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Problem we are trying to solve

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Data Exploratory using Clustering

Select Optimal Features

Reduce Data Dimension

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Conclusion and Findings

Regression

Problem: Determine the best algorithm that accurately predict the percetage of hospitalized patient with COVID given data (features such as previous day COVID admission, hospital beds used, etc).

Check data type and visualize data

```
import pandas as pd
from sklearn.model selection import train test split
import numpy as np
from sklearn import metrics, datasets
import matplotlib.pyplot as plt
%matplotlib inline
from sklearn.feature selection import RFECV
from sklearn.neighbors import KNeighborsClassifier
from sklearn.model selection import KFold
from sklearn.model selection import StratifiedKFold
from sklearn.model selection import cross val score
from sklearn.linear model import LogisticRegression
from scipy.cluster.hierarchy import linkage, dendrogram
from sklearn import preprocessing
from sklearn.decomposition import PCA
from sklearn import decomposition
pd.set option('display.max columns', 10)
pd.set_option('display.max rows', 30)
pd.set option('display.width', 10000)
data = pd.read csv('/COVID-
19 Reported Patient Impact and Hospital Capacity by State.csv')
print(data.info())
print(data.describe())
print(data)
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 54 entries, 0 to 53
Columns: 134 entries, state to
total staffed pediatric icu beds coverage
dtypes: float64(41), int64(92), object(1)
memory usage: 56.7+ KB
None
       critical staffing shortage today yes
critical staffing shortage today no
critical_staffing_shortage_today_not_reported
critical_staffing_shortage_anticipated_within_week_yes
critical staffing shortage anticipated within week no
staffed icu pediatric patients confirmed covid coverage
staffed pediatric icu bed occupancy
staffed pediatric icu bed occupancy coverage
total staffed pediatric icu beds
total staffed pediatric icu beds coverage
                                  54.000000
count
```

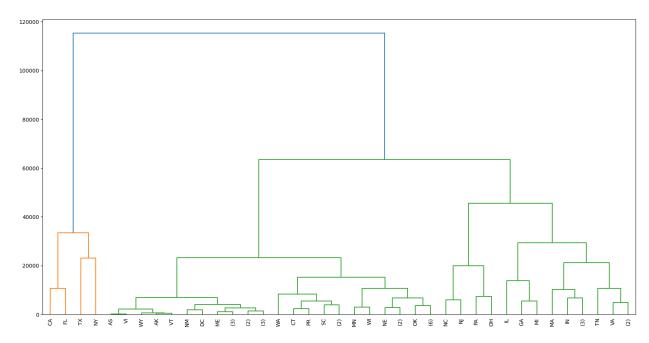
54.000000 54.000000	54.000000 54.000000
54.000000 54.000000	54.000000 54.000000 54.000000
mean 17.648148 6.148148	2.388889 75.407407
58.777778 111.740741 168.222222 std	93.166667 93.166667 93.148148 4.759961
26.142684 7.953657	70.871800
50.346223 170.736605 248.683148 min	80.642175 80.642175 80.642329 0.000000
0.000000 0.000000	1.000000
0.000000 0.000000 0.000000 25%	1.000000 1.000000 0.000000
2.000000 1.000000	31.250000
18.000000 14.250000 30.250000 50%	44.250000 44.250000 44.250000 1.000000
6.500000 2.500000	53.500000
50.500000 53.500000	86.000000 86.000000
89.000000 75% 22.500000	86.000000 2.000000 96.500000
8.000000 84.000000	122.750000
115.000000 178.000000	122.750000 122.750000
max 110.000000 37.000000	26.000000 432.000000 248.000000
837.000000 1294.000000	459.000000 459.000000 459.000000
[8 rows x 133 columns]	

```
state critical_staffing_shortage_today_yes
critical_staffing_shortage_today_no
critical staffing shortage today not reported
critical_staffing_shortage_anticipated_within_week_yes ...
staffed icu pediatric patients confirmed covid coverage
staffed_pediatric_icu_bed_occupancy
staffed pediatric icu bed occupancy coverage
total staffed pediatric icu beds
total staffed pediatric icu beds coverage
0
                                                 1
6
                                                  11
1
                                                                 18
         . . .
5
                                                 18
6
                                              18
1
      \mathsf{CA}
                                                10
                                                   241
102
37
                                                                 345
837
                                                  345
1294
                                                345
2
      FL
                                                 3
41
                                                  171
8
                                                                209
695
                                                  209
                                               209
980
3
      SC
                                                17
                                                  39
6
20
                                                                  61
54
                                                  61
                                               61
95
4
      MN
                                                 0
0
                                                 128
6
                                                                127
89
                                                 127
118
                                               127
                                               . . .
. . .
                                               . . .
49
      WI
                                                 9
73
                                                   52
8
                                                                131
69
                                                 131
93
                                              131
50
      LA
                                                 3
21
                                                  121
2
                                                                142
         . . .
142
                                                  142
215
                                               142
```

```
51
       ΑZ
                                                      0
11
                                                        78
0
                                                                        86
         . . .
181
                                                        86
297
                                                    86
       VA
52
31
                                                        53
11
                                                                         90
           . . .
120
                                                        90
184
                                                    90
53
       ΙL
                                                      2
50
                                                       121
2
                                                                       168
         . . .
354
                                                       168
525
                                                   168
[54 rows x 134 columns]
```

Data Exploratory using Clustering:

After data visualization, do some data exloration using Hierarchical Clustering using states as labels and see if we can spot any patterns



Conclusion from clustering: States like CA and FL, and TX and NY appears to be similar to each other in terms of Covid hospitalization.

Others states that are similar includes AS and VI, AK and VT

Select Optimal Features

Given we have 49 features, and given the target variable is percentage of hospitalized patient with COVID in each state, we want to find number of optimal features out of all 49 features

Since feature selection for LogReg only work with discrete dataset, we want to apply discretization to our target variable first

```
# discretization of the target variable
y = data['percent_of_inpatients_with_covid'] * 100
y_discrete = np.digitize(y,[0,1,2,3,4,5,6,7,8,9,10])

# drop the target feature and select the first 49 columns
data = data.drop(columns=['percent_of_inpatients_with_covid'])
X = data.iloc[: , 0:49]

logit=LogisticRegression(multi_class='ovr',solver='liblinear',
max_iter=1000)

rfecv = RFECV(estimator=logit, step=1, cv=StratifiedKFold(10),
scoring='accuracy')
rfecv.fit(X, y_discrete)

print(f"Optimal number of features : {rfecv.n_features_}")
print("Features rankings:", rfecv.ranking_)
```

Optimal feature selection conclusion: According to the print statements above, 40 out of 49 features are optimal.

Reduce Data Dimension:

Now that we know the optimal number of features is 40 out of 49 features, reduce dimension to n = 40

```
print("Shape of the original data set", X.shape)
pca = decomposition.PCA(n components=40)
pca.fit(X)
X reduced = pca.transform(X)
print("Shape of the new data set", X reduced.shape)
print(X)
Shape of the original data set (54, 49)
Shape of the new data set (54, 40)
    critical staffing shortage today yes
critical staffing shortage today no
critical staffing shortage today not reported
critical staffing shortage anticipated within week yes
critical staffing shortage anticipated within week no
percent of inpatients with covid denominator
inpatient bed covid utilization
inpatient bed covid utilization coverage
inpatient bed covid utilization numerator
inpatient bed covid utilization denominator
6
                                               11
1
                                                        15
592.0
                              0.016993
                                            13.0
10.0
765.0
1
                                       10
```

102		241		
37	0.024654		248	
24933.0 166.0	0.024654	797.0		
32327.0		797.0		
2	3			
41		171		
8			129	
21489.0	0.018129			
96.0		553.0		
30503.0	17			
3 6	17	39		
20		33	33	
5702.0	0.019324			
44.0		148.0		
7659.0				
4	0	120		
0 6		128	81	
107.0	0.003546		01	
11.0	01005510	1.0		
282.0				
49	9			
73		52		
8			88	
1073.0	0.012000			
20.0		21.0		
1750.0	3			
50 21	3	121		
2		121	128	
2297.0	0.016740		120	
22.0		57.0		
3405.0				
51	0			
11		78	60	
0 7298.0	0.018110		60	
49.0	0.010110	174.0		
9608.0		17110		
52	9			
31		53		

```
11
                                                             49
8036.0
                                  0.010462
57.0
                                              125.0
11948.0
53
                                           2
50
                                                  121
2
                                                           137
7954.0
                                  0.009653
71.0
                                              115.0
11913.0
[54 rows x 49 columns]
```

Apply all regression methods for both original features and reduced features, and compare the result

Decision Tree (regression)

Apply decision tree (regerssion) on both the original X and reduced X and compare error rates

```
from sklearn import tree
X train, X test, y train, y test = train test split(X, y,
random state=0)
X train2, X test2, y train2, y test2 = train test split(X reduced, y,
random state=5)
clf = tree.DecisionTreeRegressor()
print("X original")
print("----")
clf.fit(X train, y train)
y pred = clf.predict(X test)
print("y prediction: ", y pred)
print("y actual: ", list(y test))
print("MAE: ", metrics.mean_absolute_error(y_test, y_pred))
print("MSE: ", metrics.mean_squared_error(y_test, y_pred))
print("RMSE: ", np.sqrt(metrics.mean_squared_error(y_test, y_pred)))
print("\nX reduced")
print("----")
clf.fit(X train2, y train2)
y pred2 = clf.predict(X test2)
print("y prediction: ", y pred2)
print("y actual: ", list(y_test2))
print("X_reduced MAE: ", metrics.mean_absolute_error(y_test2,
v pred2))
print("X reduced MSE: ", metrics.mean squared error(y test2, y pred2))
```

```
print("X reduced RMSE: ", np.sqrt(metrics.mean squared error(y test2,
y pred2)))
X original
y prediction: [1.4046823 1.8046358 0.6547836 0.
                                                       0.8207934
3.1965668 1.2970169
          0.6036217 3.1350196 0.8207934 0.6036217 0.5802708
0.
2.16619321
y actual: [1.4458134, 1.7132505, 0.9060023, 0.4056795, 0.8974359,
2.5734097, 1.0485197, 0.2777777999999996, 0.650524, 4.0931546,
0.9345794, 0.9225092, 0.797285799999999, 2.1671827]
MAE: 0.2622288928571429
MSE:
     0.13234253041559793
RMSE: 0.3637891290508801
X reduced
y prediction: [0.78125 3.1350196 2.1959459 2.1959459 0.280112
1.2263158 4.1076115
1.2263158 3.1845799 0.78125 9.9337748 1.3842746 1.7132505
1.22631581
y actual: [0.0, 0.8207934, 1.0282776, 0.8849558000000001, 0.4056795,
2.3842149, 1.4458134, 1.1491301, 2.6527649, 1.5594542, 2.5734097,
2.5955804999999996, 1.2970169, 0.650524]
X reduced MAE: 1.4621643285714285
X reduced MSE: 5.323658215370439
X reduced RMSE: 2.3073054014088465
```

Decision Tree Conclusion: X original (MSE: 0.1323) performs better than X reduced (MSE: 5.3237) for decision tree

Linear Regression

Apply linear regerssion on both the original X and reduced X and compare error rates

```
from sklearn.linear_model import LinearRegression

regr = LinearRegression()

X_train, X_test, y_train, y_test = train_test_split(X, y,
    random_state=54)

X_train2, X_test2, y_train2, y_test2 = train_test_split(X_reduced, y,
    random_state=29)

#print(X_train)
#X_train = X_train.values.reshape(-1, 1)
```

```
print("X original")
print("----")
regr.fit(X train, y train)
#print('Coefficients: \n', regr.coef )
#print('Intercept: \n', regr.intercept_)
y_pred = regr.predict(X_test)
print("y prediction: ", y_pred)
print("y actual:", list(y_test))
print("MAE: ", metrics.mean_absolute_error(y_test, y_pred))
print("MSE: ", metrics.mean_squared_error(y_test, y_pred))
print("RMSE: ", np.sqrt(metrics.mean squared error(y test, y pred)))
print("\nX reduced")
print("----")
regr.fit(X train2, y train2)
#print('Coefficients: \n', regr.coef )
#print('Intercept: \n', regr.intercept_)
y pred2 = regr.predict(X test2)
print("y prediction: ", y_pred2)
print("y actual:", list(y_test2))
print("X_reduced MAE: ", metrics.mean_absolute_error(y_test2,
y pred2))
print("X reduced MSE: ", metrics.mean squared error(y test2, y pred2))
print("X_reduced RMSE: ", np.sqrt(metrics.mean_squared_error(y_test2,
y pred2)))
X original
y prediction: [ 1.47977677 -5.11671021 0.58461891 1.69356697
3.79253299 0.88606438
  0.82722214 1.57186861 1.13886408 0.48451727 -0.09902136
3.40747696
  0.70959366 - 0.82098398
y actual [1.4046823, 2.3842149, 1.4458134, 3.1845799, 0.8207934,
0.2777777999999996, 0.9225092, 1.5238095, 1.0485197,
0.8849558000000001, 0.0, 2.4814976, 0.6036217, 0.78125]
MAE: 1.2053992078463491
MSE: 5.147219292808846
RMSE: 2.268748397863643
X reduced
y prediction: [2.53608512e+00 2.22671295e+00 9.25461383e+07
2.00594940e+00
 1.03273241e+00 1.28518780e+00 3.66085730e+00 8.35181165e-01
 9.64648742e-01 5.25546729e-01 1.36883373e+00 4.88298025e+00
 2.25242901e+00 2.14032262e+001
y actual [2.3424879, 1.2263158, 0.0, 0.650524, 1.4764008, 0.0,
2.4671735, 0.9060023, 1.0282776, 0.78125, 1.3096098,
```

```
3.1965668000000003, 1.0638298, 3.1845799]
X_reduced MAE: 6610439.149971054
X_reduced MSE: 611770550475122.1
X_reduced RMSE: 24733995.845296048
```

Linear Regression Conclusion: X original (MSE: 5.14) performs much better than X reduced (MSE: very large) for linear regression as X original MSE error rate is much lower. Linear regression in general perform worst than decision tree

KNN (regression)

Apply KNN on both the original X and reduced X and compare error rates. Find error rate for K between 1 to 20 to see which one performs the best

```
from sklearn import neighbors
X train, X test, y train, y test = train test split(X, y,
random state=8)
X train2, X test2, y train2, y test2 = train test split(X reduced, y,
random state=9)
#rmse val = [] #to store rmse values for different k
print("X original")
print("----")
for K in range(20):
   K = K+1
   model = neighbors.KNeighborsRegressor(n neighbors = K)
   model.fit(X train, y train) #fit the model
   y pred=model.predict(X test) #make prediction on test set
   error = metrics.mean squared error(y test, y pred) #calculate rmse
   #rmse val.append(error) #store rmse values
   print('MSE value for k= ' , K , 'is:', error)
print("\nX reduced")
print("-----")
for K in range(20):
   K = K+1
   model = neighbors.KNeighborsRegressor(n neighbors = K)
   model.fit(X train2, y train2) #fit the model
   y pred2=model.predict(X test2) #make prediction on test set
   error = metrics.mean_squared_error(y_test2, y_pred2) #calculate
rmse
   #rmse val.append(error) #store rmse values
   print('X_reduced MSE value for k= ' , K , 'is:', error)
X original
```

```
MSE value for k= 1 is: 7.887403794204283
MSE value for k= 2 is: 6.142704717334602
MSE value for k= 3 is: 5.726131413014052
MSE value for k= 4 is: 5.729782561528443
MSE value for k= 5 is: 5.686724674366024
MSE value for k= 6 is: 5.545855019724544
MSE value for k= 7 is: 5.637963710662381
MSE value for k= 8 is: 5.604338330176371
MSE value for k= 9 is: 5.701514773253135
MSE value for k= 10 is: 5.602002482738833
MSE value for k= 11 is: 5.753047724203708
MSE value for k= 12 is: 5.823654003833712
MSE value for k= 13 is: 5.965731335588771
MSE value for k= 14 is: 6.11642768424984
MSE value for k = 15 is: 6.187884605127481 MSE value for k = 16 is: 6.122423203025634
MSE value for k= 17 is: 6.0708579478704925
MSE value for k= 18 is: 6.058121843537757
MSE value for k= 19 is: 6.117670317831227
MSE value for k= 20 is: 6.20081954153935
X reduced
X reduced MSE value for k= 1 is: 1.8856960446440336
X reduced MSE value for k= 2 is: 1.4665693445178156
X_reduced MSE value for k= 3 is: 1.2699453677190884
X reduced MSE value for k= 4 is: 1.1442822397865413
X reduced MSE value for k= 5 is: 1.0970414108458357
X reduced MSE value for k= 6 is: 1.1312609200680268
X reduced MSE value for k= 7 is: 1.4118408323757197
X reduced MSE value for k= 8 is: 1.394379793281777
X reduced MSE value for k= 9 is: 1.449337889800653
X reduced MSE value for k= 10 is: 1.3287677483902958
X reduced MSE value for k= 11 is: 1.3519340159944566
X reduced MSE value for k= 12 is: 1.1800182971793556
X reduced MSE value for k= 13 is: 0.9296640235711304
X reduced MSE value for k= 14 is: 0.9080549131317665
X reduced MSE value for k= 15 is: 1.0093089720379125
X reduced MSE value for k= 16 is: 1.0224256074713078
X reduced MSE value for k= 17 is: 0.9187521310084316
X reduced MSE value for k= 18 is: 0.9063203734501801
X reduced MSE value for k=
                            19 is: 0.9294522107206559
X reduced MSE value for k=
                            20 is: 0.9768232692721852
```

KNN Conclusion: X reduced performs better than X original in general for KNN as the error rate for X reduced is lower.

For X original: K = 6 is the best option (MSE: 5.55)

For X rediced: K = 18 is the best option (MSE: 0.91)

Random Forest (regression)

Apply Random Forest on both the original X and reduced X and compare error rates.

```
from sklearn.ensemble import RandomForestRegressor
X train, X test, y train, y test = train test split(X, y,
random state=11)
X_train2, X_test2, y_train2, y_test2 = train_test_split(X_reduced, y,
random state=12)
print("X original")
print("----")
rfc = RandomForestRegressor(n estimators=600)
rfc.fit(X train,y train)
y pred = rfc.predict(X test)
# print MAE. MSE, and RMSE
print("y prediction: ", y pred)
print("y actual: ", list(y_test))
print("MAE: ", metrics.mean_absolute_error(y_test, y_pred))
print("MSE: ", metrics.mean_squared_error(y_test, y_pred))
print("RMSE: ", np.sqrt(metrics.mean_squared_error(y_test, y_pred)))
print("\nX reduced")
print("----")
rfc = RandomForestRegressor(n estimators=600)
rfc.fit(X train2,y train2)
y pred2 = rfc.predict(X test2)
# print MAE. MSE, and RMSE for X reduced
print("y prediction: ", y_pred)
print("y actual: ", list(y test))
print("X_reduced MAE: ", metrics.mean_absolute_error(y_test2,
y pred2))
print("X reduced MSE: ", metrics.mean squared error(y test2, y pred2))
print("X_reduced RMSE: ", np.sqrt(metrics.mean_squared_error(y_test2,
y pred2)))
X original
y prediction: [0.37976312 1.52120928 1.30881701 1.52940619 2.30780549
2.56373217
 1.10690158 3.2641008 0.5337374 0.08533147 2.55634727 0.92396997
 1.50797343 1.42403152]
v actual: [0.2801119999999997, 1.804635799999998, 0.0, 1.9571295,
1.4764008, 2.1671827, 1.0282776, 2.5734097, 0.2777777999999996, 0.0,
2.1661932, 0.8207934, 0.8849558000000001, 1.5555002]
MAE: 0.40757108673809495
```

Random forest Conclusion: X original (MSE: 0.2828) performs better than X reduced (MSE: 2.6837) for random forest.

All regression methods conclusion:

Regression algorithms for the selected data ranked from best to worst according to the conclusions above:

- X original: Decision Tree (MSE: 0.1323) > Random Forest (MSE: 0.2828) > Linear Regression (MSE: 5.14) > KNN (MSE: 5.55)
- **X reduced:** KNN (MSE: 0.91) > Random Forest (MSE: 2.6837) > Decision Tree (MSE: 5.3237) > Linear Regression (MSE: very large)

Findings: For X original, Decision Tree and Random Forest seems to perform very well while Linear Regression and KNN performed poorly. This makes sense as there are some outliers in the data (ex: some state has abnormally high staff shortage in hospital) and Decision Tree and Random Forest are not sensetive to outliers.

Classification

Problem: Determine the best algorithm that accurately predict if an insurance claim for an individual is santioned or not (based on features such as insurance agency name, agency net sales, insurance plan of the individual etc).

Check data type and visualize data

```
data2 = pd.read_csv('/insurance_dataset.csv')
agency = list(data2["Agency"].iloc[:100])
```

```
# fill NaN fields with 0
data2 = data2.fillna(0)
data2 = data2.drop(columns=['Gender'])
print(data2.info())
print(data2.describe())
print(data2)
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 10537 entries, 0 to 10536
Data columns (total 11 columns):
#
     Column
                            Non-Null Count
                                            Dtype
- - -
 0
     ID
                            10537 non-null
                                            int64
 1
                            10537 non-null
                                            int64
     Aae
 2
     Agency
                            10537 non-null
                                            object
 3
     Agency Type
                            10537 non-null
                                            object
 4
     Commission (in value)
                          10537 non-null
                                            float64
 5
                            10537 non-null
     Destination
                                            obiect
     Distribution Channel 10537 non-null
 6
                                            object
 7
                            10537 non-null
     Duration
                                            int64
 8
     Net Sales
                            10537 non-null
                                            float64
 9
     Product Name
                            10537 non-null
                                            object
                            10537 non-null
 10
     Claim
                                            int64
dtypes: float64(2), int64(4), object(5)
memory usage: 905.6+ KB
None
                 ID
                                    Commission (in value)
                                                               Duration
                               Age
Net Sales
                  Claim
count 10537.000000
                     10537.000000
                                            10537.000000 10537.000000
10537.000000 10537.000000
mean
       32819.611654
                        39.589447
                                               12.793249
                                                              61.090158
51.391107
               0.199013
std
       18158.084102
                        13,962649
                                               23.777388
                                                             105.559453
64.475120
               0.399277
min
           7.000000
                          0.000000
                                                0.000000
                                                              -1.000000
-389.000000
                 0.000000
25%
       17367.000000
                         33.000000
                                                 0.000000
                                                              10.000000
20.000000
               0.000000
                        36.000000
50%
       33395.000000
                                                 0.270000
                                                              24.000000
               0.000000
29.700000
75%
       48784.000000
                        43.000000
                                                13.630000
                                                              60.000000
59.400000
               0.000000
max
       63317.000000
                       118.000000
                                              210.210000
                                                            4844.000000
599.000000
                1.000000
          ID Age Agency
                             Agency Type
                                          Commission (in value) ...
Distribution Channel Duration Net Sales
                                                               Product
Name Claim
       45341
                     C2B
                                Airlines
               28
                                                          28.13 ...
```

```
Online
                      112.5
                                                    Silver Plan
              34
                                                                     1
       12958
                                                             12.95
                37
                      JZI
                                 Airlines
1
                                                                     . . .
Online
              53
                       37.0
                                                     Basic Plan
                                                                     0
       18233
                27
                      EPX Travel Agency
                                                              0.00
                                                                     . . .
Online
              28
                        13.0
                                             Cancellation Plan
                                                                     0
                      EPX Travel Agency
       31742
                                                              0.00
                36
                                                                     . . .
Online
               1
                       34.0
                                             Cancellation Plan
                                                                     0
                26
                      CWT Travel Agency
                                                             23.76
       14381
Online
              33
                        39.6 Rental Vehicle Excess Insurance
                                                                     0
. . .
                                                              0.00
10532
        9441
                36
                      EPX Travel Agency
              22
                                      1 way Comprehensive Plan
Online
                        25.0
                                                                     0
10533 46089
                58
                                                             54.00
                      C2B
                                 Airlines
Online
             368
                      216.0
                                            Annual Silver Plan
                                                                     1
       30389
                      EPX Travel Agency
10534
                36
                                                              0.00
Online
              15
                       15.0
                                             Cancellation Plan
                                                                     0
10535
        1932
                34
                      JZI
                                 Airlines
                                                              7.70
                                                                     . . .
Online
                       22.0
                                                     Basic Plan
              25
                                                                     0
                      EPX Travel Agency
10536
         691
                28
                                                              0.00
                                                                     . . .
              90
                                             Cancellation Plan
Online
                       10.0
                                                                     0
[10537 rows x 11 columns]
```

Data Exploratory using Clustering:

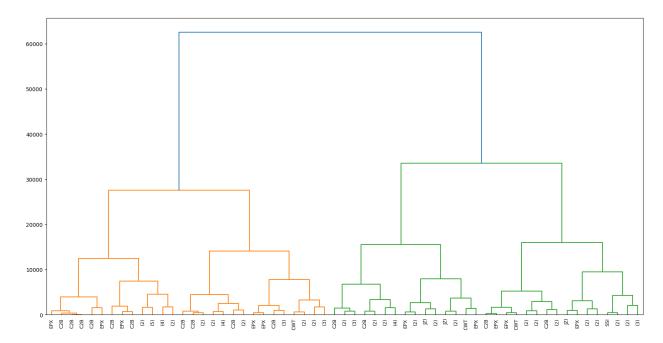
After data visualization, do some data exloration using Hierarchical Clustering and agency name as labels and see if we can spot any patterns.

Hierarchical Clustering only work with numeric data, so apply LabelEncoder() to transform categorical data to numeric.

```
from sklearn import preprocessing
label_encoder = preprocessing.LabelEncoder()

data2['Agency'] = label_encoder.fit_transform(data2['Agency'])
data2['Agency Type'] = label_encoder.fit_transform(data2['Agency Type'])
data2['Destination'] =
label_encoder.fit_transform(data2['Destination'])
data2['Distribution Channel'] =
label_encoder.fit_transform(data2['Distribution Channel'])
data2['Product Name'] = label_encoder.fit_transform(data2['Product Name'])
```

```
print(data2)
mergings = linkage(data2.head(100), method='complete')
plt.figure(figsize=(20, 10))
dendrogram(mergings,
           p = 5,
           truncate_mode = 'level',
            labels = agency,
leaf rotation=90,
leaf_font_size=9,
plt.show()
          ID Age Agency Agency Type Commission (in value) ...
Distribution Channel Duration Net Sales Product Name Claim
                                                           28.13
0
       45341
                28
                          2
                                        0
1
         34
                  112.5
                                     17
                                             1
1
       12958
                37
                          9
                                        0
                                                           12.95
1
                                      8
         53
                   37.0
                                             0
2
       18233
                27
                                                            0.00
                          7
                                        1
1
         28
                   13.0
                                     10
                                             0
3
       31742
                36
                          7
                                                            0.00
                                        1
                   34.0
1
          1
                                     10
                                             0
4
       14381
                                                           23.76 ...
                26
                          6
                                        1
                                             0
1
         33
                   39.6
                                     16
         . . .
. . .
                                             . . .
10532
        9441
                          7
                                                            0.00
                36
                                        1
         22
                   25.0
                                      0
                                             0
10533
       46089
                58
                          2
                                                           54.00
                                        0
                                      4
                                             1
1
        368
                  216.0
10534
       30389
                36
                          7
                                        1
                                                            0.00
                   15.0
                                     10
                                             0
         15
10535
        1932
                34
                          9
                                                            7.70
                                        0
         25
                   22.0
                                      8
                                             0
10536
         691
                28
                          7
                                                            0.00
                                        1
         90
                   10.0
                                     10
                                             0
[10537 rows x 11 columns]
```



Conclusion from clustering: claim submission for agency C2B is similar to other C2B submissions(which make sense). On top of that, it seems data for C2B claim submission is also similar to EPX submission as they are grouped closely in several instance (small distance between them compare to other agencies)

Select Optimal Features

Given we have 10 features, and given the target variable is whether the claim submissions are sanctioned or not (1 = sanctioned, 0 = not sanctioned), we want to find number of optimal features out of all 10 features.

```
X = data2.drop(columns=['Claim'])
y = data2['Claim']

logit=LogisticRegression(multi_class='ovr',solver='liblinear',
max_iter=1000)

rfecv = RFECV(estimator=logit, step=1, cv=StratifiedKFold(10),
scoring='accuracy')
rfecv.fit(X, y)

print(f"Optimal number of features : {rfecv.n_features_}")
print("listing column names and their ranking")
print(list(X.columns.values))
print(ffecv.ranking_)
#print(X.columns[0], X.columns[1], X.columns[30], X.columns[33],
X.columns[37])
```

```
Optimal number of features : 9
listing column names and their ranking
['ID', 'Age', 'Agency', 'Agency Type', 'Commission (in value)',
'Destination', 'Distribution Channel', 'Duration', 'Net Sales',
'Product Name']
[2 1 1 1 1 1 1 1 1]
```

Optimal feature selection conclusion: According to the print statements above, besides feature "ID", every other feature is optimal

Reduce Data Dimension:

Now that we know the optimal number of features is 9 out of 10 features, reduce dimension to n = 9

```
print("Shape of the original data set", X.shape)
pca = decomposition.PCA(n components=9)
pca.fit(X)
X reduced = pca.transform(X)
print("Shape of the new data set", X reduced.shape)
print(X reduced)
Shape of the original data set (10537, 10)
Shape of the new data set (10537, 9)
[[-1.25214041e+04 6.94903888e-01 -6.62689603e+01 ... 8.65136249e+00
  -2.66931134e+00 -1.58979702e-011
 [ 1.98616154e+04 -5.80722375e+00 4.31938512e+00 ... -1.47772662e+00
   2.60146863e+00 -9.16397072e-01]
 [ 1.45866296e+04 -4.14461552e+01
                                   1.69472912e+01 ... 2.11669228e+00
   1.23763606e+00 2.60567442e-011
                                   1.20448400e+01 ... 1.04409617e+00
 [ 2.43063432e+03 -5.71109810e+01
   8.91024028e-01 2.87956733e-01]
 [ 3.08876277e+04 -3.43787486e+01 3.85013609e+00 ... -1.07036743e+00
   1.96276368e+00 -1.00272027e+00]
 [ 3.21286183e+04 1.70789795e+01 4.60131416e+01 ... 2.91315944e+00
  -4.55087652e-01 1.51465425e-01]]
```

Apply all classification methods for both original features and reduced features, and compare the result

Decision Tree (classification)

Apply decision tree (classification) on both the original X and reduced X and compare error rates

```
from sklearn import tree
X train, X test, y train, y test = train test split(X, y,
random state=0)
X train2, X test2, y train2, y test2 = train test split(X reduced, y,
random state=5)
clf = tree.DecisionTreeClassifier()
print("X original")
print("----")
clf.fit(X train, y train)
y pred = clf.predict(X test)
print("Accuracy score: ", metrics.accuracy_score(y_test, y_pred))
print("Recall/Sensitivity: ", metrics.recall_score(y_test, y_pred))
print("Precision: ", metrics.precision score(y test, y pred))
print("\nX reduced")
print("----")
clf.fit(X train2, y train2)
y pred2 = clf.predict(X test2)
print("X reduced Accuracy score: ", metrics.accuracy score(y test2,
y pred2))
print("X reduced Recall/Sensitivity: ", metrics.recall score(y test2,
v pred2))
print("X reduced Precision: ", metrics.precision score(y test2,
y pred2))
X original
Accuracy score: 0.9009487666034156
Recall/Sensitivity: 0.8693181818181818
Precision: 0.7050691244239631
X reduced
X reduced Accuracy score: 0.8941176470588236
X reduced Recall/Sensitivity: 0.8662900188323918
X reduced Precision: 0.688622754491018
```

Decision Tree Conclusion: X original (Accuracy: 0.9039) performs sightly better than X reduced (Accuracy: 0.8934) for decision tree but the difference is not significant.

KNN (classification)

Apply KNN on both the original X and reduced X and compare error rates. Find error rate for K between 1 to 20 to see which one performs the best

```
from sklearn import neighbors
X train, X test, y train, y test = train test split(X, y,
random state=12)
X_train2, X_test2, y_train2, y_test2 = train_test_split(X_reduced, y,
random state=18)
print("X original")
print("-----
for K in range(20):
   K = K+1
   model = neighbors.KNeighborsClassifier(n neighbors = K)
   model.fit(X_train, y_train) #fit the model
    y pred=model.predict(X test) #make prediction on test set
    # find accuracy score
   print("Accuracy score: ", metrics.accuracy_score(y_test, y_pred),
"for k = ", K)
print("\nX reduced")
print("-----
for K in range(20):
   K = K+1
   model = neighbors.KNeighborsClassifier(n neighbors = K)
   model.fit(X train2, y train2) #fit the model
   y pred2=model.predict(X test2) #make prediction on test set
   # find accuracy score
   print("X reduced Accuracy score: ",
metrics.accuracy score(y test2, y pred2), "for k = ", K)
X original
Accuracy score: 0.8971537001897533 for k =
Accuracy score: 0.8755218216318785 for k =
Accuracy score: 0.8451612903225807 for k = 3
Accuracy score: 0.8368121442125237 for k = 4
Accuracy score: 0.8242884250474384 for k = 5
Accuracy score: 0.8178368121442126 for k = 6
Accuracy score: 0.8144212523719165 for k = 7
Accuracy score: 0.8174573055028463 for k = 8
Accuracy score: 0.8178368121442126 for k =
                                            9
Accuracy score: 0.8159392789373814 for k = 10
Accuracy score: 0.8144212523719165 for k =
                                            11
Accuracy score: 0.8140417457305503 for k = 12
Accuracy score: 0.8106261859582543 for k = 13
Accuracy score: 0.8098671726755218 for k =
                                            14
Accuracy score: 0.8064516129032258 for k = 15
Accuracy score: 0.8068311195445921 for k = 16
Accuracy score: 0.8 for k = 17
Accuracy score: 0.8022770398481973 for k =
                                            18
Accuracy score: 0.8037950664136623 for k = 19
Accuracy score: 0.7992409867172675 for k =
                                            20
```

```
X reduced
X reduced Accuracy score:
                          0.8990512333965844 for k =
X reduced Accuracy score: 0.8785578747628083 for k =
X reduced Accuracy score: 0.8489563567362429 for k =
X reduced Accuracy score: 0.8432637571157495 for k =
X reduced Accuracy score: 0.8330170777988615 for k =
X reduced Accuracy score: 0.8299810246679317 for k =
X reduced Accuracy score: 0.8178368121442126 for k =
                                                     7
X reduced Accuracy score: 0.8269449715370019 for k =
                                                     8
X reduced Accuracy score: 0.8166982922201138 for k =
X reduced Accuracy score: 0.8216318785578748 for k =
                                                     10
X reduced Accuracy score: 0.8178368121442126 for k = 11
X reduced Accuracy score: 0.822011385199241 for k = 12
X reduced Accuracy score: 0.8155597722960152 for k = 13
X reduced Accuracy score: 0.8148007590132827 for k = 14
X reduced Accuracy score: 0.8163187855787476 for k = 15
X reduced Accuracy score: 0.8189753320683112 for k = 16
X reduced Accuracy score: 0.818595825426945 for k = 17
X reduced Accuracy score: 0.8140417457305503 for k = 18
X reduced Accuracy score: 0.8129032258064516 for k =
                                                     19
X reduced Accuracy score: 0.8113851992409867 for k =
                                                     20
```

KNN conclusion: We found that k = 1 is the optimal for both X and X_reduced and X original's accuracy. Also accuracy for both dataset is very similar (\sim 0.9 or 90%)

Logistic Regression

Apply Logistic Regression with stratified cross validation and compare error rates

```
print("Recall/Sensitivity: ", metrics.recall_score(y_test, y_pred))
print("Precision: ", metrics.precision score(y test, y pred))
print("\nX reduced")
print("-----")
rfecv.fit(X train2, y train2)
y pred2=rfecv.predict(X test2)
print("X_reduced Accuracy score: ", metrics.accuracy_score(y_test2,
print("X reduced Recall/Sensitivity: ", metrics.recall score(y test2,
v pred2))
print("X reduced Precision: ", metrics.precision score(y test2,
y pred2))
X original
Accuracy score: 0.8250474383301708
Recall/Sensitivity: 0.22285714285714286
Precision: 0.6882352941176471
X reduced
X reduced Accuracy score: 0.8333965844402277
X reduced Recall/Sensitivity: 0.30038022813688214
X reduced Precision: 0.6899563318777293
```

Logistic Regression Conclusion: X reduced (Accuracy: 0.8334) performs sightly better than X original (Accuracy: 0.8250) for logistic regression but the difference is not significant.

Random Forest (classification)

Apply Random Forest on both the original X and reduced X and compare error rates.

```
print("Accuracy score: ", metrics.accuracy_score(y_test, y_pred))
print("Recall/Sensitivity: ", metrics.recall score(y test, y pred))
print("Precision: ", metrics.precision score(y test, y pred))
rfc = RandomForestClassifier(n estimators=300, criterion='entropy')
rfc.fit(X train2,y train2)
print("\nX reduced")
print("----")
y pred2 = rfc.predict(X test2)
# print Accuracy. Sensitivity, and Precision
print("X_reduced Accuracy score: ", metrics.accuracy_score(y_test2,
y pred2))
print("X reduced Recall/Sensitivity: ", metrics.recall score(y test2,
v pred2))
print("X_reduced Precision: ", metrics.precision_score(y test2,
y pred2))
X original
Accuracy score: 0.9499051233396585
Recall/Sensitivity: 0.8986866791744841
Precision: 0.8599640933572711
X reduced
X reduced Accuracy score: 0.932068311195446
X reduced Recall/Sensitivity: 0.8505535055350554
X reduced Precision: 0.8246869409660107
```

Random Forest Conclusion: X original (Accuracy: 0.95) performs sightly better than X reduced (Accuracy: 0.932) for random forest.

All classification methods conclusion:

Classification algorithms for the selected data ranked from best to worst according to the conclusions above:

- **X original:** Random Forest (Accuracy: 0.95) > Decision Tree (Accuracy: 0.9039) > KNN (Accuracy: 0.8971) > Logistic Regression (Accuracy: 0.825)
- **X reduced:** Random Forest (Accuracy: 0.932) > KNN (Accuracy: 0.899) > Decision Tree (Accuracy: 0.893) > Logistic Regression (Accuracy: 0.8334)

Findings: For both X original and X reduced, Logistic Regression does not do as well as the other 3 algorithms. It's the only algorithm that rely the linearity of the data for accurate prediction. But since the claim approval (our target variable) are judge on a case by case basis by the agency, the outcome is sometimes unpredictable regardless of the features provided. Therefore the chance of non-linear data is high and it makes sense Logistic regression didn't do as well.