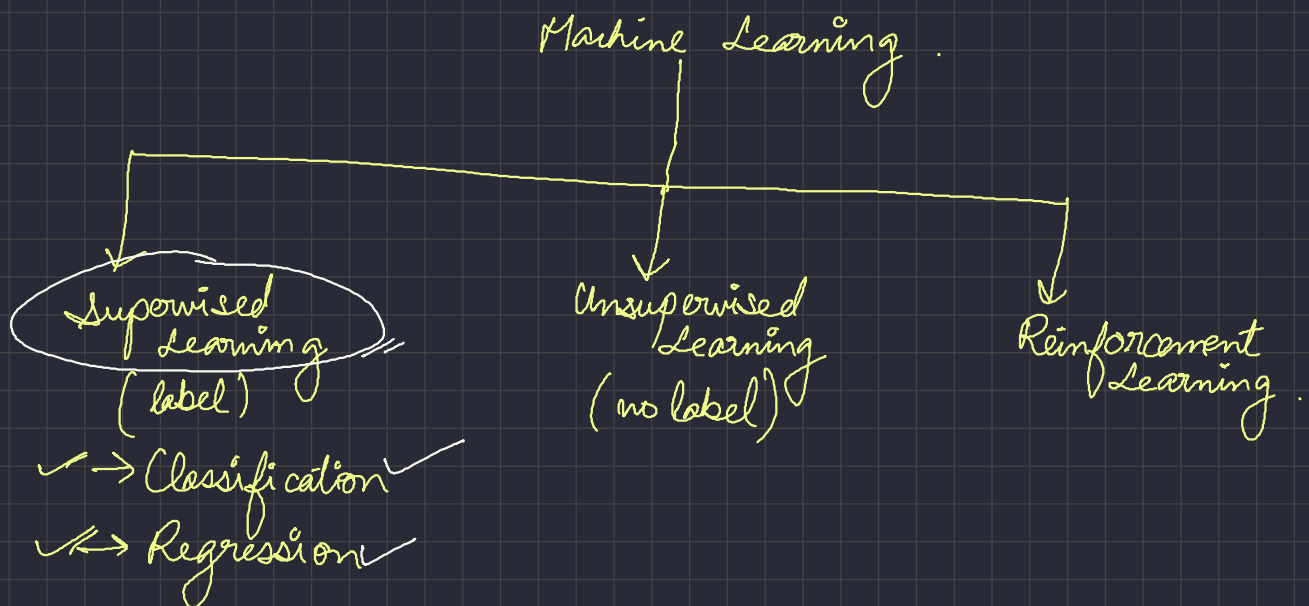


Introduction to ML study jams.

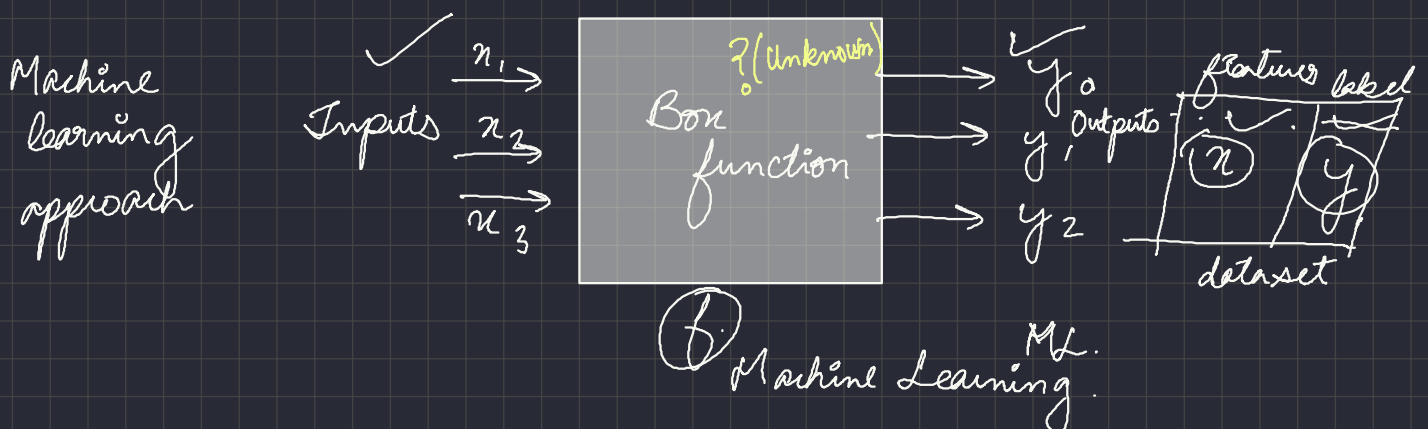
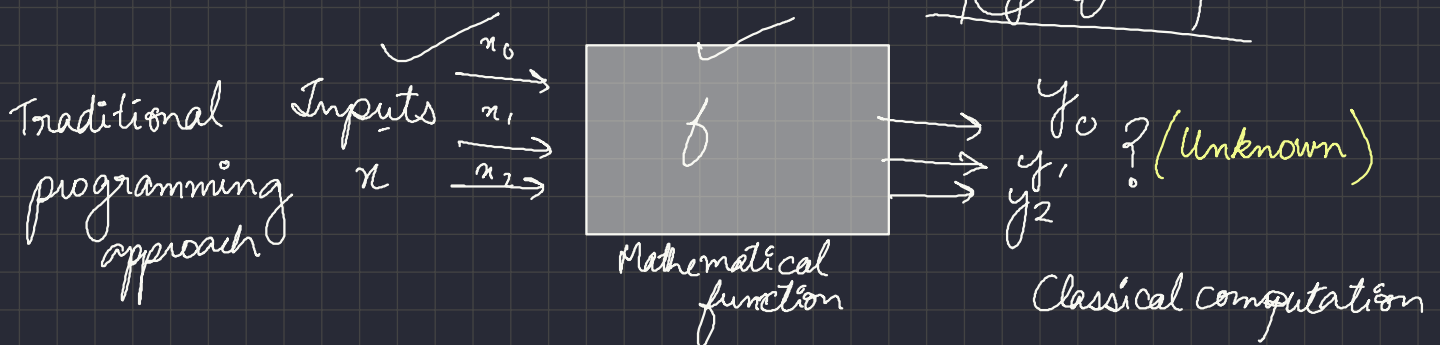
Roadmap:

- Basics of ML.
- Intermediate ML.
- Deep Learning and CV. (Tensorflow 2.0)
- Time Series ; advanced AI.



What is ML?

$$y = f(x)$$



Task of this box is:

find optimal parameters to correlate inputs to outputs

general programs. $y = \hat{m}x + \hat{c}$

ML programs $y = f(x)$

Box function = (Mathematical model)

Equation for linear regression

$$y_0 = \beta_0 + \beta_1 x_1 + \beta_2 x_2 + \epsilon$$

$y \Leftrightarrow x?$

x	y
-----	-----

$[\beta_0, \beta_1, \beta_2]$

x	y
1	2
2	4
3	6
4	8
5	10
6	12
7	14
8	16

$m = 2$

$$y = \hat{m}x + \hat{c}$$

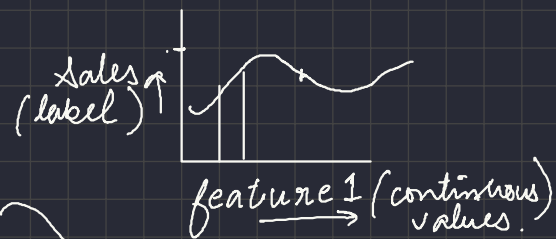
find y 's correlation to x using co-efficients.

Classical Computation (programming)

x_1	x_2	y label
Social Media Ads (\$ in 1000s)	Newspaper Ad (\$ in 1000s)	Sales (in units)
8.69	2.42	160
4.20	1.61	85

Regression

label = continuous values.



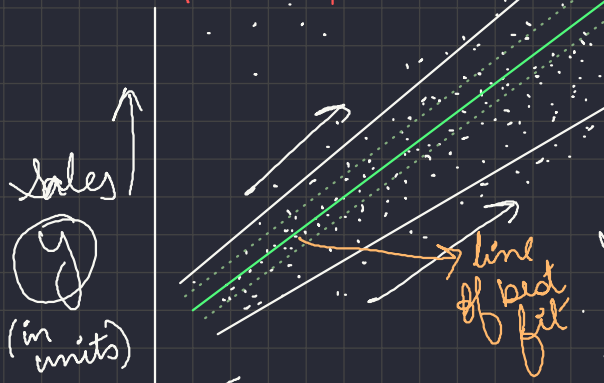
Advertising

$(x_1, x_2) =$ feature set

anomalies/outliers

area is range of best fit (possible error in error co-efficient values)

$x, y =$ data



Strong linear correlation

80% of time

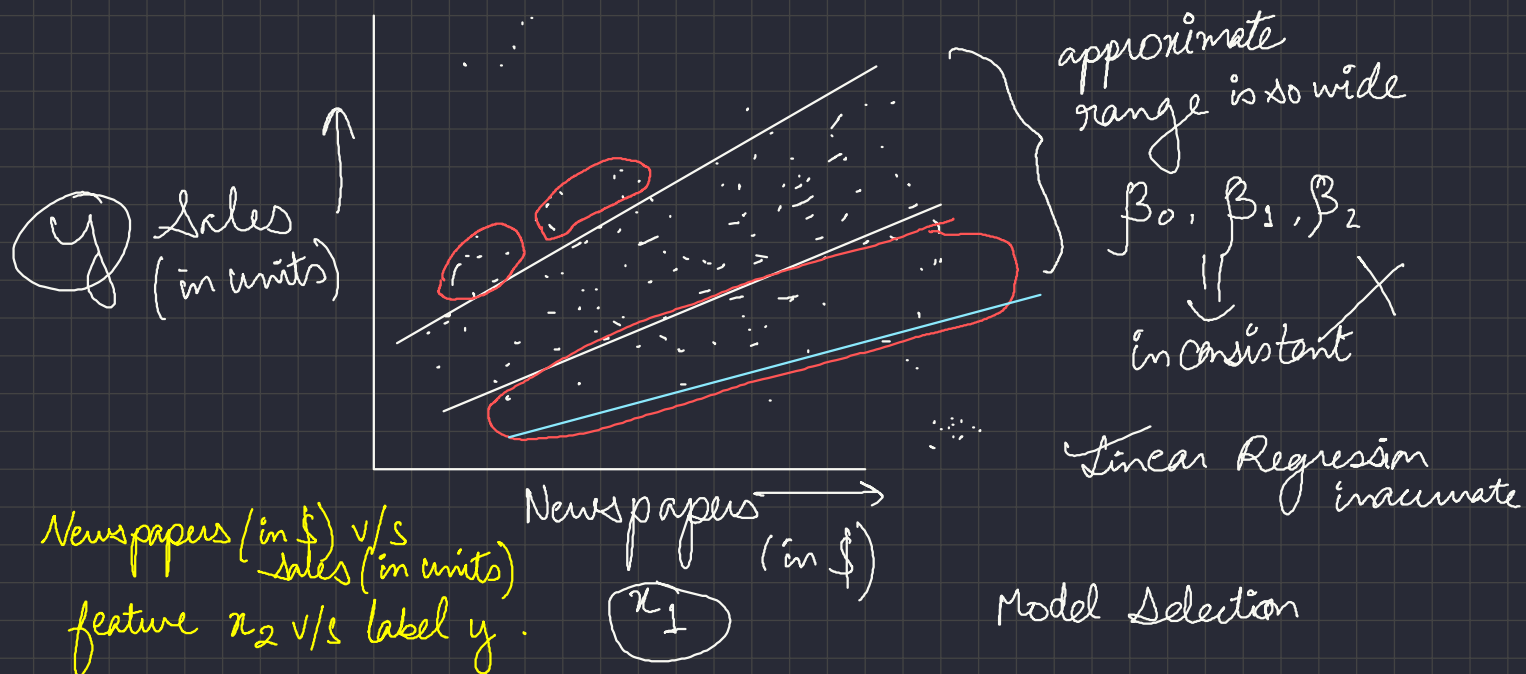
$\pm e$ error (shaded region)

S.M \uparrow Sales \uparrow

Linear Regression

Social Media x_0 (in \$)

Social Media Ads (in \$) v/s Sales (in units)
OR feature x_1 against label y



This is where we can initially choose linear regression and later move to better machine learning algorithms.

Notes on points to remember?

- 3 types of ML: Supervised, unsupervised and reinforcement learning.
- Two subcategories in supervised learning.
 1. Classification and
 2. Regression.
- Classification is used when labels of the dataset are discrete values. (next lecture will be on classification).
- Regression is used when labels of the dataset are continuous values.
 Example shown: Advertising dataset.

~ In the next two pages, we discuss how regression (linear regression) works on newer data and also see a brief overview of how model predictions help us to analyse our model's accuracy. ~

Regression.

continued.

Supervised learning.

label is continuous.

X	y
n features	y labels

Dataset UCI Advertise

Social Media (in 1000's \$)	Newspaper (in 1000 \$)	Sales in units
2.4	0.8	1200
4.8	5.6	1800
1.2	1.6	800

features labels

split into train, test

Input $X_1 \Rightarrow$ optimum

$$[\beta_0, \beta_1, \beta_2] = y$$

$$[c] \rightarrow \text{optimum}$$

$$y = mx + c$$

labels
[S.M., Newspaper]
[Sales]

$$\begin{matrix} 2.4 \\ \text{S.M.} \end{matrix}, \begin{matrix} 0.8 \\ \text{N.} \end{matrix} \Rightarrow y (1200)$$

$$\hat{y}_0 = \beta_0 + \beta_1 n_1 + \beta_2 n_2 + \text{intercept}$$

new data

X'

$$[\beta_0, \beta_1, \beta_2]$$

$$[c]$$

$$y' = 1021$$

prediction.

$$\begin{matrix} 3.5 \\ \text{S.M.} \end{matrix}, \begin{matrix} 1.8 \\ \text{N.} \end{matrix} = y'?$$

$y'?$

Division of the dataset into training and testing datasets.

X train	y train
X test	y test

Training [0-1]

Testing 0.25

Dataset

$X_{\text{train}}, y_{\text{train}}$

$X_{\text{test}}, y_{\text{test}}$ ground

find the optimum co-eff.

use optimum co-efficients

y' prediction

780 predic

800 ground value

-20

To determine how good or
bad our model parameters
are →

% correct
and
% wrong

→ use error
formulae
to calculate
loss and acc.
See res.

