Capital Flow and the Real Exchange Rate

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April 7, 2014

Outline

- Measuring Capital Flows
- Findings

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- Are some **exchange rates** more vulnerable than others?

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- Construct model of international capital flows
- **Signed** order flow is deliberate and is offset by a **passive** balancing flow

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- However, international agencies (BIS, IMF) as well as national statistical agencies and private economists have sought to improve the measurement of capital flows
- Monthly capital flows and measure of returns with equity flows significant while bond flows are not (Siouronis 2008)

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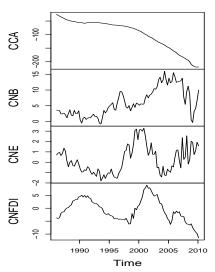
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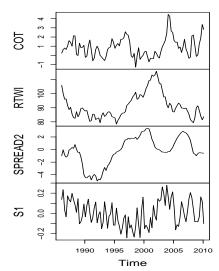
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- S1 CFTC FX Derivative Positions (non-commercial per open interest)

Descriptive Statistics

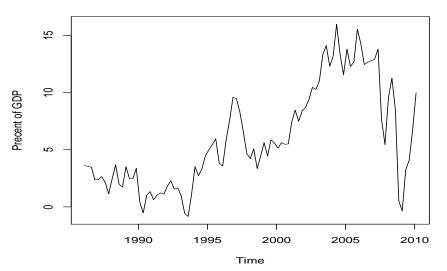
Series	Units	Mean	Median	Max	Min
RTWI	index	91.24	89.26	115.96	78.44
CNB	% GDP	6.00	5.07	15.97	-0.84
CNE	% GDP	0.23	-0.00	3.28	-1.81
CNFDI	% GDP	-0.67	-1.29	8.91	-11.48
COT	% GDP	0.88	8.32	4.47	-1.27
SPREAD	pp	-0.20	-0.07	3.38	-4.99
S1	NC/OI	47.0	3.00	70.0	-69.0

Cumulative Capital Flow, Current Account and Exchange R

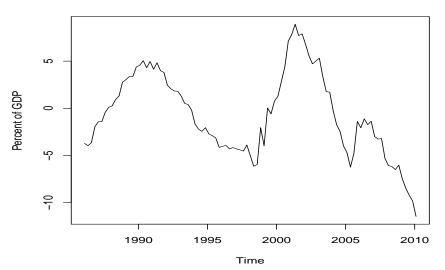




US Net Bond Position



US Net FDI Position



Structural Equation
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Where: x_t is a vector of endogenous variables; matrix B contains the coefficients for the contemporaneous relationships between the endogenous variables; Γ_0 contains exogenous variables such as a constant, trend or seasonal; ϵ is a vector of errors that are assumed to IID; and Γ_1 are the parameters to be estimated.

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Allows OLS to be used

Identification

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Each method is used here.

Results are compared

SVAR Restrictions

NA is estimated

	CNB	CNE	CNFDI	COT	RTWI	SP	S1
CNB	1	NA	0	0	0	NA	0
CNE	NA	1	NA	0	NA	0	NA
CNFDI	0	NA	1	0	NA	0	0
COT	NA	0	0	1	NA	0	NA
RTWI	0	NA	NA	NA	1	NA	NA
SPR'D	NA	0	0	0	NA	1	0
S1	0	NA	0	NA	NA	0	1

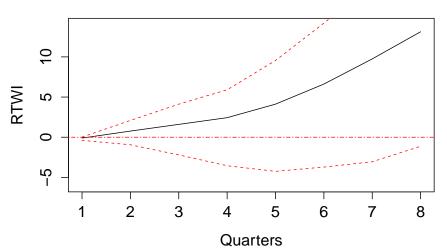
Impulse Response Functions

What is the effect of an innovation or shock?

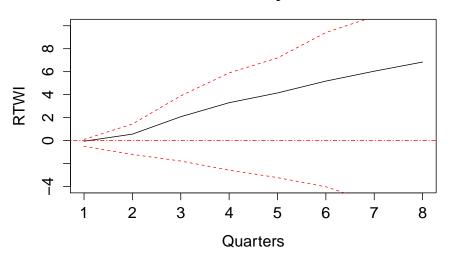
$$x_t = \mu + \sum_{i=0}^{i=n} \frac{A_t^i}{1 - b_{12}b_{21}} \begin{bmatrix} 1 & -b_{12} \\ -b_{21} & 1 \end{bmatrix}$$
 (2)

For n periods

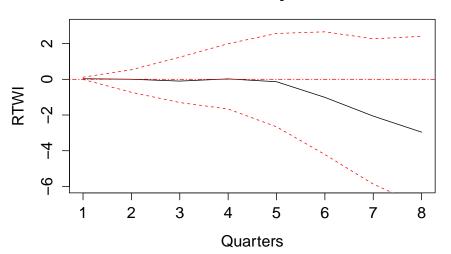
Spread shock System 3



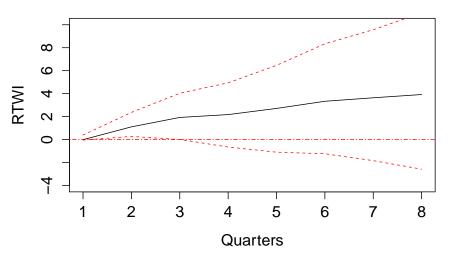
Cot shock: System 3



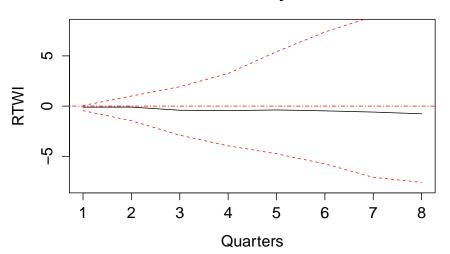
CNB shock: System 3



Speculative shock: System 3



CNE shock: System 3



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- https://github.com/RobHayward/SVARdoc

References

Lyons and Evans (2002), 'Order Flow and Exchange Rate Dynamics', *Journal of Political Economy*, 110 (1) Kouri and Porter (1974), 'International Capital Flows and Portfolio Equilibrium', *Journal of Political Economy*, 82

Sims (1980), 'Macroeconomics and Reality', *Econometrica* 48(1)