



**PEC UNIVERSITY OF TECHNOLOGY**  
End-Term Examination (21221)

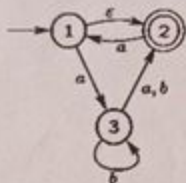
Programme: B. Tech (CSE)  
Course Name: TOC  
Maximum Marks: 55

Year/Semester: 5<sup>th</sup> Sem.  
Course Code: CSN301  
Time allowed: 02 Hours

- All questions are compulsory. Write answers precisely.
- The candidates, before starting to write the solutions, should please check the question paper for any discrepancy, and also ensure that they have been delivered the question paper of right course code.

Q No.		Marks
1.	<p>a) Construct finite automata equivalent to the following regular expressions (step by step).  <math>((0+1)(0+1))^* + ((0+1)(0+1)(0+1))^*</math></p> <p>b) Design and explain step by step Turing Machine for computing "Concatenate two strings <math>w_1</math> and <math>w_2</math>, where each string is generated over <math>\{1,b\}</math>"</p> <p>c) Consider the language <math>L = \{w \in (a,b)^* : w \text{ has an odd number of } a\text{'s}\}</math></p> <p>(i) Write a regular grammar for L.</p> <p>(ii) Use that grammar to derive a (possibly nondeterministic) FSA to accept L.</p>	<p>5</p> <p>5</p> <p>2+3</p>
2.	<p>a) Write the Instantaneous descriptions and design PDA which recognizes the set of strings over <math>\{a,b\}</math> where string length is odd and its middle symbol is a 'b'.</p> <p>b) Let <math>M = (\{q_0, q_1\}, \{0,1\}, \{Z_0, x\}, \delta, q_0, Z_0, \varphi)</math> be a pushdown automata where transition function <math>\delta</math> is given below.</p> <p> <math>\delta(q_0, 1, Z_0) = \{(q_0, xZ_0)\}, \quad \delta(q_0, \epsilon, Z_0) = \{(q_0, \epsilon)\},</math>  <math>\delta(q_0, 1, x) = \{(q_0, xx)\}, \quad \delta(q_1, 1, x) = \{(q_1, \epsilon)\},</math>  <math>\delta(q_0, 0, x) = \{(q_1, x)\} \text{ and } \delta(q_0, Z_0) = \{(q, Z_0)\}</math> </p> <p>What is the language accepted by this PDA? Describe informally the working of the PDA.</p> <p>c) Prove that the language <math>L = \{w \in \{a,b\}^* : w = w^R\}</math> is not regular grammar.</p>	<p>5</p> <p>5</p> <p>5</p>
3.	<p>a) Convert the following grammars to Chomsky Normal Form:</p> <p><math>S \rightarrow ASB, \quad A \rightarrow aASA \mid a \mid \epsilon, \quad B \rightarrow SbS \mid A \mid bb</math></p> <p>b) Convert the following CFG into Greibach normal form:</p> <p><math>A_1 \rightarrow A_2 A_3, \quad A_2 \rightarrow A_3 A_1, \quad A_2 \rightarrow b, \quad A_1 \rightarrow A_1 A_2, \quad A_1 \rightarrow a</math></p> <p>c) Consider the following grammar:</p> <p><math>S \rightarrow bSe \mid PQR, \quad P \rightarrow bPc \mid \epsilon, \quad Q \rightarrow cQd \mid \epsilon, \quad R \rightarrow dRe \mid \epsilon</math></p>	<p>5</p> <p>5</p>

	<p>Where S,P,Q,R are non-terminal symbols with S being the start symbol, b, c, d, e are terminal symbols and <math>\epsilon</math> is the empty string.</p> <p>i) Recognize the grammar.</p> <p>ii) Find the smallest string that shows grammar is ambiguous.</p>	2+3
4.	<p>a) What is Post Correspondence Problem? How reduction works in the structure of undecidability proof? Design an instance and match of PCP to explore that the lists <math>M = (ab, bab, bbaaa)</math> and <math>N = (a, ba, bab)</math> include a Post Correspondence Solution?</p> <p>b) Find a DFA equivalent to NFA <math>M = (\{q_1, q_2, q_3\}, \{a, b\}, q_1, \{q_2\}, \delta)</math>: Step by Step</p>	5  5



G: (V, T, S, P)