

## **PRACTICAL 1A: LOGIC GATES AND BOOLEAN LAWS**

**Ronak Mehta (MHTRON001)**

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5. I acknowledge that copying someone else's code, schematics or report, or part of it, is wrong, and declare that this is my own work.

A handwritten signature in black ink, appearing to read 'Ronak Mehta', enclosed within a hand-drawn circular scribble.

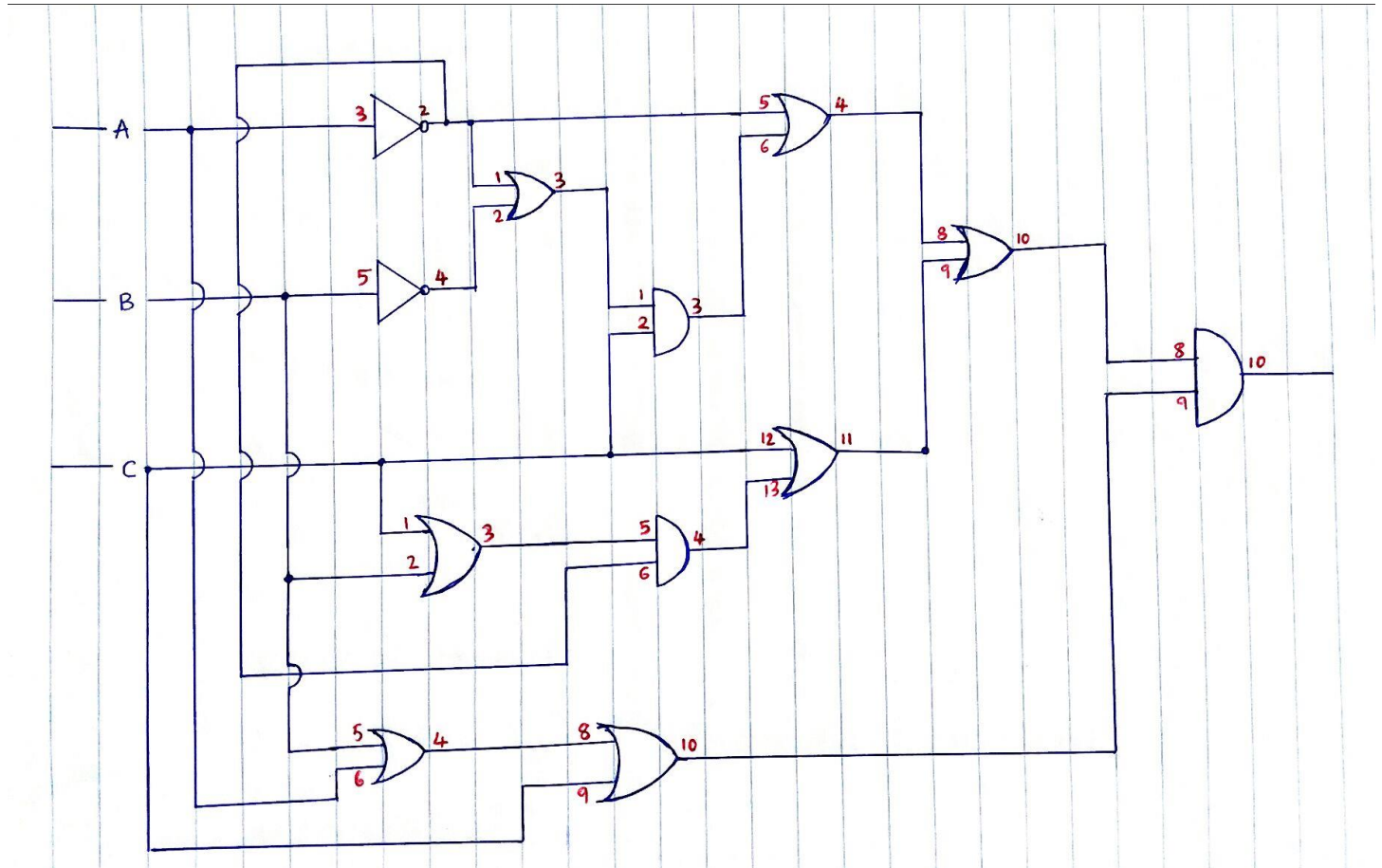
Signature

16-03-2018

Date

## Solutions

a)  $Y = (A + B + C) \cdot (\bar{A} + C + \bar{A} \cdot (B + C) + (\bar{A} + !B) \cdot C)$



b) Total of 14 Logic Gates are required.

- 7 OR Gates
- 3 AND Gates
- 4 NOT Gates

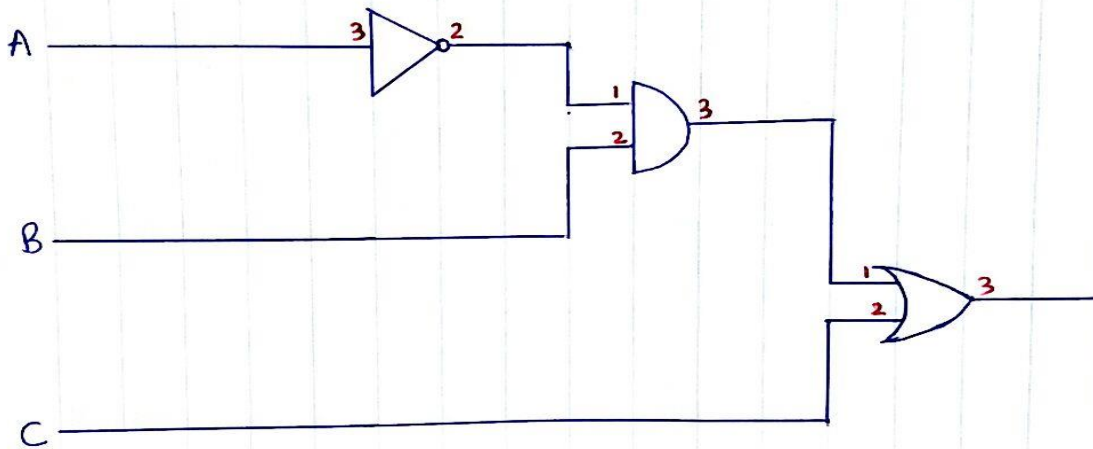
c) It will need Four 4000 series logic chips.

- 2 Quad 2-input OR-gate (4071)
- 1 Quad 2-input AND-gate (4081)
- 1 Hex Buffer Inverter (4049)

d)  $Y = (A + B + C) \cdot (\bar{A} + C + \bar{A} \cdot (B + C) + (\bar{A} + !B) \cdot C)$   
=  $(A + B + C) \cdot (\bar{A} (1 + (B + C)) + C (1 + (\bar{A} + !B)))$  // Took common factors out ( $\bar{A}$  and  $C$ )  
=  $(A + B + C) \cdot (\bar{A} (1) + C (1))$  // TRUE value (1) OR-ed (+) with any variable always results in TRUE(1)  
=  $(A + B + C) \cdot (\bar{A} + C)$  // TRUE value AND-ed (.) with a variable always results in that variable  
=  $\bar{A} \cdot A + \bar{A} \cdot B + \bar{A} \cdot C + A \cdot C + B \cdot C + C \cdot C$  // Open Brackets  
=  $\bar{A} \cdot A + \bar{A} \cdot B + \bar{A} \cdot C + A \cdot C + B \cdot C + C$  //  $C \cdot C = C$  (I.e.: TRUE.TRUE = TRUE and FALSE.FALSE = FALSE)  
=  $0 + \bar{A} \cdot B + C (\bar{A} + A + B + 1)$  // Took C as a common factor  
=  $0 + \bar{A} \cdot B + C (1)$  // TRUE value (1) OR-ed (+) with any variable always results in TRUE(1)  
 $Y = \bar{A} \cdot B + C$

e)

(e)  $Y = \bar{A} \cdot B + C$



g) Truth Table for the Boolean Expression:  $Y = \bar{A}.B + C$

<b>A</b>	<b>B</b>	<b>C</b>	<b><math>\bar{A}</math></b>	<b><math>\bar{A} . B</math></b>	<b><math>Y = \bar{A}.B + C</math></b>	<b>From Practical</b>
0	0	0	1	0	0	0
0	0	1	1	0	1	1
0	1	0	1	1	1	1
0	1	1	1	1	1	1
1	0	0	0	0	0	0
1	0	1	0	0	1	1
1	1	0	0	0	0	0
1	1	1	0	0	1	1