

RWR 4015

# Traffic Simulation for Planning Applications

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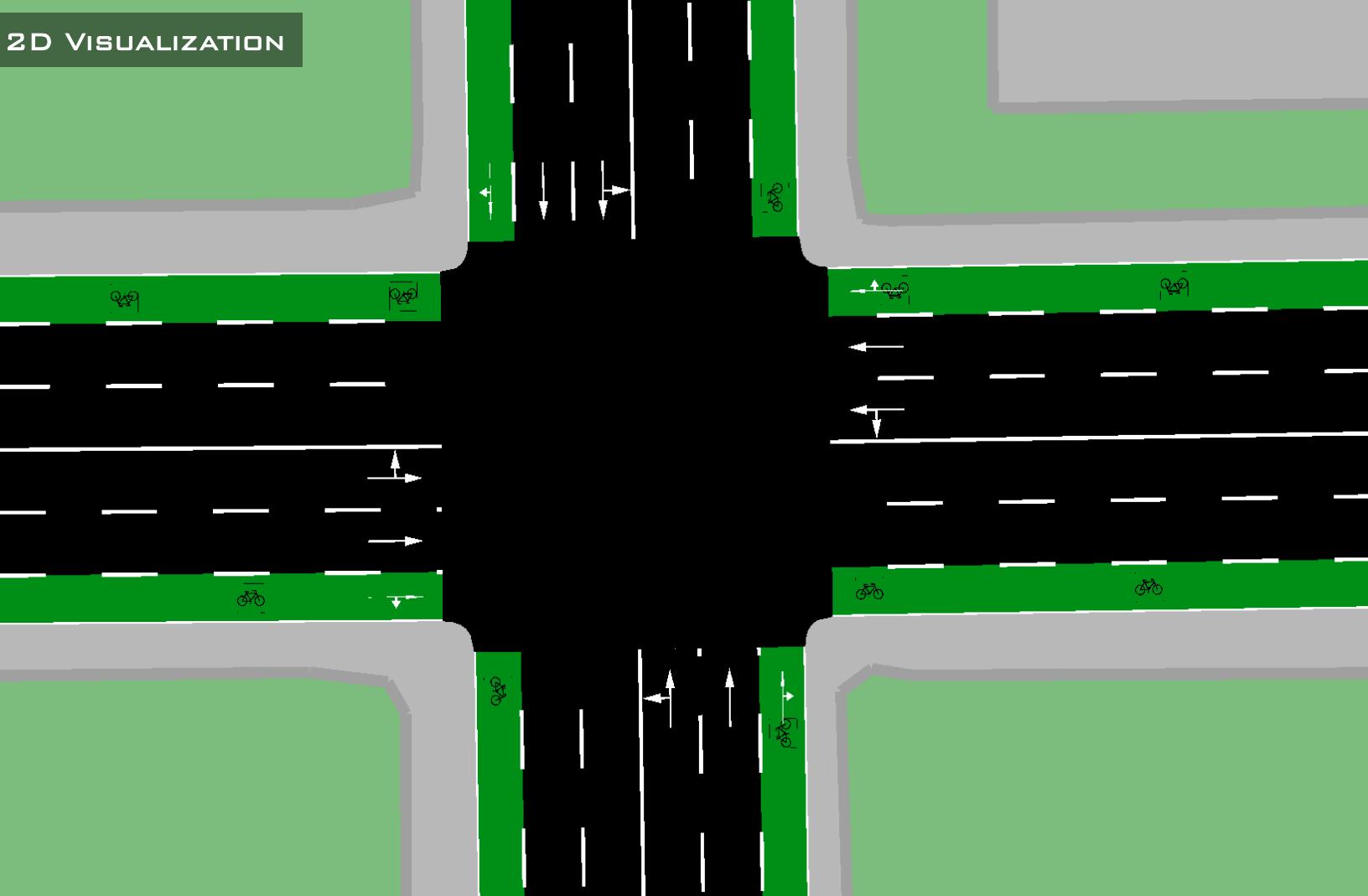
Week 2 | Lecture:  
Fundamentals of Traffic Simulation

Fall 2026

RoadwayVR



2D VISUALIZATION



3D VISUALIZATION



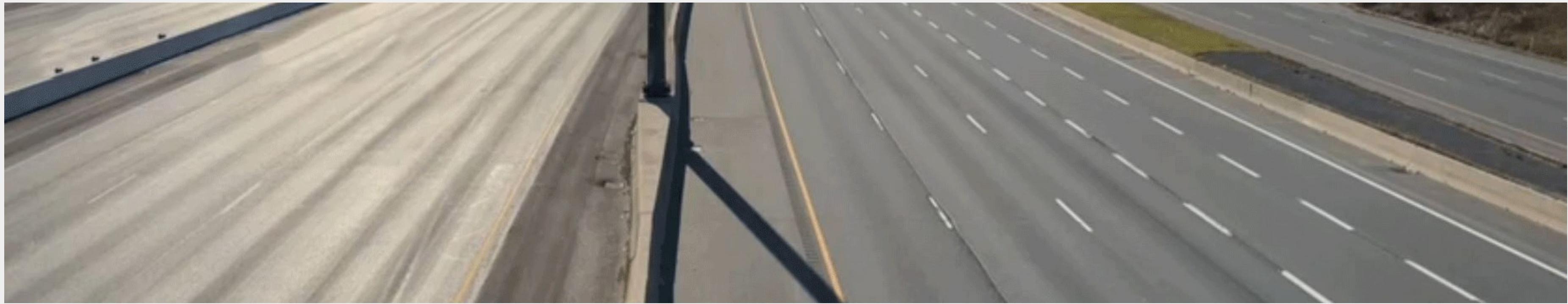
# Agenda

- Road Network Development
- Vehicles Characteristics
- Vehicle Dynamics
- Car Following and Lane Changing Models
- Traffic Theory
- Fundamental Diagram (Flow, Density, Speed)



# Road Network Development

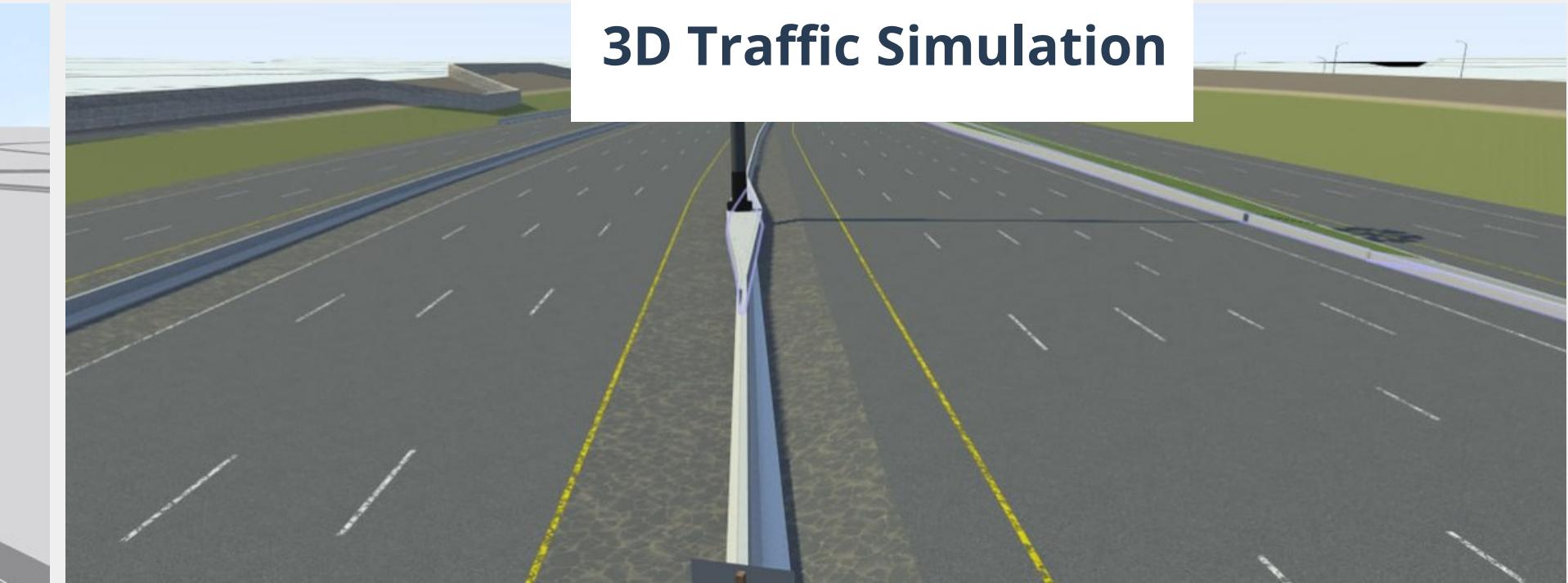
Real-World



2D Traffic Simulation

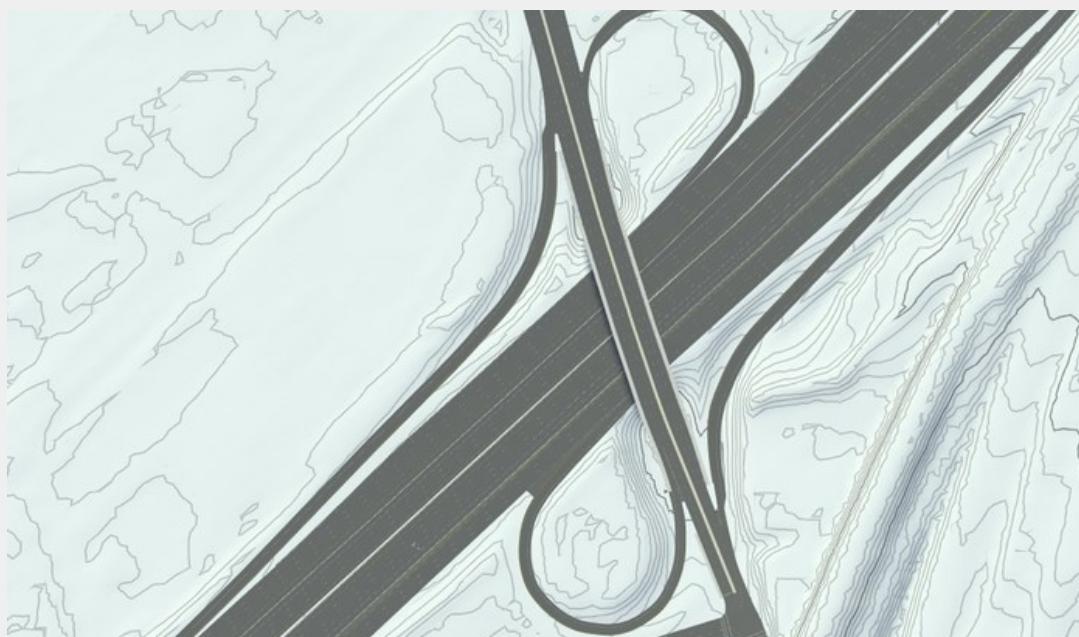


3D Traffic Simulation

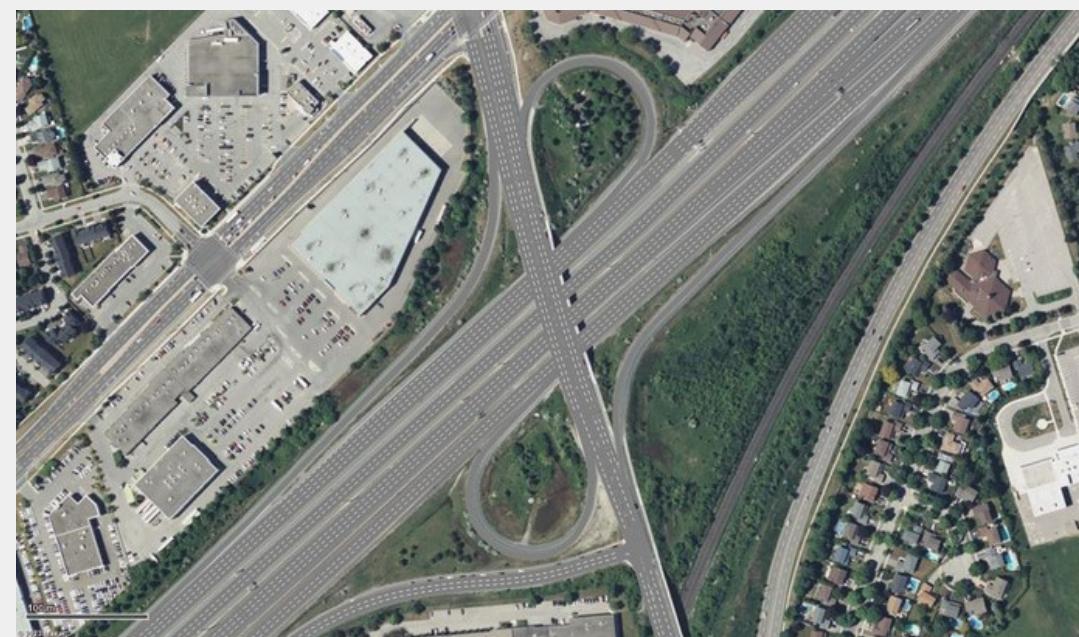


# Road Network Development

**Step 1:**  
**The Developed Network**



**Step 2:**  
**The Network in  
2D Traffic Simulation**

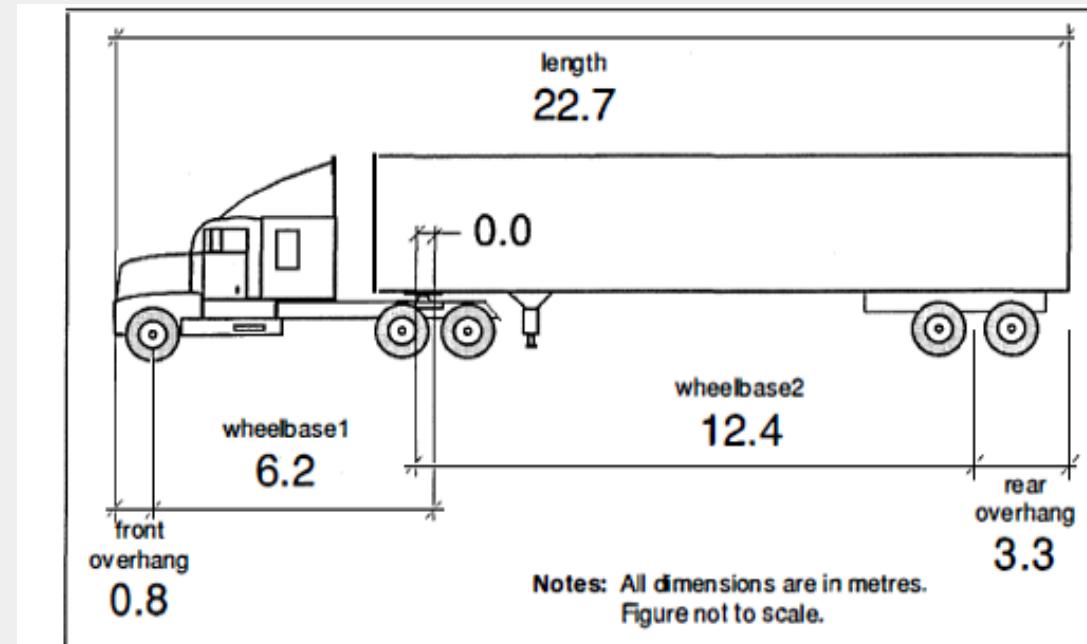


**Step 3:**  
**The Network in  
3D Traffic Simulation**

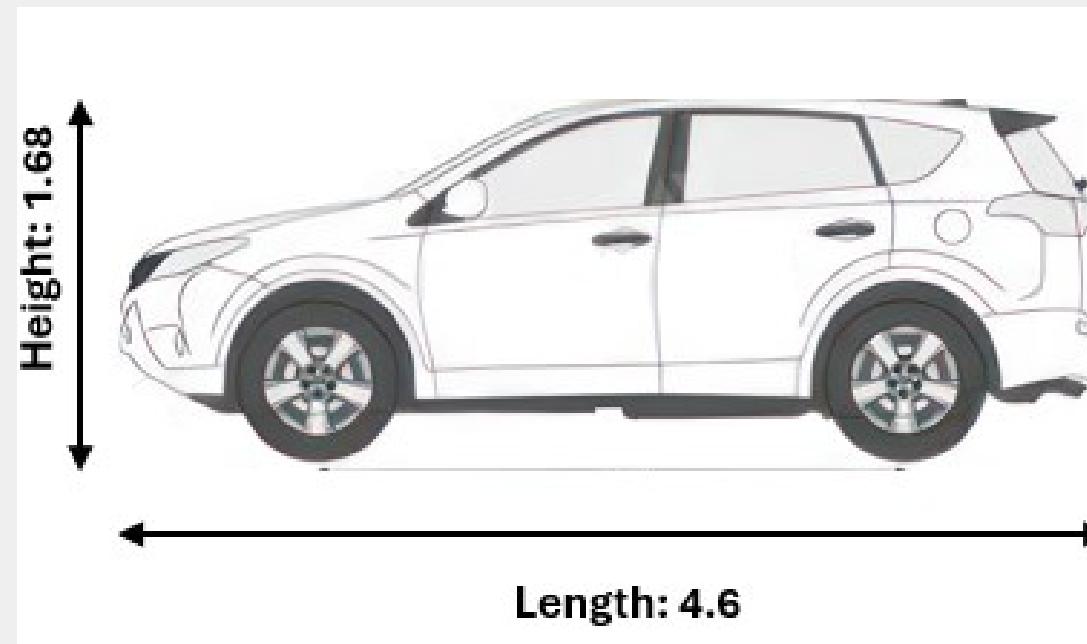


# Vehicles Characteristics

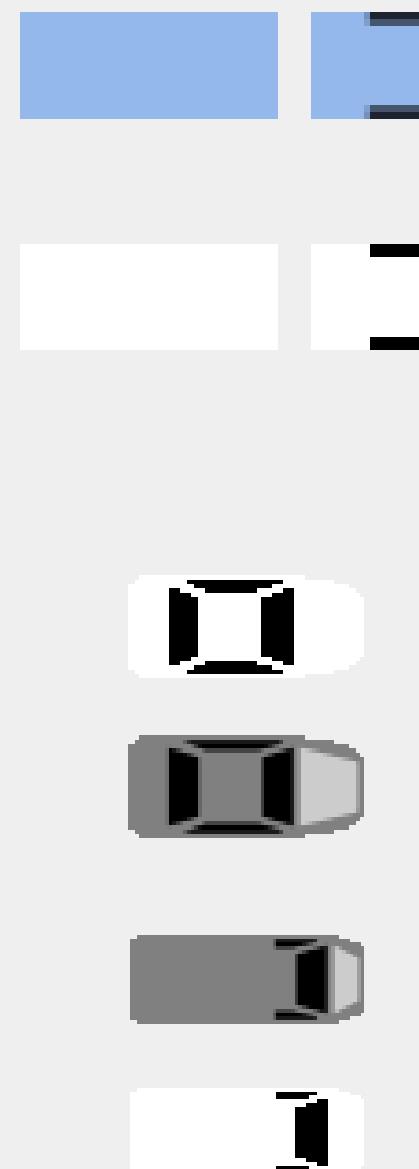
## Real-World Dimension



## 3D Traffic Simulation



## 2D Traffic Simulation



# Vehicles Dynamics

Modelling the Behavior

Real-World



Steering



Braking/Acceleration

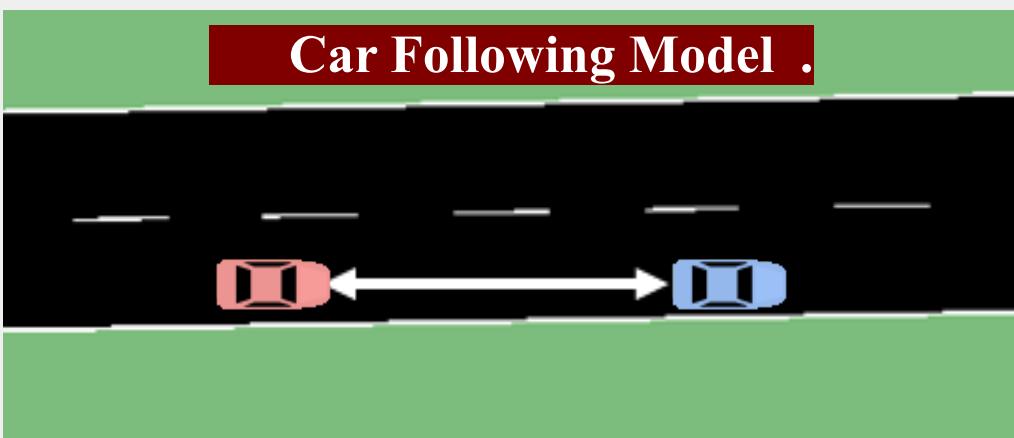


Simulation

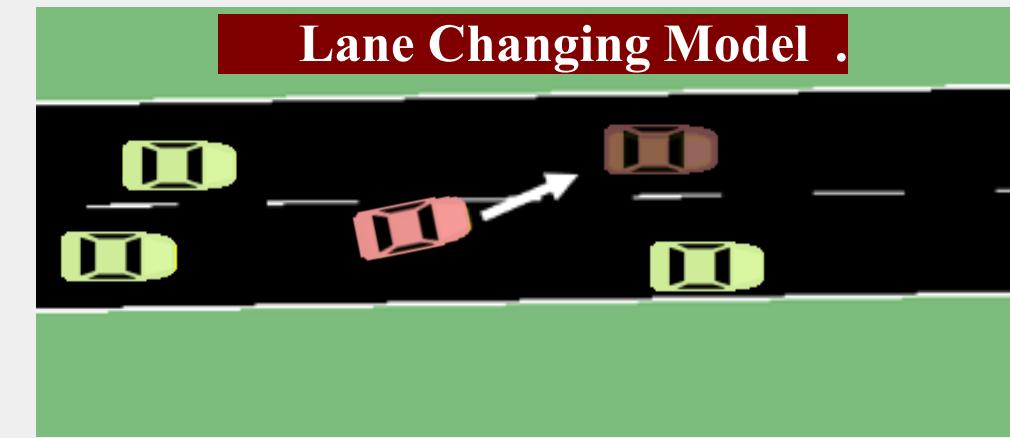


# Car Following and Lane Changing Model

**Longitudinal Movement**

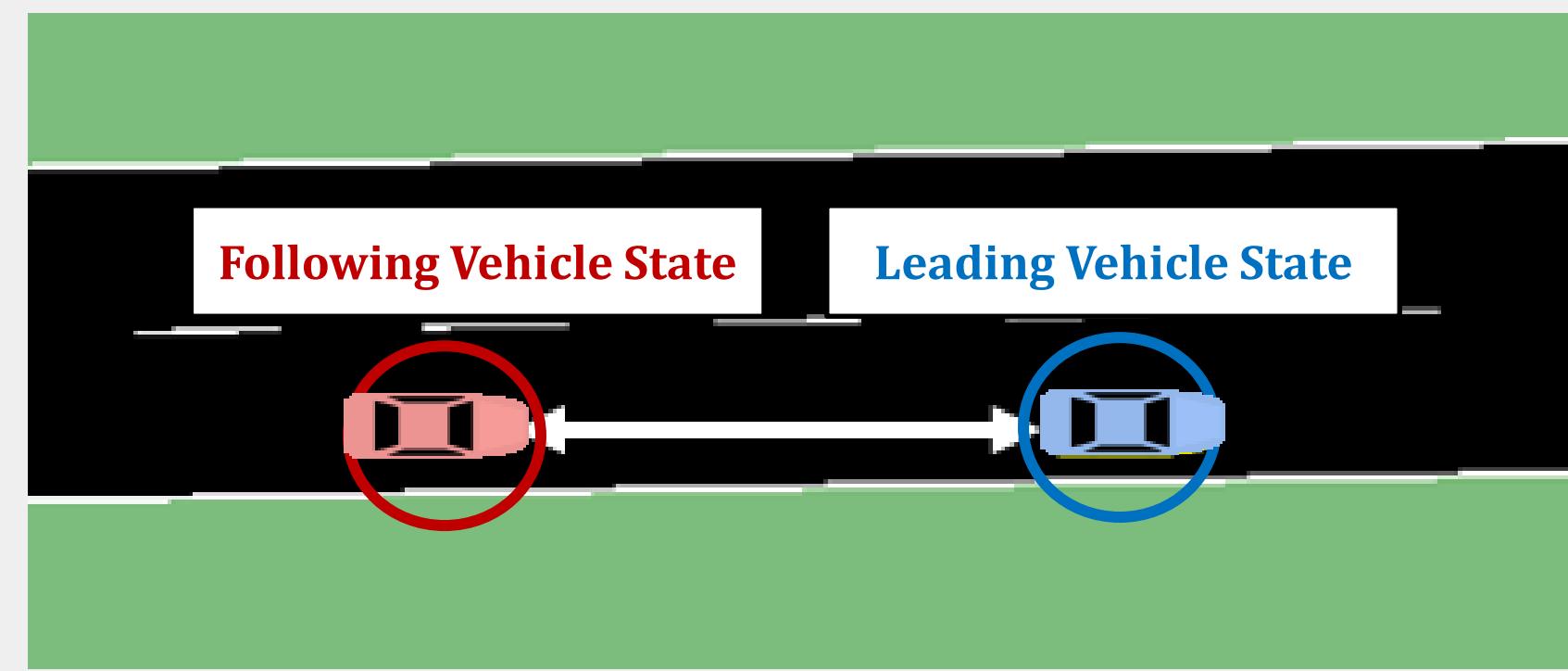
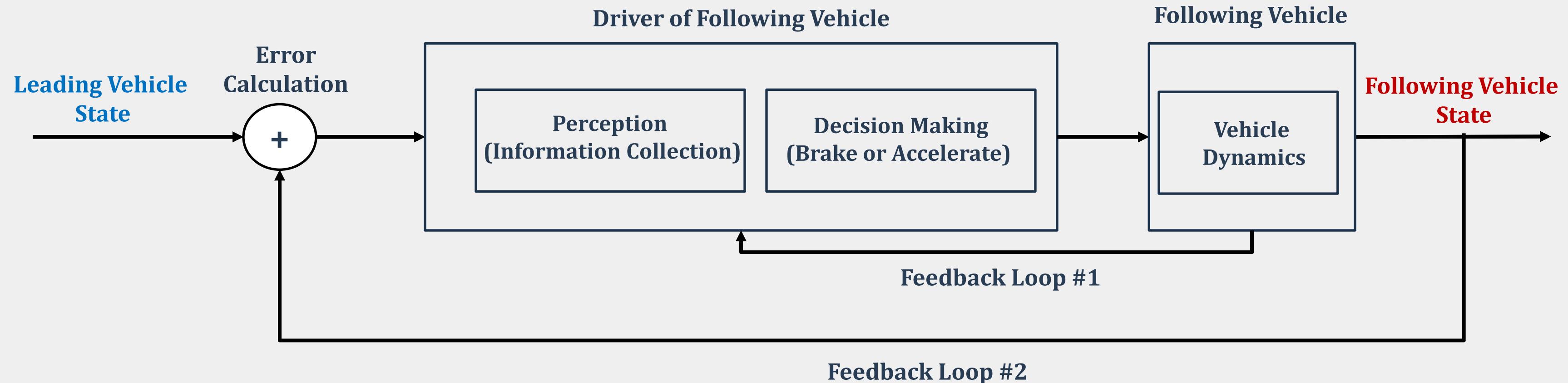


**Lateral Movement**





# Car Following Model Flow Chart



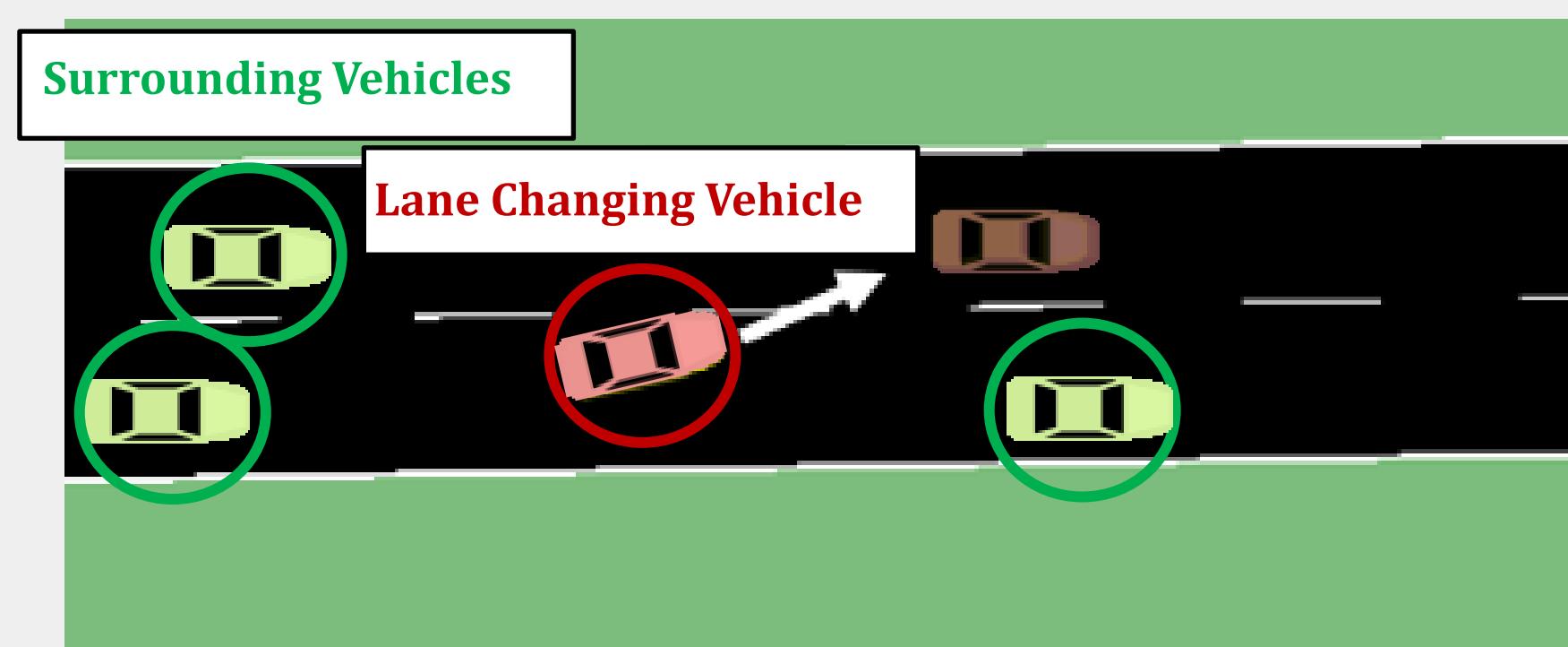
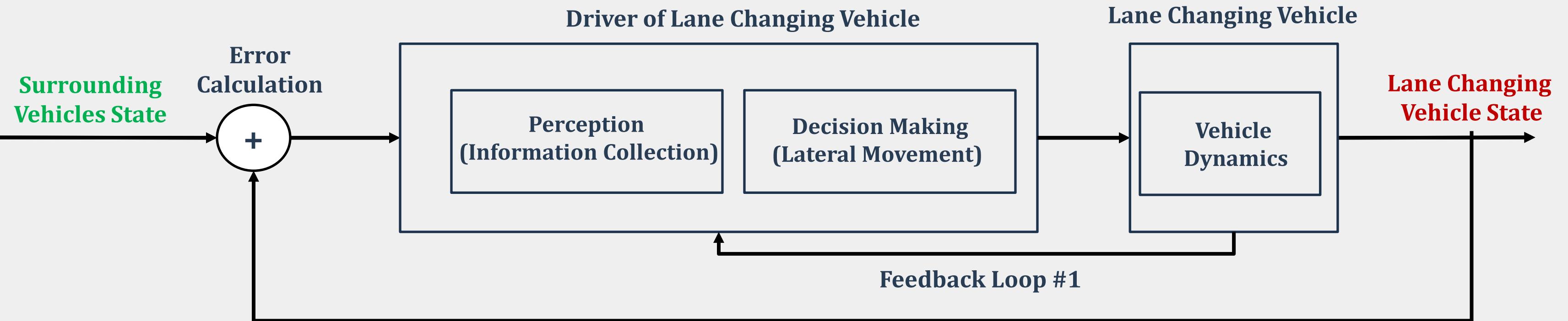
Reference:

Decision Making Flow in Car Following and Lane Changing Model, Rothery (2001)





# Lane Changing Model Flow Chart



Reference:

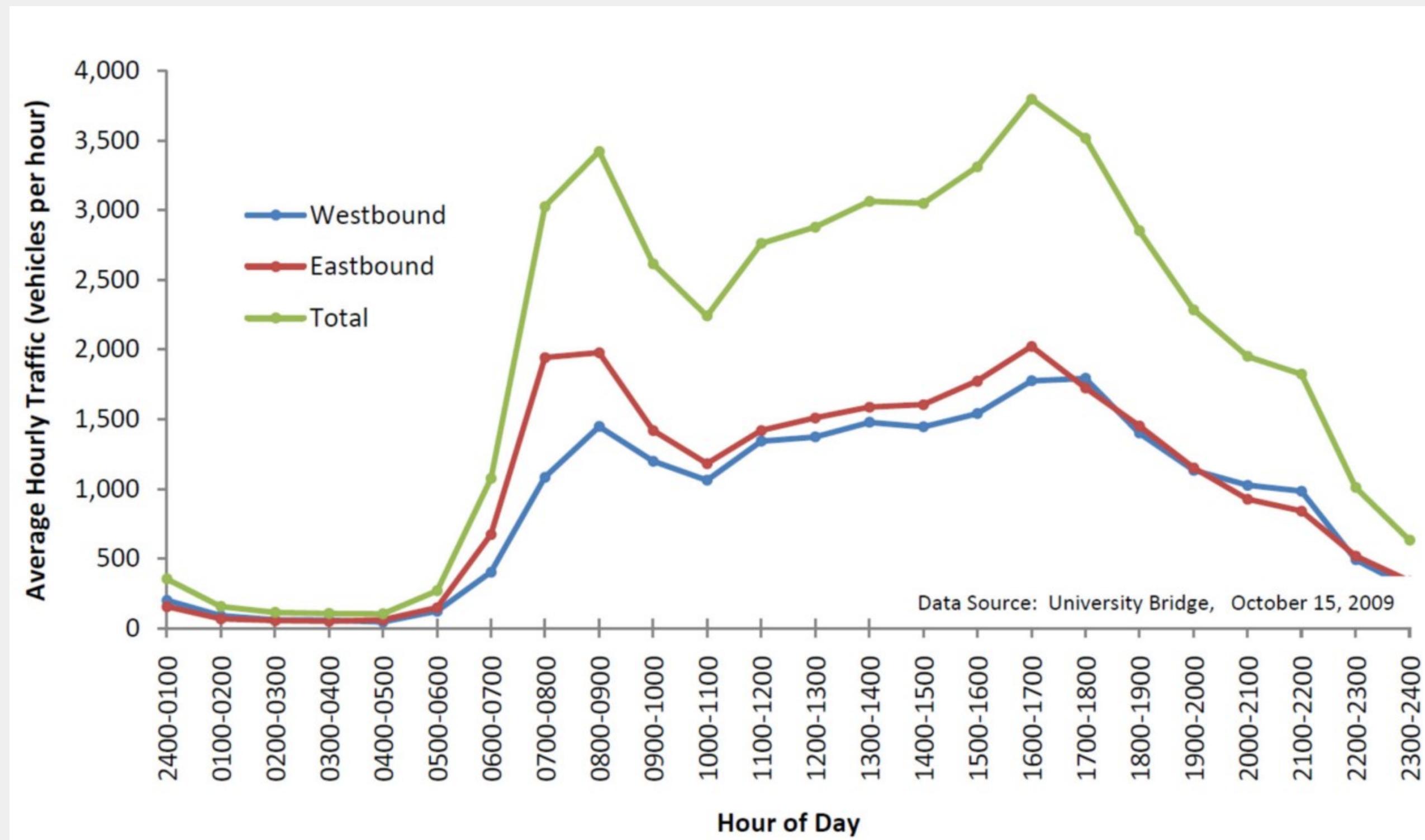
Decision Making Flow in Car Following and Lane Changing Model, Rothery (2001)

# Traffic Volume

- **Traffic Volume (q):** The total number of vehicles (N) to pass over a given point or section of a lane or roadway during a given time interval (t).
- Traffic volumes can be expressed in terms of annual, daily, hourly, or sub-hourly periods

# Traffic Volume Distribution

## Example Traffic Volume Distribution by Hour of Day



# Traffic Flow Rate

□ **Flow Rate:** The equivalent hourly flow rate at which vehicles pass over a given point or section of a lane or roadway during a given time interval of less than 1 h, usually 15 min.

# Traffic Volume vs Flow Rate

## □ Relationship between Traffic Volume and Flow Rate

- Numerical Example:

$$q_{15} = 1,000 \text{ (veh./15min.)} \rightarrow q_{60} = 4 \times q_{15} = 4000 \text{ (veh/hr)}$$

$$q_{15} = 1,200 \text{ (veh./15min.)} \rightarrow q_{60} = 4 \times q_{15} = 4800 \text{ (veh/hr)}$$

$$q_{15} = 1,100 \text{ (veh./15min.)} \rightarrow q_{60} = 4 \times q_{15} = 4400 \text{ (veh/hr)}$$

$$q_{15} = 1,000 \text{ (veh./15min.)} \rightarrow q_{60} = 4 \times q_{15} = 4000 \text{ (veh/hr)}$$

- Total Traffic Volume ( $q = \sum q_{15}$ ) for the study period (1 hr.):  $1,000 + 1,200 + 1,100 + 1,000 = 4,300 \text{ veh./hr.}$
- Maximum Hourly Flow Rate = 4,800 (veh./hr.)

# Peak Hour Factor (PHF)

- PHF definition: the ratio of total hourly volume into a peak 15-min flow rate with the hour. We use PHF to estimate an hourly traffic volume into a peak 15-min flow rate.
- Using the total traffic volume and flow rate info in previous slide,  $\text{PHF} = 4,300/4,800 = 0.896$
- Usually, PHFs in urban areas range between 0.80 and 0.98
- PHF  $\rightarrow 1.0$ ; Uniform Flow Rate (less flow variation within the hour)
- PHF  $\rightarrow 0.25$ ; Random Flow Rate (greater variability of flow within the hour)

# ADT and AADT

- **ADT (Average Daily Traffic):** The total volume of traffic passing a point or segment of a highway facility in both directions for less than a year period divided by the number of days in the study period (e.g. 6 months, 1 month, ..., 1 week, 2 days)
  
- **AADT (Annual Average Daily Traffic):** The total volume of traffic passing a point or segment of a highway facility in both directions for one year divided by the number of days in the year

# Density

□ **Density (K):** The number of vehicles on a roadway segment averaged over space, usually expressed as vehicles per kilometer (usually per lane) → No. of vehicles occupying a given length of road (usually 1km) in a single lane (veh/km/lane)

# Speed ( $v_s$ )– Flow ( $q$ )– Density ( $k$ )– Relationship

$$\square q = v_s \times k$$

Where:

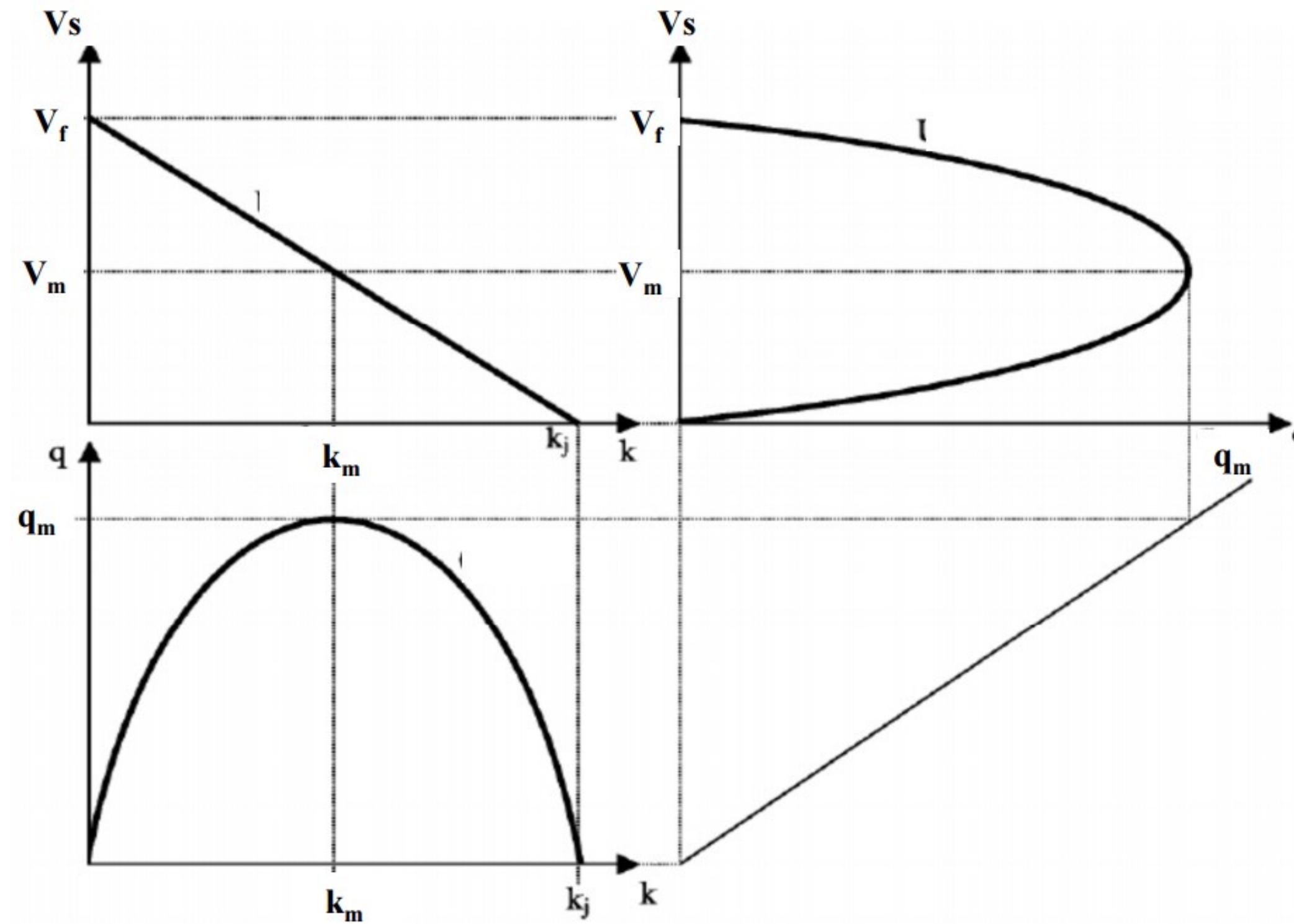
$q$  = Traffic Volume or Hourly Flow (veh/hr)

$v_s$  = Space Mean Speed (km/hr)

$k$  = Density (veh/km)

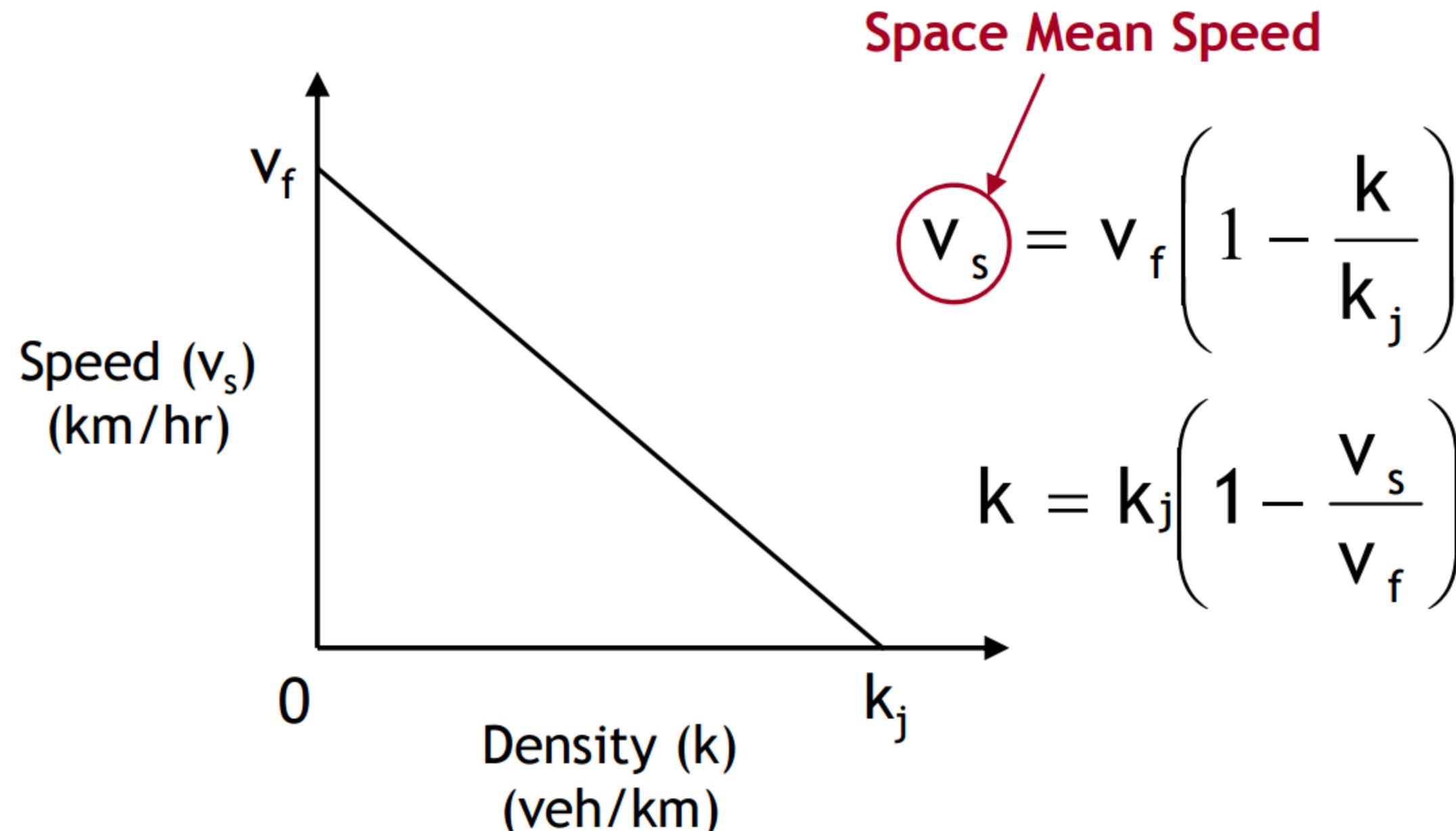
# Speed ( $v_s$ ) – Flow ( $q$ ) – Density ( $k$ ) Relationship

□ Greenshield's Model (1934):



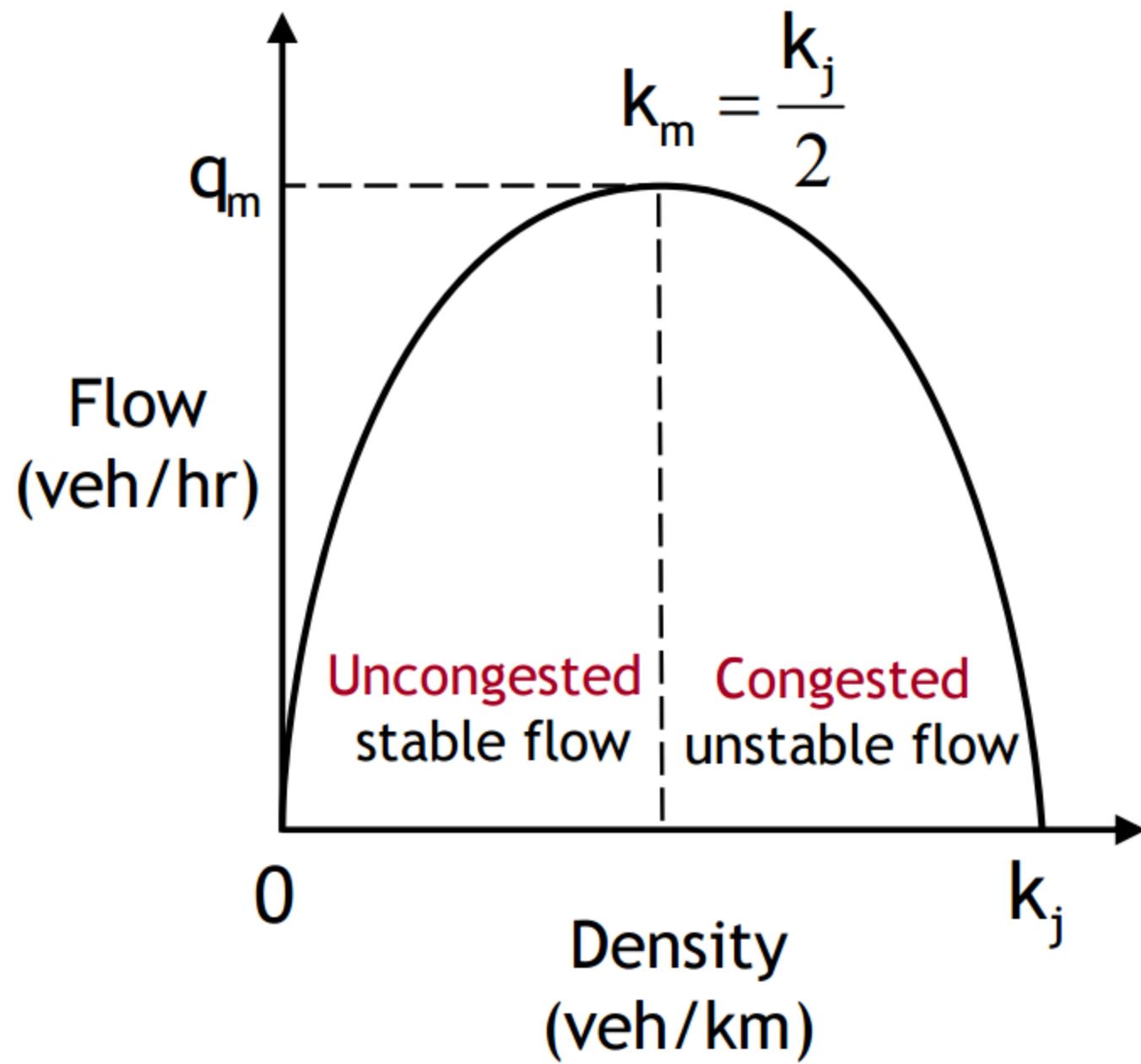
# Speed ( $v_s$ ) – Density ( $k$ ) Relationship

- Greenshield's Linear Speed-Density Model (1934):



# Flow ( $q$ ) – Density ( $k$ ) Relationship

- Greenshield's Flow-Density Model (1934):



$$q = v_f \left( k - \frac{k^2}{k_j} \right)$$

$$v_m = \frac{v_f}{2}$$

$$\begin{aligned} q_m &= v_m \cdot k_m \\ &= \frac{v_f \cdot k_j}{4} \end{aligned}$$

# Speed ( $v_s$ ) – Flow ( $q$ ) Relationship

- Greenshield's Flow-Speed Model (1934):

