Theory Problems:

Problem 1:

In order to make sure that the group is in fact a group with the modulo multiplication operator it must have the following traits: Closure, Associatiavity, Identity, and Inverse.

Closure is met because any operation done between any two element in Z18 will yield an Element in Z18

Associativity is because reordering the parenthesis in the operation will yeild the same operation example being (a+b)+c = a+(b+c)

Identity element is met because for multiplatication because the elements of the set are only needed to be multiplied by one so the elements of the set will be unchanged

Inverse element is not met because every element in the set does not have a multiplicative inverse

Problem 2:

In order to make sure that the group is in fact a group with the gcd(.) operation it must have the following traits: Closure, Associatiavity, Identity, and Inverse.

Closure is met because any operation done between any two element in gcd(.) will yield an Element in gcd(.)

Associativity is because reordering the parenthesis in the operation will yeild the same operation example being (a+b)+c = a+(b+c)

Identity element is met because for multiplatication because the elements of the set are only needed to be multiplied by one so the elements of the set will be unchanged

Inverse element is not met because every element in the set does not have an inverse

Problem 3:

The GCD of the 2 numbers 19838 and 10946 is 26

Text

Description automatically generated with medium confidence19838 % 10946 = 8892

10946 % 8892 = 2054

8892 % 2054 = 676

2054 % 676 = 26

Problem 4:

A piece of paper with writing

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Problem 5:

A piece of paper with writing on it

Description automatically generated

Programming Question: For this assignment we utilize the code for multiplicative inverse given to us by the professor.