

# MTH 225: Discrete Structures 1

## Module 1, Day 1: Representing integers in different bases

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GVSU

August 7, 2020

# Agenda for today

- Review of Daily Prep assignment and Q+A

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- Polling activity: Properties of different number bases

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- Review of Daily Prep assignment and Q+A
- Polling activity: Properties of different number bases
- Activity: Converting integers to different bases
- Minilecture: The division/remainder algorithm
- Activity: Working with the algorithm
- Next actions

Go to `Mentimeter.com` and enter the code  
XX YY ZZ



# Activity: Converting number bases

Google Jamboard: An online collaborative whiteboard. Can write on it, or write on paper, snap a photo and upload the photo.

Go to <https://bit.ly/3fWLpkz>

# An algorithm for making this simpler

## Decimal to base $b$ conversion

- Let  $n$  be a (positive) decimal integer and  $b$  is the base we're converting to
- Let  $m$  be the result, initially empty.
- Repeat the following until  $n = 0$ :
  - Divide  $n$  by  $b$ , let  $d$  be the quotient and  $r$  the remainder
  - Write  $r$  as the left-most digit of  $m$
  - Let  $d$  be the new value of  $n$

## Example: Convert 3000 to octal (Base 8)

Start:  $n = 3000$ ,  $b = 8$ ,  $m = (\text{empty})$ .

- 1  $3000/8 = 375$  remainder 0. So  $d = 375$ ,  $r = 0$ .  $m = 0$ , new  $n$  is 375

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- 1  $3000/8 = 375$  remainder 0. So  $d = 375$ ,  $r = 0$ .  $m = 0$ , new  $n$  is 375
- 2  $375/8 = 46$  remainder 7. So  $d = 46$ ,  $r = 7$ .  $m = 70$ , new  $n$  is 46

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- ①  $3000/8 = 375$  remainder 0. So  $d = 375$ ,  $r = 0$ .  $m = 0$ , new  $n$  is 375
- ②  $375/8 = 46$  remainder 7. So  $d = 46$ ,  $r = 7$ .  $m = 70$ , new  $n$  is 46
- ③  $46/8 = 5$  remainder 6. So  $d = 5$ ,  $r = 6$ .  $m = 670$ , new  $n$  is 5

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- ③  $46/8 = 5$  remainder 6. So  $d = 5$ ,  $r = 6$ .  $m = 670$ , new  $n$  is 5
- ④  $5/8 = 0$  remainder 5. So  $d = 0$ ,  $r = 5$ .  $m = 5670$ , new  $n$  is 0

# Example: Convert 3000 to octal (Base 8)

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- ①  $3000/8 = 375$  remainder 0. So  $d = 375$ ,  $r = 0$ .  $m = 0$ , new  $n$  is 375
- ②  $375/8 = 46$  remainder 7. So  $d = 46$ ,  $r = 7$ .  $m = 70$ , new  $n$  is 46
- ③  $46/8 = 5$  remainder 6. So  $d = 5$ ,  $r = 6$ .  $m = 670$ , new  $n$  is 5
- ④  $5/8 = 0$  remainder 5. So  $d = 0$ ,  $r = 5$ .  $m = 5670$ , new  $n$  is 0
- ⑤ STOP because  $n$  is now 0. Result:  $3000_{10} = 5670_8$ .

## Activity: Working with the algorithm

Go to <https://bit.ly/3fWLpkz>



# NEXT TIME...

- Complete followup activities – see discussion board and announcements for details
- Go ahead and start Daily Prep for Wednesday (Due Tuesday 11:59pm ET)
- Weekly Practice 1:

Take 5 minutes to fill this form out: <https://bit.ly/3a4fexD>