

# DAA Assignment #03

①

Step #1 - (Starting Point) :-

Smallest x-coordinate

if not present then we will take  $F(0,0)$

Step #2 Iteration

i 1: starting Point  $F(0,0)$

STEP	Point	CANDIDATE	R	ORIENTATION	ccw
1	$F(0,0)$	$A(0,3)$	$B(2,2)$	$-6 < 0$	No
1.2	$F(0,0)$	$A(0,3)$	$C(1,1)$	$-3 < 0$	No
1.3	$F(0,0)$	$A(0,3)$	$D(2,1)$	$-6 < 0$	No
1.4	$F(0,0)$	$A(0,3)$	$E(3,0)$	$-9 < 0$	No

New Candidate

$A(0,3) \leftarrow$   
next Hull point

Q2 :- iteration :- 02

Step	P	Q	R	ORIENTATION	ccw	Next
2.1	$A(0,3)$	$B(2,2)$	$C(1,1)$	$-3 < 0$	No	
2.2	$A(0,3)$	$B(2,2)$	$D(2,1)$	$-2 < 0$	No	
2.3	$A(0,3)$	$B(2,2)$	$E(3,0)$	$-3 < 0$	No	$B(2,2)$
2.4	$A(0,3)$	$B(2,2)$	$F(0,0)$	$-6 < 0$	No	

A3:- Iteration 03

(2)

starting Point B(2,2)

Step #	P	Q	R	orientation	more ccw	Next Candidate
3-1	B(2,2)	C(1,1)	D(2,1)	$1 > 0$	yes	D(2,1)
3-2	B(2,2)	D(2,1)	E(3,0)	$1 > 0$	yes	E(3,0)
3-3	B(2,2)	E(3,0)	F(0,0)	$-6 < 0$	no	
3-4	B(2,2)	E(3,0)	A(0,0)	$-3 < 0$	no	

Next E(3,0)

A4:-

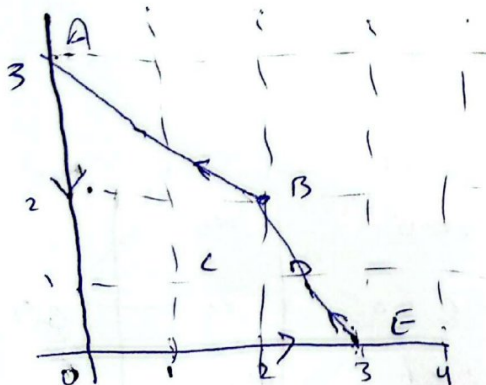
Step	P	Q	R	orientation	ccw	new candidate
4-1	E(3,0)	F(0,0)	A(0,3)	$-9 < 0$	No	
4-2	E(3,0)	F(0,0)	B(2,2)	$-6 < 0$	No	
4-3	E(3,0)	F(0,0)	C(1,1)	$-3 < 0$	No	
4-4	E(3,0)	F(0,0)	D(2,1)	$-3 < 0$	No	

next to starting Point  
order

F → A → B → E → F

counter-clock wise

F → E → B → A → F



2:- Brute Force:-

3

```
#include <iostream>
```

```
void BruteForceFunction (const string &Pattern) int S[3]
```

```
int n = Pattern.length();
```

```
for (int j = 0; j < n; j++) {
```

```
int max-length = INT_MAX;
```

```
string subString = Pattern.substr(0, j+1);
```

```
for (int k = j; k > 0; k--) {
```

```
string prefix = subString.substr(0, k)
```

```
string suffix = subString.substr(j-k+1, k);
```

```
if (prefix == suffix)
```

```
{ max-length = k;
```

```
break; }
```

```
S[j] = max-length;
```

```
}
```

Conclusion:-

Outer loop runs n times for each j  
inner loop tests prefix lengths

$O(k)$  in wc

$O(n^3)$

Q 1.2)

4

```
void KMP(const string &pat, int S[])
{
    int n = pat.length();
    S[0] = 0;
    int i = 0;
    for (int j = 1; j < n; j++)
    {
        while (i > 0 && pat[i] != pat[j]) {
            i = S[i-1];
        }
        if (pat[i] == pat[j]) {
            i++;
        }
        else {
            i = 0;
        }
        S[j] = i;
    }
}
```

- (i) Uses KMP function itself to backtrack.
- (ii) After mismatching it jumps to  $S[i-1]$  instead of brute force.
- (iii) maintains stability

Conclusion

$O(n)$  linear time.



"aba b a c a"

j		P=s	s[j]
0	a	-	0
1	ab	-	0
2	ab a	a	1
3	ab a b	ab	2
4	ab a b a	ab a	3
5	ab a b a c	<del>ab</del>	0
6	ab a b a c a	a	1

\*Kmp Not Succeeded :-

01	a	-	0	$p[1] \neq p[0]$
02	ab	-	0	$p[2] = p[0]$
03	ab a	a	1	$p[3] = p[1]$ $i=2$
04	ab a b	ab	2	$p[4] = p[2]$ $i=3$
05	ab a b a	ab a	3	$p[5] \neq p[3]$
06	ab a b a c	-	0	$p[6] = p[0]$ $i=1$
07	ab a b a c a	a	1	

no. of comparison = 8  
{ 0, 1, 2, 3, 0, 1 }

Q(2.4):-

6

T.C

B.F  $\rightarrow O(n^3)$  - cubic

Kmp  $\rightarrow O(n)$  - Linear Time

B.F  $\rightarrow$  18 comparison

Kmp  $\rightarrow$  8 comparison

B.F  $\rightarrow$  starts from zero after mismatch

Kmp  $\rightarrow$  we use suffix

Kmp  $>$  B.F

3.4

(A)

Coin:-

#include <iostream>

```
int coin_ways(int coin[], int n, int m)
{
    int sol[n+1] = {0};
    sol[0] = 1;
    for (int i = 0; i < m; i++) {
        for (int j = coin[i]; j <= n; j++) {
            sol[j] += sol[j - coin[i]];
        }
    }
    return sol[n];
}
```

Driver function:-

```
int main() {
    coins[] = {1, 5, 6, 8};
    int n = sizeof(coins) /
            sizeof(coins[0]);
    int amount = 13;
    // Number of ways
    coin_ways(coins, n, amount);

    // output 8
}
```

B:- CODE:-

```
int e-distance (string str1, string str2) {
    int m = str1.length();
    int n = str2.length();
    int sol[m+1][n+1];

    for (int i=0; i<m; i++)
    {
        for (int j=0; j<n; j++) {
            if (i==0)
                sol[i][j]=j;
            else if (str1[i-1] == str2[j-1]) {
                sol[i][j] = sol[i-1][j-1];
            }
            else
                sol[i][j] = 1 + min (sol[i-1][j], sol[i][j-1], sol[i-1][j-1]);
        }
    }
}
```

return sol[m][n];

}

Driver Function:-

string str1 = "kitten", str2 = "sitting";  
e-distance (str1, str2);

Output = 3

C:- CODE:-

```
int rodCutting (int price[], int n)
{
    int sol[n+1];
    sol[0] = 0;

    for (int i=1; i<=n; i++) {
        int max_value = -1;
        for (int j=0; j<=i; j++)
        {
            max_value = max (max_value, price[j] + sol[i-j]);
        }
        sol[i] = max_value;
    }
    return sol[n];
}
```

Driver Function:-

int P[] = {1, 5, 8, 9, 10, 16, 18, 20};  
int len = 8;  
rodCutting (P, len);

Output ==> 21

141

8

D:-

```
bool words (string s, string dict dict, int n)
```

```
{ int maxLen = 0;
```

```
bool sol [n+1] = {false};
```

```
sol[0] = true;
```

```
for (int i = 1; i <= n; i++) {
```

```
    for (int j = 0; j < i; j++)
```

```
    { string w = dict[j];
```

```
        int len = w.length();
```

```
        if (i >= len && dict[i-len] && s.substr(i-len, len) == w)
```

```
        { sol[i] = true;
```

```
            break;
```

```
        } }
```

```
return sol[n];
```

```
}
```

Driver function:-

```
string dict = { "i", "like", "ice", "cream", "icecream",  
               "mobile", "apple" };
```

```
string s = "i like apple";
```

```
int n = 7;
```

```
words (s, dict, n);
```

Output // yes



(4)

(9)

# include <iostream>  
Using namespace std;

before writing code let's map it first

$w[i]$

$v[i]$

$capacity(w)$

study hours of course

credit of course

maximum hours student can spend

e.g:-

Course	Credits	Hours
$C_1$	5	4
$C_2$	3	2
$C_3$	6	5
$C_4$	4	3

We will choose only those which gives  
total credits  $\leq 8$  hours.

$\{C_1, C_2, C_3, C_4\}$

1 0 0 1 = 9  $\{ \}$  hours  $\leq 8$

Algorithm Selection of courses (credits  $C$ ,  $h$ ,  $max$ )

int sol[n+1][maxH+1];

for (i=0; i<n; i++)

{ for (int j=0; j<maxH; j++)

{ if (i==0 || j==0)

{ sol[i][j]=0; }

else if (h[i-1] <= j)

sol[i][j] = max(credits[i-1] + sol[i-1][j-h[i-1]], sol[i-1][j]);

else {

sol[i][j] = sol[i-1][j];

}

return sol[n][maxH];

}

T.C  $\Rightarrow O(n \cdot m)$

$\therefore$  Algo Type:  $\frac{0/1}{\text{Knapsack}}$

H	$C_1$	$C_2$	$C_3$	$C_4$
0	0	0	0	0
2	0	0	3	3
3	0	0	3	4
4	0	5	5	5
5	0	5	6	6
6	0	5	8	8
7	0	5	8	9
8	0	5	8	9