

MTH 201 -- Calculus

Module 7B: The Second Derivative Test and Concavity

October 21-22, 2020



Agenda for today

- Polling activity over Daily Preparation + Q&A time
- Activity: Finding critical numbers and applying the First Derivative Test
- Q/A + Feedback time

Suppose $g'(1) = 0$ and $g''(1) = 10$. Then...

g has a local maximum at $x = 1$

g has a local minimum at $x = 1$

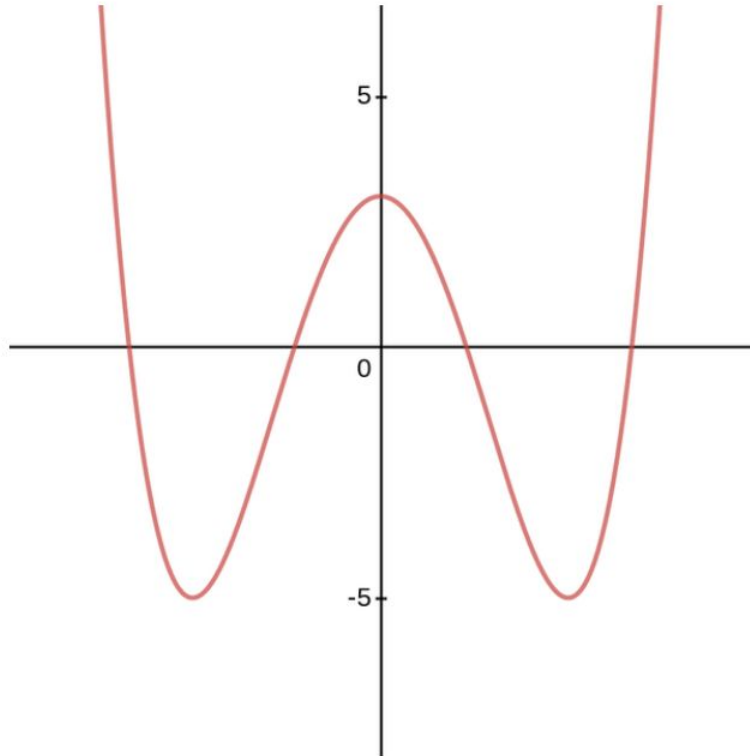
g has an inflection point at $x = 1$

None of the above



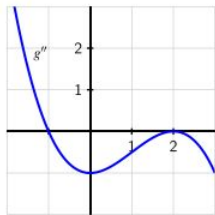
To 0

Here's the graph of a function. Click on the inflection points of the function.



Practice at Jamboard

Here is the graph of g'' , the second derivative of a function g . What are the x -coordinates of its inflection points? Select all that apply.



☐ $x = -1$

☐ $x = 0$

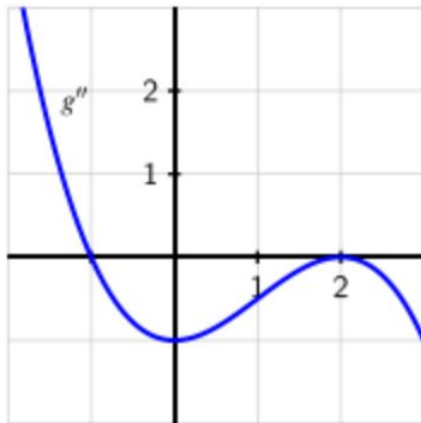
☐ $x = 1$

☐ $x = 2$

☐ None of these

To 0

Here is the graph of g'' , the second derivative of a function g . On which of these intervals is g concave up?



$(-\infty, -1)$

$(-\infty, 0)$

$(-\infty, 1)$

$(-\infty, 2)$

$(-1, 1)$

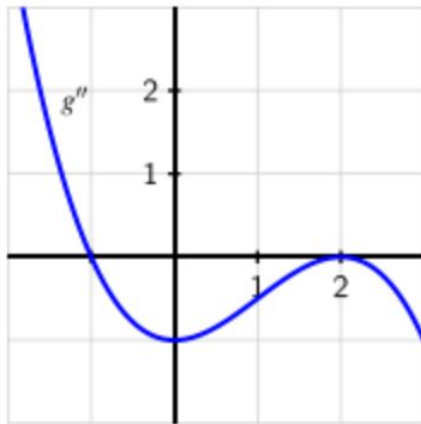
$(-1, \infty)$

None of these



To 0

Here is the graph of g'' , the second derivative of a function g . Suppose you are given that $g'(-1.6) = 0$. From this, we can conclude that...



None of these

g has a local minimum at this point

g has a local maximum at this point

g has neither a local minimum nor a local maximum at this point



To

0