Gabi Rivera

ADS501-01

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Introduction to Data Mining: Exercises 7.7

3. Many partitional clustering algorithms that automatically determine the number of clusters claim that this is an advantage. List two situations in which this is not the case.

Answer:

Two situations where partitional clustering's automatic numbered cluster is not an advantage is when the clusters need to be specified to a value because the dataset will have to be reduced as needed later on in the process, and when the data has a hierarchical structure.

5. Identify the clusters in Figure 7.36 using the center-, contiguity-, and density-based definitions. Also indicate the number of clusters for each case and give a brief indication of your reasoning. Note that darkness or the number of dots indicates density. If it helps, assume center-based means Kmeans, contiguity-based means single link, and density-based means DBSCAN.



Answer:

a.) Center-based: The number of the cluster is 2 since there are two dark circles inside the rectangle box.

Contiguity-based: The number of clusters is 1 because the noise will merge the two circles.

Density-based: The number of clusters is 2 as the low density will be eliminated.

b.) Center-based: The number of clusters is 1. The two circles will be counted as having one middle center.

Contiguity-based: The number of clusters is 2 because there are two circular dark clusters.

Density-based: The number of clusters is 2 because there are two circular dark clusters.

c.) Center-based: The number of clusters is 3 because there are three triangles.

Contiguity-based: The number of clusters is 1 because all will be merged into one.

Density-based: The number of clusters is 3 because there are three triangles.

d.) Center-based: The number of clusters is 2 because there are two separate groups of centers.

Contiguity-based: The number of clusters is 5 because there are 5 strings of lines in each group.

Density-based: The number of clusters is 2 because there are two groups that are highly dense.

18. Suppose we find K clusters using Ward's method, bisecting K-means, and ordinary K-means. Which of these solutions represents a local or global minimum? Explain.

Answer: Ordinary K-means can represent a local minimum because of its refinement step which both Ward's method and Bisecting K-means lack but none of these solutions are sure to produce a global minimum.

20. Consider the following four faces shown in Figure 7.39. Again, darkness or number of dots represents density. Lines are used only to distinguish regions and do not represent points.

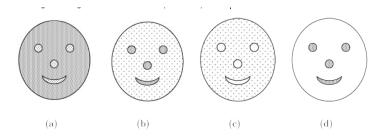


Figure 7.39.
Figure for Exercise 20 □.

a. For each figure, could you use single link to find the patterns represented by the nose,
 eyes, and mouth? Explain.

Answer: b and d. For b, the dark clusters are closer to each other compared to the noise. For d, there are only dark clusters and no noise.

b. For each figure, could you use K-means to find the patterns represented by the nose, eyes, and mouth? Explain.

Answer: b and d. For b, the dark clusters will be identified together with the noise. For d, the dark clusters will be readily identified.

c. What limitation does clustering have in detecting all the patterns formed by the points in Figure 7.39(c)?

Answer: For c, there are only noise. There are empty spaces but these will not be detected.

22. You are given two sets of 100 points that fall within the unit square. One set of points is arranged so that the points are uniformly spaced. The other set of points is generated from a uniform distribution over the unit square.

a. Is there a difference between the two sets of points?

Answer: There is a difference between the two sets of points as one will have an even uniform distribution of points compared to the other which will have variable density with uniform spacing.

b. If so, which set of points will typically have a smaller SSE for clusters?

Answer: The one with variable densities will have a smaller SSE for clusters.

d. What will be the behavior of DBSCAN on the uniform data set? The random data set?

Answer: DBSCAN will merge or remove the uniform data set. With the random dataset,

DBSCAN will identify clusters of higher densities and remove the lower densities.

30. Clusters of documents can be summarized by finding the top terms (words) for the documents in the cluster, e.g., by taking the most frequent k terms, where k is a constant, say 10, or by taking all terms that occur more frequently than a specified threshold. Suppose that K-means is used to find clusters of both documents and words for a document data set.

a. How might a set of term clusters defined by the top terms in a document cluster differ from the word clusters found by clustering the terms with Kmeans?

Answer: Top term clusters have the potential to overlap and misrepresent other frequent terms that are not captured in the top selection. In K-means, represent all most frequent terms without overlapping.

b. How could term clustering be used to define clusters of documents?

Answer: Term clustering can be used to define clusters of documents by taking the top documents having the most frequent terms.

Module6

Gabi Rivera

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Data Science Using Python and R: Chapter 10

For the following exercises, work with the white_wine_training and white_wine_test data sets. Use either Python or R to solve each problem.

11. Input and standardize both the training and test data sets.

```
wine_train = read.csv('white_wine_training', sep = ',')
wine_test = read.csv('white_wine_test', sep = ',')

#Subset predictors:
X = subset(wine_train, select = c("alcohol", "sugar"))
X_test = subset(wine_test, select = c("alcohol", "sugar"))

#Standardize predictors:
Xs = as.data.frame(scale(X))
colnames(Xs) = c("alcohol_z", "sugar_z")

Xs_test = as.data.frame(scale(X_test))
colnames(Xs_test) = c("alcohol_z", "sugar_z")
```

12. Run k-means clustering on the training data set, using two clusters.

```
kmeans01 = kmeans(Xs, centers = 2)

#Save cluster membership of each record as it's own variable
cluster = as.factor(kmeans01$cluster)

#Description of each cluster
Cluster1 = Xs[ which(cluster == 1), ]
Cluster2 = Xs[ which(cluster == 2), ]
```

13. Give the mean of each variable within each cluster and use the means to identify a "Dry wines" and a "Sweet wines" cluster.

```
#Summary

summary(Cluster1)

## alcohol_z sugar_z

## Min. :-1.8265 Min. :-0.9085

## 1st Qu.:-1.1586 1st Qu.: 0.3541

## Median :-0.9081 Median : 0.8676
```

```
:-0.7552
                       Mean
                               : 0.9608
    Mean
##
    3rd Qu.:-0.4072
                       3rd Qu.: 1.4882
           : 2.0138
  {\tt Max.}
                       Max.
                               : 5.5113
summary(Cluster2)
##
      alcohol_z
                           sugar_z
##
    Min.
           :-1.5760
                               :-1.1225
                       Min.
##
    1st Qu.:-0.1568
                       1st Qu.:-0.9513
  Median: 0.4276
                       Median :-0.8443
##
## Mean
           : 0.4902
                       Mean
                               :-0.6236
    3rd Qu.: 1.1790
##
                       3rd Qu.:-0.3521
  Max.
           : 2.8904
                       Max.
                               : 1.4775
Cluster 1 = positive value for Sweet wine
```

- Dry wine, means: -0.76
- Sweet wine, means: 0.96

Cluster 2 = positive value for Dry wine

- Dry wine, means: 0.49
- Sweet wine, means: -0.62

14. Validate the clustering results by running k-means clustering on the test data set, using two clusters, and identifying a "Dry wines" and a "Sweet wines" cluster.

```
#Validate test dataset
kmeans01_test = kmeans(Xs_test, centers = 2)
cluster_test = as.factor(kmeans01_test$cluster)
Cluster1_test = Xs[ which(cluster_test == 1), ]
Cluster2_test = Xs[ which(cluster_test == 2), ]
summary(Cluster1_test);
##
      alcohol z
                         sugar_z
##
   Min.
           :-1.7430
                      Min.
                              :-1.1225
    1st Qu.:-0.2403
                      1st Qu.:-0.9245
  Median : 0.3441
                      Median :-0.5019
##
##
   Mean
          : 0.3697
                      Mean
                              :-0.1869
##
    3rd Qu.: 1.0120
                      3rd Qu.: 0.3327
           : 1.9303
                              : 3.5853
   Max.
                      Max.
summary(Cluster2_test)
```

```
##
      alcohol_z
                          sugar_z
##
   Min.
           :-1.8265
                              :-1.1011
                      Min.
   1st Qu.:-1.2421
                      1st Qu.:-0.7801
##
  Median :-0.9081
                      Median : 0.3327
           :-0.8267
                              : 0.3606
## Mean
                      Mean
    3rd Qu.:-0.5742
##
                       3rd Qu.: 1.2100
   Max.
           : 1.4294
                      Max.
                              : 5.5113
```

Cluster 1 = positive value for Sweet wine

- Dry wine, means: -0.83
- Sweet wine, means: 0.36

Cluster 2 = positive value for Dry wine

• Dry wine, means: 0.37

• Sweet wine, means: -0.19

Module 6 Assignment

Data Science Using Python and R: Chapter 10

For the following exercises, work with the white_wine_training and white_wine_test data sets. Use either Python or R to solve each problem.

```
In [1]: import pandas as pd
    from scipy import stats
    from sklearn.cluster import KMeans
```

11 Input and standardize both the training and test data sets.

```
In [3]: #Import both datasets:
    wine_train = pd.read_csv("white_wine_training", sep = ',')
    wine_test = pd.read_csv("white_wine_test", sep = ',')

#Isolate predictors:
    X = wine_train[['alcohol', 'sugar']]
    X_test = wine_test[['alcohol', 'sugar']]

#Standardize predictors using z-scores:
    Xz = pd.DataFrame(stats.zscore(X), columns=['alcohol', 'sugar'])
    Xz_test = pd.DataFrame(stats.zscore(X_test), columns=['alcohol', 'sugar'])
```

12 Run k-means clustering on the training data set, using two clusters.

```
In [4]: #Kmeans model:
kmeans01 = KMeans(n_clusters = 2).fit(Xz)

#Save clustering membership to it's own variable:
cluster = kmeans01.labels_

#Separate records into two groups based on cluster membership:
Cluster1 = Xz.loc[cluster == 0]
Cluster2 = Xz.loc[cluster == 1]
```

13 Give the mean of each variable within each cluster and use the means to identify a "Dry wines" and a "Sweet wines" cluster.

```
In [6]: #Summary1:
    Cluster1.describe()
```

```
Out[6]:
                   alcohol
                               sugar
         count 712.000000 712.000000
         mean
               -0.755428
                             0.961034
               0.580989
                           0.818726
           std
          min
                 -1.826971
                            -0.908740
                -1.158911
                            0.354160
          25%
          50%
                -0.908388
                           0.867883
          75%
                -0.407343
                            1.488630
```

```
In [7]:
          #Summary2:
          Cluster2.describe()
                      alcohol
 Out [7]:
                                    sugar
          count 1097.000000
                             1097.000000
           mean
                    0.490305
                                -0.623752
             std
                    0.905663
                                 0.475694
                                 -1.122791
            min
                    -1.576448
           25%
                    -0.156821
                                -0.951551
           50%
                    0.427732
                                -0.844525
           75%
                     1.179299
                                -0.352208
            max
                    2.891203
                                 1.477928
          14 Validate the clustering results by running k-means clustering on the test data set, using two clusters,
          and identifying a "Dry wines" and a "Sweet wines" cluster.
 In [9]:
          kmeans test = KMeans(n clusters = 2).fit(Xz test)
          cluster test = kmeans test.labels
          Cluster1 test = Xz test.loc[cluster test == 0]
          Cluster2 test = Xz test.loc[cluster test == 1]
In [11]: #Summary1:
          Cluster1 test.describe()
Out[11]:
                     alcohol
                                   sugar
          count 638.000000 638.000000
           mean
                   -0.802630
                                1.065341
             std
                  0.561207
                                0.779670
                   -2.080483
            min
                               -1.037949
           25%
                   -1.190079
                                0.396441
           50%
                   -0.947241
                                1.032518
           75%
                   -0.542512
                                1.583612
                    1.562080
                                3.298700
            max
In [12]:
          #Summary2:
          Cluster2 test.describe()
Out[12]:
                      alcohol
                                    sugar
          count 1122.000000 1122.000000
                    0.456397
                                -0.605782
           mean
                    0.903287
                                0.459740
             std
            min
                    -1.675754
                                -1.089453
           25%
                    -0.218729
                                -0.945241
```

max

50%

0.368129

-0.821632

2.014374

5.512788

75%	1.157351	-0.285988
max	2.776268	1.423949