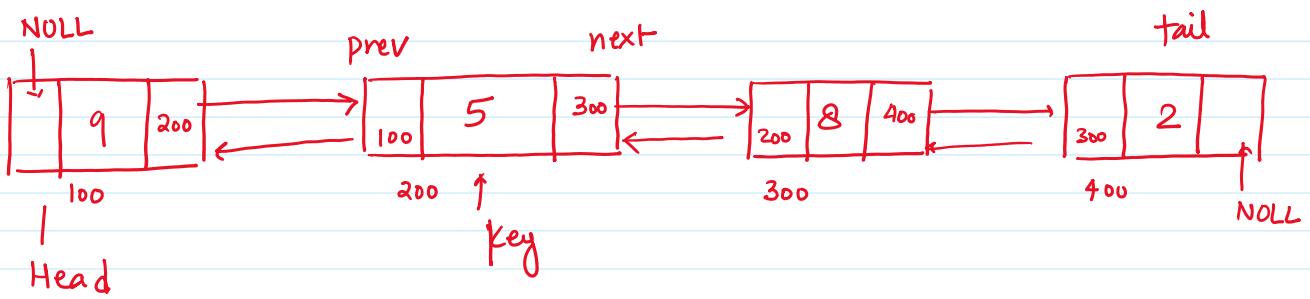


5) Lecture 7 Linked List

11 August 2024 11:34

Doubly linked list



Struct node

```
{
    int key;
    struct node *prev;
    struct node *next;
}
/* Initialize nodes */
```

```
struct node *head;
struct node *one = NULL;
struct node *two = NULL;
struct node *three = NULL;
```

/* Allocate memory */

```
one = malloc(sizeof(struct node));
two = malloc(sizeof(struct node));
three = malloc(sizeof(struct node));
```

```
/* Assign data values */
one->data = 1;
two->data = 2;
three->data = 3;
```

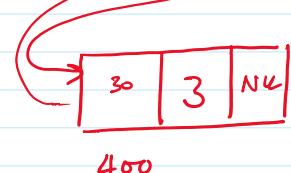
```
/* Connect nodes */
one->next = two;
one->prev = NULL;
```

one \leftarrow 200

two \leftarrow 300

three \leftarrow 400

head \leftarrow 200



```

two->next = three;
two->prev = one;

three->next = NULL;
three->prev = two;

/* Save address of first node in head */
head = one;

```

Searching in linked list : Checking if item K is present in list?

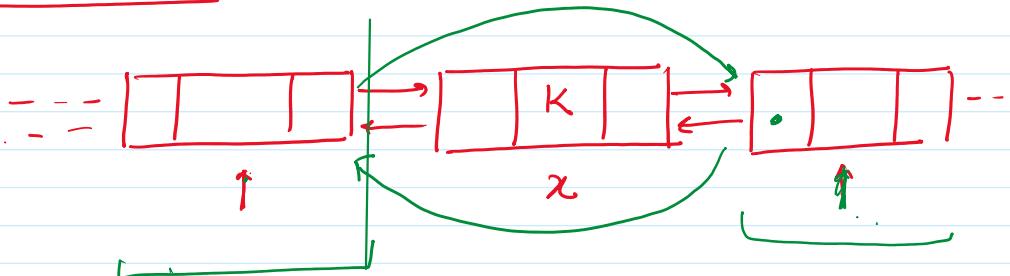
List-search (head, k)

```

x = head
while ( x ≠ NULL & x->key ≠ k )
    [
        x = x->next
    ]
return x

```

Deleting an element from linked list



Delete(head, k)

}

x = list-search(head, k)

/* update previous pointer

if (x->prev ≠ NULL)

{ x->prev->next = x->next

 }

else

{ head = x->next

}

/* update next pointer

Time complexity

[Search $\Theta(n)$] $\Theta(n)$

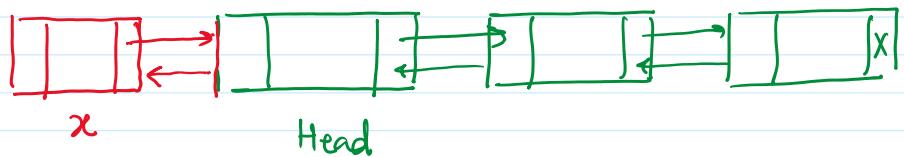
[deletion $\Theta(1)$]

```

if ( $x \rightarrow \text{next} \neq \text{NULL}$ )
{
     $x \rightarrow \text{next} \rightarrow \text{prev} = x \rightarrow \text{prev}$ 
}
else
{
     $x \rightarrow \text{prev} \rightarrow \text{next} = \text{NULL}$ 
}

```

Inserting on top of linked list



List-Insert-Beginning (head, x)

}

$x \rightarrow \text{next} = \text{head}$

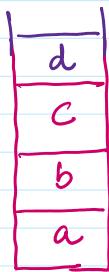
$\text{head} \rightarrow \text{prev} = x$

$\text{head} \leftarrow x$

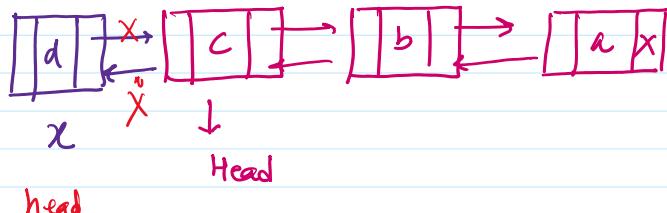
}

x : add. of the node that need to be
inserted

Implementing stack using linkedlist



Stack



Push (head, x)

{

List-Insert-Beginning (head, x)

return head

x : ptr to node that contain key as d

prev & next ptr are NULL

List - insert-beginning(head, x)

return head

)

Pop(head)

{ List - delete-begin(head)

{

x = head

key = x → key

x → next → prev = NULL

x → next = NULL]

head ← head → next

delete(x)

}

return key.

}

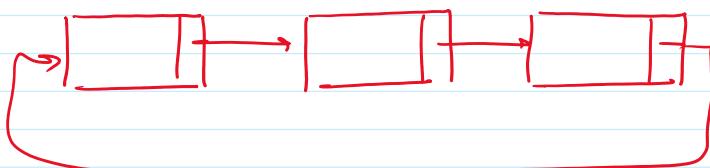
Singly Linked

Head



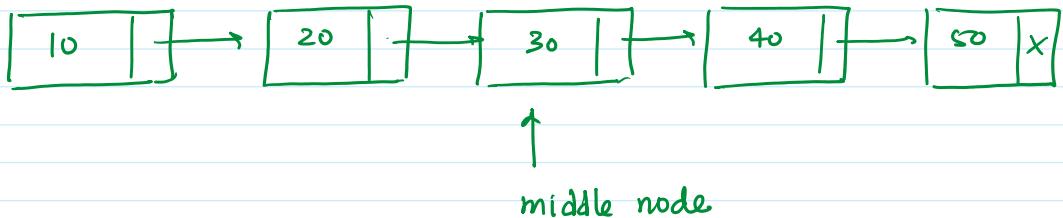
Circular Linked list

Head



Finding middle element of linked list

Head



Use two pointer - initialize both ptr to head

- increment first ptr one step each time
- increment second ptr two step each time
- when 2nd ptr reach to last node , return first ptr.

Checking if Linked list consist of a loop



Ptr to first node is given

Use two ptr : Initialize both ptr to head

- increment first ptr one step each time
- " Second ptr two step "

```
- if (first ptr == second ptr)
{
    return "list consist of loop"
}
```

```
- if (second ptr == NULL)
{
    return "list doesn't contain loop"
}
```

Complexity of Linked list operations

list consist of n nodes , Head ptr

- ① Search(key) - checking if certain key is present in linked list - $\Theta(n)$
- ② Insertion / deletion - $\Theta(n)$ - (if location of adjacent nodes are not given)
due to search

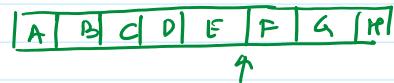
Comparison between linked list & Array

(i)

Ptr to $x \& y$ adjacent nodes are given



insertion / deletion can be done
in constt time $\Theta(1)$



Insert Z after E $\Theta(n)$

Delete D due to shift

(ii) Reading / Updating at specific index in array can be done in constt time

Linked list requires $\Theta(n)$ time