

$K=9$

0 1 2 3 4

5 6 7 8 9

~~10 11 12 13 14~~~~1 2 3 4~~ [4, 4, 4, 4, 4] $4 < K$ $6 > K$ $9 - 4 = 5$ $9 - (arr[h] - (h+1))$

For K^{th} Missing element in an sorted array which contains missing elements also

missing element \rightarrow (2) (5,6) (8,9,10) \rightarrow this is the 5th missing element

0 1 2 3 4

1 3 4 7 11

[0, 1, 1, 3, 6]

Here

we need to find the no. of missing element at index by using $arr[i] - [i+1]$

\downarrow wrong element in the position \rightarrow position

use Binary Search

So here two edge cases are decided by the low and high position

Case 1:- if [1, 2, 3, 4] $K=2$
0, 0, 0, 0 $K=h$

So here low = no value as

no missing element before the elements or in between

So just return $arr[h] + K$ here $4 + 2 \rightarrow 6$ value

Case 2:-

$K=9$

$(1, 2, 3, 4)$ $\begin{bmatrix} 5 & 6 & 7 & 8 & 9 \\ 4 & 4 & 4 & 4 & 4 \end{bmatrix}$

So here low value will be

at zero ~~index~~ index and

high will be at $n-1$

and ^{missing same} low == ^{missing} high that means

there is no missing element
in between but

previously there are 4 element
missing so here do the following

$K-$

remaining-missing = $\downarrow [arr[h] - (h+1)] - 4$

// $9 - 4 \rightarrow 5$ missing element

between $arr[n-1] +$ remaining-missing;

// $9 + 5 \rightarrow 14$ missing element

Case 3:- In between missing
element position.

now here $l \rightarrow$ starting missing position

& $h \rightarrow$ at the last position of the
array.

And $mid = (l+h) > 1;$

Now if $(arr[mid] - (mid+1)) \geq K$

go to left
store mid

else
go to right

int remain-missing = $(arr[res] - (res+1)) - K;$

between $(arr[res] - 1) -$ remain-missing;