Carry-trade and transition

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Outline

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 - US monetary policy
 - International risk aversion
 - International liquidity
- This research seeks to assess their relative importance and understand more about how financial instability evolves.

Literature

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Renewed interest, particularly after May 2013

- Ahmed (2014) Panel student of Gross and Net capital flows
- Baele et al. (2014) Look at causes of Flight-to-Safety
- Ceruttie et al. (2014) Measure global liquidity

The carry-trade

Attempts to take advantage of the breakdown in uncovered interest parity

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Where z_{t+1} are the profits from the carry trade, $i^* - i$ is the interest rate differential (overseas less home) and Δs_{t+1} is the change in the exchange rate.

Hidden Markov Chain

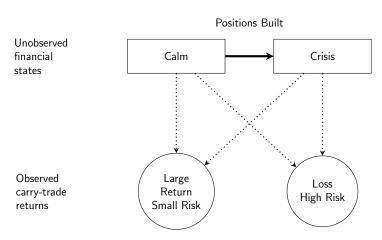


Figure: Two-Regime Hidden Markov Model (HMM)

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Where there are n states or regimes; y_t are the observed carry-trade returns; and θ_{prior} , θ_{trans} and θ_{resp} are the parameters of the prior, transition and response models respectively.

Transition matrix

The transition matrix is

$$\begin{bmatrix} P(S_t = 1 | S_{t-1} = 1), & P(S_t = 2 | S_{t-1} = 1) \\ P(S_t = 1 | S_{t-1} = 2), & P(S_t = 2 | S_{t-1} = 2) \end{bmatrix}$$

For Hungary, it is

$$\begin{bmatrix} 0.88, & 0.12 \\ 0.04, & 0.96 \end{bmatrix}$$

Response

For the simple two-regime case, a linear response is modelled as

$$y_t = \beta_0 + \sum_{i=1}^{i=n} S_{i,t} + \varepsilon_t$$

For, Hungary Poland, Romania and Czech, there are the following results.

| Regime | | HUF | PLN | CZK | RON |
|--------|--------|--------|--------|--------|--------|
| Calm | Mean | 1.0165 | 1.0173 | 1.0129 | 1.0150 |
| | St-Dev | 0.0519 | 0.0486 | 0.0542 | 0.0433 |
| Crash | Mean | 0.9905 | 0.9862 | 0.9963 | 0.9969 |
| | S-Dev | 0.1085 | 0.1026 | 0.0886 | 0.0878 |

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- **5** 2 Regime Z transition

$$y_t = \beta_t + \sum_{i=1}^{i=n} (S_{i,t}|z_t) + \varepsilon_t, \quad n = 2 \text{ (M5)}$$

■ transition model $log(a_{ij}/a_{i1}) = \alpha_j + \beta_j z_t$



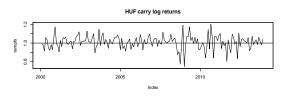
Transition and risk aversion

The VIX is scaled to have a mean of zero and S-dev of 1.

| | -3sd | -1sd | Mean | +1sd | +2sd | +3sd |
|-----|--------|--------|--------|--------|--------|--------|
| HUF | 0.0020 | 0.0242 | 0.0807 | 0.2375 | 0.5249 | 0.7967 |
| PLN | 0.0004 | 0.0063 | 0.0242 | 0.0887 | 0.2766 | 0.6003 |
| CZK | 0.0000 | 0.0034 | 0.0717 | 0.6367 | 0.9755 | 0.9989 |
| RON | 0.0014 | 0.0131 | 0.0392 | 0.1119 | 0.2799 | 0.5453 |

The probability of switching to a crash once in a state of calm.

Calm and Crash probabilities







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- Common factors and common dates

Bibliography I



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