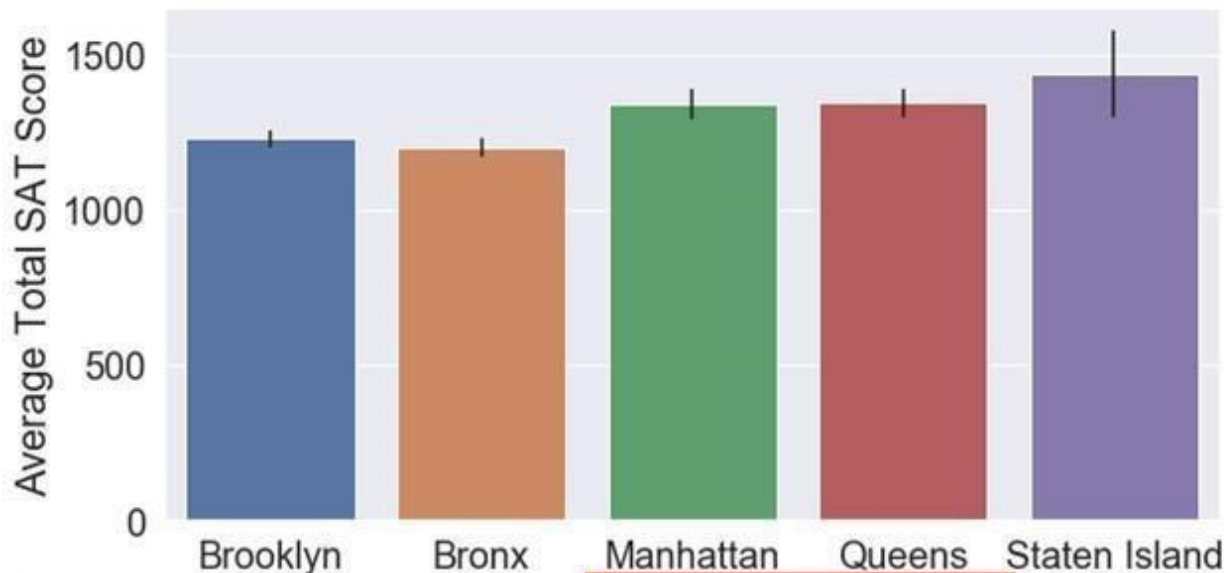
print(stats.f_oneway(
    district_dict['Brooklyn'], district_dict['Bronx'], \
    district_dict['Manhattan'], district_dict['Queens'], \
    district_dict['Staten Island']
))
districts = ['Brooklyn', 'Bronx', 'Manhattan', 'Queens', 'Staten Island']
ss_b = 0
for d in districts:
    ss_b += district_dict[d].shape[0] * \
    np.sum((district_dict[d].mean() - data['total_score'].mean())**2)
ss_w = 0
for d in districts:
    ss_w += np.sum((district_dict[d] - district_dict[d].mean())**2)
msb = ss_b/4
msw = ss_w/(len(data)-5)
f=msb/msw
print('F_statistic: {}'.format(f))

ss_t = np.sum((data['total_score']-data['total_score'].mean())**2)
eta_squared = ss_b/ss_t
print('eta_squared: {}'.format(eta_squared))

```

## Output:

```
In [37]: runfile('E:/Research In Computing/Programs/Practical_05/Anova.py', wdir='E:/Research In Computing/Programs/Practical_05')
Brooklyn_std : 154.8684270520867
Bronx_std : 150.39390071890668
Manhattan_std : 230.2941395363782
Queens_std : 195.25289850192115
Staten Island_std : 222.30359621222706
```



```
F_onewayResult(statistic=12.733085029201668, pvalue=1.0161974965566023e-09)
F_statistic: 12.733085029201687
eta_squared: 0.12099887621529214
```

Since the resulting p value is less than 0.05. The null hypothesis is rejected and conclude that there is a significant difference between the SAT scores for each district.

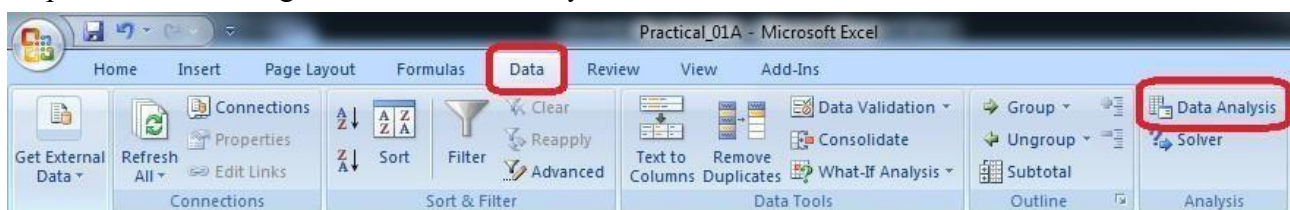
## Using Excel

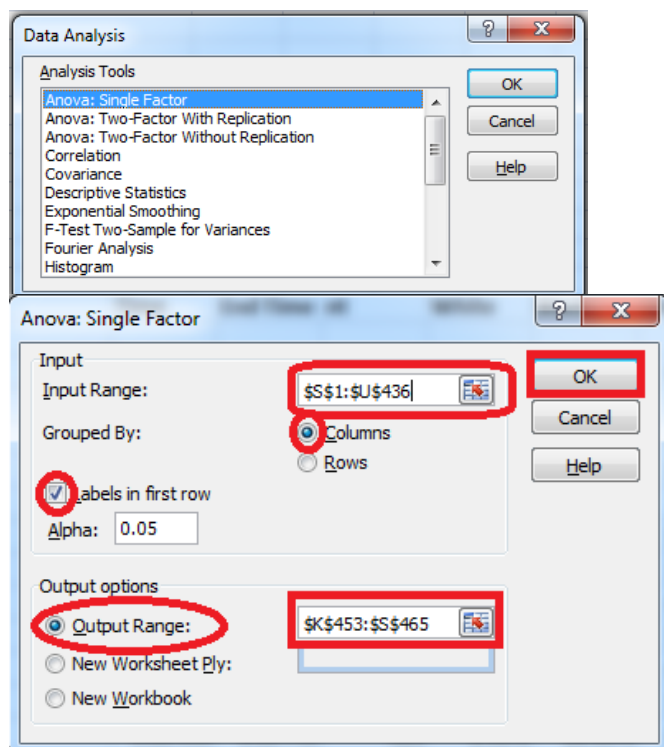
**H0 - There are no significant differences between the Subject's mean SAT scores.**

$$\mu_1 = \mu_2 = \mu_3 = \mu_4 = \mu_5$$

**H1 - There is a significant difference between the Subject's mean SAT scores.**

To perform ANOVA go to data > Data Analysis





**Input Range :**     \$S\$1:\$U\$436( *Select columns to be analyzed in group*)

**Output Range :**\$K\$453:\$S\$465( *Can be any Range*)

Anova: Single Factor						
SUMMARY						
<i>Groups</i>	<i>Count</i>	<i>Sum</i>	<i>Average</i>	<i>Variance</i>		
Average Score (SAT Math)	375	162354	432.944	5177.144		
Average Score (SAT Reading)	375	159189	424.504	3829.267		
Average Score (SAT Writing)	375	156922	418.4587	4166.522		
ANOVA						
<i>Source of Variation</i>	<i>SS</i>	<i>df</i>	<i>MS</i>	<i>F</i>	<i>P-value</i>	<i>F crit</i>
Between Groups	39700.57	2	19850.28	4.520698	0.01108	3.003745
Within Groups	4926677	1122	4390.977			
Total	4966377	1124				

Since the resulting p value is less than 0.05. The null hypothesis (H0) is rejected and conclude at there is a significant difference between the SAT scores for each subject.

## B: Perform testing of hypothesis using Two-way ANOVA.

### Program Code:

```
import pandas as pd
import statsmodels.api as sm
from statsmodels.formula.api import ols
from statsmodels.stats.anova import anova_lm
from statsmodels.graphics.factorplots import interaction_plot
import matplotlib.pyplot as plt
from scipy import stats

def eta_squared(aov):
    aov['eta_sq'] = 'NaN'
    aov['eta_sq'] = aov[:-1]['sum_sq']/sum(aov['sum_sq'])
    return aov

def omega_squared(aov):
    mse = aov['sum_sq'][-1]/aov['df'][-1]
    aov['omega_sq'] = 'NaN'
    aov['omega_sq'] = (aov[:-1]['sum_sq']-(aov[:-1]['df']*mse))/(sum(aov['sum_sq'])+mse)
    return aov

datafile = "ToothGrowth.csv"
data = pd.read_csv(datafile)
fig = interaction_plot(data.dose, data.supp, data.len,
    colors=['red','blue'], markers=['D','^'], ms=10)
N = len(data.len)
df_a = len(data.supp.unique()) - 1
df_b = len(data.dose.unique()) - 1
df_axb = df_a*df_b
df_w = N - (len(data.supp.unique())*len(data.dose.unique()))
grand_mean = data['len'].mean()
#Sum of Squares A – supp
ssq_a = sum([(data[data.supp == l].len.mean()-grand_mean)**2 for l in data.supp])
#Sum of Squares B – supp
ssq_b = sum([(data[data.dose == l].len.mean()-grand_mean)**2 for l in data.dose])
#Sum of Squares Total
ssq_t = sum((data.len - grand_mean)**2)
vc = data[data.supp == 'VC']
oj = data[data.supp == 'OJ']
vc_dose_means = [vc[vc.dose == d].len.mean() for d in vc.dose]
oj_dose_means = [oj[oj.dose == d].len.mean() for d in oj.dose]
ssq_w = sum((oj.len - oj_dose_means)**2) + sum((vc.len - vc_dose_means)**2)
ssq_axb = ssq_t-ssq_a-ssq_b-ssq_w
ms_a = ssq_a/df_a          #Mean Square A
ms_b = ssq_b/df_b          #Mean
Square B
ms_axb = ssq_axb/df_axb    #Mean Square AXB
ms_w = ssq_w/df_w
f_a = ms_a/ms_w
f_b = ms_b/ms_w
```

```

f_axb = ms_axb/ms_w
p_a = stats.f.sf(f_a, df_a, df_w)
p_b = stats.f.sf(f_b, df_b, df_w)
p_axb = stats.f.sf(f_axb, df_axb, df_w)
results = {'sum_sq':[ssq_a, ssq_b, ssq_axb, ssq_w],
'df':[df_a, df_b, df_axb, df_w],
'F':[f_a, f_b, f_axb, 'NaN'],
'PR(>F)':[p_a, p_b, p_axb, 'NaN']}
columns=['sum_sq', 'df', 'F', 'PR(>F)']

aov_table1 = pd.DataFrame(results, columns=columns,
index=['supp', 'dose',
'supp:dose', 'Residual'])
formula = 'len ~ C(supp) + C(dose) + C(supp):C(dose)'
model = ols(formula, data).fit()
aov_table = anova_lm(model, typ=2)
eta_squared(aov_table)
omega_squared(aov_table)
print(aov_table.round(4))
res = model.resid
fig = sm.qqplot(res, line='s')
plt.show()

```

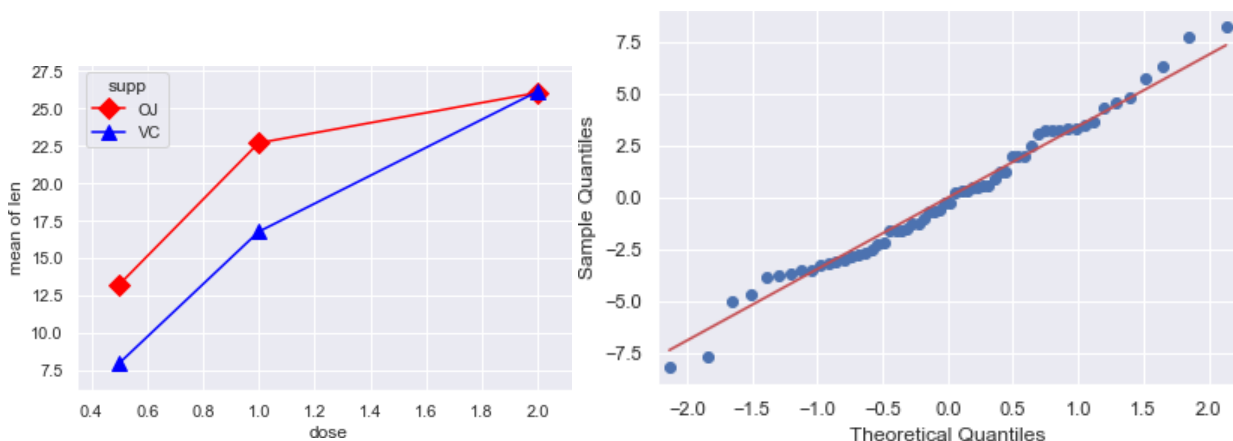
## Output:

```

In [40]: runfile('K:/Research In Computing/Practical Material/Programs/
Practical_06/Annova_2_Way.py', wdir='K:/Research In Computing/Practical
Material/Programs/Practical_06')

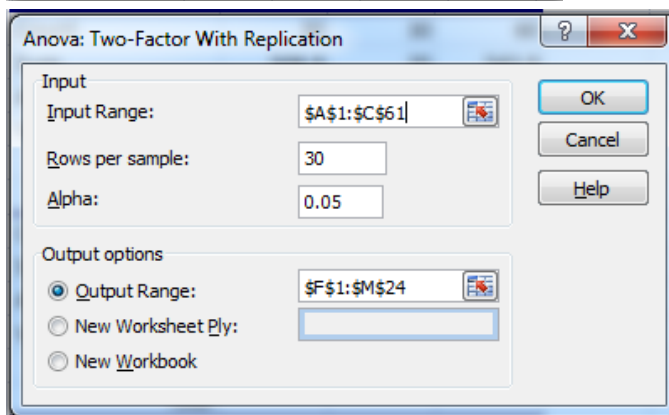
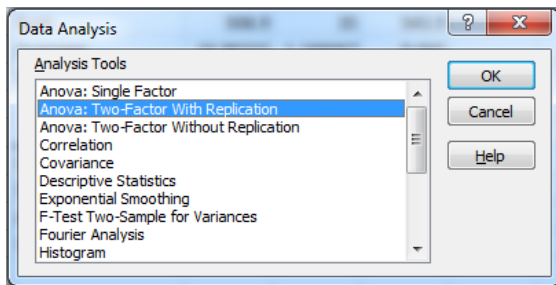
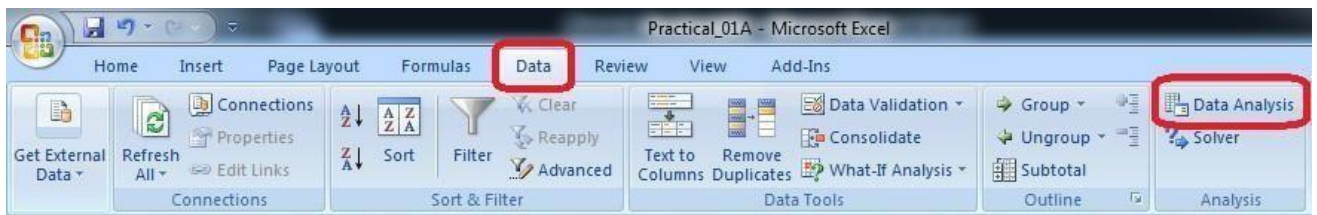
```

	sum_sq	df	F	PR(>F)	eta_sq	omega_sq
C(supp)	205.3500	1.0	15.572	0.0002	0.0595	0.0555
C(dose)	2426.4343	2.0	92.000	0.0000	0.7029	0.6926
C(supp):C(dose)	108.3190	2.0	4.107	0.0219	0.0314	0.0236
Residual	712.1060	54.0	NaN	NaN	NaN	NaN



## Using Excel:

Go to Data tab ☐ Data Analysis



Input Range - \$A\$1:\$C\$61

Rows Per Sample – 30 (Because 30 Patients are given each dose)

Alpha – 0.05

Output Range - \$F\$1:\$M\$24

## Output:

Anova: Two-Factor With Replication						
SUMMARY	len	dose	Total			
<i>1</i>						
Count	30	30	60			
Sum	508.9	35	543.9			
Average	16.96333	1.166667	9.065			
Variance	68.32723	0.402299	97.22333			
<i>31</i>						
Count	30	30	60			
Sum	619.9	35	654.9			
Average	20.66333	1.166667	10.915			
Variance	43.63344	0.402299	118.2854			
<i>Total</i>						
Count	60	60				
Sum	1128.8	70				
Average	18.81333	1.166667				
Variance	58.51202	0.39548				
<b>ANOVA</b>						



Source of Variation	SS	df	MS	F	P-value	F crit
Sample	102.675	1	102.675	3.642079	0.058808	3.922879
Columns	9342.145	1	9342.145	331.3838	8.55E-36	3.922879
Interaction	102.675	1	102.675	3.642079	0.058808	3.922879
Within	3270.193	116	28.19132			
Total	12817.69	119				

P-value = 0.0588079 columns in the ANOVA Source of Variation table at the bottom of the Output. Because the p- values for both medicine dose and interaction are less than our significance level, the factors are statistically significant. On the other hand, the interaction effect is not significant because its p-value (0.0588) is greater than our significance level. Because the interaction effect is not significant, we can focus on only the main effects and not consider the interaction effect of the dose.

## B. Perform testing of hypothesis using

### MANOVA. Code:

```
import pandas as pd
from statsmodels.multivariate.manova import MANOVA
df = pd.read_csv('iris.csv', index_col=0)
df.columns = df.columns.str.replace(".", "_")
df.head()
print('~~~~~ Data Set ~~~~~')
print(df)
maov = MANOVA.from_formula('Sepal_Length + Sepal_Width + \
Petal_Length + Petal_Width ~ Species', data=df)
print('~~~~~ MANOVA Test Result ~~~~~')
print(maov.mv_test())
```

### Output:

```
In [42]: runfile('E:/Research In Computing/Programs/Practical_10/Manova_Test.py', wdir='E:/Research
In Computing/Programs/Practical_10')
```

```
~~~~~ Data Set ~~~~~
   Sepal_Length  Sepal_Width  Petal_Length  Petal_Width  Species
1         5.1         3.5         1.4         0.2     setosa
2         4.9         3.0         1.4         0.2     setosa
3         4.7         3.2         1.3         0.2     setosa
4         4.6         3.1         1.5         0.2     setosa
5         5.0         3.6         1.4         0.2     setosa
..         ...         ...         ...         ...         ...
146        6.7         3.0         5.2         2.3  virginica
147        6.3         2.5         5.0         1.9  virginica
148        6.5         3.0         5.2         2.0  virginica
149        6.2         3.4         5.4         2.3  virginica
150        5.9         3.0         5.1         1.8  virginica
```

```
[150 rows x 5 columns]
```

```
~~~~~ MANOVA Test Result ~~~~~
Multivariate linear model
```

```
=====
-----
Intercept      Value  Num DF  Den DF   F Value  Pr > F
-----
Wilks' lambda  0.0170  4.0000 144.0000 2086.7720 0.0000
Pillai's trace  0.9830  4.0000 144.0000 2086.7720 0.0000
Hotelling-Lawley trace 57.9659 4.0000 144.0000 2086.7720 0.0000
Roy's greatest root 57.9659 4.0000 144.0000 2086.7720 0.0000
-----
```

```
-----
Species      Value  Num DF  Den DF   F Value  Pr > F
-----
Wilks' lambda  0.0234  8.0000 288.0000 199.1453 0.0000
Pillai's trace  1.1919  8.0000 290.0000  53.4665 0.0000
Hotelling-Lawley trace 32.4773 8.0000 203.4024  582.1970 0.0000
Roy's greatest root 32.1919 4.0000 145.0000 1166.9574 0.0000
=====
```

## Practical 7

### A. Perform the Random sampling for the given data and analyse it. Example 1:

From a population of 10 women and 10 men as given in the table in Figure 1 on the left below, create a random sample of 6 people for Group 1 and a periodic sample consisting of every 3<sup>rd</sup> woman for Group 2. You need to run the sampling data analysis tool twice, once to create Group 1 and again to create Group 2. For Group 1 you select all 20 population cells as the Input Range and Random as the Sampling Method with 6 for the Random Number of Samples. For Group 2 you select the 10 cells in the Women column as Input Range and Periodic with Period 3.

Open existing excel sheet with population data Sample

Sheet looks as given below:

	A	B	C	D	E	F	G	H	I	J	K
1	Sr. No	Roll No	Student's Name	Gender	Grade		Sr. No	Roll No	Student's Name	Gender	Grade
2	1	1	Gaborone	m	O		62	3	Maun	f	O
3	2	2	Francistown	m	O		63	7	Tete	f	O
4	3	5	Niamey	m	O		64	9	Chimoio	f	O
5	4	13	Maxixe	m	O		65	11	Pemba	f	O
6	5	16	Tema	m	O		66	14	Chibuto	f	O
7	6	17	Kumasi	m	O		67	25	Mampong	f	O
8	7	34	Blida	m	O		68	36	Tlemcen	f	O
9	8	35	Oran	m	O		69	40	Adrar	f	O
10	9	38	Saefda	m	O		70	41	Tindouf	f	O
11	10	42	Constantine	m	O		71	46	Skikda	f	O
12	11	43	Annaba	m	O		72	47	Ouargla	f	O
13	12	45	Bejaefa	m	O		73	10	Matola	f	D
14	13	48	Medea	m	O		74	20	Legon	f	D
15	14	49	Djelfa	m	O		75	21	Sunyani	f	D
16	15	50	Tipaza	m	O		76	72	Teenas	f	D
17	16	51	Bechar	m	O		77	73	Kouba	f	D
18	17	54	Mostaganem	m	O		78	75	Hussen Dey	f	D
19	18	55	Tiaret	m	O		79	77	Khenchela	f	D
20	19	56	Bouira	m	O		80	82	Hassi Bahbah	f	D
21	20	59	Tebessa	m	O		81	84	Baraki	f	D
22	21	61	El Harrach	m	O		82	91	Boudouaou	f	D
23	22	62	Mila	m	O		83	95	Tadjenanet	f	D
24	23	65	Fouka	m	O		84	4	Molepolole	f	C

### Output:

O	P
Male	Female
A	A
A	A
A	A
B	A
C	B
C	C
D	C
D	C
D	C
D	C
D	D
D	A
D	B
D	B
O	D
O	D

## **B. Perform the Stratified sampling for the given data and analyse it.**

we are to carry out a **hypothetical** housing quality survey across Lagos state, Nigeria. And we looking at a total of 5000 houses (hypothetically). We don't just go to one local government and select 5000 houses, rather we ensure that the 5000 houses are a representative of the whole 20 local government areas Lagos state is comprised of. This is called stratified sampling. The population is divided into homogenous strata and the right number of instances is sampled from each stratum to guarantee that the test-set (which in this case is the 5000 houses) is a representative of the overall population. If we used random sampling, there would be a significant chance of having bias in the survey results.

### **Program Code:**

```
import pandas as pd
import numpy as np

import matplotlib
import matplotlib.pyplot as plt

plt.rcParams['axes.labelsize'] = 14
plt.rcParams['xtick.labelsize'] = 12
plt.rcParams['ytick.labelsize'] = 12

import seaborn as sns
sns.set_color_palette()
sns.set_style('darkgrid')

import sklearn
from sklearn.model_selection import train_test_split

housing = pd.read_csv('housing.csv')
print(housing.head())
print(housing.info())

#creating a heatmap of the attributes in the dataset
correlation_matrix = housing.corr()
plt.subplots(figsize=(8,6))
sns.heatmap(correlation_matrix, center=0, annot=True, linewidths=.3)

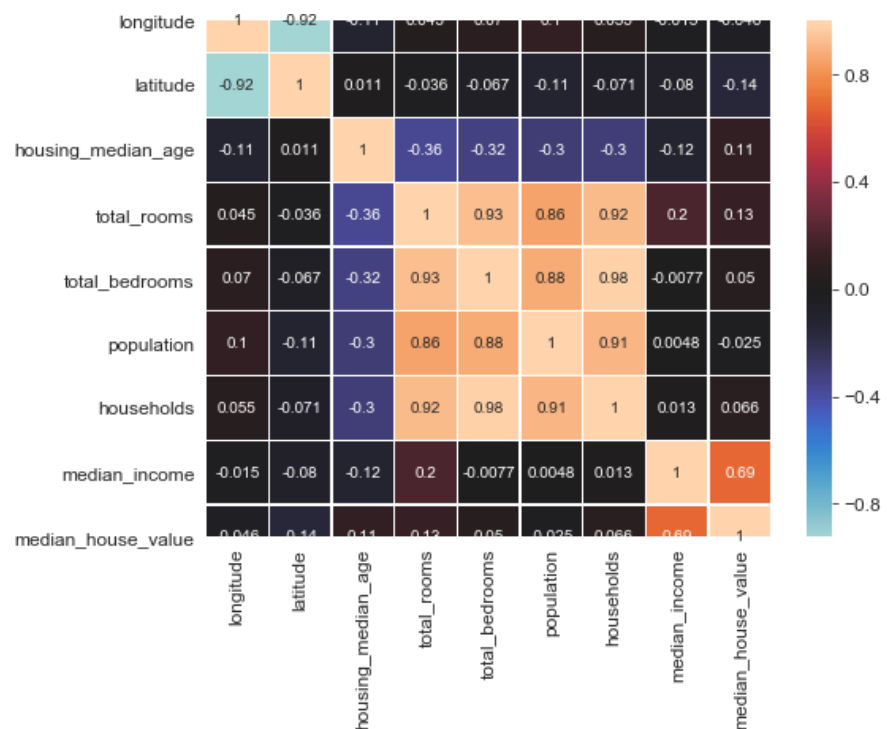
corr = housing.corr()
print(corr['median_house_value'].sort_values(ascending=False))

sns.distplot(housing.median_income)plt.show()
```

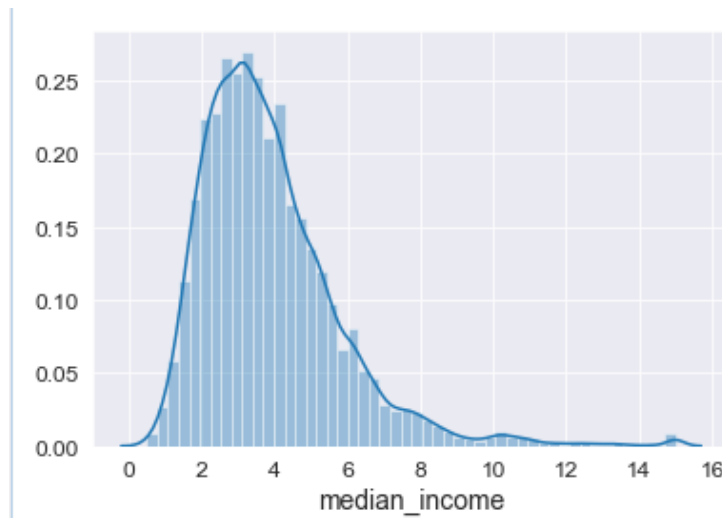
## Output:

```
In [28]: runfile('J:/Research In Computing/Practical Material/Programs/Practical_05/
Stratified_Sample.py', wdir='J:/Research In Computing/Practical Material/Programs/Practical_05')
longitude latitude ... median_house_value ocean_proximity
0 -122.23 37.88 ... 452600.0 NEAR BAY
1 -122.22 37.86 ... 358500.0 NEAR BAY
2 -122.24 37.85 ... 352100.0 NEAR BAY
3 -122.25 37.85 ... 341300.0 NEAR BAY
4 -122.25 37.85 ... 342200.0 NEAR BAY

[5 rows x 10 columns]
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 20640 entries, 0 to 20639
Data columns (total 10 columns):
longitude      20640 non-null float64
latitude       20640 non-null float64
housing_median_age  20640 non-null float64
total_rooms    20640 non-null float64
total_bedrooms 20433 non-null float64
population     20640 non-null float64
households     20640 non-null float64
median_income  20640 non-null float64
median_house_value 20640 non-null float64
ocean_proximity 20640 non-null object
dtypes: float64(9), object(1)
memory usage: 1.6+ MB
None
median_house_value    1.000000
median_income          0.688075
total_rooms            0.134153
housing_median_age     0.105623
households             0.065843
total_bedrooms         0.049686
population             -0.024650
longitude              -0.045967
latitude               -0.144160
Name: median_house_value, dtype: float64
```



There's a ton of information we can mine from the heatmap above, a couple of strongly positively correlated features and a couple of negatively correlated features. Take a look at the small bright box right in the middle of the heatmap from total\_rooms on the left 'y-axis' till households and note how bright the box is as well as the highly positively correlated attributes, also note that median\_income is the most correlated feature to the target which is median\_house\_value.



From the image above, we can see that most median incomes are clustered between \$20,000 and \$50,000 with some outliers going far beyond \$60,000 making the distribution skew to the right.

## Practical 8

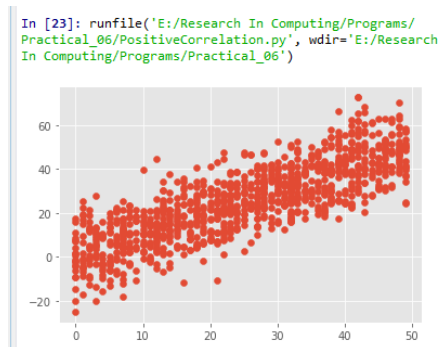
**Write a program for computing different correlation.**

### Positive Correlation:

#### Code:

```
import numpy as np
import matplotlib.pyplot as plt
np.random.seed(1)
# 1000 random integers between 0 and 50
x = np.random.randint(0, 50, 1000)
# Positive Correlation with some noisy =
x + np.random.normal(0, 10, 1000)
np.corrcoef(x, y)
matplotlib.style.use('ggplot') plt.scatter(x,
y)
plt.show()
```

#### Output:

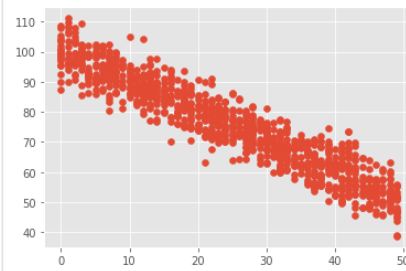


### Negative Correlation:

```
import numpy as np
import matplotlib.pyplot as plt
np.random.seed(1)
# 1000 random integers between 0 and 50
x = np.random.randint(0, 50, 1000)
# Negative Correlation with some noise
y = 100 - x + np.random.normal(0, 5,
1000)np.corrcoef(x, y)
plt.scatter(x, y)plt.show()
```

## Output:

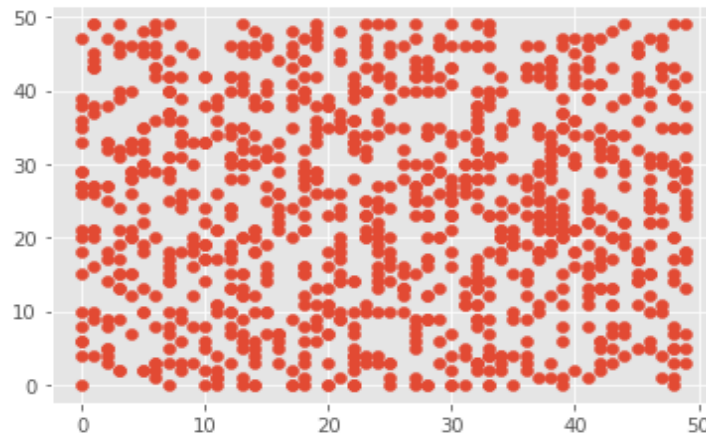
```
In [24]: runfile('E:/Research In Computing/Programs/  
Practical_06/NegativeCorrelation.py', wdir='E:/Research  
In Computing/Programs/Practical_06')
```



**No/Weak Correlation:** import numpy  
as np  
import matplotlib.pyplot as plt  
np.random.seed(1)  
x = np.random.randint(0, 50, 1000)  
y = np.random.randint(0, 50, 1000)  
np.corrcoef(x, y)  
plt.scatter(x, y)  
plt.show()

## Output:

```
In [25]: runfile('E:/Research In Computing/Programs/  
Practical_06/No_or_Weak_Correlation.py', wdir='E:/  
Research In Computing/Programs/Practical_06')
```



## Practical 9

### A. Write a program to Perform linear regression for prediction.

```
# -*- coding: utf-8 -*-
import Quandl, math
import numpy as np
import pandas as pd
from sklearn import preprocessing, cross_validation, svm
from sklearn.linear_model import LinearRegression
import matplotlib.pyplot as plt
from matplotlib import style
import datetime
style.use('ggplot')
df = Quandl.get("WIKI/GOOGL")
df = df[['Adj. Open', 'Adj. High', 'Adj. Low', 'Adj. Close', 'Adj. Volume']]
df['HL_PCT'] = (df['Adj. High'] - df['Adj. Low']) / df['Adj. Close'] * 100.0
df['PCT_change'] = (df['Adj. Close'] - df['Adj. Open']) / df['Adj. Open'] * 100.0

df = df[['Adj. Close', 'HL_PCT', 'PCT_change', 'Adj. Volume']]
forecast_col = 'Adj. Close'
df.fillna(value=-99999, inplace=True)
forecast_out = int(math.ceil(0.01 * len(df)))
df['label'] = df[forecast_col].shift(-forecast_out)

X = np.array(df.drop(['label'], 1))X
= preprocessing.scale(X) X_lately
= X[-forecast_out:]
X = X[:-forecast_out]

df.dropna(inplace=True)y
= np.array(df['label'])
X_train, X_test, y_train, y_test = cross_validation.train_test_split(X, y, test_size=0.2)clf
= LinearRegression(n_jobs=-1)
clf.fit(X_train, y_train)
confidence = clf.score(X_test, y_test)

forecast_set = clf.predict(X_lately)
df['Forecast'] = np.nan

last_date = df.iloc[-1].name
last_unix = last_date.timestamp()
one_day = 86400
next_unix = last_unix + one_day

for i in forecast_set:
    next_date = datetime.datetime.fromtimestamp(next_unix)
    next_unix += 86400
    df.loc[next_date] = [np.nan for _ in range(len(df.columns)-1)]+[i]

df['Adj. Close'].plot()
```

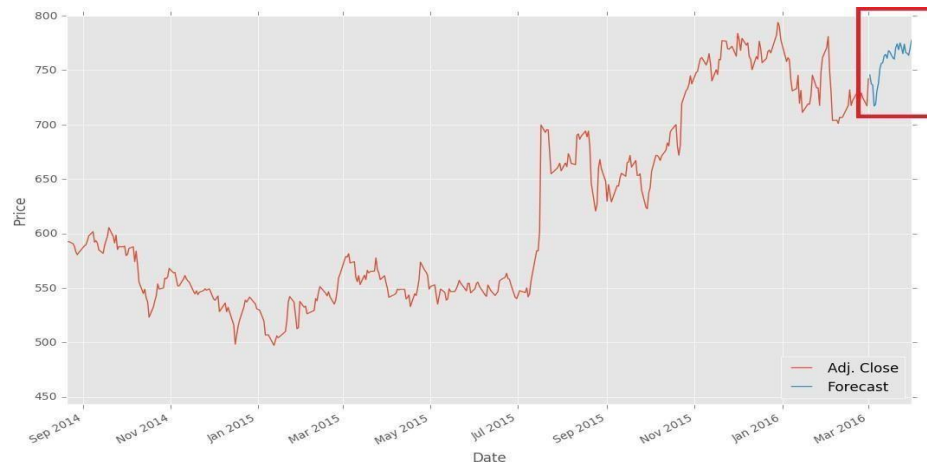


```

df['Forecast'].plot()
plt.legend(loc=4)
plt.xlabel('Date')
plt.ylabel('Price')
plt.show()

```

## Output:



### B. Perform polynomial regression for prediction.

```

import numpy as np
import matplotlib.pyplot as plt

def estimate_coef(x, y):
    # number of observations/points
    n = np.size(x)

    # mean of x and y vector
    m_x, m_y = np.mean(x), np.mean(y)

    # calculating cross-deviation and deviation about x
    SS_xy = np.sum(y*x) - n*m_y*m_x
    SS_xx = np.sum(x*x) - n*m_x*m_x

    # calculating regression coefficients
    b_1 = SS_xy / SS_xx
    b_0 = m_y - b_1*m_x

    return(b_0, b_1)

def plot_regression_line(x, y, b):
    # plotting the actual points as scatter plot
    plt.scatter(x, y, color = "m",
               marker = "o", s = 30)

    # predicted response vector
    y_pred = b[0] + b[1]*x

```

```

# plotting the regression line plt.plot(x,
y_pred, color = "g")

# putting labels
plt.xlabel('x')
plt.ylabel('y')

# function to show plot
plt.show()

def main():
    # observations
    x = np.array([0, 1, 2, 3, 4, 5, 6, 7, 8, 9])
    y = np.array([1, 3, 2, 5, 7, 8, 8, 9, 10, 12])

    # estimating coefficients
    b = estimate_coef(x, y)
    print("Estimated coefficients:\nb_0 = {} b_1 = {}".format(b[0], b[1]))

    # plotting regression line
    plot_regression_line(x, y, b)

if __name__ == "__main__": main()

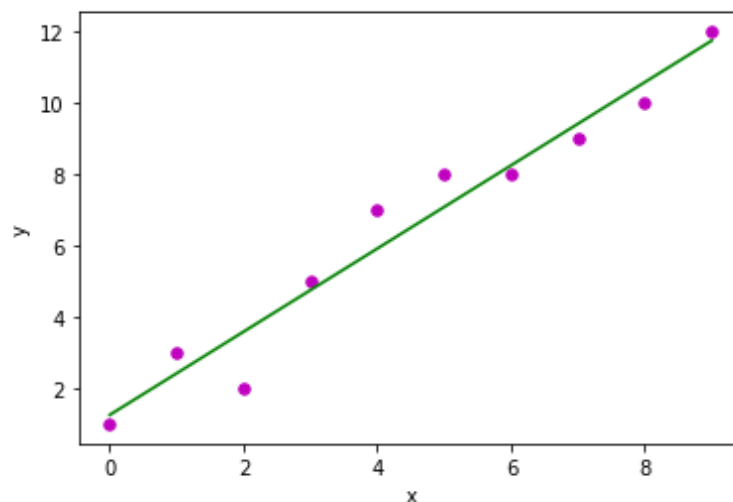
```

## Output:

```

In [22]: runfile('E:/Research In Computing/Programs/
Practical_07/Practical_7B.py', wdir='E:/Research In
Computing/Programs/Practical_07')
Estimated coefficients:
b_0 = 1.2363636363636363 b_1 = 1.1696969696969697

```



## Practical 10

### A. Write a program for multiple linear regression analysis.

#### Step #1: Data Pre Processing

- Importing The Libraries.
- Importing the Data Set.
- Encoding the Categorical Data.
- Avoiding the Dummy Variable Trap.
- Splitting the Data set into Training Set and Test Set.

**Step #2:** Fitting Multiple Linear Regression to the Training set  
**Step #3:** Predicting the Test set results.

```
import numpy as np
import matplotlib as mpl
from mpl_toolkits.mplot3d import Axes3D
import matplotlib.pyplot as plt

def generate_dataset(n):
    x = []
    y = []
    for i in range(n):
        random_x1 = np.random.rand()
        random_x2 = np.random.rand()
        x1 = i
        x2 = i/2 + np.random.rand()*n
        x.append([1, x1, x2])
        y.append(random_x1 * x1 + random_x2 * x2 + 1)
    return np.array(x), np.array(y)

x, y = generate_dataset(200)
mpl.rcParams['legend.fontsize'] = 12
fig = plt.figure()
ax = fig.gca(projection='3d')
ax.scatter(x[:, 1], x[:, 2], y, label='y', s=5)
ax.legend()
ax.view_init(45, 0)
plt.show()

def mse(coef, x, y):
    return np.mean((np.dot(x, coef) - y)**2)/2

def gradients(coef, x, y):
    return np.mean(x.transpose()*(np.dot(x, coef) - y), axis=1)

def multilinear_regression(coef, x, y, lr, b1=0.9, b2=0.999, epsilon=1e-8):
    prev_error = 0
    m_coef = np.zeros(coef.shape)
    v_coef = np.zeros(coef.shape)
    moment_m_coef = np.zeros(coef.shape)
    moment_v_coef = np.zeros(coef.shape)
    t = 0
    while True:
        error = mse(coef, x, y)
        if abs(error - prev_error) <= epsilon:
            break
        prev_error = error
```

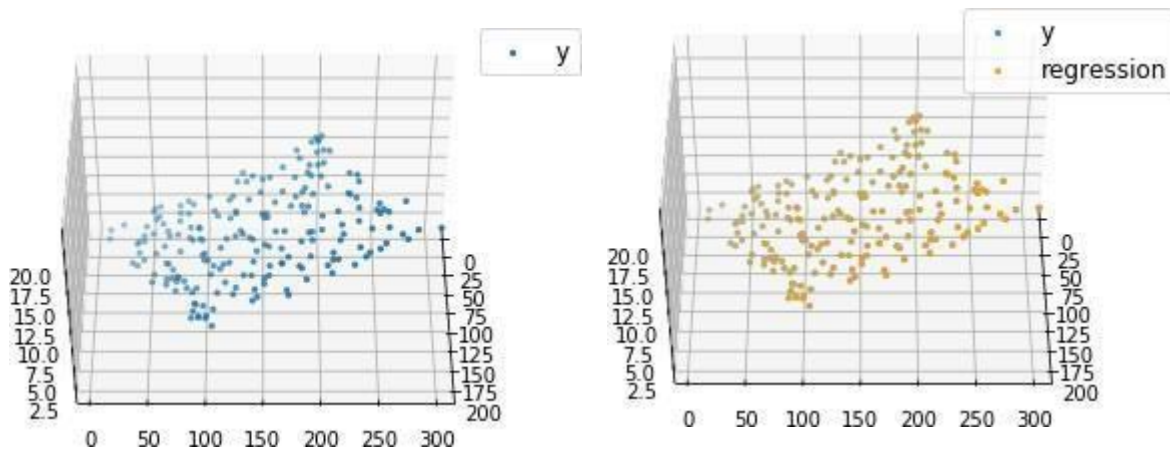
```

grad = gradients(coef, x, y)t += 1
m_coef = b1 * m_coef + (1-b1)*grad v_coef =
b2 * v_coef + (1-b2)*grad**2moment_m_coef =
m_coef / (1-b1**t) moment_v_coef = v_coef /
(1-b2**t)

delta = ((lr / moment_v_coef**0.5 + 1e-8) *
          (b1 * moment_m_coef + (1-b1)*grad/(1-b1**t)))coef =
np.subtract(coef, delta)
returncoef
coef = np.array([0, 0, 0])
c = multilinear_regression(coef, x, y, 1e-1)fig =
plt.figure()
ax = fig.gca(projection='3d') ax.scatter(x[:,
1], x[:, 2], y, label='y',
s = 5, color = "dodgerblue")
ax.scatter(x[:, 1], x[:, 2], c[0] + c[1]*x[:, 1] + c[2]*x[:, 2],
label='regression', s = 5, color = "orange")
ax.view_init(45, 0)
ax.legend() plt.show()

```

### Output:



## B. Perform logistic regression analysis.

Logistic regression is a classification method built on the same concept as linear regression. With linear regression, we take linear combination of explanatory variables plus an intercept term to arrive at a prediction.

In this example we will use a logistic regression model to predict survival.

### Program Code:

```
import os
import numpy as np
import pandas as pd
import matplotlib
import matplotlib.pyplot as plt
import scipy.stats as stats
from sklearn import linear_model
from sklearn import preprocessing
from sklearn import metrics

matplotlib.style.use('ggplot')
plt.figure(figsize=(9,9))

def sigmoid(t):
    # Define the sigmoid function
    return (1/(1 + np.e**(-t)))

plot_range = np.arange(-6, 6, 0.1)
y_values = sigmoid(plot_range) # Plot curve
plt.plot(plot_range, # X-axis range
         y_values, # Predicted values
         color="red")

titanic_train = pd.read_csv("titanic_train.csv") # Read the data
char_cabin = titanic_train["Cabin"].astype(str) # Convert cabin to str
new_Cabin = np.array([cabin[0] for cabin in char_cabin]) # Take first letter

titanic_train["Cabin"] = pd.Categorical(new_Cabin) # Save the new cabin var
# Impute median Age for NA Age values
new_age_var = np.where(titanic_train["Age"].isnull(), # Logical check
                       28, # Value if check is true
                       titanic_train["Age"]) # Value if check is false

titanic_train["Age"] = new_age_var
label_encoder = preprocessing.LabelEncoder()
# Convert Sex variable to numeric
encoded_sex = label_encoder.fit_transform(titanic_train["Sex"])

# Initialize logistic regression model
log_model = linear_model.LogisticRegression()
```

```
# Train the model
log_model.fit(X = pd.DataFrame(encoded_sex), y =
    titanic_train["Survived"])

# Check trained model intercept
print(log_model.intercept_)

# Check trained model coefficients
print(log_model.coef_)

# Make predictions
preds = log_model.predict_proba(X= pd.DataFrame(encoded_sex))
preds = pd.DataFrame(preds)
preds.columns = ["Death_prob", "Survival_prob"]

# Generate table of predictions vs Sex
pd.crosstab(titanic_train["Sex"],
preds.ix[:, "Survival_prob"])

# Convert more variables to numeric
encoded_class = label_encoder.fit_transform(titanic_train["Pclass"])
encoded_cabin = label_encoder.fit_transform(titanic_train["Cabin"])

train_features = pd.DataFrame([encoded_class,
    encoded_cabin, encoded_sex,
    titanic_train["Age"]]).T

# Initialize logistic regression model
log_model = linear_model.LogisticRegression()

# Train the model
log_model.fit(X = train_features ,
    y = titanic_train["Survived"])

# Check trained model intercept
print(log_model.intercept_)

# Check trained model coefficients
print(log_model.coef_)

# Make predictions
preds = log_model.predict(X= train_features)

# Generate table of predictions vs actual
pd.crosstab(preds, titanic_train["Survived"])

log_model.score(X = train_features ,
    y = titanic_train["Survived"])
```

```

metrics.confusion_matrix(y_true=titanic_train["Survived"], # True labels
                          y_pred=preds) # Predicted labels

# View summary of common classification metrics
print(metrics.classification_report(y_true=titanic_train["Survived"],
                                    y_pred=preds) )

# Read and prepare test data
titanic_test = pd.read_csv("titanic_test.csv") # Read the data char_cabin =

titanic_test["Cabin"].astype(str) # Convert cabin to str

new_Cabin = np.array([cabin[0] for cabin in char_cabin]) # Take first letter

titanic_test["Cabin"] = pd.Categorical(new_Cabin) # Save the new cabin var# Impute

median Age for NA Age values
new_age_var = np.where(titanic_test["Age"].isnull(), # Logical check28, #
                      Value if check is true titanic_test["Age"]) # Value if check
                      is false

titanic_test["Age"] = new_age_var

# Convert test variables to match model features
encoded_sex = label_encoder.fit_transform(titanic_test["Sex"])
encoded_class = label_encoder.fit_transform(titanic_test["Pclass"])
encoded_cabin = label_encoder.fit_transform(titanic_test["Cabin"])

test_features = pd.DataFrame([encoded_class,
                              encoded_cabin,encoded_sex,titanic_test["Age"]]).T

# Make test set predictions
test_preds = log_model.predict(X=test_features)

# Create a submission for Kaggle
submission = pd.DataFrame({"PassengerId":titanic_test["PassengerId"],
                          "Survived":test_preds})

# Save submission to CSV submission.to_csv("tutorial_logreg_submission.csv",
index=False) # Do not save index values

print(pd)

```

## Output:

Survival_prob	0.193110906347	0.729443792051
Sex		
female	0	312
male	577	0

The table shows that the model predicted a survival chance of roughly 19% for males and 73% for females.

	precision	recall	f1-score	support
0	0.82	0.85	0.83	549
1	0.74	0.70	0.72	340
avg / total	0.79	0.79	0.79	889

For the Titanic competition, accuracy is the scoring metric used to judge the competition, so we don't have to worry too much about other metrics.

Survived	0	1
row_0		
0	467	103
1	82	237

The table above shows the classes our model predicted vs. true values of the Survived variable.

This logistic regression model has an accuracy score of 0.75598 which is actually worse than the accuracy of the simplistic women survive, men die model (0.76555).

### Example 2:

The dataset is related to direct marketing campaigns (phone calls) of a Portuguese banking institution. The classification goal is to predict whether the client will subscribe (1/0) to a term deposit (variable y). The dataset provides the bank customers' information. It includes 41,188 records and 21 fields.

#### Input variables

1. **age** (numeric)
2. **job** : type of job (categorical: -admin, -blue-collar, -entrepreneur, -housemaid, -management, -retired, -self-employed, -services, -student, -technician, -unemployed, -unknown)
3. **marital** : marital status (categorical: -divorced, -married, -single, -unknown)



4. **education** (categorical: -basic.4y||, -basic.6y||, -basic.9y||, -high.school||, -illiterate||, -professional.coursell, -university.degree||, -unknown||)
5. **default**: has credit in default? (categorical: -no||, -yes||, -unknown||)
6. **housing**: has housing loan? (categorical: -no||, -yes||, -unknown||)
7. **loan**: has personal loan? (categorical: -no||, -yes||, -unknown||)
8. **contact**: contact communication type (categorical: -cellular||, -telephone||)
9. **month**: last contact month of year (categorical: -jan||, -feb||, -mar||, ..., -nov||, -dec||)
10. **day\_of\_week**: last contact day of the week (categorical: -mon||, -tue||, -wed||, -thul||, -fri||)
11. **duration**: last contact duration, in seconds (numeric). Important note: this attribute highly affects the output target (e.g., if duration=0 then y='no'). The duration is not known before a call is performed, also, after the end of the call, y is obviously known. Thus, this input should only be included for benchmark purposes and should be discarded if the intention is to have a realistic predictive model
12. **campaign**: number of contacts performed during this campaign and for this client (numeric, includes last contact)
13. **pdays**: number of days that passed by after the client was last contacted from a previous campaign (numeric; 999 means client was not previously contacted)
14. **previous**: number of contacts performed before this campaign and for this client (numeric)
15. **poutcome**: outcome of the previous marketing campaign (categorical: -failure||, -nonexistent||, -success||)
16. **emp.var.rate**: employment variation rate — (numeric)
17. **cons.price.idx**: consumer price index — (numeric)
18. **cons.conf.idx**: consumer confidence index — (numeric)
19. **euribor3m**: euribor 3 month rate — (numeric)
20. **nr.employed**: number of employees — (numeric)

**Predict variable (desired target):**

**y** — has the client subscribed a term deposit?(binary:  
—1||, means —Yes||, —0|| means —No||)

**Program Code:**

```
# -*- coding: utf-8 -*-
import pandas as pd
import numpy as np
from sklearn import preprocessing
import matplotlib.pyplot as plt
plt.rc("font", size=14)
from sklearn.linear_model import LogisticRegression
from sklearn.model_selection import train_test_split
import seaborn as sns
sns.set(style="white")
sns.set(style="whitegrid", color_codes=True)
data = pd.read_csv('bank.csv', header=0) data =
data.dropna()
print(data.shape)
print(list(data.columns))
data['education'].unique()
data['education']=np.where(data['education']=='basic.9y', 'Basic', data['education'])
data['education']=np.where(data['education']=='basic.6y', 'Basic', data['education'])
data['education']=np.where(data['education']=='basic.4y', 'Basic', data['education'])
data['education'].unique()
data['y'].value_counts()
```

```

sns.countplot(x='y', data=data, palette='hls')
plt.show();
plt.savefig('Practical10B-plot.jpeg')

count_no_sub = len(data[data['y']==0])
count_sub = len(data[data['y']==1])
pct_of_no_sub = count_no_sub/(count_no_sub+count_sub)
print("percentage of no subscription is", pct_of_no_sub*100)
pct_of_sub = count_sub/(count_no_sub+count_sub)
print("percentage of subscription", pct_of_sub*100)

data.groupby('y').mean()
data.groupby('job').mean() data.groupby('marital').mean()
data.groupby('education').mean()

##### Purchase Frequency for Job Title
pd.crosstab(data.job,data.y).plot(kind='bar')
plt.title('Purchase Frequency for Job Title')
plt.xlabel('Job')
plt.ylabel('Frequency of Purchase')
plt.savefig('purchase_fre_job')

##### Marital Status vs Purchase
table=pd.crosstab(data.marital,data.y)
table.div(table.sum(1).astype(float), axis=0).plot(kind='bar', stacked=True)
plt.title('Stacked Bar Chart of Marital Status vs Purchase') plt.xlabel('Marital
Status')
plt.ylabel('Proportion of Customers')
plt.savefig('mariral_vs_pur_stack')

##### Education vs Purchase
table=pd.crosstab(data.education,data.y) table.div(table.sum(1).astype(float),
axis=0).plot(kind='bar', stacked=True)plt.title('Stacked Bar Chart of
Education vs Purchase') plt.xlabel('Education')
plt.ylabel('Proportion of Customers')
plt.savefig('edu_vs_pur_stack')

pd.crosstab(data.day_of_week,data.y).plot(kind='bar')
plt.title('Purchase Frequency for Day of Week')
plt.xlabel('Day of Week')
plt.ylabel('Frequency of Purchase')plt.savefig('pur_dayofweek_bar')

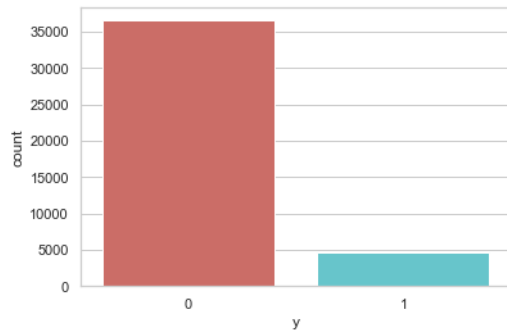
##### Purchase Frequency for Month
pd.crosstab(data.month,data.y).plot(kind='bar')
plt.title('Purchase Frequency for Month')
plt.xlabel('Month')
plt.ylabel('Frequency of Purchase')
plt.savefig('pur_fre_month_bar')

##### Age Purchase frequency pattern
data.age.hist()
plt.title('Histogram of Age')
plt.xlabel('Age')
plt.ylabel('Frequency')
plt.savefig('hist_age')

```

## Output: -

```
In [47]: runfile('K:/Research In Computing/Practical Material/Programs/Practical_10/Practical_10B.py', wdir='K:/Research In Computing/Practical Material/Programs/Practical_10')
(41188, 21)
['age', 'job', 'marital', 'education', 'default', 'housing', 'loan', 'contact', 'month', 'day_of_week', 'duration', 'campaign', 'pdays', 'previous', 'poutcome', 'emp_var_rate', 'cons_price_idx', 'cons_conf_idx', 'euribor3m', 'nr_employed', 'y']
```



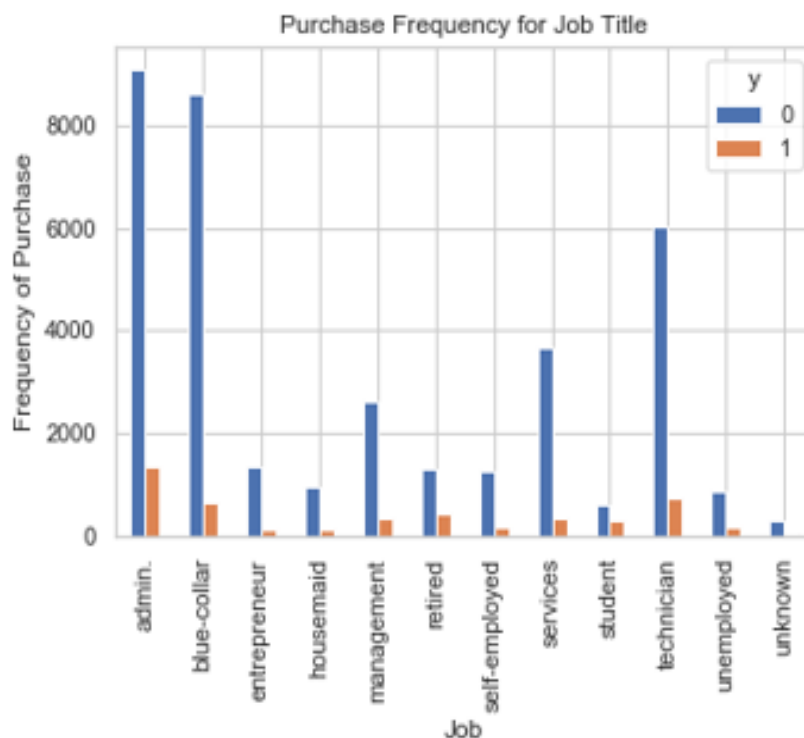
```
percentage of no subscription is 88.73458288821988
percentage of subscription 11.265417111780131
```

**PERCENTAGE OF NO  
SUBSCRIPTION IS  
88.73458288821988**

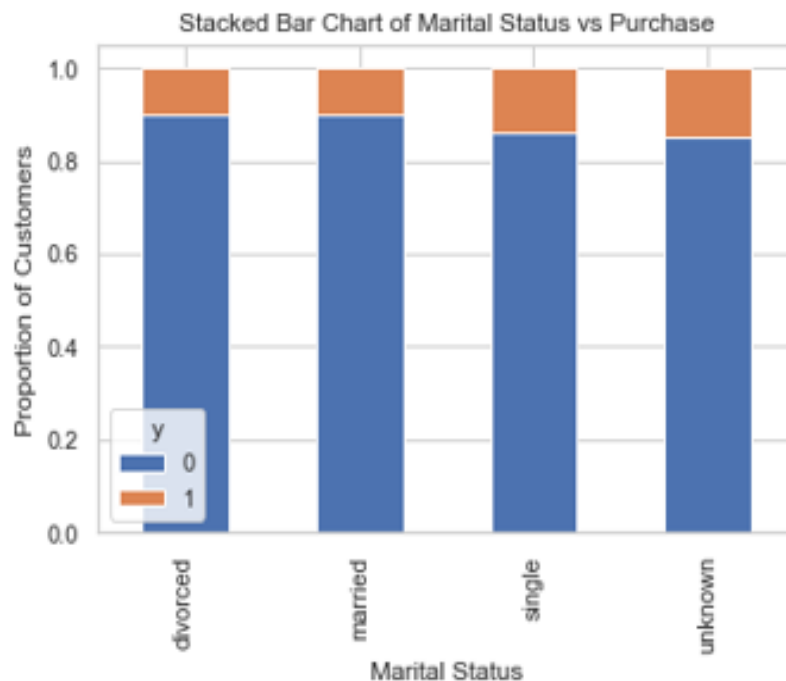
**PERCENTAGE OF SUBSCRIPTION  
11.265417111780131**

Our classes are imbalanced, and the ratio of no-subscription to subscription instances is 89:11.

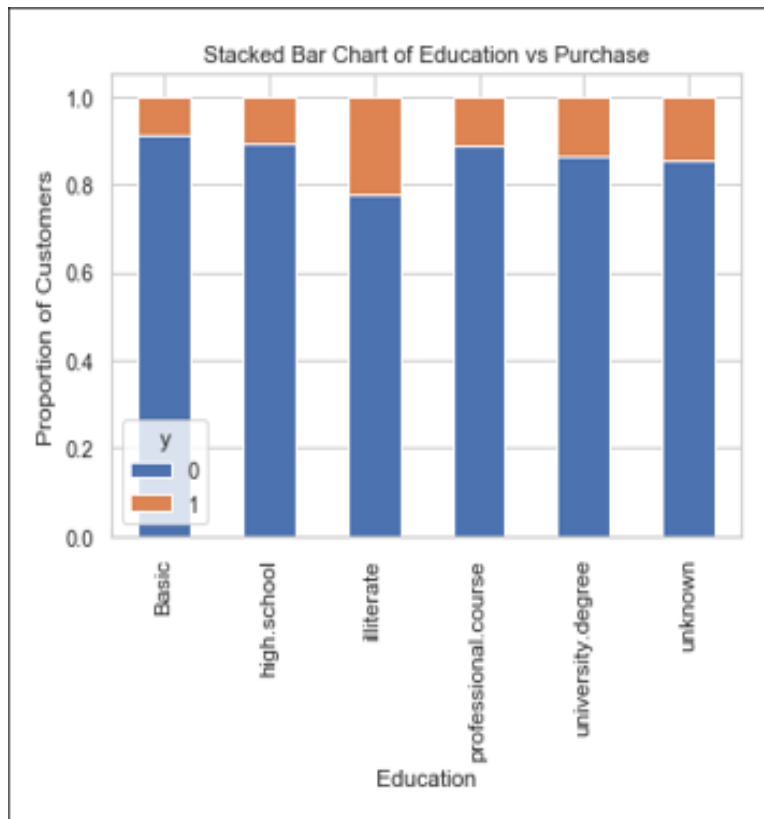
- The average age of customers who bought the term deposit is higher than that of the customers who didn't.
- The pdays (days since the customer was last contacted) is understandably lower for the customers who bought it. The lower the pdays, the better the memory of the last call and hence the



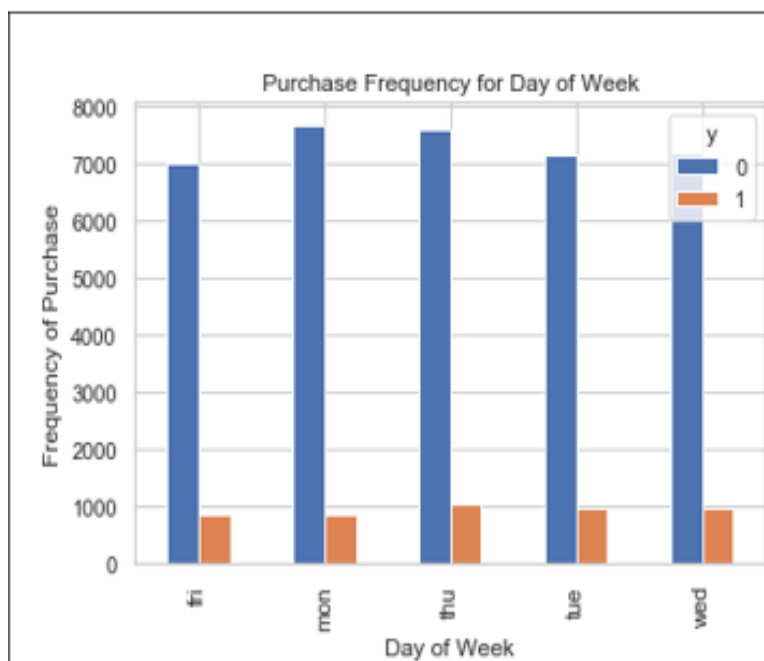
The frequency of purchase of the deposit depends a great deal on the job title. Thus, the job title can be a good predictor of the outcome variable.



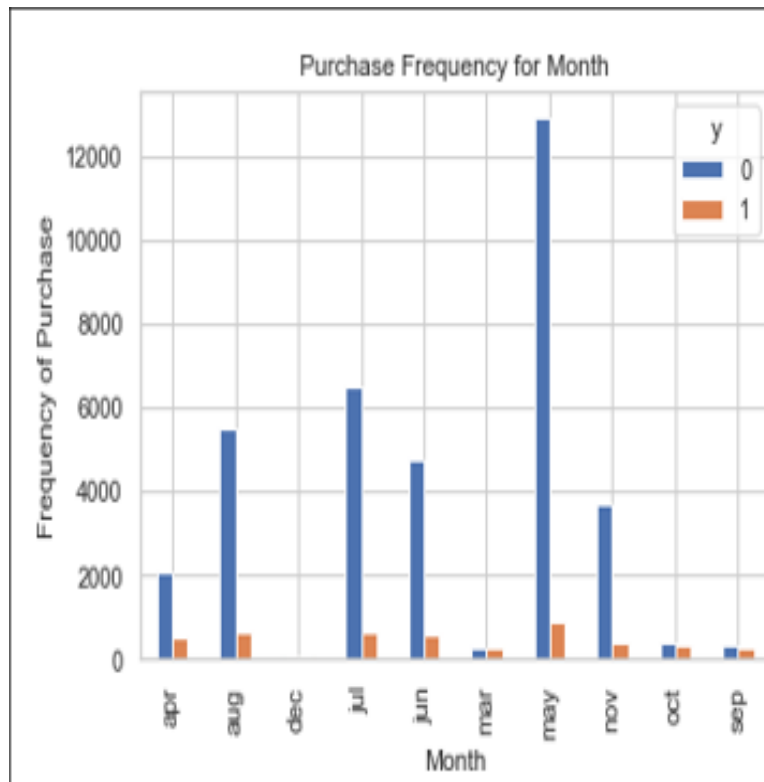
The marital status does not seem a strong predictor for the outcome variable.



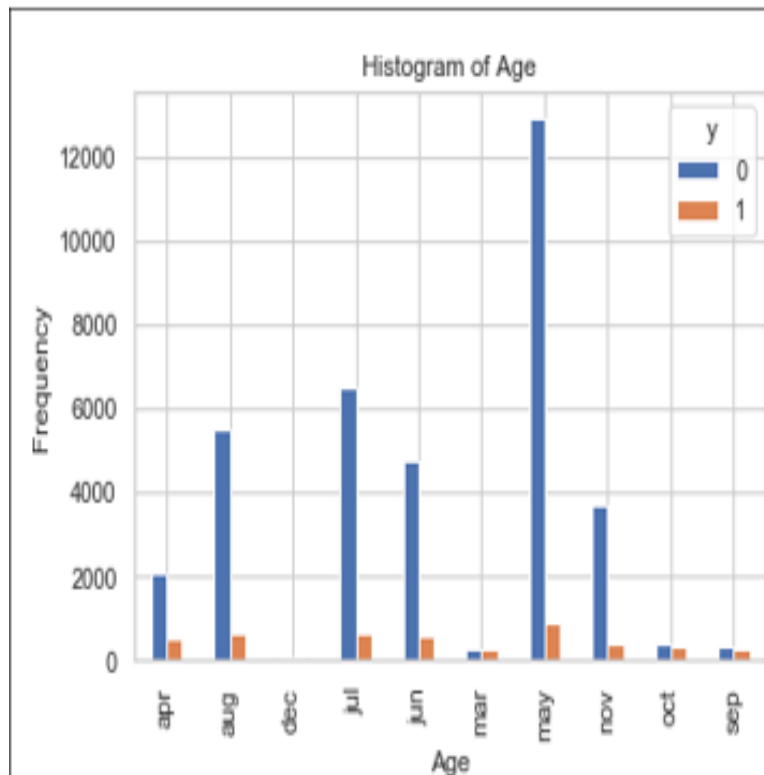
Education seems a good predictor of the outcome variable.



Day of week may not be a good predictor of the outcome.



Month might be a good predictor of the outcome variable.



Most of the customers of the bank in this dataset are in the age range of 30–40.