

Employee Absenteeism

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Contents

1. Introduction	
1.1 Problem Statement	4
1.2 Data	4
2. Methodology	7
2.1 Pre Processing	7
2.1.1 Missing Value Analysis	7
2.1.2 Outlier Analysis	11
2.1.3 Feature Dimension Reduction	13
2.1.3.1 Correlation Analysis	13
2.1.3.2 Principal Component Analysis	14
2.2 Modeling	17
2.2.1 Model Selection	17
2.2.2 Multiple Linear Regression	17
2.2.3 Decision Tree	21
3. Conclusion	23
3.1 Model Evaluation	23
3.2 Model Selection	24

Appendix B - R Code

Complete R File	24
References	29

Chapter 1

Introduction

1.1 Problem Statement

Productivity of an organization depends upon the productivity of its employees. However, it gets affected if the employee's absenteeism rate increases. This project aims at finding the prime causes of absenteeism in employees. It will help the organization reduce the number of absentees by taking appropriate measures. Also this project aims at determining the future trends of this issue if the same conditions persist.

1.2 Data

We would build a regression model here which will predict the absenteeism time in hours (target variable) for an employee based on multiple factors. Below is the sample of the dataset being used for this purpose:

Table 1.1: Sample Data (Columns: 1-6)

<i>ID</i>	<i>Reason for absence</i>	<i>Month of absence</i>	<i>Day of the week</i>	<i>Seasons</i>	<i>Transportation expense</i>
11	26	7	3	1	289
36	0	7	3	1	118
3	23	7	4	1	179
7	7	7	5	1	279
11	23	7	5	1	289

Table 1.2: Sample Data (Columns: 7-12)

<i>Distance from Residence to Work</i>	<i>Service time</i>	<i>Age</i>	<i>Work load Average/day</i>	<i>Hit target</i>	<i>Disciplinary failure</i>
36	13	33	239554	97	0
13	18	50	239554	97	1
51	18	38	239554	97	0
5	14	39	239554	97	0
36	13	33	239554	97	0

Table 1.3: Sample Data (Columns: 13-21)

<i>Education</i>	<i>Son</i>	<i>Social drinker</i>	<i>Social smoker</i>	<i>Pet</i>	<i>Weight</i>	<i>Height</i>	<i>Body mass index</i>	<i>Absenteeism time in hours</i>
1	2	1	0	1	90	172	30	4
1	1	1	0	0	98	178	31	0
1	0	1	0	0	89	170	31	2
1	2	1	1	0	68	168	24	4
1	2	1	0	1	90	172	30	2

This entire prediction model will be based on 740 X 21 dataset. Following is the bifurcation for predictor and target variables:

- **Predictor Variables:** ID, Reason for absence, Month of absence, Day of the week, Seasons, Transportation expense, Distance from Residence to Work, Service time, Age, Work load Average/day, Hit target, Disciplinary failure, Education, Son, Social drinker, Social smoker, Pet, Weight, Height, Body Mass Index.
- **Target Variable :** Absenteeism time in hours

Also below is the list of categorical variables and continuous variables amongst them:

- ***Categorical Variables:*** ID, Reason for absence, Month of absence, Day of the week, Seasons, Disciplinary failure, Education, Social drinker, Social smoker
- ***Continuous Variables:*** Transportation expense, Distance from Residence to Work, Service time, Age, Work load Average/day, Hit target, Son, Pet, Weight, Height, Body Mass Index, Absenteeism time in hours

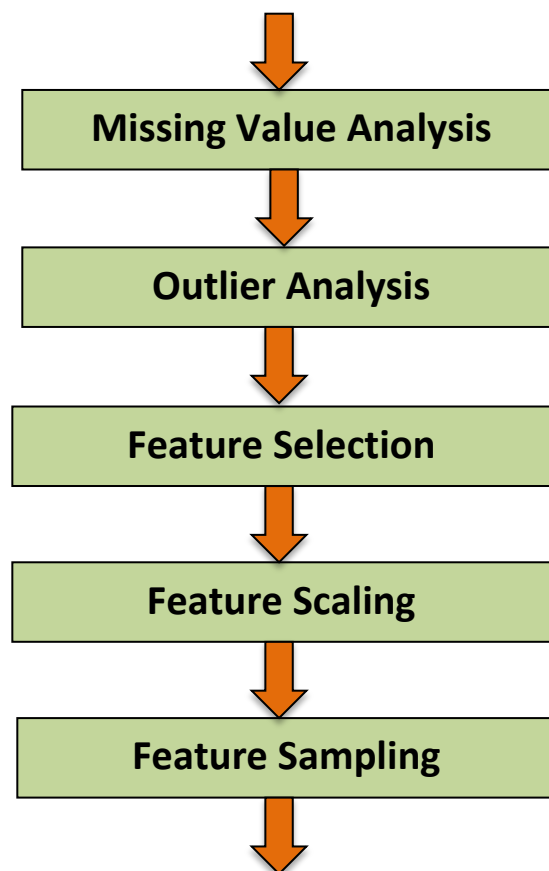
Chapter 2

Methodology

2.1 Pre Processing

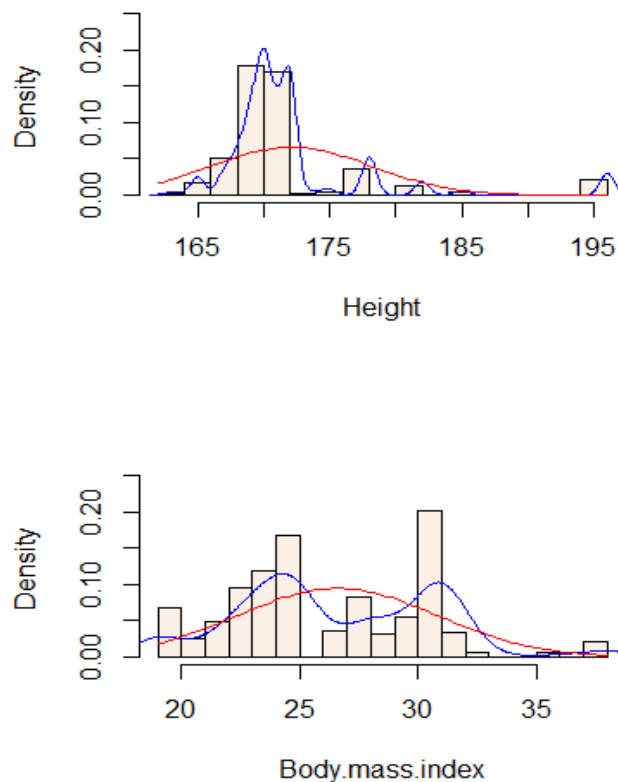
Pre-processing is a technique through which we make the data fit to be applied to any algorithm. Raw data undergoes a number of transformation before we feed it into an actual model. A data scientist roughly spends 80% of his time in pre-processing. It gives us an idea about how important this process is. Basic pre-processing steps involved before every model implementation is as shown in Figure 2.1 below:

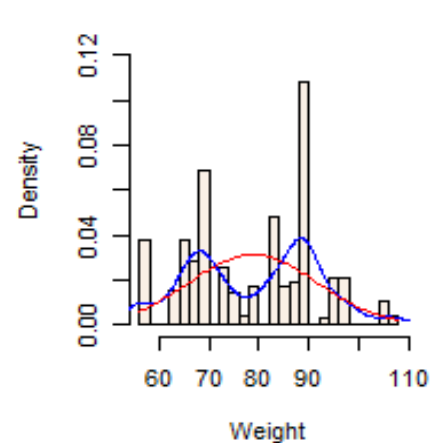
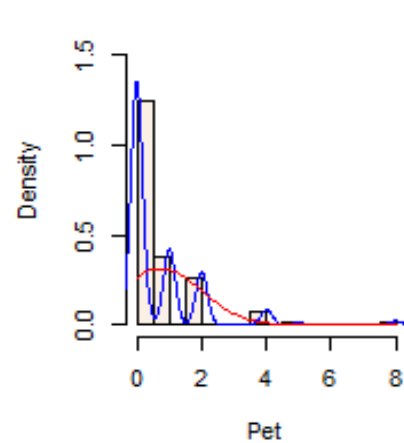
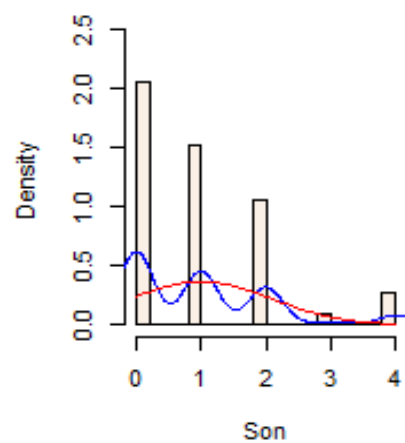
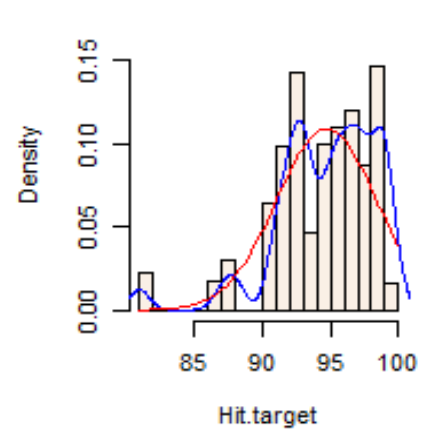
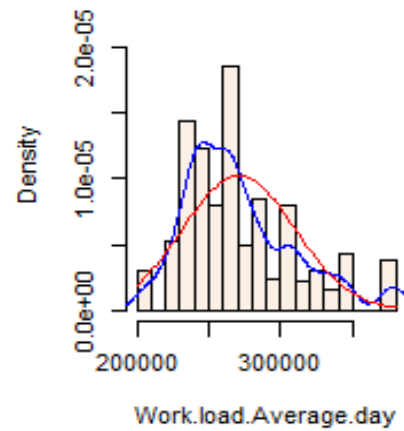
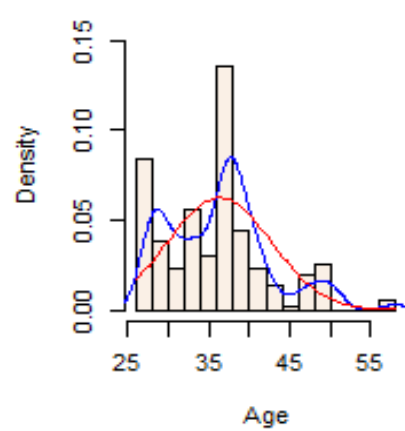
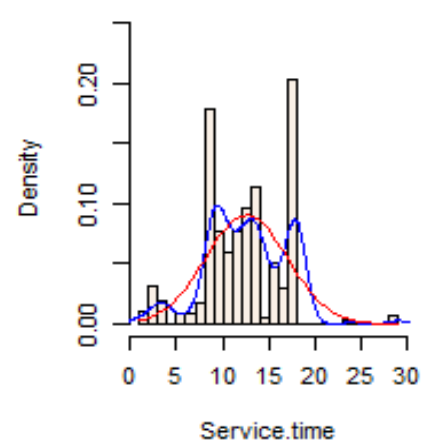
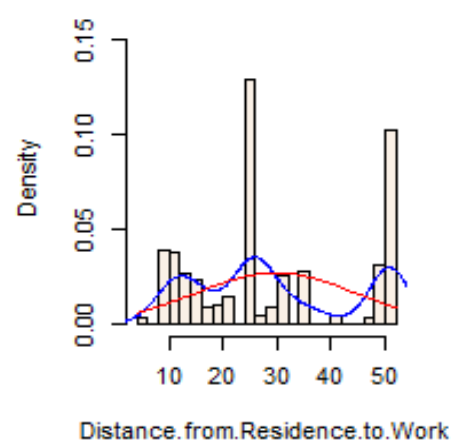
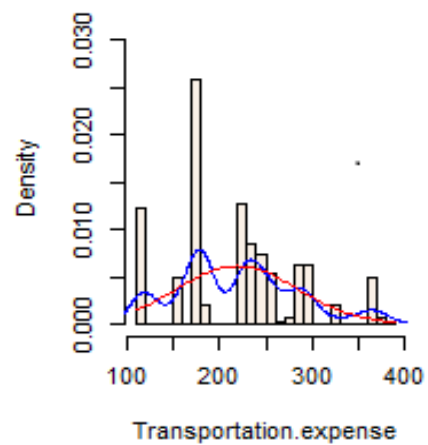
Figure 2.1: Pre-processing Steps



The Employee Absenteeism is a regression problem. This means we would have to predict a quantity. In this case the quantity is Absenteeism Time in Hours. Most of the regression problems analysis need normally distributed data. So we would have to look upon probability distributions or probability density functions of the continuous variables as shown in Figure 2.2. The blue lines indicate Kernel Density Estimations (KDE) of the variable. The red lines represent the normal distribution. The data is not normally distributed. This needs to be worked upon.

Figure 2.2: Probability Density Function of Employee Absenteeism Data





2.1.1 Missing Value Analysis

Missing values are the most common problem encountered while dealing with the real world data. There could be multiple reasons for this like human error, skipped entry etc. To handle the missing values, we have a number of ways :

- Deleting the rows or columns
- Replacing with mean/median/mode
- Imputation techniques such as KNN-Imputation

In our case, we are going to delete the rows with null or zero value of target variable as it won't be of our use. We are interested in finding out why are the employees not showing up in office. For rest of the values we are dealing with KNN Imputation method. Table 2.1 describes the missing percentage of each variable.

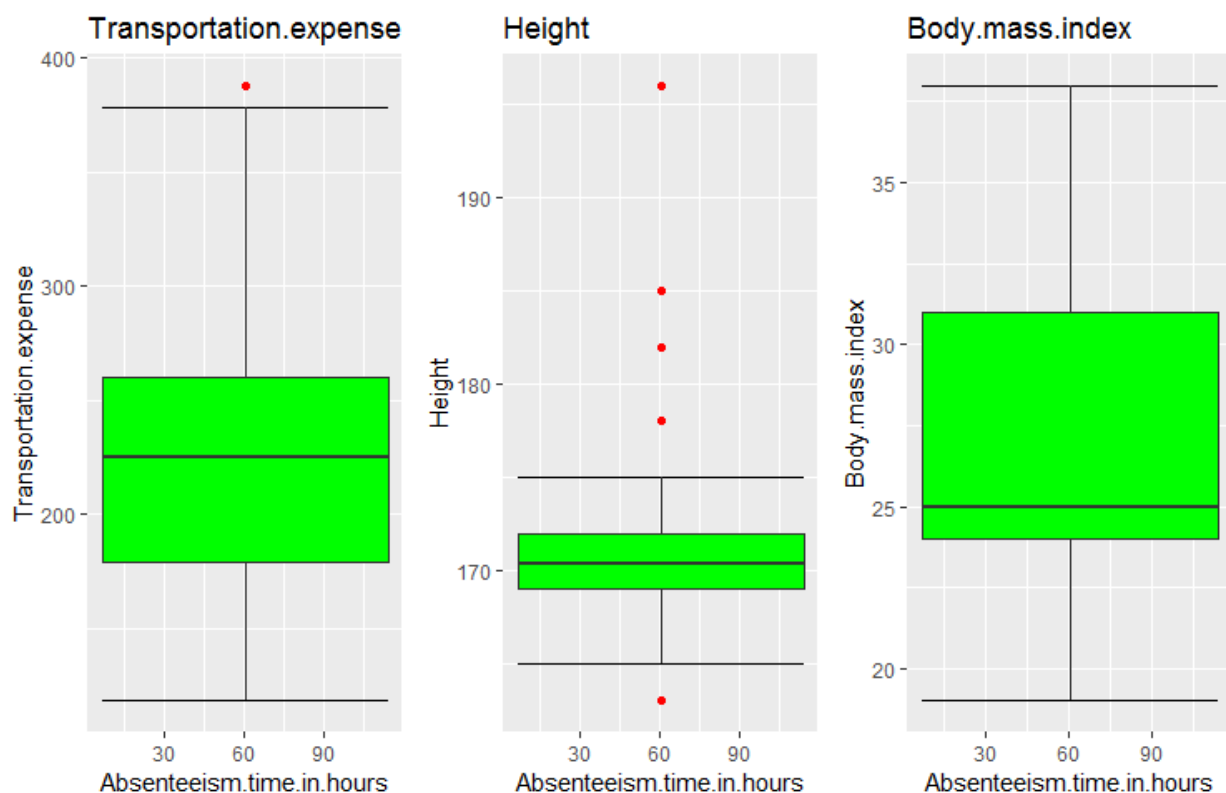
Table 2.1 Missing Percentage of each variable

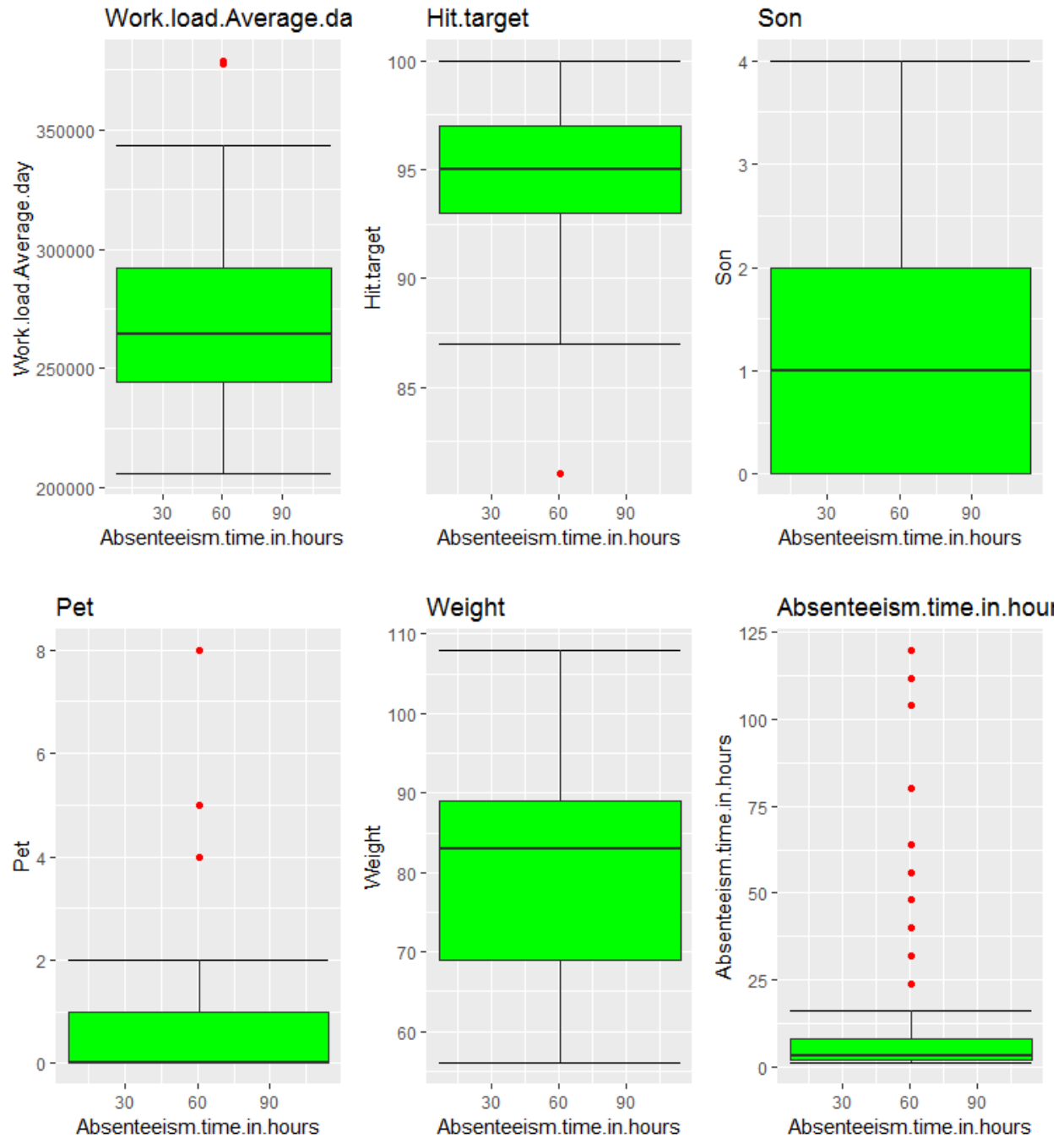
Columns	Missing Percentage
<i>Body.mass.index</i>	<i>4.189189189</i>
<i>Absenteeism.time.in.hours</i>	<i>2.972972973</i>
<i>Height</i>	<i>1.891891892</i>
<i>Work.load.Average.day</i>	<i>1.351351351</i>
<i>Education</i>	<i>1.351351351</i>
<i>Transportation.expense</i>	<i>0.945945946</i>
<i>Hit.target</i>	<i>0.810810811</i>
<i>Disciplinary.failure</i>	<i>0.810810811</i>
<i>Son</i>	<i>0.810810811</i>
<i>Social.smoker</i>	<i>0.540540541</i>
<i>Reason.for.absence</i>	<i>0.405405405</i>
<i>Distance.from.Residence.to.Work</i>	<i>0.405405405</i>
<i>Service.time</i>	<i>0.405405405</i>
<i>Age</i>	<i>0.405405405</i>
<i>Social.drinker</i>	<i>0.405405405</i>
<i>Pet</i>	<i>0.27027027</i>
<i>Month.of.absence</i>	<i>0.135135135</i>
<i>Weight</i>	<i>0.135135135</i>
<i>ID/ Day.of.the.week/ Seasons</i>	<i>0</i>

2.1.2 Outlier Analysis

Often we come across another common issue in the process of data exploration called Outliers. Outliers are observations which stand out from a normal range of a particular variable. It is of utter importance to analyze the reason of their deviation as they could many times lead to false predictions. It's sometimes observed that we may have valid and possible outliers. Outliers generally can be observed using Boxplots. Here we are performing multivariate analysis plotting each continuous variable against target variable as shown in Figure 2.3.

Figure 2.3 Boxplots for each Predictor





We can see a number of outliers in different predictors as well as target variables. But they seem to be valid outliers so we will proceed with two approaches i.e. with and without outliers.

2.1.3 Feature Dimension Reduction

Feature Selection is one of the most important step which decides the quality of our model. For this problem, our aim is to find out why employees are getting absent. This means we need to find out the prime features affecting the target variable. Two approaches have been used for features dimension reduction i.e. feature selection which involves correlation analysis and Principal Component Analysis. Let's first look upon correlation analysis.

2.1.3.1 Correlation Analysis

As we are interested in variable importance, correlation analysis can help a lot in reducing the dimension of features leaving us with the most important ones. As we have continuous target variable, we can go with heatmap to find out correlation between variables. Figure 2.4 shows the heatmap obtained.

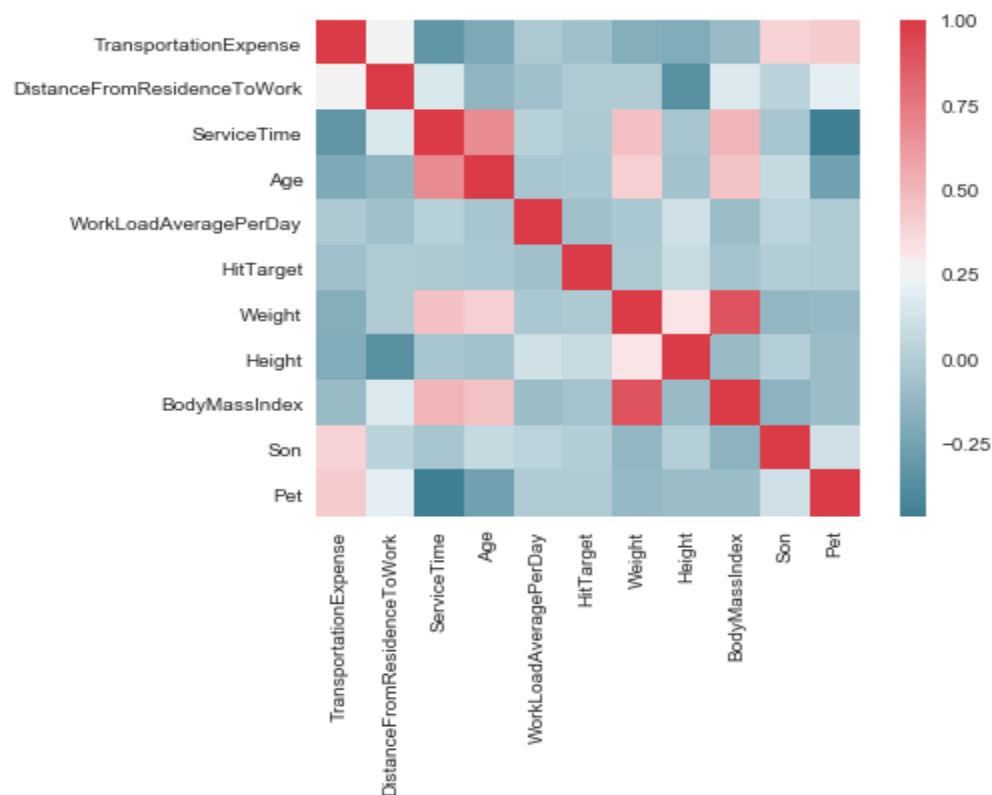


Figure 2.4
HeatMap
between
variables with
outliers

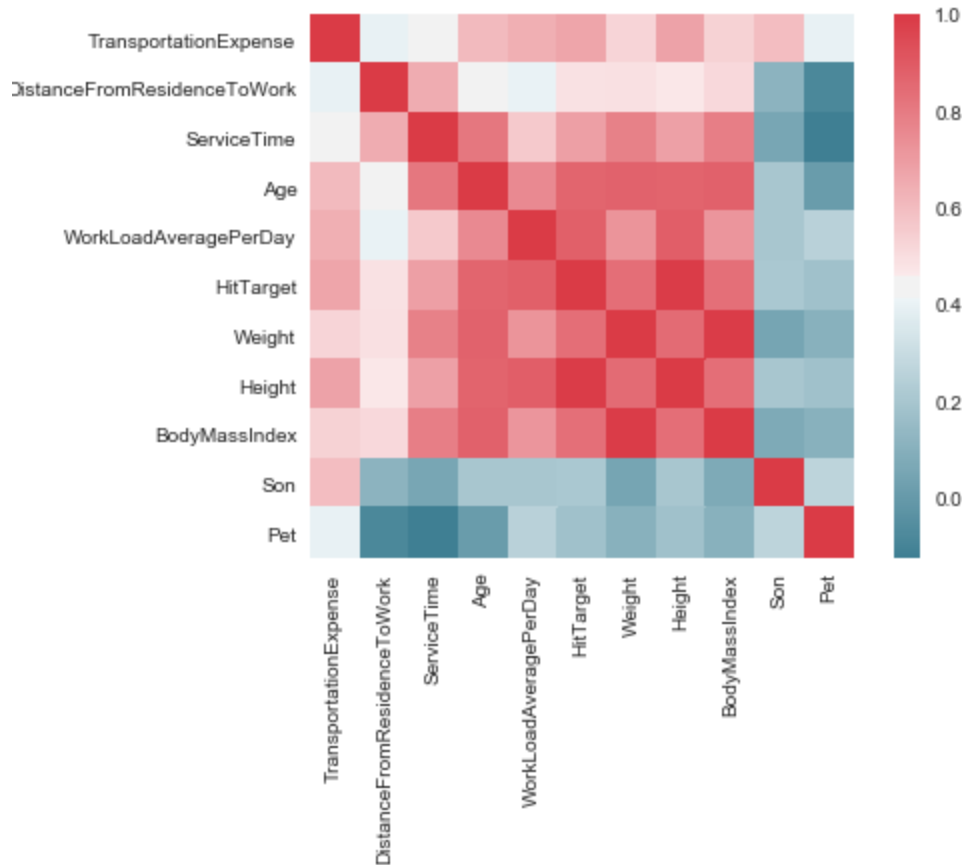


Figure 2.5
HeatMap between
variables without
outliers

Heatmap with outliers does not show any significant correlation amongst variables. But the other one without outliers shows many dark red parts indicating correlation.

We remove the variables Age, Weight and Height with high correlation for analysis without outliers from data for further analysis.

2.1.3.2 Principal Component Analysis(Calculated in Python)

Principal Component Analysis (PCA) is a dimensionality reduction technique. It works by combining the correlated features and creating the new which are decorrelated amongst each other. PCA assumes the data to be normally

distributed. Hence, we need to apply standardization process before feeding the data to PCA.

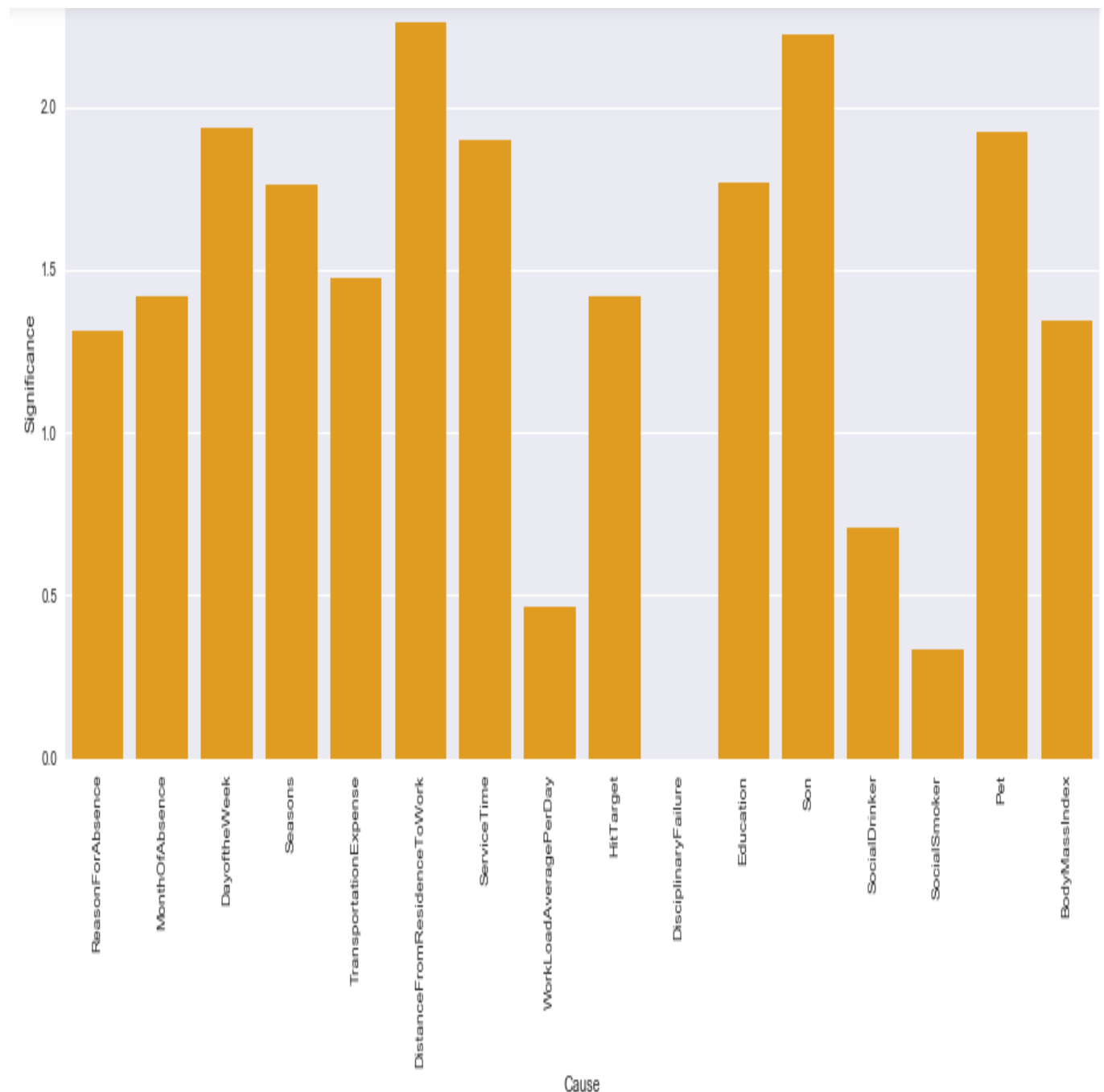


Figure 2.6 Most Significant Features Obtained through PCA(without outliers)

Figure 2.6 gives us very important insight about the factors responsible for Employee Absenteeism. It shows the net effect of old features involved in the new features space. We have now reduced features from 21 to 10. Our model

can be built with these 10 features only. It shows Distance from Residence to work and Son are the most significant features in the new set.

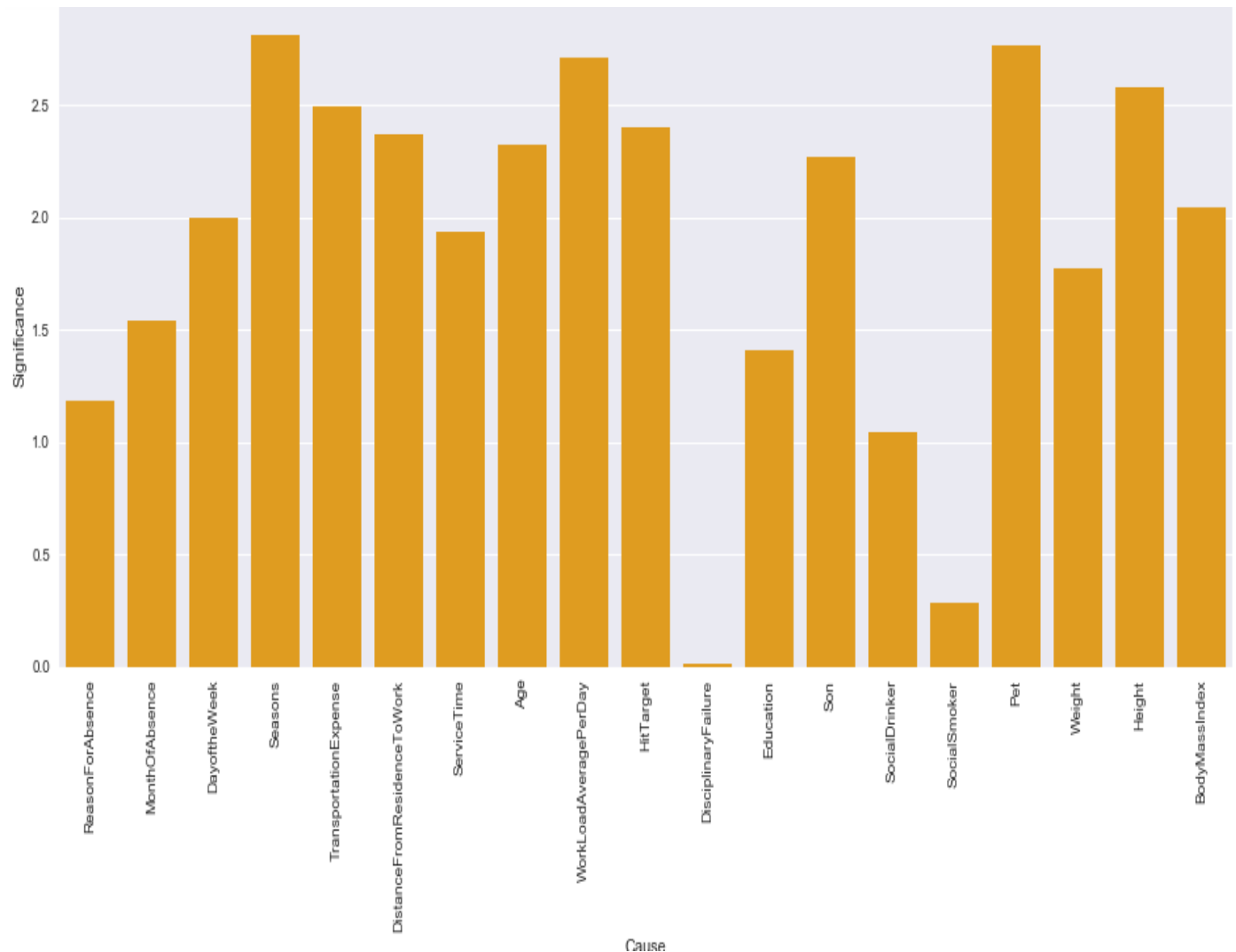


Figure 2.7 Most Significant Features Obtained through PCA(with outliers)

Figure 2.7 gives us insight about how much is the effect of each old variable in the new feature set is when we do the analysis on data with outliers. Here the predictor variables are reduced to 13 instead of 20. Above show the effect of Son, Wok Load Average and Pet is more in the new feature set.

2.2 Modeling

2.2.1 Model Selection

Now since we are ready with our features, we can apply models for predicting the absent time in hours. Here our dependent variable is a quantity hence we need to regression model. Let's first go with Multiple Linear Regression Model.

2.2.2 Multiple Linear Regression(R code without PCA)

- With Outliers

```
Call:
lm(formula = Absenteeism.time.in.hours ~ ., data = train)

Residuals:
    Min       1Q   Median       3Q      Max
-24.369  -4.981  -1.780   1.625   98.039

Coefficients: (1 not defined because of singularities)
              Estimate Std. Error t value Pr(>|t|)
(Intercept)    24.35783    3.09573   7.868 2.05e-14 ***
Reason.for.absence -0.52912    0.07938  -6.666 6.65e-11 ***
Month.of.absence   0.04985    0.21554   0.231  0.8172
Day.of.the.week   -1.00247    0.39687  -2.526  0.0118 *
Seasons          -0.26252    0.57929  -0.453  0.6506
Transportation.expense 0.58435    0.73833   0.791  0.4290
Distance.from.Residence.to.work -0.33196    0.90385  -0.367  0.7136
Service.time      0.05544    1.03017   0.054  0.9571
Age              1.51830    0.88428   1.717  0.0866 .
Work.load.Average.day -0.38420    0.61008  -0.630  0.5291
Hit.target        0.28462    0.66638   0.427  0.6695
Disciplinary.failure      NA         NA      NA      NA
Education        -1.79042    0.99548  -1.799  0.0727 .
Son              1.05733    0.64032   1.651  0.0993 .
Social.drinker     0.67363    1.81757   0.371  0.7111
Social.smoker     -1.80499    2.45854  -0.734  0.4632
Pet              -0.25405    0.74126  -0.343  0.7319
Weight            5.26166    6.15042   0.855  0.3927
Height           -1.67870    2.63169  -0.638  0.5238
Body.mass.index   -6.80952    5.84163  -1.166  0.2443
---
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 12.55 on 528 degrees of freedom
```

Multiple R-squared: 0.1474, Adjusted R-squared: 0.1184
F-statistic: 5.073 on 18 and 528 DF, p-value: 9.285e-11

Adjusted R square value shows that we can predict only 11.8 % of our data using this model. Although Reason of absence seems to be a significant factor.

Analysis of Variance Table

Response: Absenteeism.time.in.hours

	Df	Sum Sq	Mean Sq	F value	Pr(>F)	
Reason.for.absence	1	9290	9290.2	58.9430	7.915e-14	***
Month.of.absence	1	10	9.9	0.0630	0.801935	
Day.of.the.week	1	868	867.7	5.5052	0.019328	*
Seasons	1	66	66.4	0.4213	0.516595	
Transportation.expense	1	268	268.4	1.7028	0.192493	
Distance.from.Residence.to.Work	1	231	230.7	1.4635	0.226917	
Service.time	1	296	296.0	1.8783	0.171113	
Age	1	359	358.8	2.2763	0.131967	
Work.load.Average.day	1	0	0.2	0.0014	0.969775	
Hit.target	1	56	55.6	0.3527	0.552842	
Education	1	495	495.0	3.1409	0.076928	.
Son	1	1061	1060.9	6.7309	0.009739	**
Social.drinker	1	165	164.9	1.0460	0.306903	
Social.smoker	1	19	19.3	0.1222	0.726754	
Pet	1	19	19.4	0.1231	0.725871	
Weight	1	566	565.9	3.5901	0.058670	.
Height	1	408	407.9	2.5880	0.108277	
Body.mass.index	1	214	214.2	1.3588	0.244267	
Residuals	528	83219	157.6			

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

According to this table we have Reason for absence, Day of the week and Son as significant factors.

LM_model2 = update(LM_model,. ~ . - Month.of.absence-Seasons-work.load.Average.day-Hit.target-Pet-Weight)

	Estimate	Std. Error	t value	Pr(> t)	
(Intercept)	23.52190	2.68859	8.749	< 2e-16	***
Reason.for.absence	-0.52328	0.07792	-6.716	4.8e-11	***
Day.of.the.week	-1.00195	0.39047	-2.566	0.0106	*
Transportation.expense	0.51130	0.70643	0.724	0.4695	
Distance.from.Residence.to.Work	-0.46560	0.80060	-0.582	0.5611	
Service.time	0.14840	0.87835	0.169	0.8659	
Age	1.47122	0.83786	1.756	0.0797	.
Disciplinary.failure	NA	NA	NA	NA	
Education	-1.60592	0.96986	-1.656	0.0983	.
Son	1.11312	0.63455	1.754	0.0800	.
Social.drinker	0.92436	1.70824	0.541	0.5886	
Social.smoker	-2.02309	2.34972	-0.861	0.3896	
Height	0.46021	0.69876	0.659	0.5104	

```

Body.mass.index          -1.77844    0.73448   -2.421    0.0158 *
---
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 12.51 on 534 degrees of freedom
Multiple R-squared:  0.1445, Adjusted R-squared:  0.1252
F-statistic: 7.514 on 12 and 534 DF,  p-value: 6.833e-13

```

Reason for absence shows maximum significance, Day of week, Body Mass Index after that.

- Without Outliers

```

Call:
lm(formula = Absenteeism.time.in.hours ~ ., data = train)

Residuals:
    Min       1Q   Median       3Q      Max
-7.1909 -1.8959 -0.4568  1.5329 13.1264

Coefficients:
              Estimate Std. Error t value Pr(>|t|)
(Intercept)    7.94777    0.72596  10.948 < 2e-16 ***
Reason.for.absence -0.16780    0.01826  -9.188 < 2e-16 ***
Month.of.absence   0.02118    0.04849   0.437 0.662431
Day.of.the.week  -0.09224    0.09126  -1.011 0.312577
Seasons          -0.08554    0.13427  -0.637 0.524350
Transportation.expense 0.67285    0.18075   3.723 0.000218 ***
Distance.from.Residence.to.work -0.22467    0.15541  -1.446 0.148863
Service.time     -0.13850    0.18028  -0.768 0.442660
Work.load.Average.day 0.19353    0.13688   1.414 0.157996
Hit.target       0.02792    0.14508   0.192 0.847453
Disciplinary.failure -1.75424    3.03210  -0.579 0.563135
Education        -0.07757    0.22939  -0.338 0.735393
Son              0.28497    0.15030   1.896 0.058498 .
Social.drinker    1.07345    0.39818   2.696 0.007243 **
Social.smoker     0.88746    0.54998   1.614 0.107205
Pet              -0.32524    0.16469  -1.975 0.048807 *
Body.mass.index   -0.02309    0.16875  -0.137 0.891229
---
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 2.943 on 531 degrees of freedom
Multiple R-squared:  0.2564, Adjusted R-squared:  0.234
F-statistic: 11.44 on 16 and 531 DF,  p-value: < 2.2e-16

```

```

LM_model2 = update(LM_model,. ~ . - Month.of.absence-Seasons-Hit.target-Disciplinary.failure-Education-Pet-Body.Mass.Index)

```

```

Call:

```

```
lm(formula = Absenteeism.time.in.hours ~ Reason.for.absence +
  Day.of.the.week + Transportation.expense + Distance.from.Residence.to.wor
k +
  Service.time + Disciplinary.failure + Education + Son + Social.drinker +
  Social.smoker + Body.mass.index, data = train)

Residuals:
    Min       1Q   Median       3Q      Max
-7.4312 -1.8761 -0.5427  1.5663 13.1265

Coefficients:
                Estimate Std. Error t value Pr(>|t|)
(Intercept)      7.614620   0.628912  12.108 < 2e-16 ***
Reason.for.absence -0.171816   0.018115  -9.485 < 2e-16 ***
Day.of.the.week  -0.084591   0.090715  -0.932  0.35150
Transportation.expense  0.541272   0.167925   3.223  0.00134 **
Distance.from.Residence.to.work -0.258652   0.153929  -1.680  0.09347 .
Service.time      -0.146823   0.179092  -0.820  0.41268
Disciplinary.failure -1.735445   3.022377  -0.574  0.56607
Education         -0.002493   0.219862  -0.011  0.99096
Son               0.258075   0.149025   1.732  0.08389 .
Social.drinker     1.440918   0.352682   4.086 5.07e-05 ***
Social.smoker      1.044296   0.541728   1.928  0.05442 .
Body.mass.index    -0.063557   0.166986  -0.381  0.70364
---
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 2.945 on 536 degrees of freedom
Multiple R-squared:  0.2482, Adjusted R-squared:  0.2327
F-statistic: 16.08 on 11 and 536 DF, p-value: < 2.2e-16
```

This model will be able to predict the results 23.4 % correctly. Significant variables being Reason for absence, Transportation Expense and Social Drinker.

Table 2.2 shows major Reason for Reasons for absence:

23: medical consultation	146
28: dental consultation	110
27: Physiotherapy	68

- With Outliers

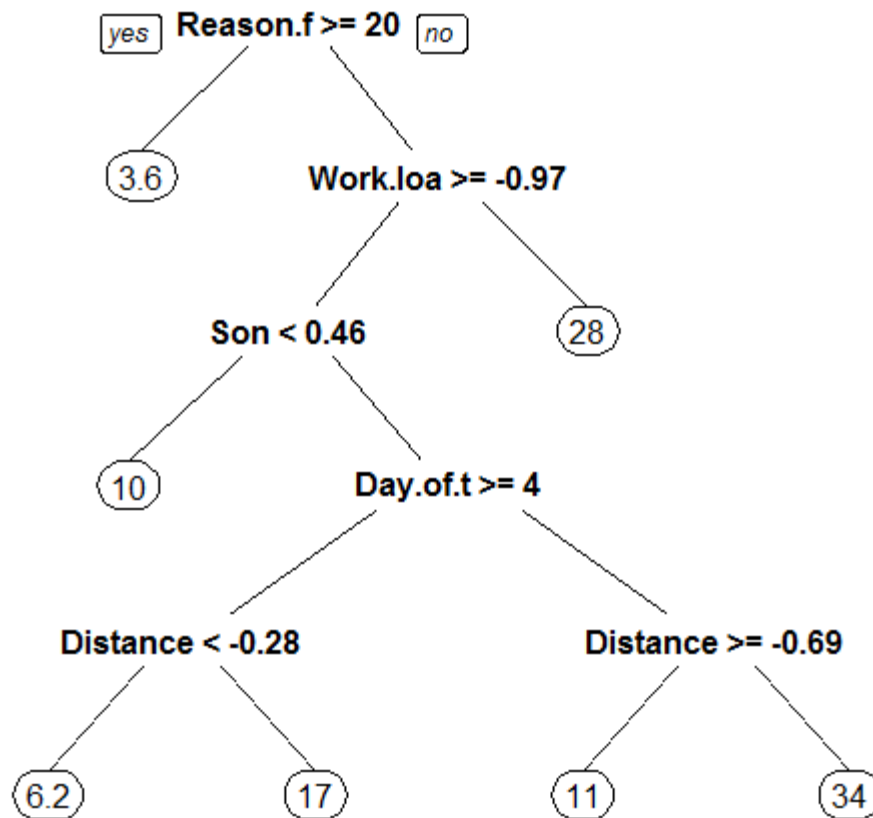


Figure 2.9 Decision tree for Employee Absenteeism (with outliers)

Variable Importance

Reason.for.absence	Distance.from.Residence.to.work	work.load.Average.day
32	11	10
Son	Transportation.expense	Service.time
8	8	7
weight	Day.of.the.week	Age
6	5	5
Height	Education	Pet
5	1	1
Social.smoker		
1		

Chapter 3

Conclusion

3.1 Model Evaluation

Evaluation metrics help in explaining the performance of a model. The most popular error metric to evaluate any regression model is Root Mean Square Error (RMSE).

$$RMSE = \sqrt{\frac{\sum_{i=1}^N (Predicted_i - Actual_i)^2}{N}}$$

Table 3.1 RMSE in case of R

	With Outlier	Without Outlier
Linear Regression	13.93	3
Decision Tree	14.06713	2.86
Random Forest	14.91	2.66

Table 3.2 RMSE in case of Python

	With PCA With Outlier	With PCA without Outlier
Linear Regression	7.75	2.98
Decision Tree	9.62	3.63
Random Forest	16	3.21
KNN	7.17	2.65
Naïve Baye's	35.9	2.95

3.2 Model Selection

We can see from the results that Linear Regression, KNN and Decision Tree models are somewhat better for this regression problem. This is when we have kept training and testing data ratio as 80:20.

Appendix B - R Code

Complete R File

#Load Libraries

```
x = c("ggplot2", "corrgram", "DMwR", "caret", "randomForest", "unbalanced", "C50", "dummmies", "e1071", "Information", "MASS", "rpart", "gbm", "ROSE", 'sampling', 'DataCombine', 'inTrees', "Metrics", "psych", "party", "rpart.plot")
```

```
lapply(x, require, character.only = TRUE)
rm(x)
```

Read the data

```
Absenteeism_at_work = read.csv("Absenteeism_at_work_Project.csv", header = T, na.strings = c(" ", "", "NA"))
```

####Explore the data#####

```
str(Absenteeism_at_work)
```

####Missing Values Analysis#####

```
missing_val = data.frame(apply(Absenteeism_at_work, 2, function(x){sum(is.na(x))}))
missing_val$Columns = row.names(missing_val)
names(missing_val)[1] = "Missing_percentage"
missing_val$Missing_percentage = (missing_val$Missing_percentage/nrow(Absenteeism_at_work)) * 100
missing_val = missing_val[order(-missing_val$Missing_percentage),]
row.names(missing_val) = NULL
missing_val = missing_val[,c(2,1)]
write.csv(missing_val, "Missing_perc.csv", row.names = F)
```

#Bar graph#

```
ggplot(data = missing_val[1:3,], aes(x=reorder(Columns, -Missing_percentage), y = Missing_percentage))+
  geom_bar(stat = "identity", fill = "grey")+xlab("Parameter")+
  ggtitle("Missing data percentage (Train)") + theme_bw()
```

####Convert work load avg from factor to numeric#####

#Relace comma by blank

```
Absenteeism_at_work$Work.load.Average.day=gsub(",", "",Absenteeism_at_work$Work
.load.Average.day)
Absenteeism_at_work$Work.load.Average.day=as.numeric(as.character(Absenteeism_
at_work$Work.load.Average.day))
```

#check datatype

```
str(Absenteeism_at_work)
```

#Remove all 0s and NAs from target variable

```
str(Absenteeism_at_work)
Absenteeism_at_work=Absenteeism_at_work[!is.na(Absenteeism_at_work$Absenteeis
m.time.in.hours) & !(Absenteeism_at_work$Absenteeism.time.in.hours)==0,]
```

kNN Imputation

```
Absenteeism_at_work = knnImputation(Absenteeism_at_work, k = 3)
sum(is.na(Absenteeism_at_work))
```

```
write.csv(Absenteeism_at_work, 'Absenteeism_at_work_missing.csv', row.names = F)
multi.hist(Absenteeism_at_work[,c(1:4)], main = NA, dcol = c("blue", "red"),
           dlty = c("solid", "solid"), bcol = "linen")
multi.hist(Absenteeism_at_work[,c(12:13,15:16)], main = NA, dcol = c("blue", "red"),
           dlty = c("solid", "solid"), bcol = "linen")
multi.hist(Absenteeism_at_work[,c(5,21)], main = NA, dcol = c("blue", "red"),
           dlty = c("solid", "solid"), bcol = "linen")
```

BoxPlots - Distribution and Outlier Check

```
#print(colnames(Absenteeism_at_work))
cnames = colnames(Absenteeism_at_work[, -c(1:5,12:13,15:16)])
#print(cnames)
for (i in 1:length(cnames))
{
  assign(paste0("gn",i), ggplot(aes_string(y = (cnames[i]), x = "Absenteeism.time.in.hour
s"), data = subset(Absenteeism_at_work))+
    stat_boxplot(geom = "errorbar", width = 0.5) +
    geom_boxplot(outlier.colour="red", fill = "grey", outlier.shape=18,
                 outlier.size=1, notch=FALSE) +
    theme(legend.position="bottom")+
    labs(y=cnames[i],x="Absenteeism.time.in.hours")+
    ggtitle(paste("Box plot of Absenteeism time in hours for",cnames[i])))
}
```

Plotting plots together

```
gridExtra::grid.arrange(gn1,gn10,gn11,ncol=3)
```

```

gridExtra::grid.arrange(gn2,gn3,gn4,ncol=3)
gridExtra::grid.arrange(gn5,gn6,gn7,ncol=3)
gridExtra::grid.arrange(gn8,gn9,ncol=2)

# #Replace all outliers with NA and impute
# #create NA on "custAge
for(i in cnames){
  val = Absenteeism_at_work[,i][Absenteeism_at_work[,i] %in% boxplot.stats(Absenteeism_at_work[,i])$out]
  #print(length(val))
  Absenteeism_at_work[,i][Absenteeism_at_work[,i] %in% val] = NA
}

Absenteeism_at_work = knnImputation(Absenteeism_at_work, k = 3)

cor(Absenteeism_at_work[, -c(1:5, 12:13, 15:16, 21)])

#####Feature Selection#####
## Correlation Plot
corrgram(Absenteeism_at_work[, -c(1:5, 12:13, 15:16, 21)], order = F,
         upper.panel=panel.pie, text.panel=panel.txt, main = "Correlation Plot")

cnames=colnames(Absenteeism_at_work[, -c(1:5, 12:13, 15:16, 21)])

# #Standardisation
for(i in cnames){
  print(i)
  Absenteeism_at_work[,i] = (Absenteeism_at_work[,i] - mean(Absenteeism_at_work[,i]))/
  sd(Absenteeism_at_work[,i])
}

#Drop ID and correlated column
Absenteeism_at_work=Absenteeism_at_work[, -c(1,9,18,19)]
str(Absenteeism_at_work)

#Divide data into train and test using stratified sampling method
set.seed(123)
train.index = createDataPartition(Absenteeism_at_work$Absenteeism.time.in.hours, p =
.80, list = FALSE)
train = Absenteeism_at_work[ train.index,]
test = Absenteeism_at_work[-train.index,]

##Decision tree for classification
#Develop Model on training data

```

```
C50_model = rpart(Absenteeism.time.in.hours ~., data=train)
```

#Summary of DT model

```
summary(C50_model)
prp(C50_model)
C50_Predictions = predict(C50_model, test[, -17])
rmse(test[, 17], C50_Predictions)
```

###Random Forest

```
RF_model = randomForest(Absenteeism.time.in.hours ~., train, importance = TRUE, ntree = 500)
#Predict test data using random forest model
RF_Predictions = predict(RF_model, test[, -17])
rmse(test[, 17], RF_Predictions)
```

#Develop Linear Regression model

```
LM_model = lm(Absenteeism.time.in.hours ~., train)
```

#predict on test cases #raw

```
LM_Predictions = predict(LM_model, test[, 1:17])
rmse(test[, 17], LM_Predictions)
summary(LM_model)
anova(LM_model)
LM_model2 = update(LM_model, . ~ . - Month.of.absence-Seasons-Hit.target-Disciplinary.failure-Education-Pet-Body.Mass.Index)
summary(LM_model2)
f=as.data.frame(table(Absenteeism_at_work$Reason.for.absence))
```

References

Martiniano, A., Ferreira, R. P., Sassi, R. J., & Affonso, C. (2012). Application of a neuro fuzzy network in prediction of absenteeism at work. In Information Systems and Technologies (CISTI), 7th Iberian Conference on (pp. 1-4). IEEE.