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[1] Shear distribution [0403]

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Import model 0402 for loads

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[2] Seismic Loads [0402]

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Design Example 1A - Special Concentrically Braced Frame
2006 IBC Structural/Seismic Design Manual, Vol. 3

Figure 1. Braced frame elevation <file: brace.png >

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[3] Site ground motion [0402]

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Maximum considered earthquake spectral response accelerations for short periods and at 1.0-second period adjusted for site class effects. 5 percent-damped design spectral response accelerations at short periods and at 1.0-second period, S_{D1} , adjusted for site class effects.

| | | |
|-----------------------------|--|--------------|
| Eq 11.4-1 | | $F_a = 1.0$ |
| Eq 11.4-2 | | $F_v = 1.5$ |
| short period spectral accel | | $S_S = 2.1$ |
| 1 second spectral accel | | $S_1 = 0.93$ |

S_{MS} | Eq 11.4-1 (g) [3.1]

$F_a \cdot S_S$

$1.000 \cdot 2.100$

$S_{MS} = 2.100$

S_{M1} | Eq 11.4-2 (g) [3.2]

$F_v \cdot S_1$

$1.500 \cdot 0.930$

$S_{M1} = 1.395$

S_{DS} | Eq 11.4-3 (g) [3.3]

$2 \cdot S_{MS}$

$\frac{\quad}{3}$

$2 \cdot 2.100$

$\frac{\quad}{3}$

$$S_{DS} = 1.400$$

$$S_{D1} \mid \text{Eq 11.4-4 (g) [3.4]}$$

$$\frac{2 \cdot S_{M1}}{3}$$

$$\frac{2 \cdot 1.395}{3}$$

$$S_{D1} = 0.930$$

[4] Base shear coefficients

[0402]

The approximate fundamental building period can be computed from the building height and the structural system (IBC 12.2-1).

| | | |
|--------------------------------|--|--------------------------------|
| building height (no dimension) | | $h_n = 62$ |
| building height | | $bldg_ht = 62.000 \text{ ft}$ |
| response mod coef (T 12.2-1) | | $R_0 = 6.0$ |
| system overstrength factor | | $Q_0 = 2.0$ |
| deflection amplif factor | | $C_d = 5.0$ |
| period coefficient - steel | | $C_T = 0.02$ |
| importance factor | | $I_f = 1.0$ |

$$T_a \mid \text{approximate fundamental period [4.1]}$$

$$C_T \cdot h_n^{3/4}$$

$$0.020 \cdot 62^{3/4}$$

$$T_a = 0.442$$

$$C_{Sbasic} \mid \text{basic seismic response coefficient (EQ 12.8-2) [4.2]}$$

$$\frac{I_f \cdot S_{DS}}{R_0}$$

$$\frac{1.000 \cdot 1.400}{6.000}$$

$$C_{Sbasic} = 0.233$$

$$C_{Smax} \mid \text{coefficient need not exceed (EQ 12.8-3) [4.3]}$$

$$R_0 \cdot S_{D1}$$

$$I_f \cdot T_a$$

$$\frac{6.000 \cdot 0.930}{1.000 \cdot 0.442}$$

$$C_{Smax} = 12.627$$

C_Smin | coefficient minimum (EQ 12.8-3) [4.4]

$$0.044 \cdot I_f \cdot S_{DS}$$

$$0.044 \cdot 1.000 \cdot 1.400$$

$$C_{Smin} = 0.062$$

C_S | bounded seismic response coefficient (EQ 12.8-2) [4.5]

$$\min(\max(C_{Sbasic}, C_{Smin}), C_{Smax})$$

$$\min(\max(0.233, 0.062), 12.627)$$

$$C_S = 0.233$$

Note that for buildings in Seismic Design Category E or F, and those buildings for which the 1.0-second spectral response, S_1 , is equal to or greater than 0.6g, the value of the seismic response coefficient, C_S , must be at least equal to the following value.

C_Emin | min seismic response coefficient for SDC E and F (EQ 12.8-2) [4.6]

$$\frac{0.5 \cdot I_f \cdot S_{DS}}{R_0}$$

$$R_0$$

$$\frac{0.5 \cdot 1.000 \cdot 1.400}{6.000}$$

$$6.000$$

$$C_{Emin} = 0.117$$

[5] Vertical earthquake effects

[0402]

The vertical component of seismic acceleration is also computed using a very low period for the spectral acceleration.

| | |
|--------------------------------|------------------|
| dead load | DL = 3.000 kip |
| base shear effects on vertical | Q_E = 1.000 kip |
| live load effects | f_1L = 2.000 kip |
| capacity coefficient | Omega_0 = 2.0 |
| redundancy factor (IBC 12.3.4) | rho = 1.0 |

 E_p | plus vertical earthquake effect Eq 12.4-2 [5.1]

$$0.2 \cdot DL \cdot S_{DS} + Q_E \cdot p$$

$$0.2 \cdot 3.000 \text{ kip} \cdot 1.400 + 1.000 \text{ kip} \cdot 1.000$$

$$E_p = 1.840 \text{ kip}$$

 E_m | minus vertical earthquake effect Eq 12.4-2 [5.2]

$$-0.2 \cdot DL \cdot S_{DS} + Q_E \cdot p$$

$$-0.2 \cdot 3.000 \text{ kip} \cdot 1.400 + 1.000 \text{ kip} \cdot 1.000$$

$$E_m = 0.160 \text{ kip}$$

 E_m_p | maximum vertical earthquake effect Eq 12.4-2 [5.3]

$$0.2 \cdot DL \cdot S_{DS} + \Omega_0 \cdot Q_E$$

$$0.2 \cdot 3.000 \text{ kip} \cdot 1.400 + 2.000 \cdot 1.000 \text{ kip}$$

$$E_{m_p} = 2.840 \text{ kip}$$

 E_m_m | maximum vertical earthquake effect Eq 12.4-2 [5.4]

$$-0.2 \cdot DL \cdot S_{DS} + \Omega_0 \cdot Q_E$$

$$-0.2 \cdot 3.000 \text{ kip} \cdot 1.400 + 2.000 \cdot 1.000 \text{ kip}$$

$$E_{m_m} = 1.160 \text{ kip}$$

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 [6] Base shear and vertical distribution

[0403]

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 The floor area at each level is 32,224 square feet. The perimeter of the exterior curtain wall is 728 feet. The roof parapet height is 4 feet. The curtain-wall weights are distributed to each floor by tributary height. Values are organized from top to bottom (floors 5 to 1).

| | |
|---------------------------------------|-----------------|
| floor area [sf] | floor_area = |
| [32224. 32224. 32224. 32224. 32224.] | |
| floor unit weight [psf] | floor_uweight = |
| [74. 76. 76. 76. 76.] | |
| wall length [ft] | wall_length = |
| [728. 728. 728. 728. 728.] | |
| wall height [ft] | wall_ht = |
| [10. 12. 12. 12. 13.] | |
| wall unit weight [psf] | wall_uweight = |
| [20. 20. 20. 20. 20.] | |

Table - floor weight (kips) [6.1]

range variables: floor_weight = (1/1000) * floor_area * floor_uweight
equation:

$$0.001 \cdot \text{floor_area} \cdot \text{floor_uweight}$$

| lvl = roof | lvl = 5 | lvl = 4 | lvl = 3 | lvl = 2 |
|------------|---------|---------|---------|---------|
| 2385 | 2449 | 2449 | 2449 | 2449 |

Table - wall weight (kips) [6.2]

range variables: wall_weight = (1/1000) * wall_length * wall_ht * wall_uweight
equation:

$$0.001 \cdot \text{wall_ht} \cdot \text{wall_length} \cdot \text{wall_uweight}$$

| lvl = roof | lvl = 5 | lvl = 4 | lvl = 3 | lvl = 2 |
|------------|---------|---------|---------|---------|
| 146 | 175 | 175 | 175 | 189 |

Table - story weight (kips) [6.3]

range variables: story_weight = floor_weight + wall_weight
equation: story_weight = floor_weight + wall_weight

| lvl = roof | lvl = 5 | lvl = 4 | lvl = 3 | lvl = 2 |
|------------|---------|---------|---------|---------|
| 2530 | 2624 | 2624 | 2624 | 2638 |

total_storywt | sum of story weights (kips) [6.4]

$$\text{total_storywt} = 13039.712 \text{ kips}$$

[7] Design base shear

[0403]

$$V_1 = C_S \cdot W \text{ (Eq 12.8-1)}$$

V_1 | total base shear [7.1]

$$C_S \cdot \text{total_storywt}$$

$$0.233 \cdot 13039.712 \text{ kips}$$

$$V_1 = 3042.599 \text{ kips}$$

Figure 2. Building Structural Scheme <file: bldg.png >

[8] Vertical distribution of shear

[0403]

The total lateral force (i.e., design base shear) is distributed over the height of the building in accordance with IBC 12.8.3.

k is a distribution exponent related to building period as follows:

k = 1 for buildings with a period of 0.5 second or less

k = 2 for buildings with a period of 2.5 seconds or greater

k = is interpolated between these values for buildings with period between 0.5 second and 2.5 seconds

height above ground [ft] | h_x =
[62 50 38 26 14]

w_x | story weight [kips] [8.1]

w_x =

[2530.176 2623.744 2623.744 2623.744 2638.304]

Table - w_x h_x (kip-ft) [8.2]

range variables: wxhx = w_x * h_x
equation:

h_x * w_x

| lvl = roof | lvl = 5 | lvl = 4 | lvl = 3 | lvl = 2 |
|------------|---------|---------|---------|---------|
| 156871 | 131187 | 99702 | 68217 | 36936 |

wxhx_sum | sum of w_x h_x (kips) [8.3]

wxhx_sum = 492914

Vertical distribution coefficient

$$C_{vx} = \frac{h_x k \cdot w_x}{\sum_{i=1}^n h_x k \cdot w_x}$$

Table - Percent vertical load distribution - C_vx [8.4]

range variables: C_dist = wxhx * (1/wxhx_sum) * 100

equation: $C_dist = wxhx * (1/wxhx_sum) * 100$

| lvl = roof | lvl = 5 | lvl = 4 | lvl = 3 | lvl = 2 |
|------------|---------|---------|---------|---------|
| 32 | 27 | 20 | 14 | 7 |

Table - Story Force F_x (kips) [8.5]

range variables: $F_x = C_dist * V_1 / 100$

equation: $F_x = C_dist * V_1 / 100$

| lvl = roof | lvl = 5 | lvl = 4 | lvl = 3 | lvl = 2 |
|------------|---------|---------|---------|---------|
| 968 | 810 | 615 | 421 | 228 |

Table - Story Shears (kips) [8.6]

range variables: $V_x = [F_x[0], \text{sum}(F_x[0:2]), \text{sum}(F_x[0:3]), \text{sum}(F_x[0:4]), \text{sum}(F_x[0:5])]$

equation: $V_x = [F_x[0], \text{sum}(F_x[0:2]), \text{sum}(F_x[0:3]), \text{sum}(F_x[0:4]), \text{sum}(F_x[0:5])]$

| lvl = roof | lvl = 5 | lvl = 4 | lvl = 3 | lvl = 2 |
|------------|---------|---------|---------|---------|
| 968 | 1778 | 2394 | 2815 | 3043 |

V_base | base shear (kips) [8.7]

$V_base = 3042.599$ kips

[9] Horizontal distribution of shear

[0403]

IBC 12.8.4.2 requires inclusion of an accidental torsional eccentricity, e , equal to 5 percent of the building dimension perpendicular to the direction of force. It is assumed that the four frames in the transverse direction are each 25 percent stiffer than the six in the longitudinal direction because they are more heavily loaded.

| | | |
|---------------------------------|--|-------------------------|
| e/w c.m. distance to frame | | $d_{ew} = 105.000$ ft |
| n/s c.m. distance to frame | | $d_{ns} = 75.000$ ft |
| accidental ecc e/w | | $e_{ew} = 0.1 * d_{ew}$ |
| accidental ecc n/s | | $e_{ns} = 0.1 * d_{ns}$ |
| relative stiffness-trans frames | | $R_i = 1.25$ |

[10] Transverse frames-shear plus torsion

[0403]

trans R_i | rel. torsional resistance - 4 transverse frames [10.1]

$$R_i \cdot d_{ew}^2$$

$$1.250 \cdot 105.000^2 \text{ ft}$$

$$\text{transR}_i = 13781.250 \text{ ft}^2$$

$$\text{longR}_i \mid \text{rel. torsional resistance - 6 longitudinal frames [10.2]}$$

$$d_{ns}^2$$

$$75.000 \text{ ft}^2$$

$$\text{longR}_i = 5625.000 \text{ ft}^2$$

$$\text{SumR}_i \mid \text{sum of rel. torsion resistances [10.3]}$$

$$6 \cdot \text{longR}_i + 4 \cdot \text{transR}_i$$

$$6 \cdot 5625.000 \text{ ft}^2 + 4 \cdot 13781.250 \text{ ft}^2$$

$$\text{SumR}_i = 88875.000 \text{ ft}^2$$

$$T_{\text{trans}_y} \mid \text{Percent torsion force at single transverse frame [10.4]}$$

$$\frac{100 \cdot e_{ew} \cdot \text{transR}_i}{\text{SumR}_i \cdot d_{ew}}$$

$$\frac{100 \cdot 10.500 \text{ ft} \cdot 13781.250 \text{ ft}^2}{88875.000 \text{ ft}^2 \cdot 105.000 \text{ ft}}$$

$$T_{\text{trans}_y} = 1.551$$

$$T_{\text{long}_y} \mid \text{Percent torsion force at single transverse frame [10.5]}$$

$$\frac{100 \cdot e_{ew} \cdot \text{longR}_i}{\text{SumR}_i \cdot d_{ns}}$$

$$\frac{100 \cdot 10.500 \text{ ft} \cdot 5625.000 \text{ ft}^2}{88875.000 \text{ ft}^2 \cdot 75.000 \text{ ft}}$$

$$T_{\text{long}_y} = 0.886$$

Torsion distribution relation

$$V_{iy} = \left[\frac{R_i \cdot d_i \cdot e_{real}}{n} + \frac{R_{iy}}{n} + \left| \frac{R_i \cdot d_i \cdot e_{acc}}{n} \right| \right] \cdot \sqrt{\sum_{i=0}^n V_y^2}$$

Table - Forces at each level at frame BF-2 (kips) [10.6]

range variables: $F_{xbf2} = F_x * ((1/4) + Ttrans_y/100)$
equation: $F_{xbf2} = F_x * ((1/4) + Ttrans_y/100)$

| lvl = roof | lvl = 5 | lvl = 4 | lvl = 3 | lvl = 2 |
|------------|---------|---------|---------|---------|
| 257 | 215 | 163 | 112 | 61 |

Table - Story shears at each level at frame BF-2 (kips) [10.7]

range variables: $V_{xbf2} = \text{array}(V_x) * ((1/4) + Ttrans_y/100)$
equation: $V_{xbf2} = \text{array}(V_x) * ((1/4) + Ttrans_y/100)$

| lvl = roof | lvl = 5 | lvl = 4 | lvl = 3 | lvl = 2 |
|------------|---------|---------|---------|---------|
| 257 | 472 | 635 | 747 | 808 |

[11] Combined forces (IBC 12.4.2)

[0403]

For convenience, the seismic design load combinations can be reformulated to combine the vertical component of the seismic motion with the dead load. Also, as the overstrength factor is not considered in combination with the redundancy factor (and the results of the analysis include the redundancy factor), it is sometimes convenient to recalculate the overstrength factor to account for this difference (if $\rho > 1.0$).

E1 | combined effects - redundancy [11.1]

$$0.28 \cdot DL + Q_E \cdot \rho$$

$$0.28 \cdot 3.000 \text{ kip} + 1.000 \text{ kip} \cdot 1.000$$

$$E1 = 1.840 \text{ kip}$$

E2 | combined effects - redundancy [11.2]

$$-0.28 \cdot DL + Q_E \cdot \rho$$

$$-0.28 \cdot 3.000 \text{ kip} + 1.000 \text{ kip} \cdot 1.000$$

$$E2 = 0.160 \text{ kip}$$

E1_m | combined effects - overstrength [11.3]

$$0.28 \cdot DL + \Omega_0 \cdot Q_E$$

$$0.28 \cdot 3.000 \text{ kip} + 2.000 \cdot 1.000 \text{ kip}$$

$$E1_m = 2.840 \text{ kip}$$

E2_m | combined effects - overstrength [11.4]

$$-0.28 \cdot DL + \Omega_0 \cdot Q_E$$

$$-0.28 \cdot 3.000 \text{ kip} + 2.000 \cdot 1.000 \text{ kip}$$

$$E2_m = 1.160 \text{ kip}$$

Basic Seismic Load Combinations:

E1_B | 1.2D + 1.0E + 0.5L (Eq 16-5) [11.5]

$$1.48 \cdot DL + Q_E \cdot \rho + f_{1L}$$

$$1.48 \cdot 3.000 \text{ kip} + 1.000 \text{ kip} \cdot 1.000 + 2.000 \text{ kip}$$

$$E1_B = 7.440 \text{ kip}$$

E2_B | 0.9 D + 1.0 E (Eq 16-7) [11.6]

$$0.62 \cdot DL + Q_E \cdot \rho$$

$$0.62 \cdot 3.000 \text{ kip} + 1.000 \text{ kip} \cdot 1.000$$

$$E2_B = 2.860 \text{ kip}$$

Special Seismic Load Combinations (Amplified Seismic Load)

E1_M | 1.2D + 1.0Em + 0.5L (Eq 16-22) [11.7]

$$1.48 \cdot DL + 2.0 \cdot Q_E + f_{1L}$$

$$1.48 \cdot 3.000 \text{ kip} + 2.0 \cdot 1.000 \text{ kip} + 2.000 \text{ kip}$$

$$E1_M = 8.440 \text{ kip}$$

$$E2_M \mid 0.9D + 1.0Em \text{ (Eq 16-23) [11.8]}$$

$$0.62 \cdot DL + 2.0 \cdot Q_E$$

$$0.62 \cdot 3.000 \text{ kip} + 2.0 \cdot 1.000 \text{ kip}$$

$$E2_M = 3.860 \text{ kip}$$

The formulae that include the redundancy factor are used for brace design, and those that do not include it are used for column and beam design. The forces that the framing members are likely to see are greater for a frame with larger braces than for one with smaller ones, and the same overstrength factor should be applied to the two frames.

It is apparent from the reformulations that the redundancy factor actually decreases the effective overstrength required of these members and makes unfavorable yield modes more likely. A redundancy factor of 1.3 decreases the effective overstrength factor to 1.54, an extremely low value for a braced frame; use of such a low value in determining column design forces may not be sufficient to preclude column buckling. Designers should not lose sight of the purpose of the required overstrength, even when code provisions permit its reduction.