from scipy import stats

### 1. One-sample T-test:

scipy.stats.ttest\_1samp(a, popmean, axis=0, nan\_policy='propagate', alternative='two-sided')

- a: array\_like Sample data.
- popmean: float or array\_like Expected value in null hypothesis.
- axis: int or None, optional Axis along which to compute test; default is 0.
- nan\_policy: {'propagate', 'raise', 'omit'}, optional Defines how to handle when input contains NaN; default is 'propagate'.
- **alternative:** {'two-sided', 'less', 'greater'}, optional Defines the alternative hypothesis; default is 'two-sided'.

Ex: t\_test, p\_value = stats.ttest\_1samp(sample, population.mean())

## 2. Independent T-test (two-sample T-test):

scipy.stats.ttest\_ind(a, b, axis=0, equal\_var=True, nan\_policy='propagate', alternative='two-sided')

- a, b: array\_like The arrays must have the same shape, except in the dimension corresponding to axis (the first, by default).
- axis: int or None, optional Axis along which to compute test; default is 0.
- equal\_var: bool, optional If True (default), perform a standard independent 2 sample test that assumes equal population variances. If False, perform Welch's t-test, which does not assume equal population variance.
- nan\_policy: {'propagate', 'raise', 'omit'}, optional Defines how to handle when input contains NaN; default is 'propagate'.
- **alternative:** {'two-sided', 'less', 'greater'}, optional Defines the alternative hypothesis; default is 'two-sided'.

Ex: t\_test, p\_value = stats.ttest\_ind(sample1, sample2)

### 3. Chi-square Test of Independence:

scipy.stats.chi2\_contingency(observed, correction=True, lambda\_=None)

- **observed:** array\_like The contingency table. The table contains the observed frequencies.
- **correction:** bool, optional If True (default), calculate the chi-square statistic with Yates' correction for continuity. The effect of the correction is to adjust each observed value by 0.5 towards the corresponding expected value.
- lambda\_: float or str, optional By default, the statistic computed in this test is Pearson's chi-squared statistic. lambda\_ allows a statistic from the Cressie-Read power divergence family to be used instead.

Ex: stats.chi2\_contingency(observed\_values)

# **4.** Percentile Point Function (Inverse of Cumulative Distribution Function) for Chi-square Distribution:

scipy.stats.chi2.ppf(q, df)

• q: array\_like - Lower tail probability.

• **df:** array\_like - Degrees of freedom.

Ex: stats.chi2.ppf(q=0.95, df=(4-1)\*(6-1))

# 5. Cumulative Distribution Function for Chi-square Distribution:

scipy.stats.chi2.cdf(x, df)

- x: array\_like Percentile values.
- df: array\_like Degrees of freedom.

Ex:  $p_value = 1 - stats.chi2.cdf(x=chi_sqr, df=(4-1)*(6-1))$ 

## 6. One-way ANOVA test:

scipy.stats.f\_oneway(\*args)

• \*args: array\_like - The sample measurements for each group. Accepts two or more array-like objects.

Ex: f\_value, p\_value = stats.f\_oneway(excel['setosa'], excel['versicolor'], excel['virginica'])

7. Z-test

scipy.stats.ztest(a, x2=None, value=0, alternative='two-sided', usevar='pooled', ddof=1.0)

- a: This is the array or sequence of sample observations.
- x2 (optional): If provided, this represents the second sample or value to compare with the first sample.
- value (optional): This is the value of the null hypothesis ( $\mu$ 0) you're testing against.
- alternative (optional): This specifies the alternative hypothesis. It can take one of three values: 'two-sided', 'larger', or 'smaller'. The default is 'two-sided', indicating that you're interested in determining if the means are not equal. 'larger' indicates a one-tailed test for greater-than, and 'smaller' indicates a one-tailed test for less-than.
- usevar (optional): This specifies whether to use the pooled sample variance ('pooled') or the unbiased estimate of variance ('unequal'). The default is 'pooled'.
- ddof (optional): This is the degrees of freedom adjustment for the variance. Default is 1.0.

This function returns two values:

- The Z-statistic, which measures how many standard deviations an element is from the mean.
- The p-value for the hypothesis test.