

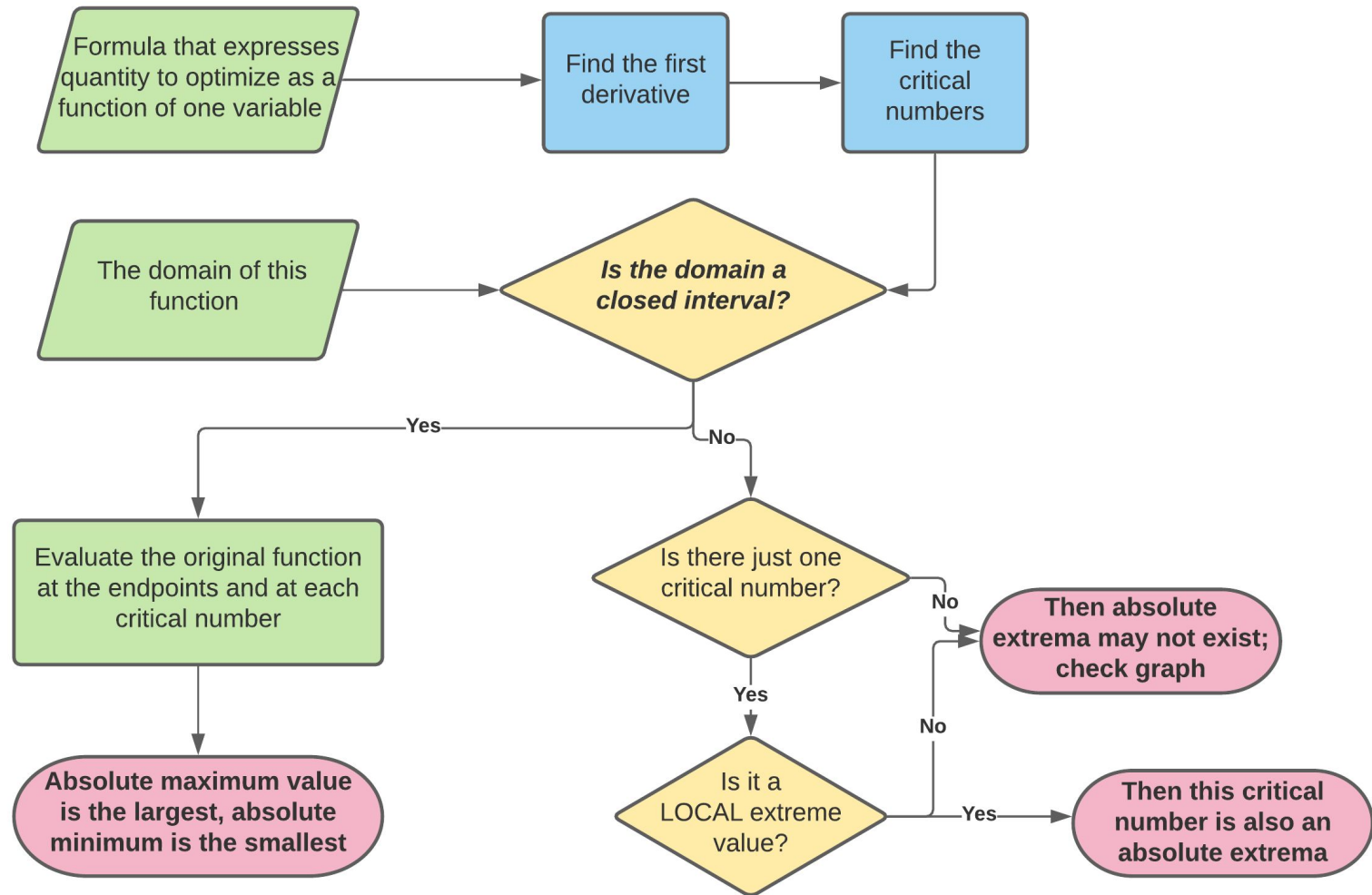
MTH 201 -- Calculus

Module 9A: Introduction to applied optimization

November 4-5, 2020

**Into breakout groups to
discuss/debrief Daily Prep
problem -- then report back**

Use Calculus techniques from earlier modules to find the exact value of the input that gives the maximum volume, and the exact value of that volume



Optimizing the cost of a soup can


Activity 3.4.2. A soup can in the shape of a right circular cylinder is to be made from two materials. The material for the side of the can costs \$0.015 per square inch and the material for the lids costs \$0.027 per square inch. Suppose that we desire to construct a can that has a volume of 16 cubic inches. What dimensions minimize the cost of the can?

- a. Draw a picture of the can and label its dimensions with appropriate variables.

Before going to the next steps: Think about two different cans --- one whose circular end has a radius of 1 inch and another whose circular end has a radius of 2 inches.

- What are the heights of each of those cans? (Do you get a choice, or is this value forced on you by a constraint in the problem?)
- What is the surface area of each of those cans?
- What is the cost of each of those cans?

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- a. Draw a picture of the can and label its dimensions with appropriate variables.
-  b. Use your variables to determine expressions for the volume, surface area, and cost of the can.
- c. Determine the total cost function as a function of a single variable. What is the domain on which you should consider this function?
- d. Find the absolute minimum cost and the dimensions that produce this value.

More to come

ASK QUESTIONS
