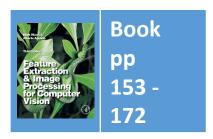
Lecture 7 Further Edge Detection

COMP3204 & COMP6223 Computer Vision

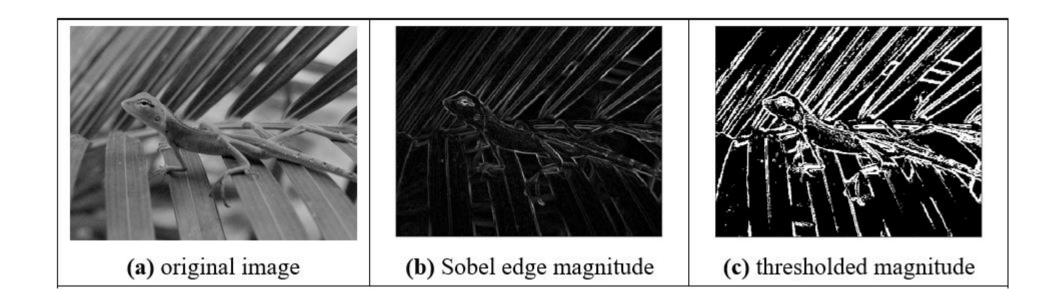
What better ways are there to detect edges?



Department of Electronics and Computer Science

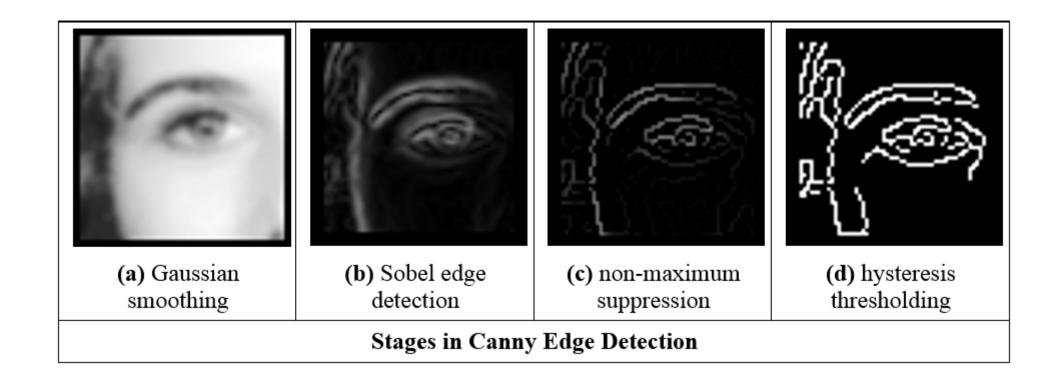


Applying Sobel operator





Stages in Canny edge detection operator





Canny edge detection operator

Formulated with three main objectives:

- optimal detection with no spurious responses;
- good localisation with minimal distance between detected and true edge position; and
- single response to eliminate multiple responses to a single edge.

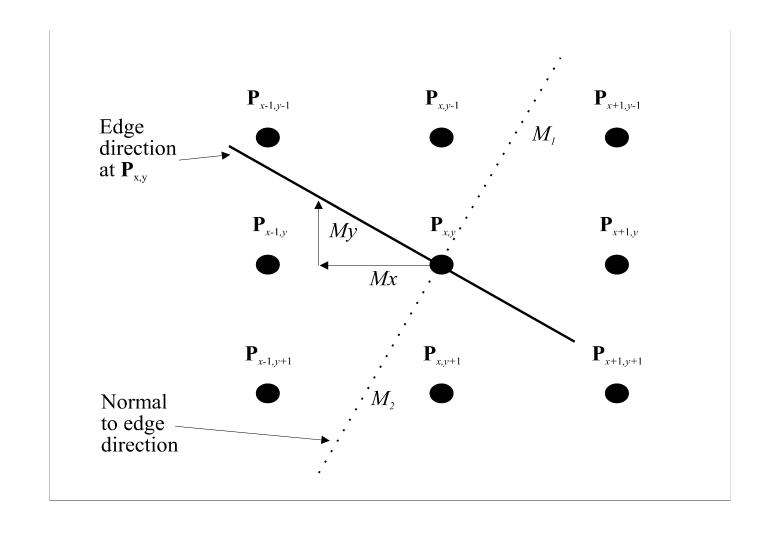
Approximation

- use Gaussian smoothing;
- 2. use the Sobel operator;
- combine?
- 3. use non-maximal suppression; and
- 4. threshold with hysteresis to connect edge points.



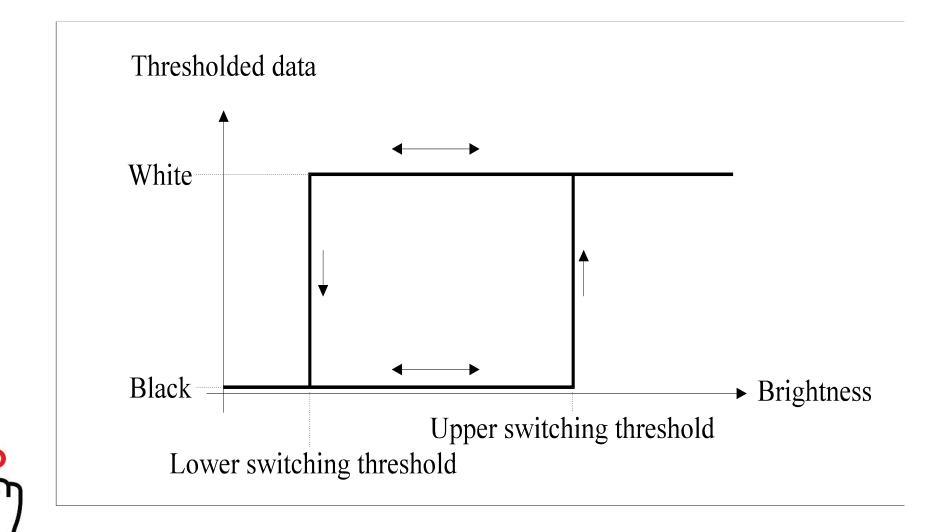


Interpolation in non-maximum suppression



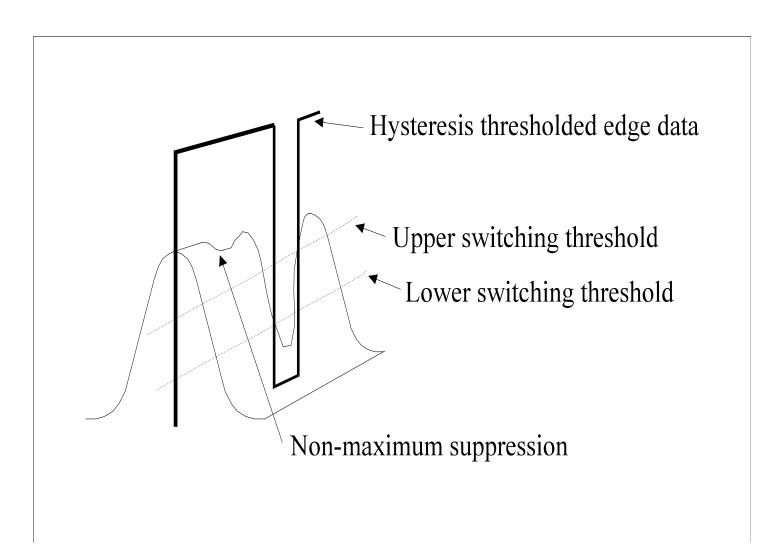


Hysteresis thresholding transfer function





Action of non-maximum suppression and hysteresis thresholding





Comparing hysteresis thresholding with uniform thresholding



(a) hysteresis thresholding, upper level = 40, lower level = 10



(b) uniform thresholding, level = 40

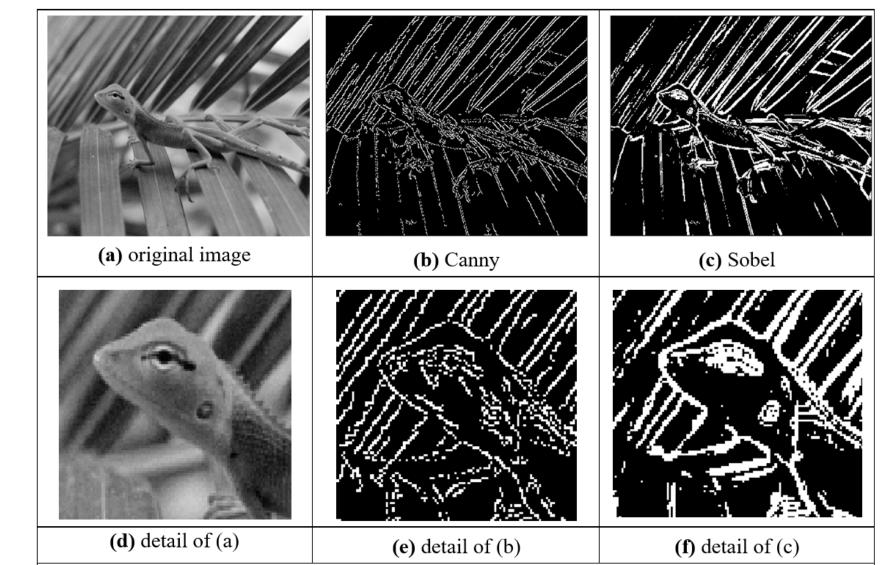


(c) uniform thresholding, level = 10





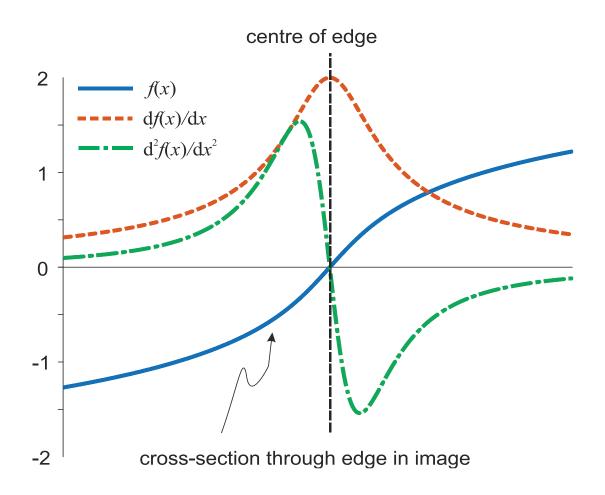
Comparing Canny with Sobel







First and second order edge detection





Edge detection via the Laplacian operator

0	-1	0
-1	4	-1
0	-1	0

1	2	3	4	1	1	2	1	0	0	0	0	0	0	0	0
2	2	3	0	1	2	2	1	0	1	-31	-47	-36	-32	0	0
3	0	38	39	37	36	3	0	0	-44	70	37	31	60	-28	0
4	1	40	44	41	42	2	1	0	-42	34	12	1	50	-41	0
1	2	43	44	40	39	3	1	0	-37	47	8	-6	31	-32	0
2	0	39	41	42	40	2	0	0	-45	72	37	45	74	-36	0
0	2	0	2	2	3	1	1	0	6	-44	-38	-40	-31	-6	0
0	2	1	3	1	0	4	2	0	0	0	0	0	0	0	0
	(a) image data							(b)	result	of the	Lapla	cian o _l	perator		





Mathbelts on...

$$\nabla^{2}g(x,y) = \frac{\partial^{2}g(x,y,\sigma)}{\partial x^{2}}U_{x} + \frac{\partial^{2}g(x,y,\sigma)}{\partial y^{2}}U_{y}$$

$$= \frac{\partial\nabla g(x,y,\sigma)}{\partial x}U_{x} + \frac{\partial\nabla g(x,y,\sigma)}{\partial y}U_{y}$$

$$= \left(\frac{x^{2}}{\sigma^{2}} - 1\right)\frac{e^{\frac{-(x^{2}+y^{2})}{2\sigma^{2}}}}{\sigma^{2}} + \left(\frac{y^{2}}{\sigma^{2}} - 1\right)\frac{e^{\frac{-(x^{2}+y^{2})}{2\sigma^{2}}}}{\sigma^{2}}$$

$$= \frac{1}{\sigma^{2}}\left(\frac{(x^{2}+y^{2})}{\sigma^{2}} - 2\right)e^{\frac{-(x^{2}+y^{2})}{2\sigma^{2}}}$$

Top 3 hits Google: "Lalpacian of Gaussian"

$$LoG(x,y) = -\frac{1}{\pi\sigma^4} \left[1 - \frac{x^2 + y^2}{2\sigma^2} \right] e^{-\frac{x^2 + y^2}{2\sigma^2}}$$

$$LoG \stackrel{\triangle}{=} \triangle G_{\sigma}(x,y) = \frac{\partial^2}{\partial x^2} G_{\sigma}(x,y) + \frac{\partial^2}{\partial y^2} G_{\sigma}(x,y) = \frac{x^2 + y^2 - 2\sigma^2}{\sigma^4} e^{-(x^2 + y^2)/2\sigma^2}$$

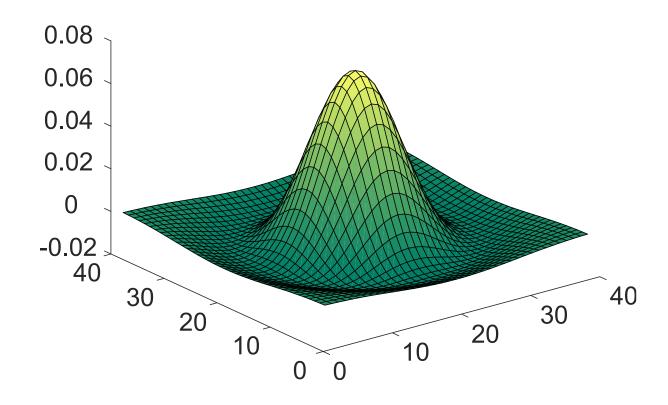
LoG(x,y) =
$$-\frac{1}{\pi\sigma^4} \left[1 - \frac{x^2 + y^2}{2\sigma^2} \right] e^{-\frac{x^2 + y^2}{2\sigma^2}}$$

Two wrong, one right. Just one.....why?

(and two of them don't even work!!)

http://homepages.inf.ed.ac.uk/rbf/HIPR2/log.htm; http://fourier.eng.hmc.edu/e161/lectures/gradient/node8.html; http://academic.mu.edu/phys/matthysd/web226/Lab02.htm

Shape of Laplacian of Gaussian operator



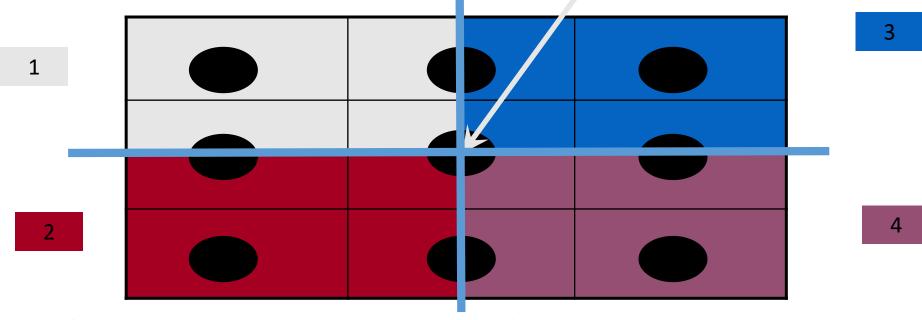


Zero crossing detection

• Basic – straight comparison

f(x, y)

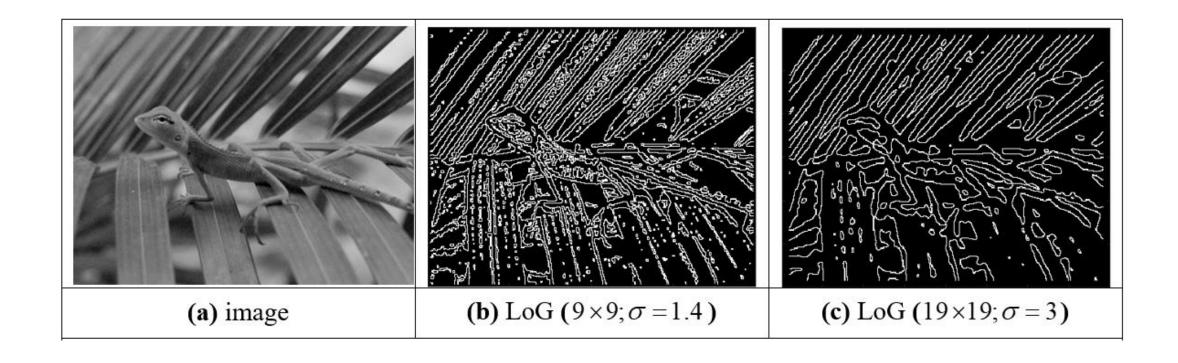
Advanced





$$IF(\max(1,2,3,4) > 0 \land \min(1,2,3,4) < 0)$$
 $THEN$ $f(x, y) = edge$

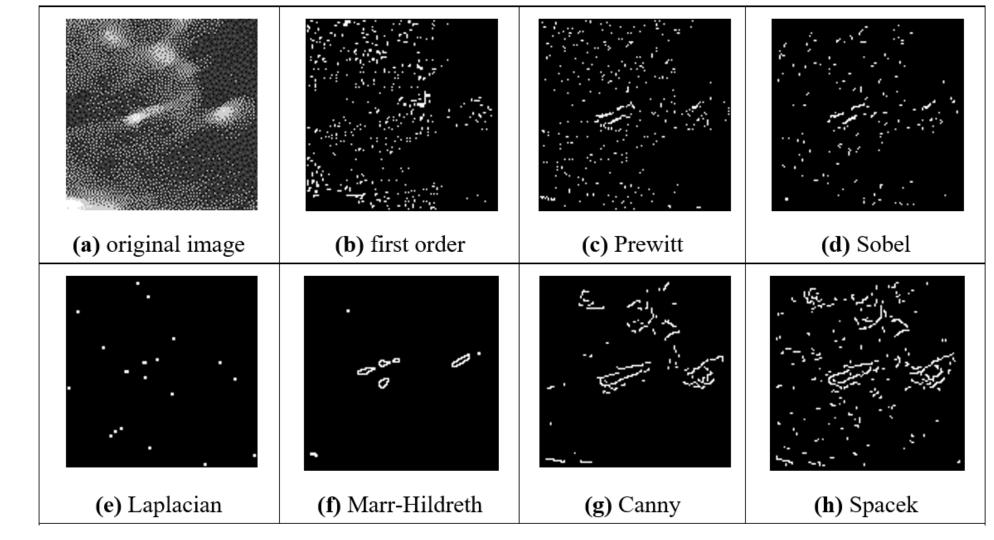
Marr-Hildreth edge detection







Comparison of edge detection operators

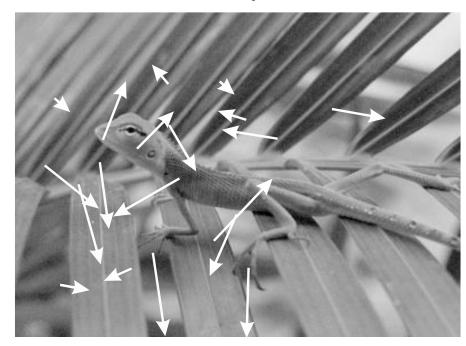






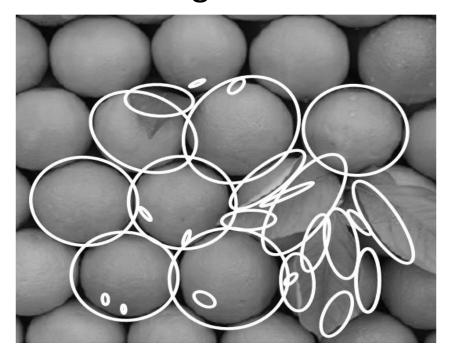
Newer stuff – interest detections

feature points



SIFT (mega famous) (wait for Jon)

regions



brightness clustering

(excellent, but confess its ours)



Lomeli-R. and Nixon and Carter, Mach Vis Apps 2016

Newer stuff – saliency

