

# Complex Analysis

Exams:

70% Exam

30% Continuous Assessment (Homework)

10% Optional Project (Bonus)

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# 1 Week 1: Systems of Linear Equations

## 1.1 Intro to Systems of Linear Equations

We call linear equations because each variable is raised to the first power. Products of variables, squares, square roots, etc., are not linear. A solution to a system of linear equations is an assignment of numerical values to each variables. Systems can have multiple solutions.

## 1.2 Augmented Matrices and Element row operations

$$\begin{array}{l} x + 2y - z = 5, \\ 3x + y - 2z = 9, \\ -x + 4y + 2z = 0 \end{array} \iff \left( \begin{array}{ccc|c} 1 & 2 & -1 & 5 \\ 3 & 1 & -2 & 9 \\ -1 & 4 & 2 & 0 \end{array} \right)$$

To solve system of linear equations, we work with this augmented matrix, applying three types of operations to convert to a simpler form. These operations include:

1. Adding scalar multiple of one row to another
2. Multiplying all entries of a row by same non-zero scalar
3. Swapping two rows.