# Coursera Data Science Project: Statistical Inference (Part 2)

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August 23, 2015

#### Introduction

This is the project for the statistical inference class. In it, I will use simulation to explore inference and do some simple inferential data analysis. The project consists of two parts:

- 1. A simulation exercise.
- 2. Basic inferential data analysis (this report)

## Basic Inferential Data Analysis

# Load and explore data

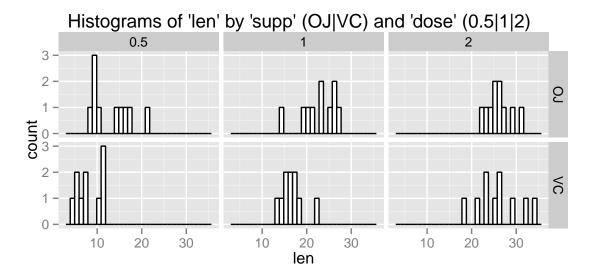
Some inspection of the ToothGrowth data indicates it has 60 observations of 3 values: len, supp, dose. The 'supp' value is a factor with only 2 levels: OJ, VC. The 'dose' value, although a number, actually has only 3 values: 0.5, 1, 2. For processing, this value was converted to a factor.

```
ToothGrowth_tbl$dose <- as.factor(ToothGrowth_tbl$dose)
```

### **Data Summary**

A faceted set of histograms

```
ggplot(ToothGrowth_tbl, aes(x=len)) +
  geom_histogram(color="black", fill="white") +
  facet_grid(supp ~ dose) +
  ggtitle("Histograms of 'len' by 'supp' (OJ|VC) and 'dose' (0.5|1|2) ")
```

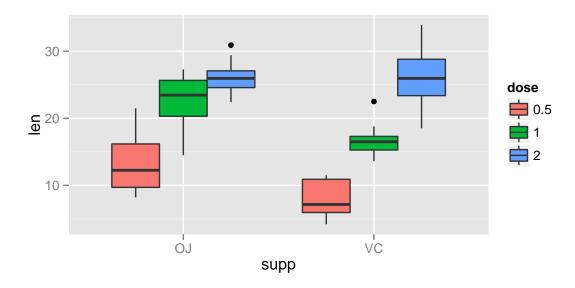


The basic question is: "Is ToothGrowth 'len' affected by 'supp' or 'dose'?" The mean, sd, and count of values of 'len' are:

```
## Source: local data frame [6 x 5]
## Groups: supp
##
##
     supp dose mean
                            sd n
## 1
       OJ
           0.5 13.23 4.459709 10
## 2
       OJ
             1 22.70 3.910953 10
## 3
       OJ
             2 26.06 2.655058 10
       VC
           0.5 7.98 2.746634 10
## 4
## 5
       VC
             1 16.77 2.515309 10
       VC
             2 26.14 4.797731 10
## 6
```

# Compare tooth growth by supp and dose

Different doses of supp will be compared using a t-test. To aid understanding about what is being tested, the figure below contains two sets of box plots; one for each of the the 'sup': 'OJ' and 'VC. Each set contains 3 box plots, one for each of the doses: '0.5', '1', and '2'. The null hypothesis is: **There is no difference in the means of samples** 



## print(supp\_by\_dose)

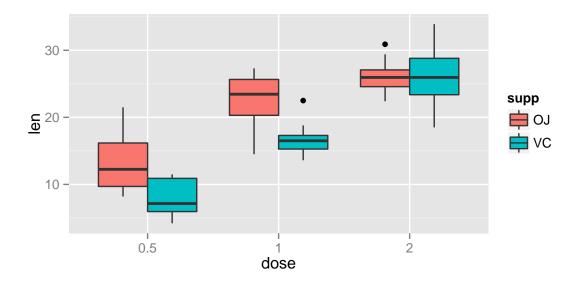
```
## Source: local data frame [6 x 5]
##
##
     supp dose1 dose2 pvalue
                     1 0.0001 Reject
## 1
       OJ
              .5
## 2
       OJ
              .5
                     2 0.0000 Reject
## 3
       OJ
              1
                     2 0.0392 Reject
## 4
       VC
              .5
                     1 0.0000 Reject
## 5
       VC
              .5
                     2 0.0000 Reject
       VC
## 6
                     2 0.0001 Reject
```

As can be seen graphically, and confirmed by the p-values and rejection of the null hypothesis: For each supplement, the amount of the 'dose' does indeed have a statistically different effect on the mean of the 'len'.

Different 'supp' at each 'dose' will be compared using a t-test. To aid understanding about what is being tested, the figure below contains three sets of box plots; one for each of the the 'dose': '0.5', '1', and '2'. Each set contains 2 box plots, one for each of the 'sup': 'OJ' and 'VC: The null hypothesis is: **There is no difference in the means of samples** 

```
dose_by_supp <- tbl_df(data.frame(matrix(ncol=4, nrow=3)))
colnames(dose_by_supp) <- c("dose", "supp1", "supp2", "pvalue")
dose_by_supp[1,] <- c(".5", "OJ", "VC",</pre>
```

```
t.test(len~supp, data=droplevels(filter(ToothGrowth_tbl, dose==.5)))[3]$p.value)
dose_by_supp[2,] <- c("1", "0J", "VC",
    t.test(len~supp, data=droplevels(filter(ToothGrowth_tbl, dose==1)))[3]$p.value)
dose_by_supp[3,] <- c("2", "0J", "VC",
    t.test(len~supp, data=droplevels(filter(ToothGrowth_tbl, dose==2)))[3]$p.value)
dose_by_supp$pvalue <- round(as.numeric(dose_by_supp$pvalue), 4)
dose_by_supp <- mutate(dose_by_supp, H0 = ifelse(pvalue > 0.05, "Accept", "Reject"))
ggplot(ToothGrowth_tbl, aes(x=dose, y=len, fill=supp)) + geom_boxplot()
```



#### print(dose\_by\_supp)

```
## Source: local data frame [3 x 5]
##
##
     dose supp1 supp2 pvalue
## 1
       .5
             OJ
                    VC 0.0064 Reject
                    VC 0.0010 Reject
## 2
        1
             OJ
        2
                    VC 0.9639 Accept
## 3
             OJ
```

As can be seen graphically, and confirmed by the p-values and rejection or acception of the null hypothesis: For the 'doses' 0.5 and 1, the 'supp' does indeed have a statistically different effect on the mean of the 'len'. for the dose of 2, there is no difference.

## Conclusions

The only case where changing the supp or the dose does not affect the len is when the dose for each supp==2 (p-vale=0.96). In all other cases the p-value is less than 0.05, and thus the null hypothesis is rejected.