

The derivative as a function

MTH 201 – Module 2B

Today

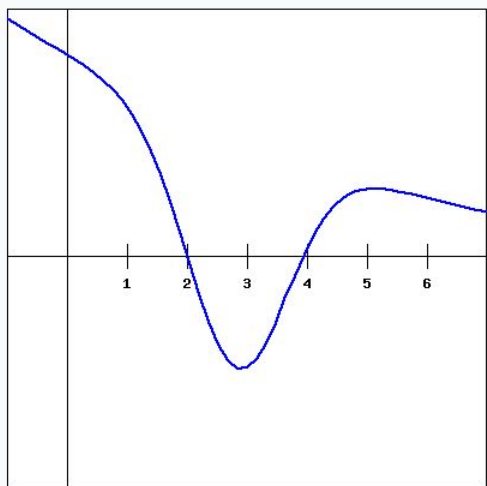
- Review of the derivative
- Finding a formula for the derivative using the limit definition



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The graph of $f(x)$ is shown. Which is the graph of $f'(x)$?



To



0



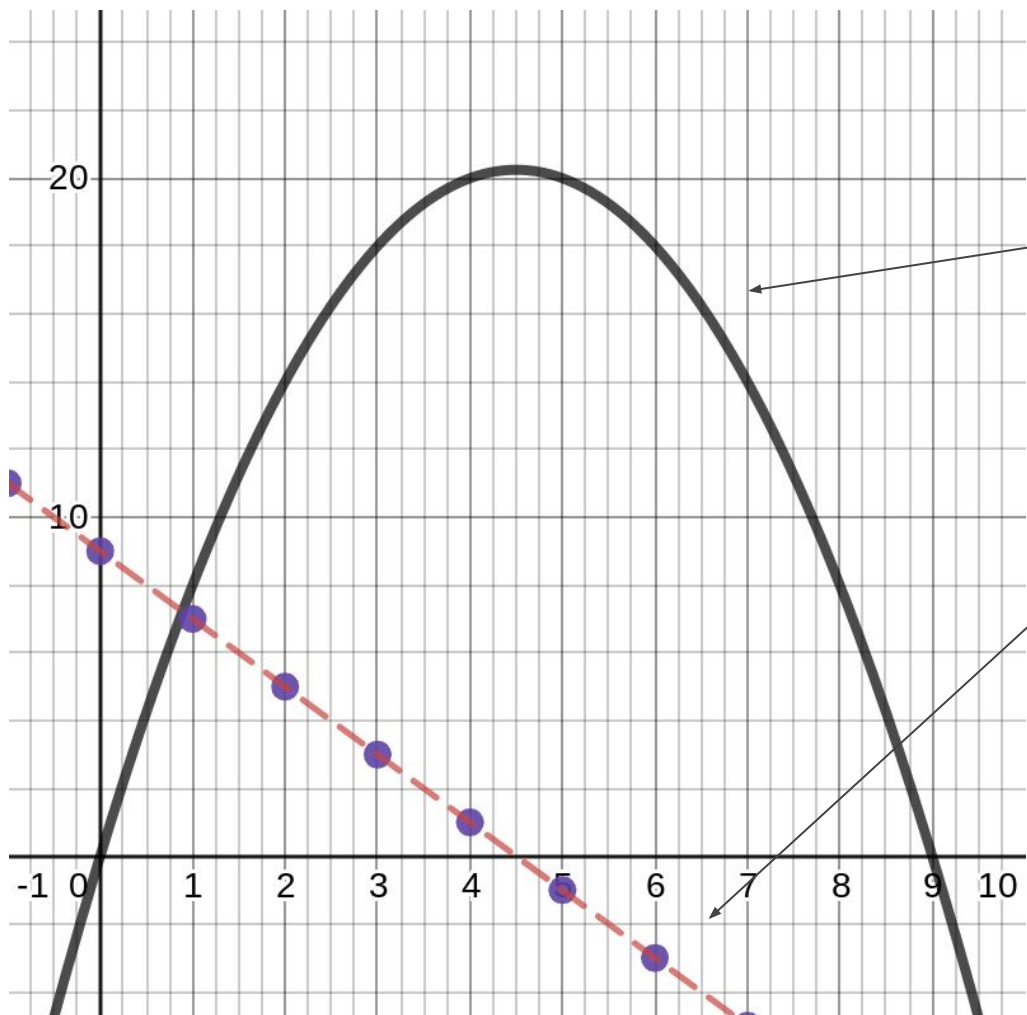
Using the limit definition to find a
formula for the derivative

The **derivative** of the function $y = f(x)$ at the point $x = a$:

$$f'(a) = \lim_{h \rightarrow 0} \frac{f(a + h) - f(a)}{h}$$

The derivative of $f(x)$ at $x = a$, $f'(a)$, is all of the following things:

- The **instantaneous rate of change** in $f(x)$ at $x = a$
- If $f(t)$ is a position at time t , $f'(a)$ is the **instantaneous velocity** at time $t = a$
- The **slope of the tangent line** to the graph of $f(x)$ at $x = a$



$$f(x) = 9x - x^2$$

$$f'(x) = 9 - 2x \dots ?$$

**See Jamboard for a
derivation, then practice
on your own**

What is this for?

- NOT for everyday use; formulas are rare, and too complicated for this process when they appear
- It's for setting up estimations to the derivative (see Module 3)
- It's for building simpler rules that work in general for finding derivative formulas



Feedback:

<http://gvsu.edu/s/1zJ>