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%question 1: deisging of controller of a state space model using pole placement {m arksigma}
technique
% two meathods of desging controller Ackerman's formule and transformation approach
\$ meathod 1: desging of pole placement using transformation approach ie, given systemm{arkappa}
is not in controllable cannonical form then first
% we need to convert the given system into the CCF format.
clc ;
close all;
clear all;
A = [-4 \ 1 \ 0; 0 \ -3 \ 1; 0 \ 0 \ -2];
B = [0; 0; 16];
C = [2 \ 1 \ 0];
D = 0;
disp('given system of eqution');
sys = ss(A,B,C,D);
%check controllablity
M = [B A*B A^2*B];
px = poly(A);
AZ = [0 \ 1 \ 0; \ 0 \ 0 \ 1; -24 \ -26 \ -9];
BZ = [0;0; 16];
MZ = [BZ AZ*BZ AZ^2*BZ];
MZd = det(MZ);
% determinant of MZ is not eqaul to zero hence, given system is controllable
p = M*inv(MZ);
%our desired characterstics eqution is:
%s^3+9.709s^2+33.853s+69.58
 % coeffecient of desired characterstics equation.
 az0 = 69.58; az1 = 33.853; az2 = 9.709;
 % coffecient of charactertics eqution of given system.
 a0 = px(4); a1 = px(3); a2 = px(2);
 % it is the value of K tranaformed system
 kz = [az0-a0 \ az1-a1 \ az2-a2]/16;
 % it is the value of k for our given system
 kx = (kz*inv(p));
% method 2 : finding the value of K using ackermas formulae for the same above problem:
%our desired characterstics eqation is s^3+9.709s^2+33.853s+69.58
%our controllablity would remains same.
Qc = M;
%characterstics matrix associated with desired chractertsics equation
pA = A*A*A + 9.709*A*A + 33.853*A + 69.58*eye(3);
%putting the value of different quantity the ackerman's fomulae.
kc = [0 \ 0 \ 1] * inv(Qc) * pA;
```

```
% question number 2
disp('question number 2');
%(' design a state space observeber using transformation and ackermans formule');
%given : (' the unit step response of a plant has to have peak overshoot of less than \checkmark
20% and settling time is 2sec');
A1 = [-3 \ 1 \ ; -2 \ 0];
B1 = [1;2];
C1 = [1 \ 0];
D1 = 0;
sys1 = ss(A1,B1,C1,D1);
%check observablity
Q = [C1' A1'*C1']';
Qd = det(Q);
%since determinant of Q is not eqaul to zero hence th given system is observable
%our desired characterstics equation is
%s^2+3.96s+19.36
Qx = poly(A1);
Kq = [3.96-Qx(2) 19.36-Qx(3)];
disp('solving th same problem using ackermans formule for oserveber design');
disp('our desired characterstics equation is ');
disp('s^2+3.96s+19.36');
Qa = A1^2 + 3.96*A1 + 19.36*eye(2);
%putting the different quantity into ackerman's formulae for observeber design
Kqa = Qa*inv(Q)*[0;1];
```

```
given system of eqution
>> sys
sys =
 A =
      x1 x2 x3
  x1 -4 1 0
       0 -3
             1
  x2
  xЗ
       0 0 -2
  B =
      u1
  x1
       0
       0
  x2
  x3 16
  C =
      x1 x2 x3
      2 1 0
  у1
  D =
      u1
  у1
      0
Continuous-time state-space model.
>> disp('controllablity matrix is: ')
controllablity matrix is:
>> M
M =
    0
        0
             16
    0
        16
            -80
   16
       -32
              64
>> disp('charactertics equation of A')
charactertics equation of A
>> px
px =
    1
        9 26
                   24
>> disp('controllable matrix of transformed matrix:')
controllable matrix of transformed matrix:
>> MZ
MZ =
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```
0
            0 16
      0
           16 -144
     16 -144 880
>> disp(' determinant of contrallabity matrix:')
 determinant of contrallabity matrix:
>> det(M)
ans =
         -4096
>> det(MZ)
ans =
         -4096
>> \operatorname{disp}('\operatorname{determinant}\ \operatorname{of}\ \operatorname{controllablity}\ \operatorname{matrix}\ \operatorname{of}\ \operatorname{both}\ \operatorname{form}\ \operatorname{is}\ \operatorname{not}\ \operatorname{equal}\ \operatorname{to}\ \operatorname{zero}\ \operatorname{hence}\ \checkmark
it means matrix is controllable')
determinant of controllablity matrix of both form is not equal to zero hence it means \checkmark
matrix is controllable
>> disp('transformed matrix is :')
transformed matrix is :
>> p
p =
      1
            0 0
             1
              7
     12
>> disp('K value for transformed system')
K value for transformed system
>> kz
kz =
     2.8487 0.4908 0.0443
>> disp('K value for actual system')
K value for actual system
>> kx
kx =
     1.5945 0.1806 0.0443
>> disp('finding the value of k using Ackermans formulae')
```

```
finding the value of k using Ackermans formulae
>> disp('controllablity matrx')
controllablity matrx
>> Qc
Qc =
     0
         0 16
     0
              -80
         16
    16
       -32
              64
>> disp('characterstics matrix of desired polynomial')
characterstics matrix of desired polynomial
>> pA
pA =
   25.5120 2.8900 0.7090
         0 28.4020
                       4.3080
         0
                0
                     32.7100
>> disp('value of Kc is')
value of Kc is
>> kc
kc =
    1.5945 0.1806 0.0443
>>
>>
>>
>>
>>
>> disp('coming to question number 2, designa state sapce observeber using \checkmark
transformation approach and ackermans formulae')
coming to question number 2, designa state sapce observeber using transformation \checkmark
approach and ackermans formulae
>> disp('given system is ')
given system is
>> sys1
sys1 =
  A =
      x1 x2
      -3 1
  x1
  x2 -2 0
  B =
```

```
u1
      1
  x1
       2
  x2
  C =
      x1 x2
      1 0
  у1
  D =
      u1
  у1
Continuous-time state-space model.
>> disp('observablity matrix is :')
observablity matrix is :
>> Q
Q =
    1
         0
    -3
          1
>> det(Q)
ans =
    1
>> disp('since diterminant is not equal to zero hence our matrix is observable')
since diterminant is not equal to zero hence our matrix is observable
>> disp('charactertsics matrix of desired polynomial')
charactertsics matrix of desired polynomial
>> Qx
Qx =
    1 3 2
>> disp('value of k obtained is:')
value of k obtained is:
>> kq
Unrecognized function or variable 'kq'.
Did you mean:
>> kq
Unrecognized function or variable 'kq'.
Did you mean:
>> Kq
```

```
Kq =
    0.9600 17.3600
>> disp('state sapace oberveber design using ackermans formulae')
state sapace oberveber design using ackermans formulae
>> disp('observality matrix for ackermans formulae')
observality matrix for ackermans formulae
>> disp('scharactertsics matrix polynomial for desired equation')
scharactertsics matrix polynomial for desired equation
>> Qa
Qa =
  14.4800
            0.9600
   -1.9200 17.3600
>> disp('value of k obtained using Ackermans oberseveber design formulae')
value of k obtained using Ackermans oberseveber design formulae
>> kqa
Unrecognized function or variable 'kqa'.
Did you mean:
>> Kqa
Kqa =
    0.9600
   17.3600
>>
```