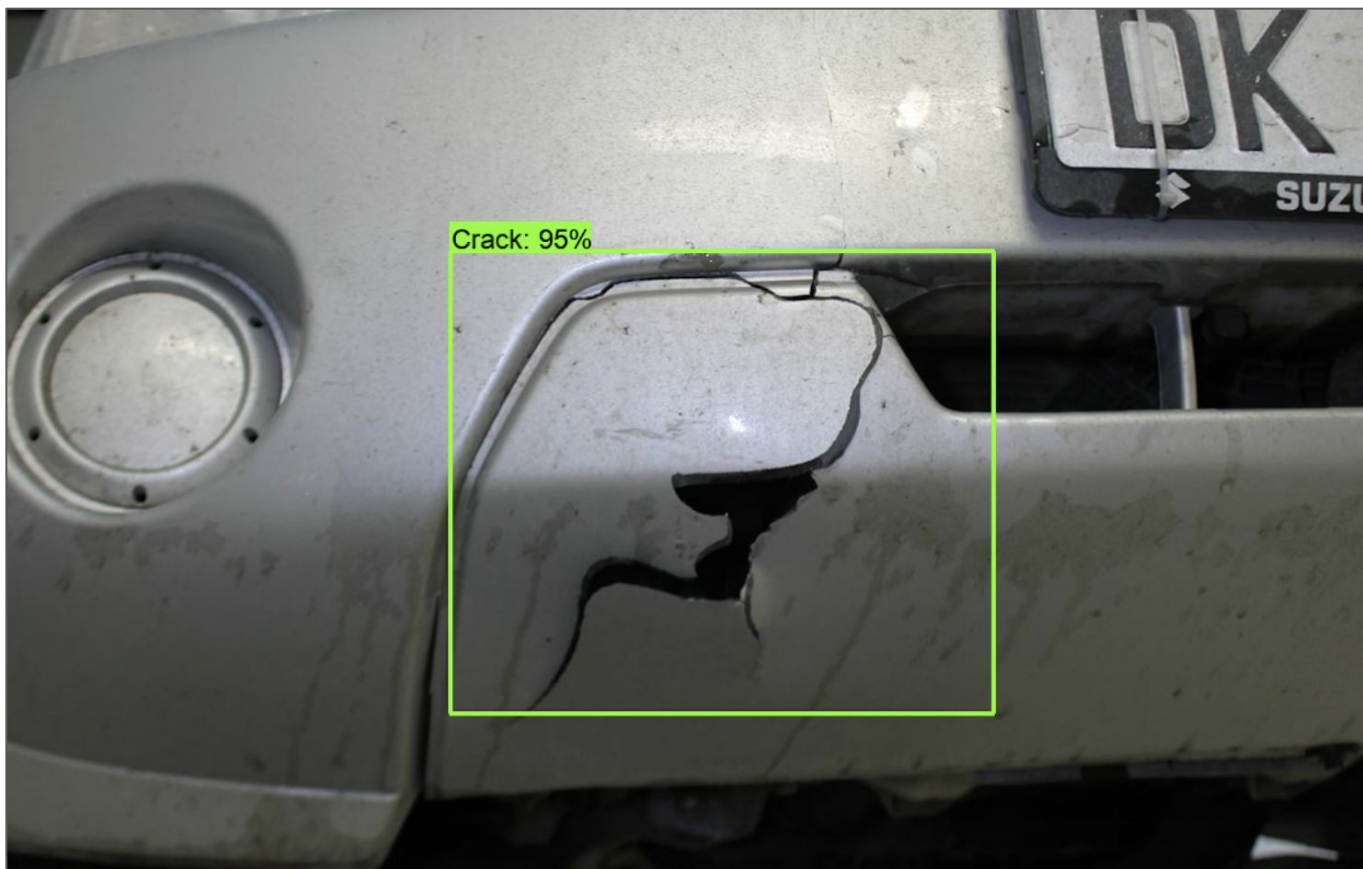
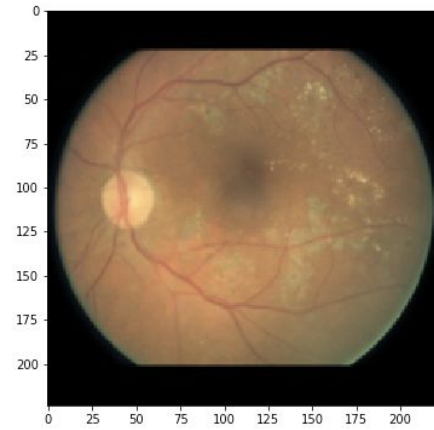
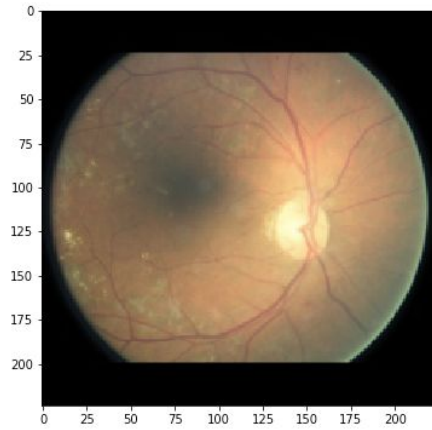
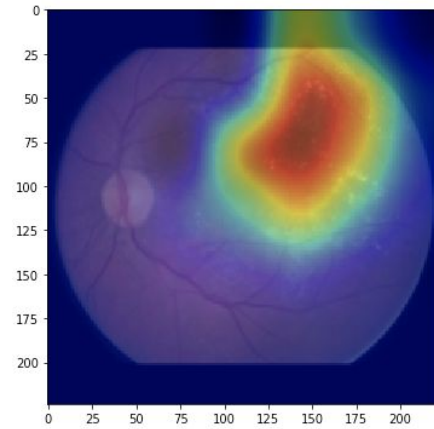
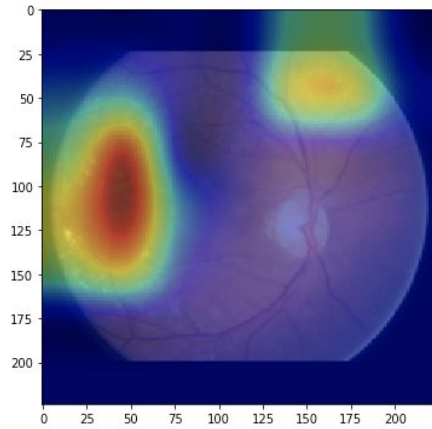
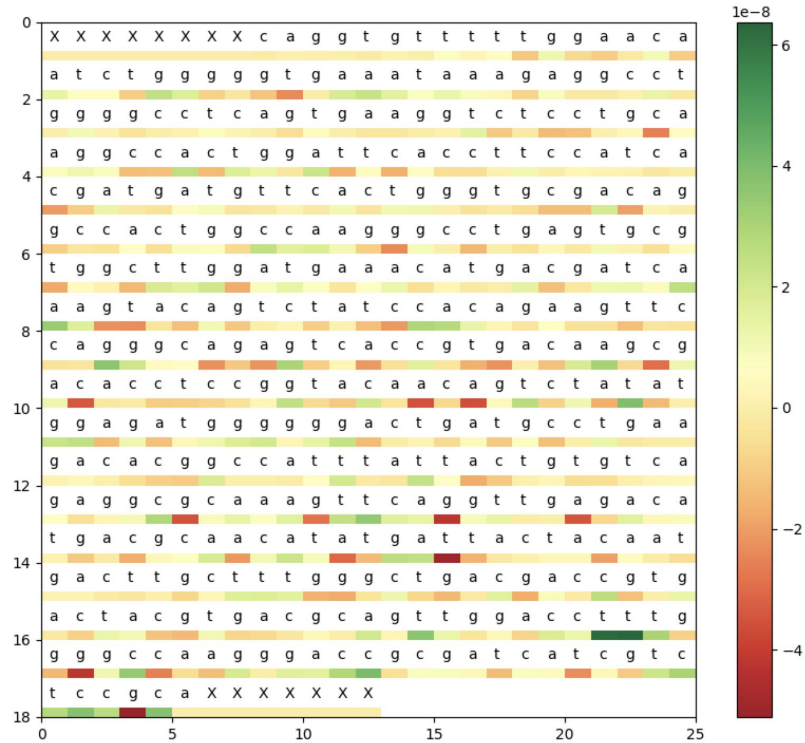


# Machine learning in Python





HIV == HIV





Thank you

I really appreciate  
the help :)

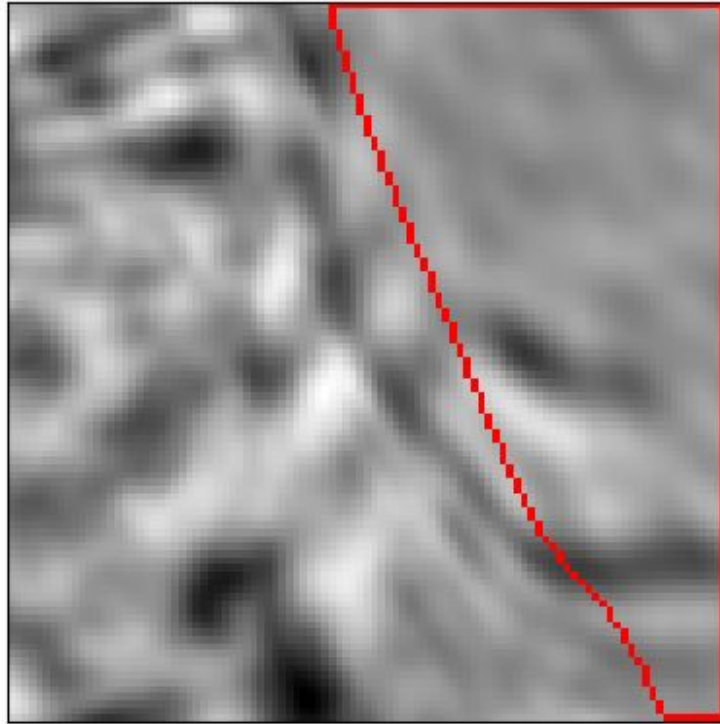
Amazing!!



What the f\*\*k is  
going on?!?

Thanks for  
nothing. What a  
horrible user  
experience





## 01. Algorithms

$2 \Rightarrow \{2\}$

$3 \Rightarrow \{3\}$

$4 \Rightarrow \{2, 2\}$

$5 \Rightarrow \{5\}$

$6 \Rightarrow \{2, 3\}$

$7 \Rightarrow \{7\}$

$8 \Rightarrow \{2, 2, 2\}$



## 01. Algorithms

2  $\Rightarrow$  {2}  
3  $\Rightarrow$  {3}  
4  $\Rightarrow$  {2, 2}  
5  $\Rightarrow$  {5}  
6  $\Rightarrow$  {2, 3}  
7  $\Rightarrow$  {7}  
8  $\Rightarrow$  {2, 2, 2}



```
input: positive integer  $N$ 
output: non-trivial factor of  $N$ 

Choose bound  $B$ 
Let  $P := \{p_1, p_2, \dots, p_k\}$  be all primes  $\leq B$ 

repeat
  for  $i = 1$  to  $k + 1$ 
    Choose  $0 < z_i < N$  such that  $z_i^2 \bmod N$  is  $B$ -smooth
    Let  $a_i := \{a_{i1}, a_{i2}, \dots, a_{ik}\}$  such that  $z_i^2 \bmod N = \prod_{p_j \in P} p_j^{a_{ij}}$ 
  end for

  Find non-empty  $T \subseteq \{1, 2, \dots, k + 1\}$  such that  $\sum_{i \in T} a_i \equiv \vec{0} \pmod{2}$ 
  Let  $x := \left( \prod_{i \in T} a_i \right) \bmod N$ 
   $y := \left( \prod_{p_j \in P} p_j^{(\sum_{i \in T} a_{ij})/2} \right) \bmod N$ 
while  $x \equiv \pm y \pmod{N}$ 

return  $\gcd(x + y, n)$ 
```

## 01. Algorithms

2  $\Rightarrow$  {2}  
3  $\Rightarrow$  {3}  
4  $\Rightarrow$  {2, 2}  
5  $\Rightarrow$  {5}  
6  $\Rightarrow$  {2, 3}  
7  $\Rightarrow$  {7}  
8  $\Rightarrow$  {2, 2, 2}

```
input: positive integer  $N$ 
output: non-trivial factor of  $N$ 

Choose bound  $B$ 
Let  $P := \{p_1, p_2, \dots, p_k\}$  be all primes  $\leq B$ 

repeat
  for  $i = 1$  to  $k + 1$ 
    Choose  $0 < z_i < N$  such that  $z_i^2 \bmod N$  is  $B$ -smooth
    Let  $a_i := \{a_{i1}, a_{i2}, \dots, a_{ik}\}$  such that  $z_i^2 \bmod N = \prod_{p_j \in P} p_j^{a_{ij}}$ 
  end for

  Find non-empty  $T \subseteq \{1, 2, \dots, k + 1\}$  such that  $\sum_{i \in T} a_i \equiv \vec{0} \pmod{2}$ 
  Let  $x := (\prod_{i \in T} a_i) \bmod N$ 
   $y := (\prod_{p_j \in P} p_j^{(\sum_{i \in T} a_{ij})/2}) \bmod N$ 
while  $x \equiv \pm y \pmod{N}$ 

return  $\gcd(x + y, n)$ 
```

**Q.E.D**

## 02. Machine Learning

2 => {2}

3 => {7}

4 => {}

5 => {2, 2, 2, 2, 2, ...}

6 => {"airplane"}

7 => {🐻, 🐱}

8 => {ó}

## 02. Machine Learning

2 => {2}

3 => {7}

4 => {}

5 => {2, 2, 2, 2, 2, ...}


6 => {"airplane"}


7 => {🐻, 🐱}


8 => {ó}


→ ?


## 03. Linear regression

 Mulighetenes marked

 Varslinger

 Ny annonse



 Meldinger

 Min FINN

Eiendom / Bolig til salgs

527 treff i 202 annonser

Lagre søk


  Kart

Sortér på 

Publisert


**Publisert**  
☐ Nye i dag (68)

**Område, by eller sted**  
☐ Søk etter adresse eller sted




Norge  
Faroe Islands  
Finland  
Leafløt | © Norkart

**Område**  
☐ Akershus (0)  
☐ Aust-Agder (0)  
☐ Buskerud (0)  
☐ Finnmark (0)  
☐ Hedmark (0)  
☐ Hordaland (0)  
☐ Møre og Romsdal (0)  
☐ Nordland (0)



Ukens bolig

Visning i dag





Markveien 1 A, Oslo, Grünerløkka - Sofienberg


**ROLIG PÅ ØVRE GRÜNERLØKKA:** Lys og lekkert 3-roms loftsleilighet med privat solrik takterrasse og felles takterrasse. -Idyllisk bakgård -Hems -

**78 m² 6 200 000,-**

Andel • Leilighet • 2 soverom  
Schala & Partners Grünerløkka  
Fellesgjeld: 28 064,- • Fellesutg.: 5 226,-









Sverdrups gate 10A, Oslo, Grünerløkka - Sofienberg

**GRÜNERLØKKA - Unik 2-roms selveier** over tre plan i sjarmerende omgjort stall. Terrasse, romslig hems og herlig town-


**42 m² 3 400 000,-**

DNB Eiendom AS  
Eier (Selveier) • Leilighet • 1 soverom  
Fellesgjeld: 65 000,- • Fellesutg.: 2 215,-





Visning i dag



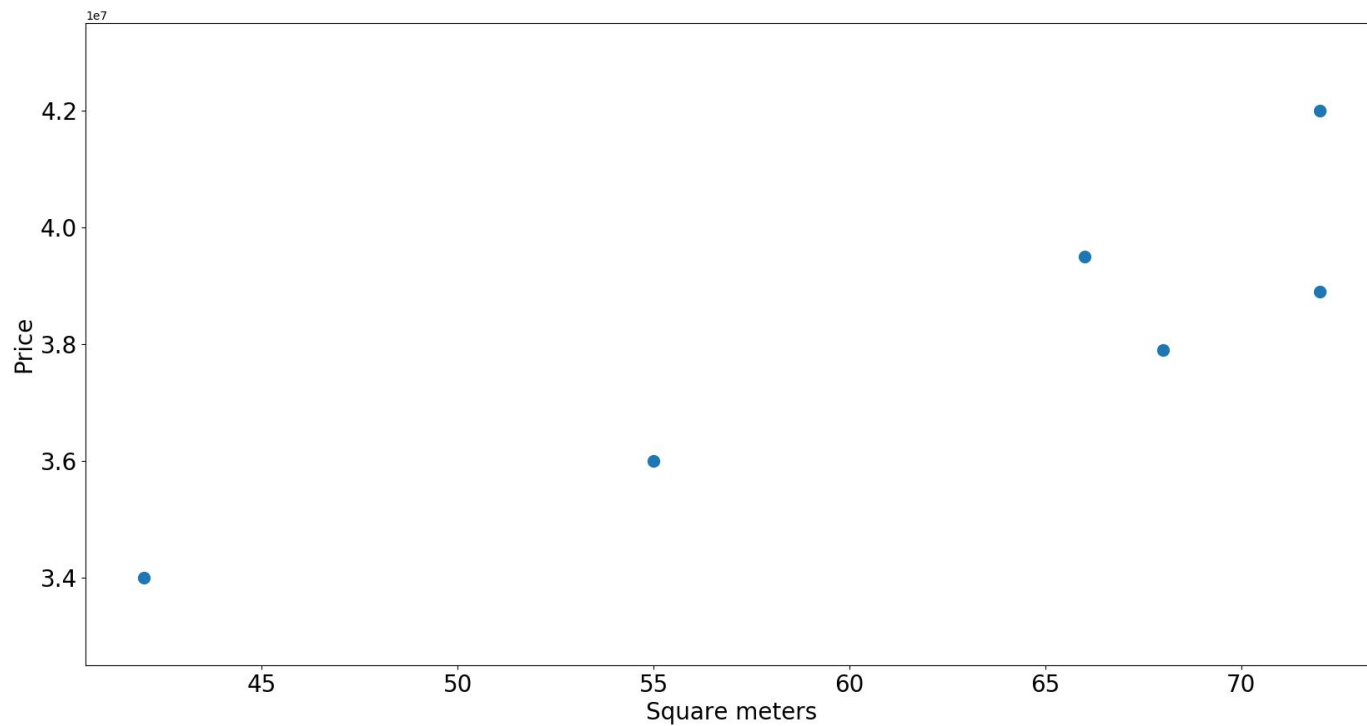
Lørenveien 57-63, leil. B2-35, Oslo

**Fastpris: Lørenporten - Ny 2R m/ca. 15 kvm vestvendt terrasse. 31.12.2020 tas det sikte på overtakelse.**

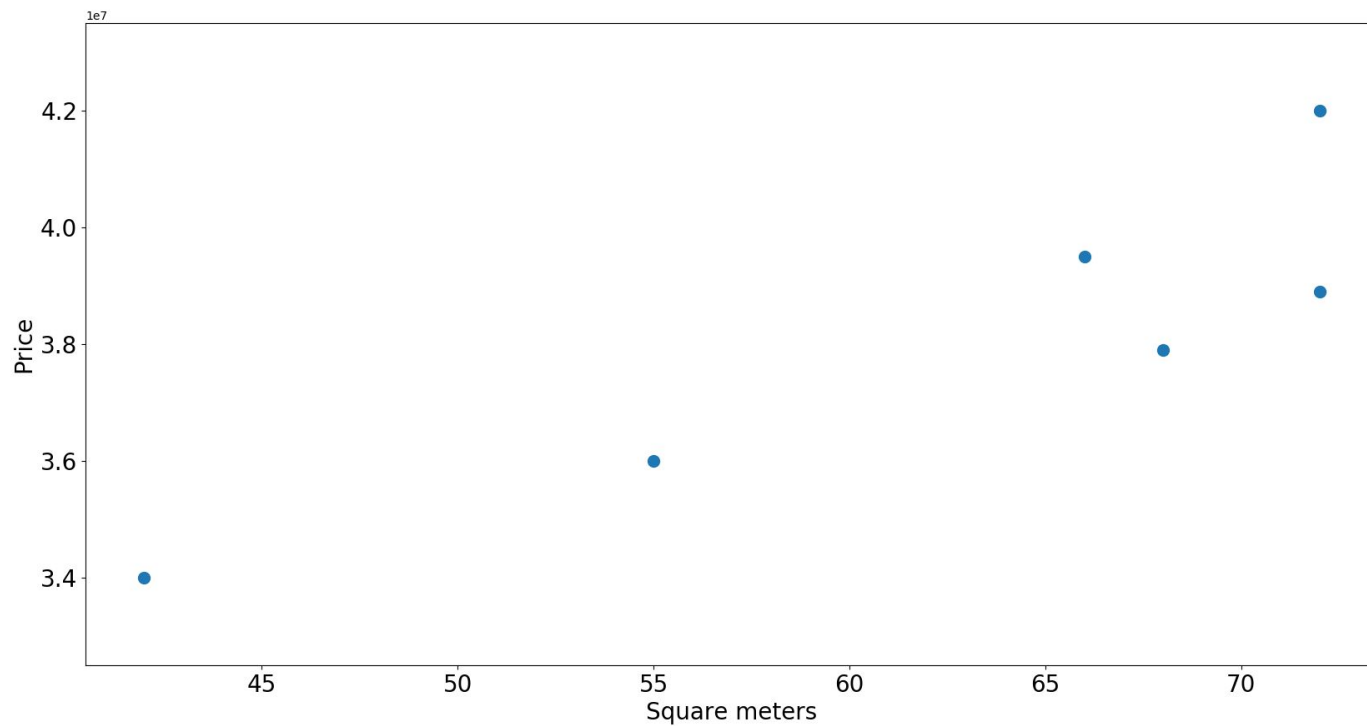
### 03. Linear regression

<u>m<sup>2</sup></u>	<u>NOK</u>
72	4 200 000
68	3 790 000
72	3 890 000
42	3 400 000
66	4 950 000
55	3 600 000

### 03. Linear regression



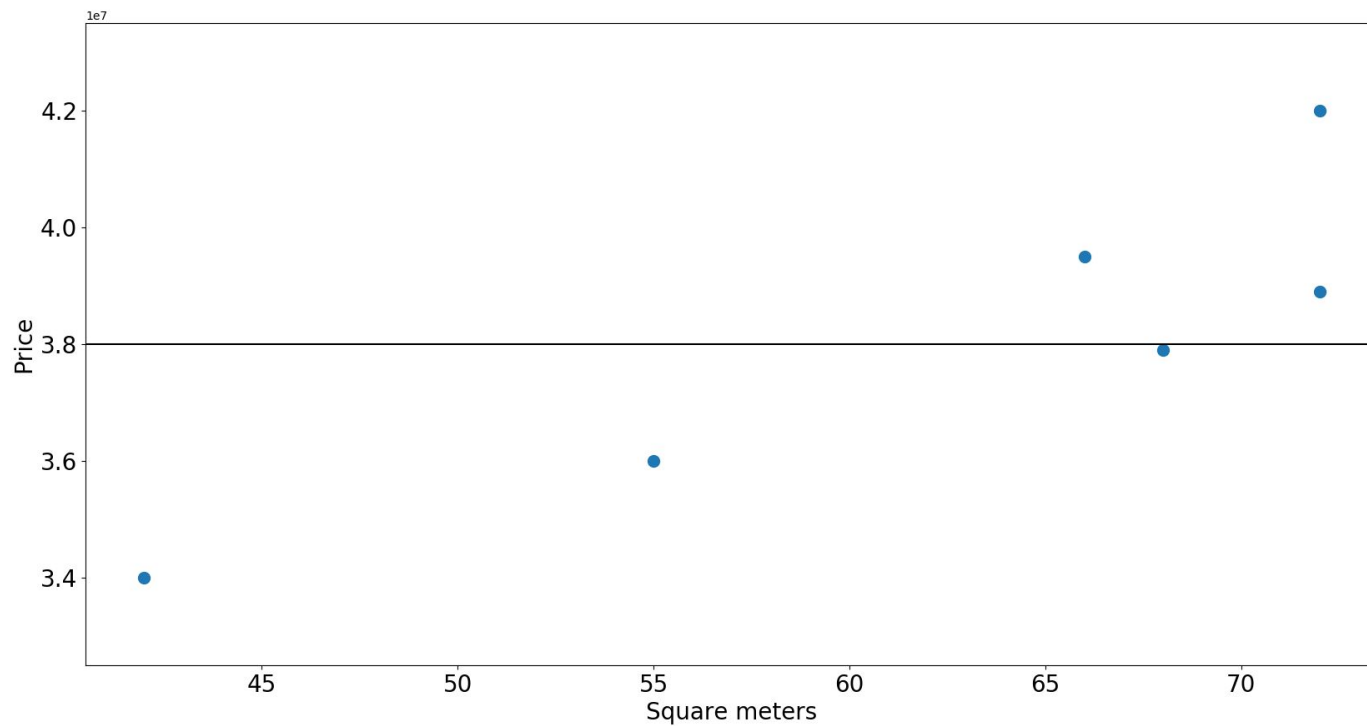
### 03. Linear regression



$$f(x) = ax + b$$

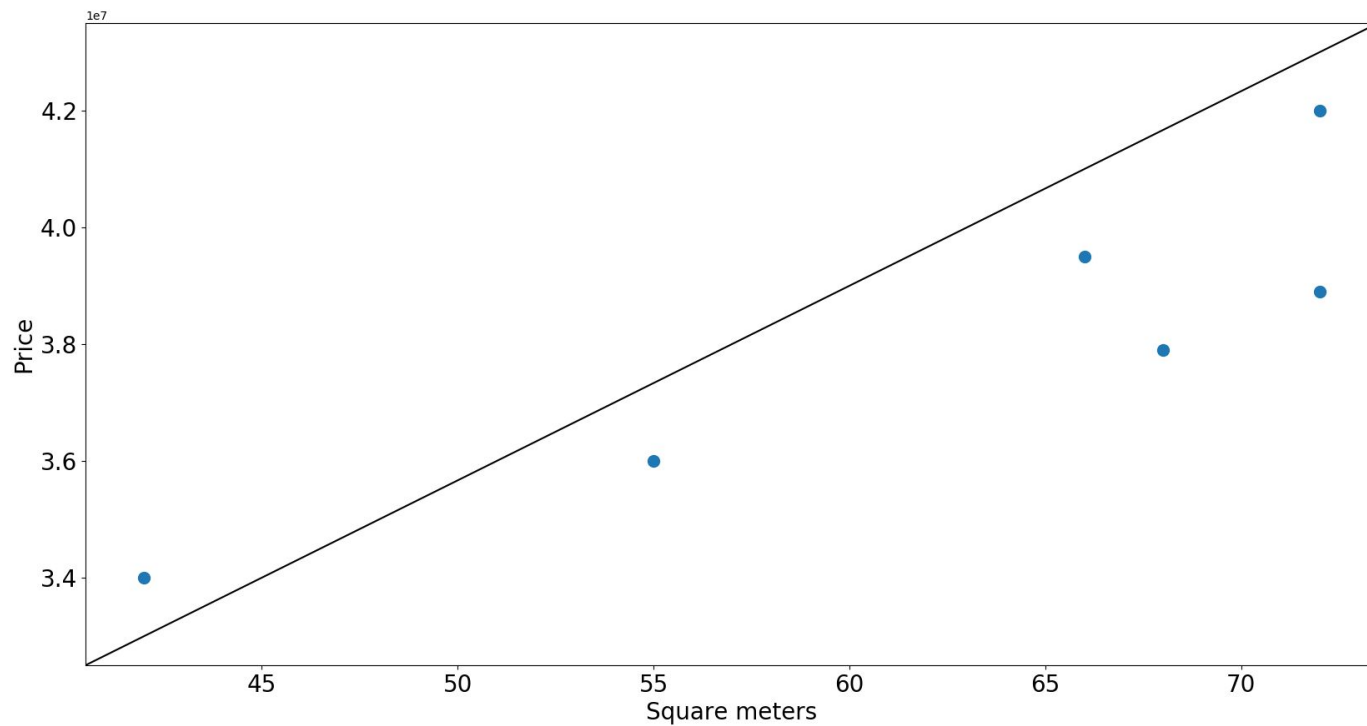


### 03. Linear regression

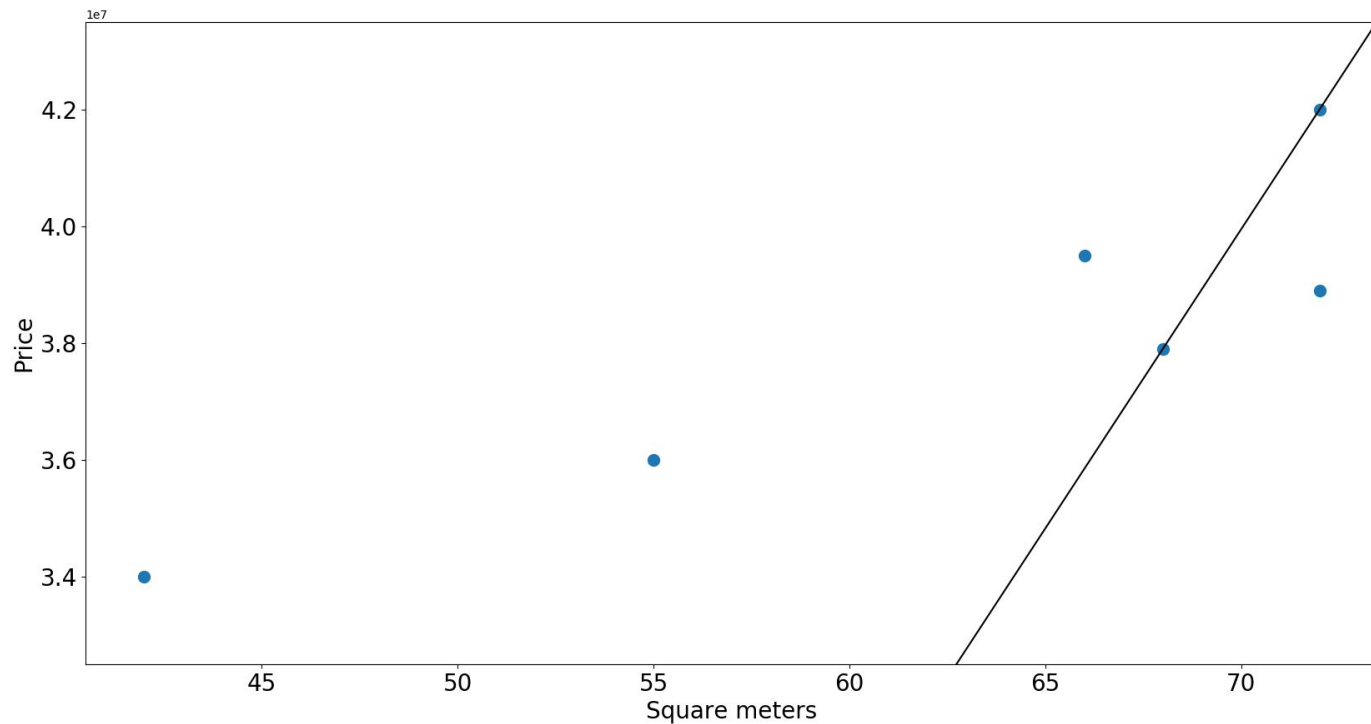


$$f(x) = 0x + 3800000$$

### 03. Linear regression

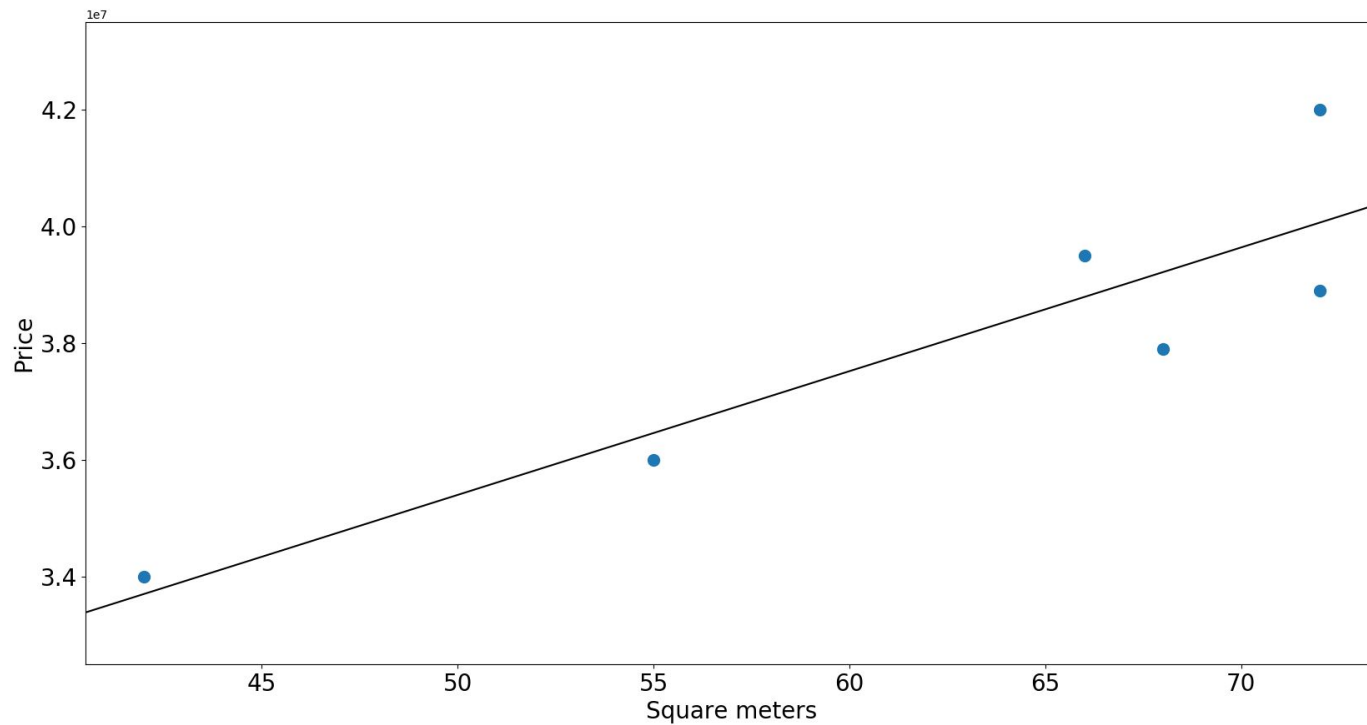


### 03. Linear regression



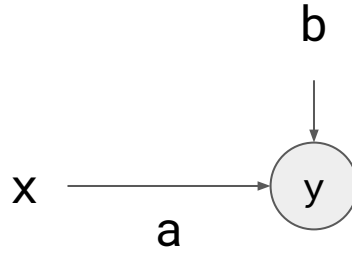
$$\text{cost}(x, f(x)) = \begin{cases} 0 & \text{if } f(x) = x \\ 1 & \end{cases}$$

### 03. Linear regression



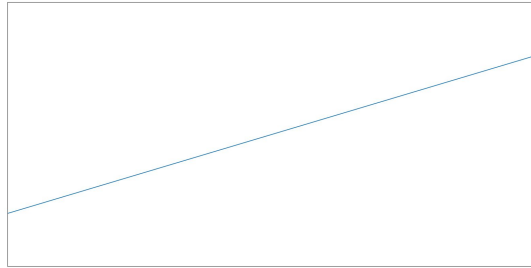
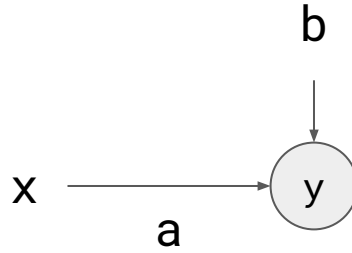
$$\text{cost}(x, f(x)) = (f(x) - x)^2$$

## 04. Neural nets

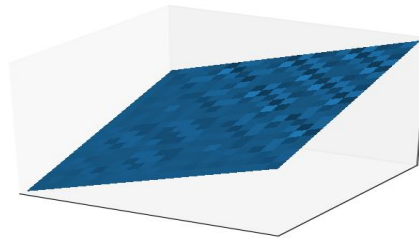
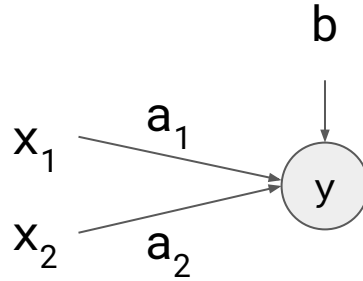


$$f(x) = ax+b$$

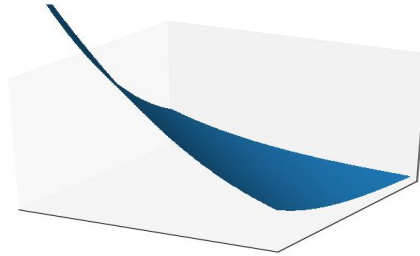
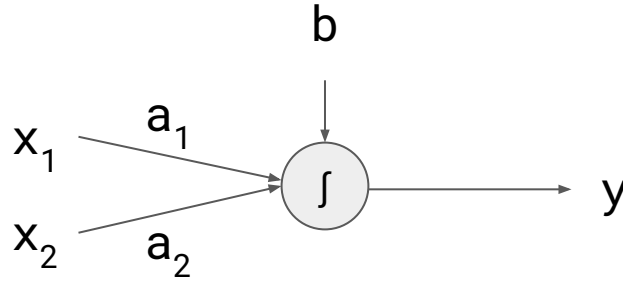
## 04. Neural nets



## 04. Neural nets

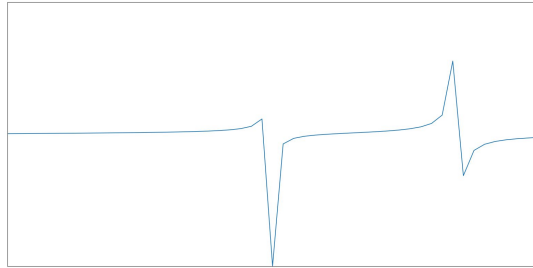
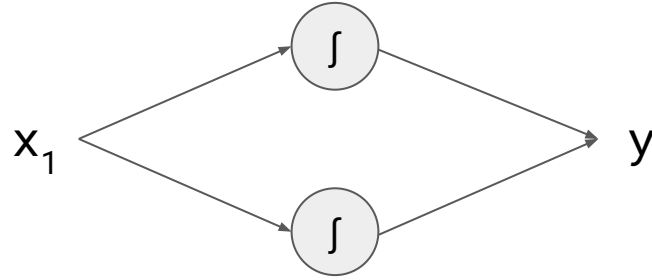


## 04. Neural nets

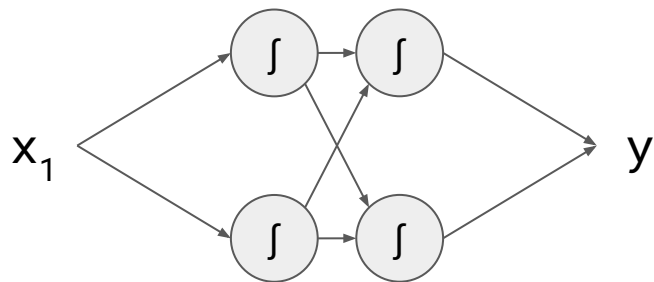




## 04. Neural nets

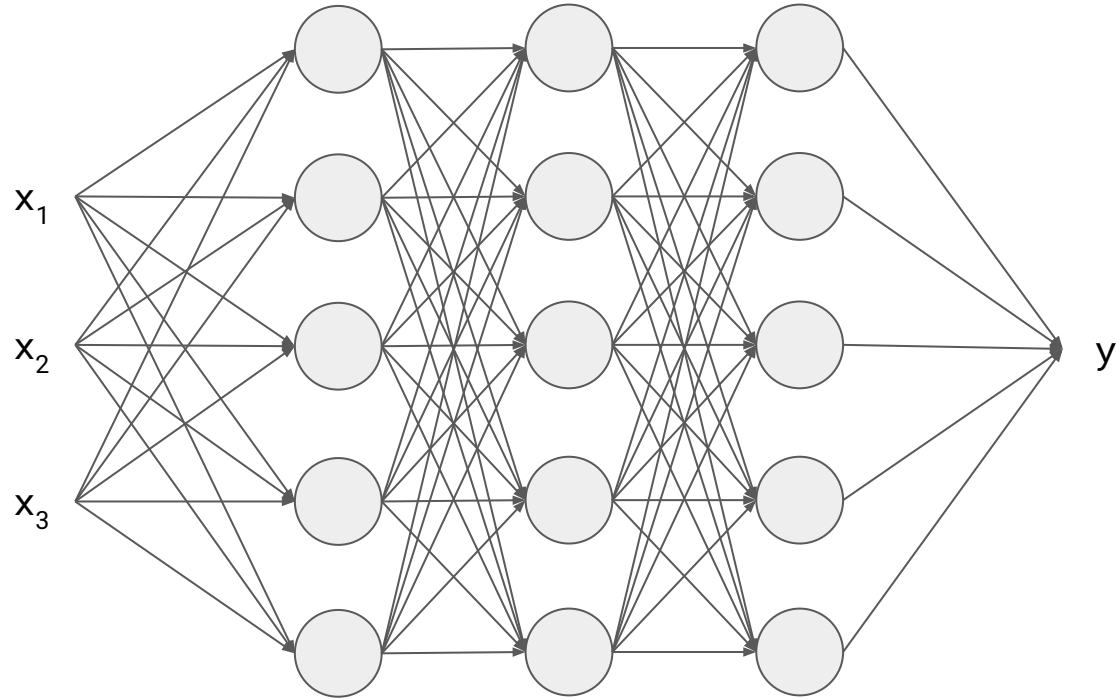


## 04. Neural nets

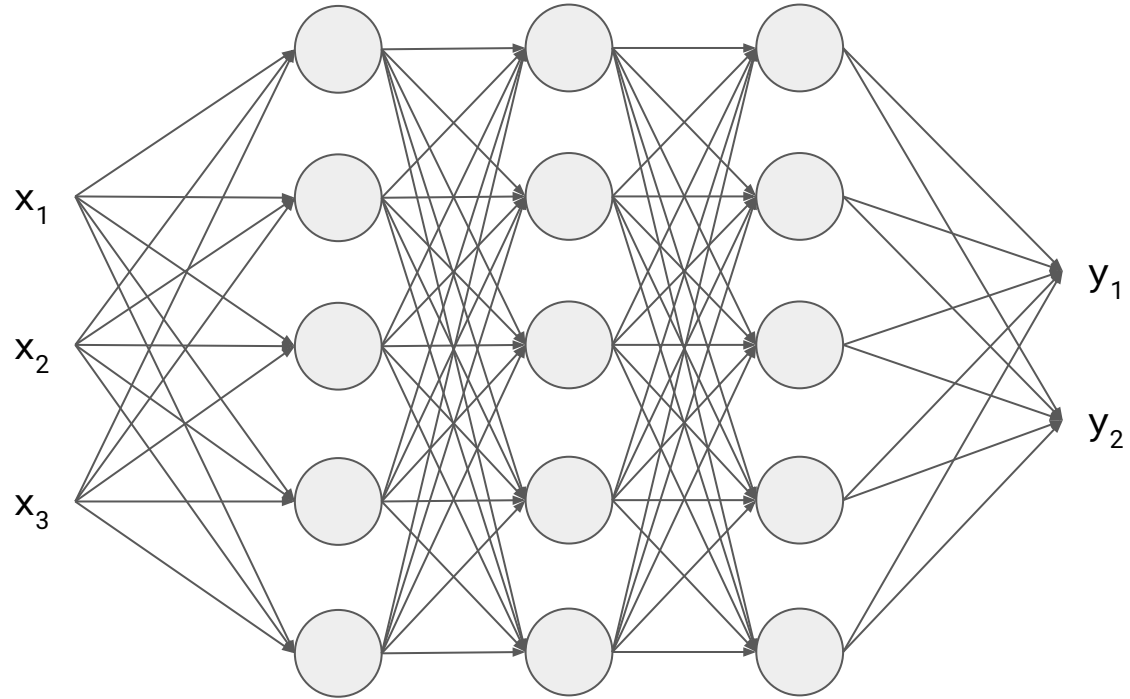


?

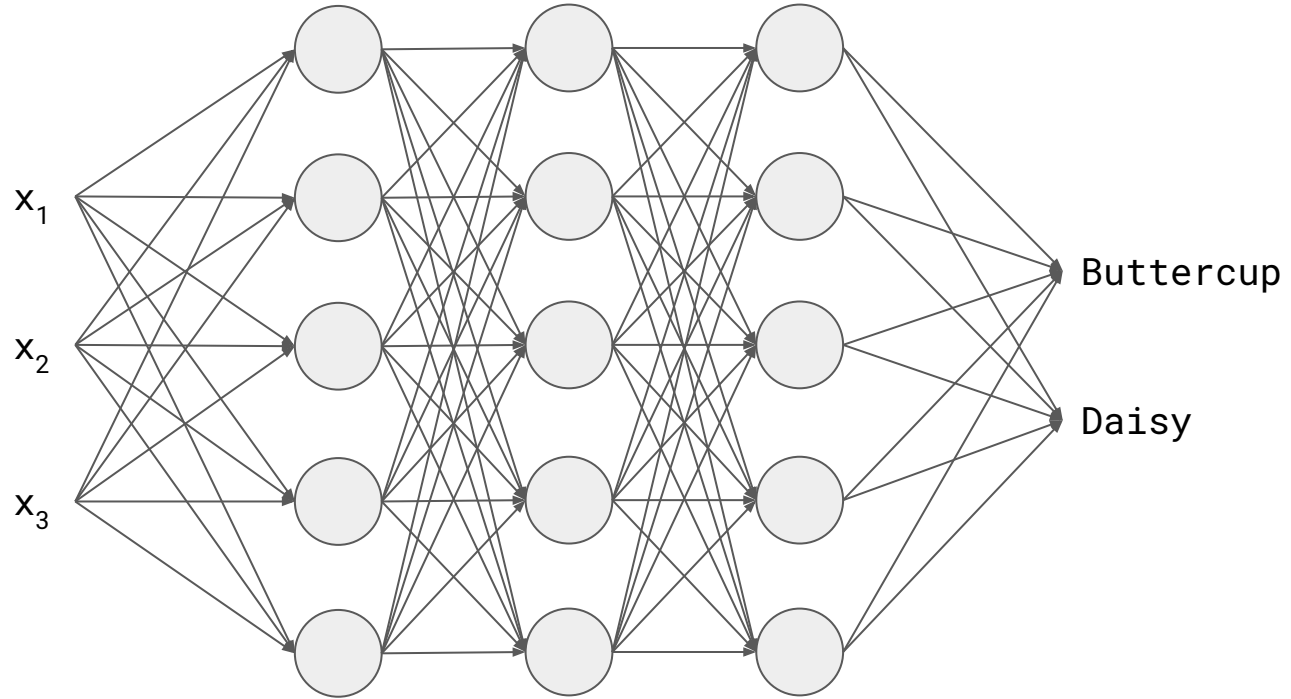
## 04. Neural nets



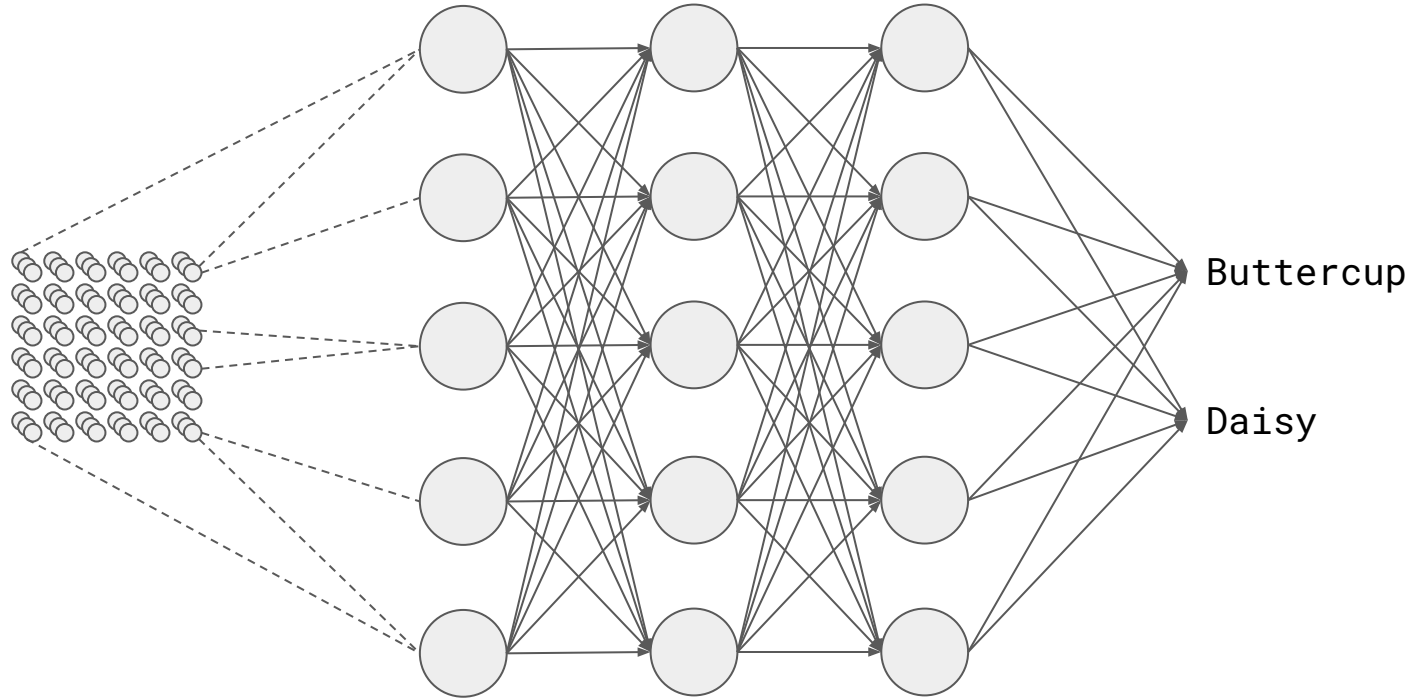
## 04. Neural nets



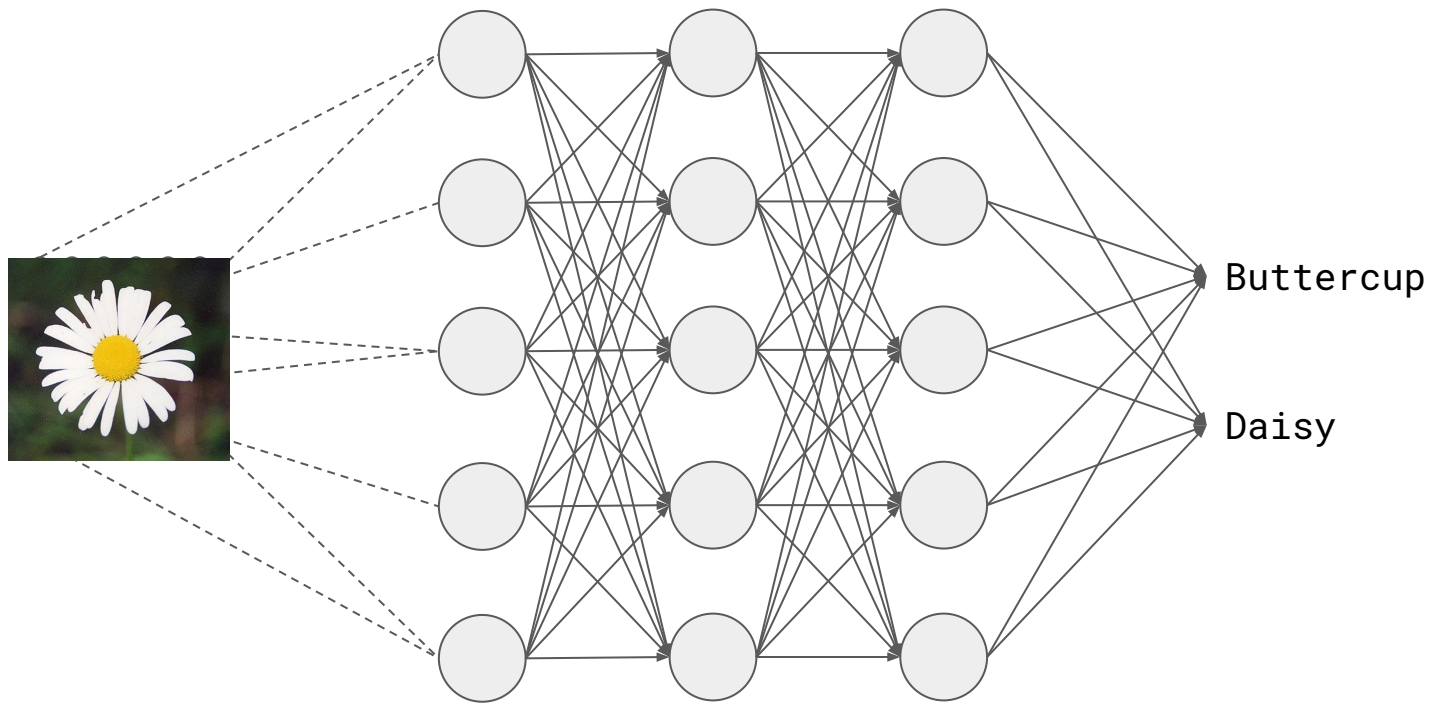
## 04. Neural nets



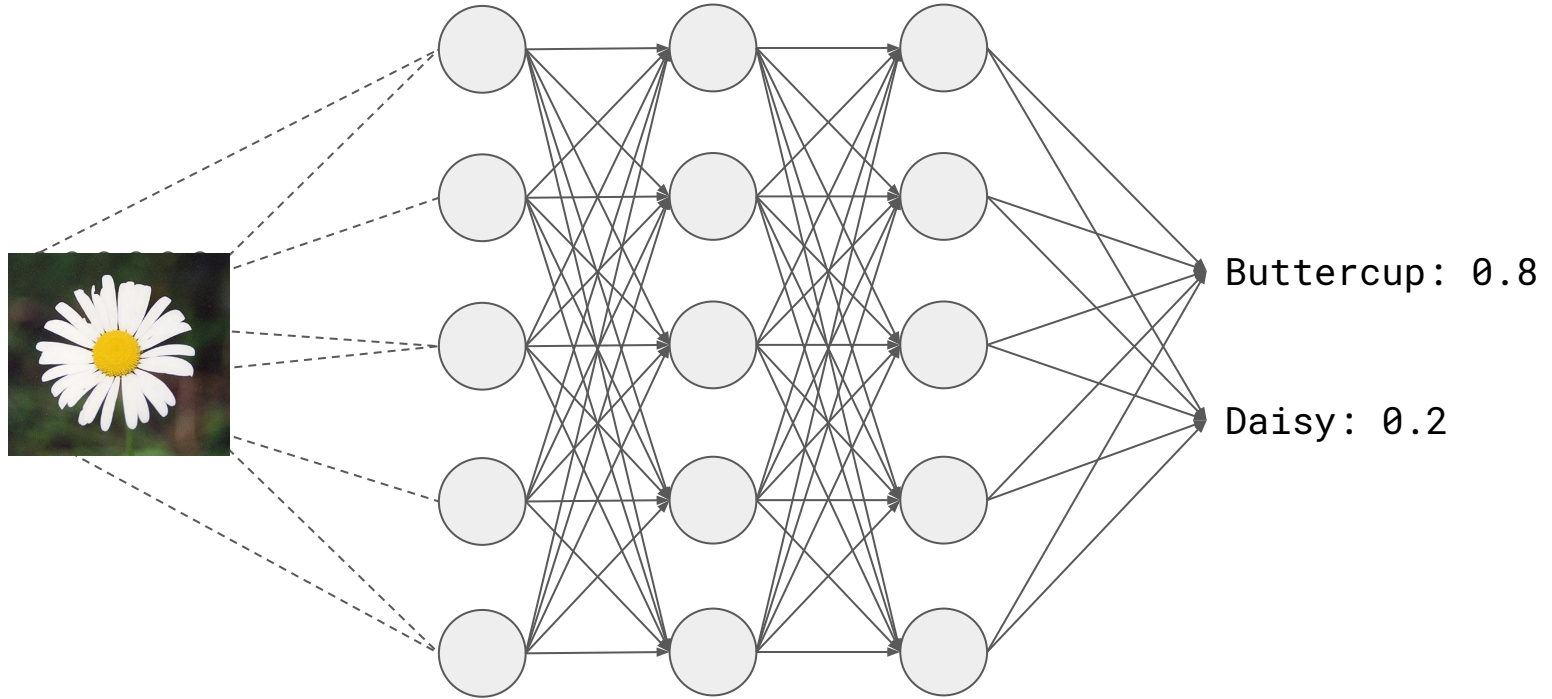
## 04. Neural nets



## 04. Neural nets

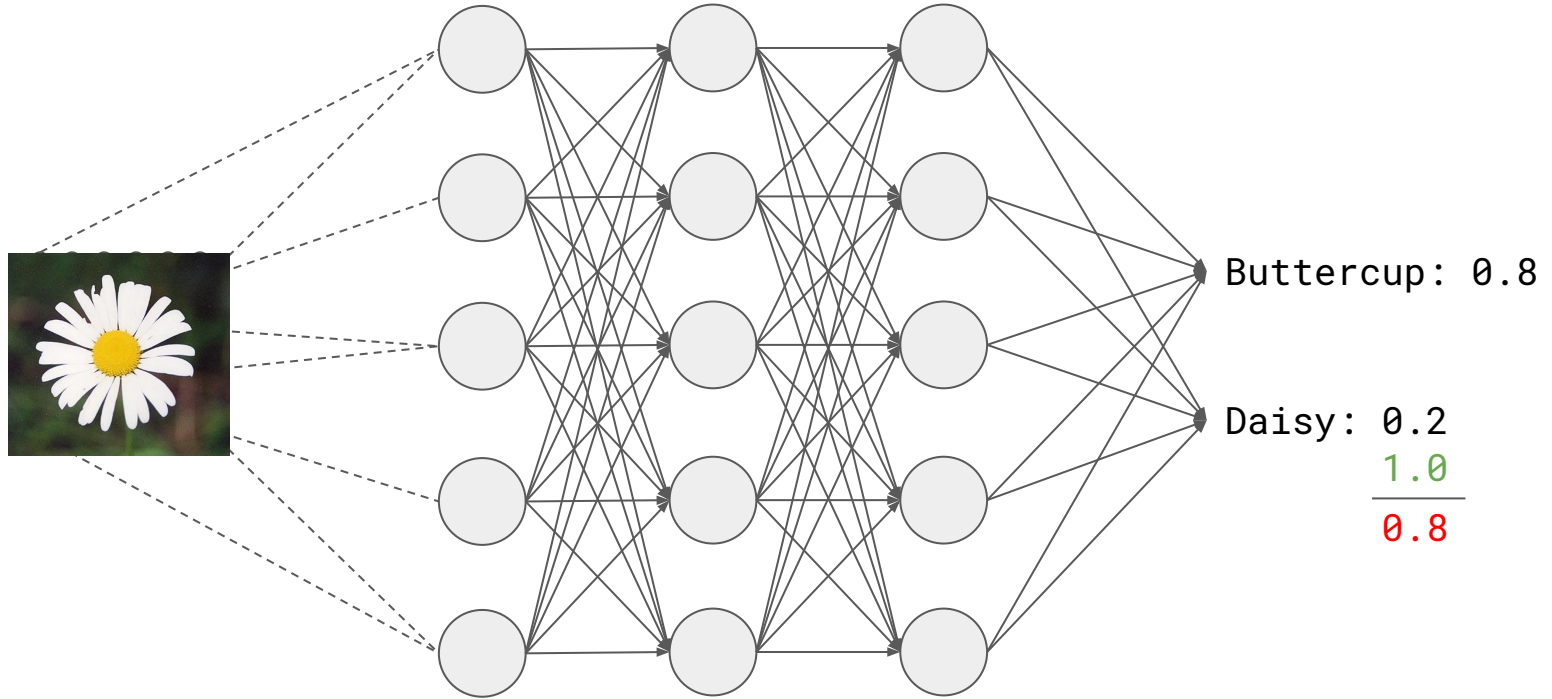


## 04. Neural nets

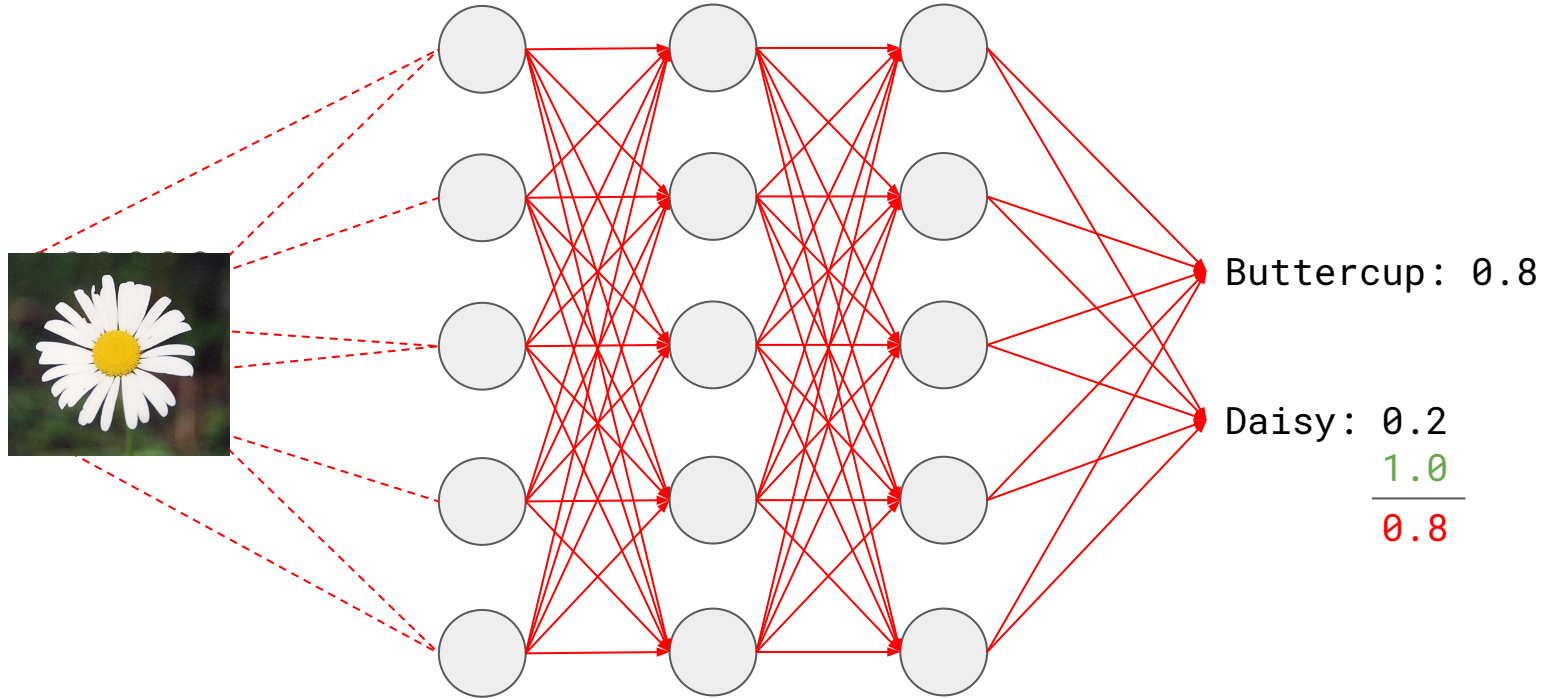




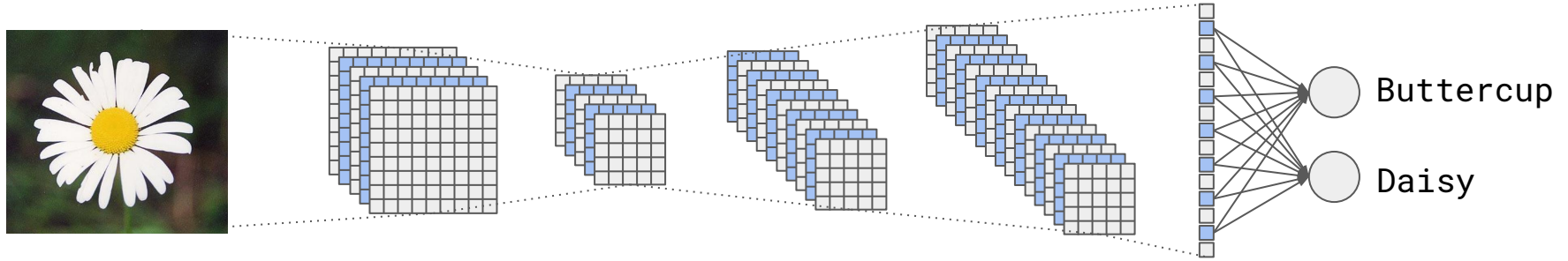
## 04. Neural nets



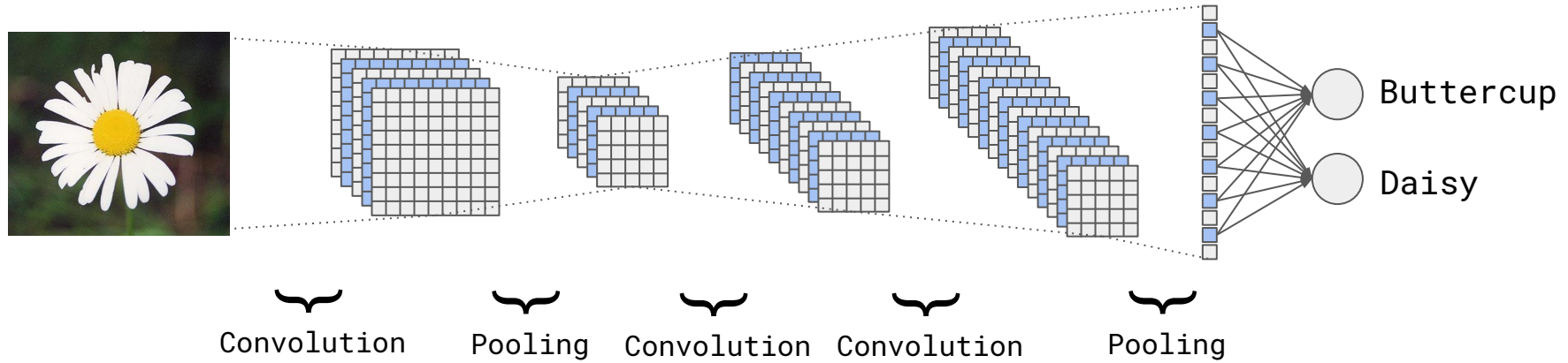
## 04. Neural nets



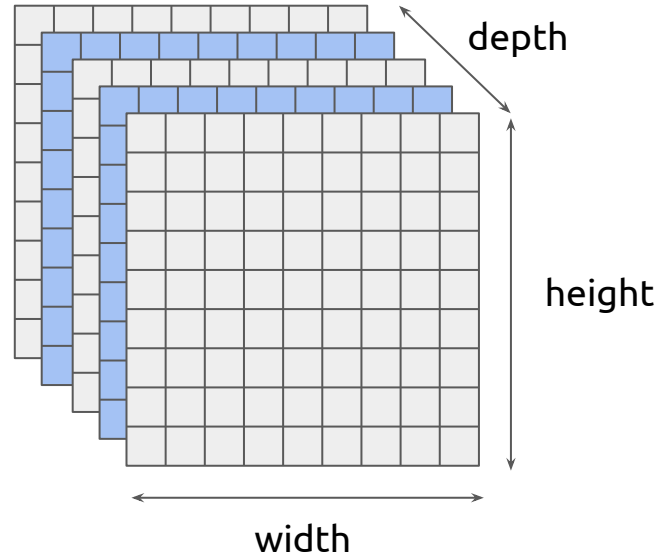
## 05. Convolutional Neural Nets



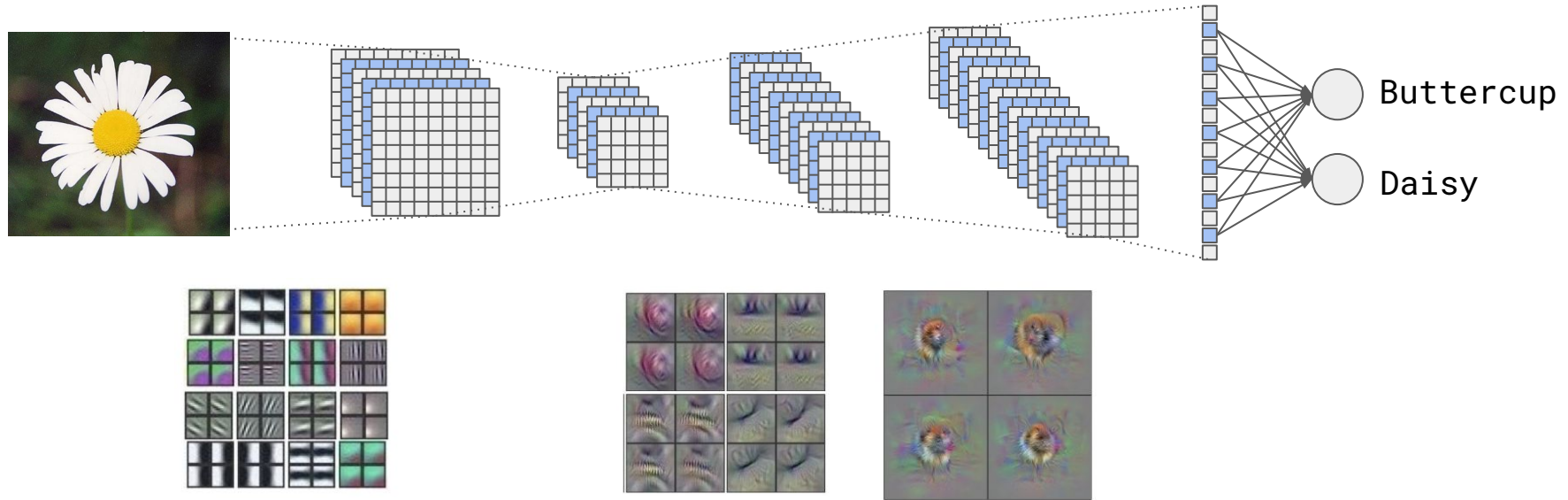
## 05. Convolutional Neural Nets



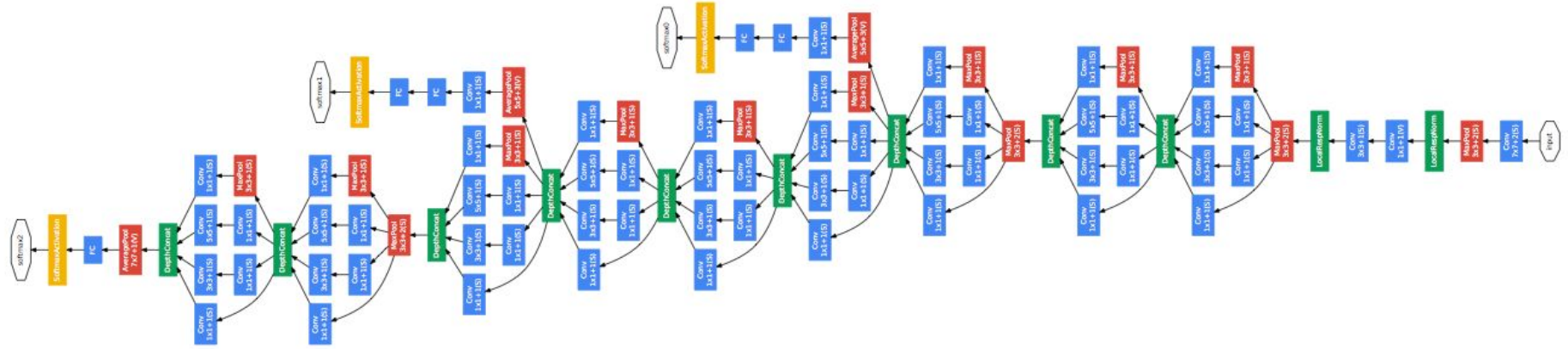
## 05. Convolutional Neural Nets



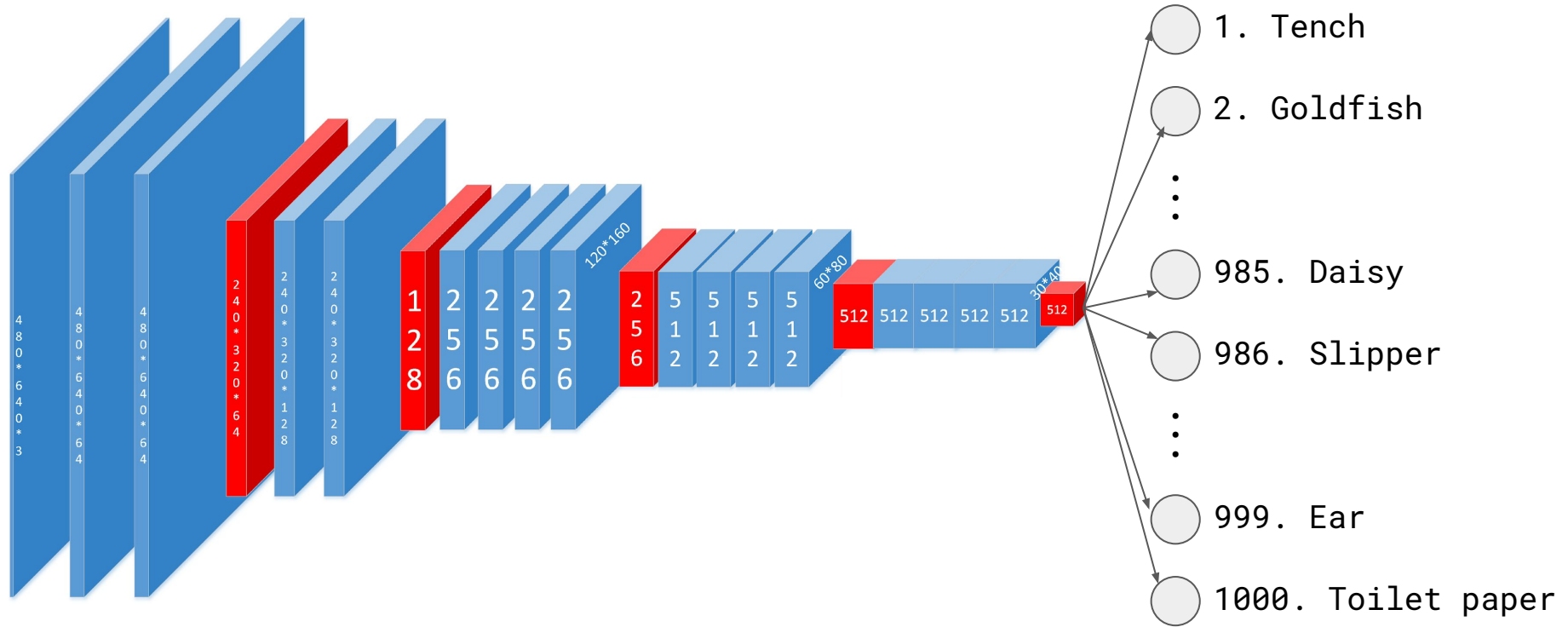
## 05. Convolutional Neural Nets



## 05. Convolutional Neural Nets



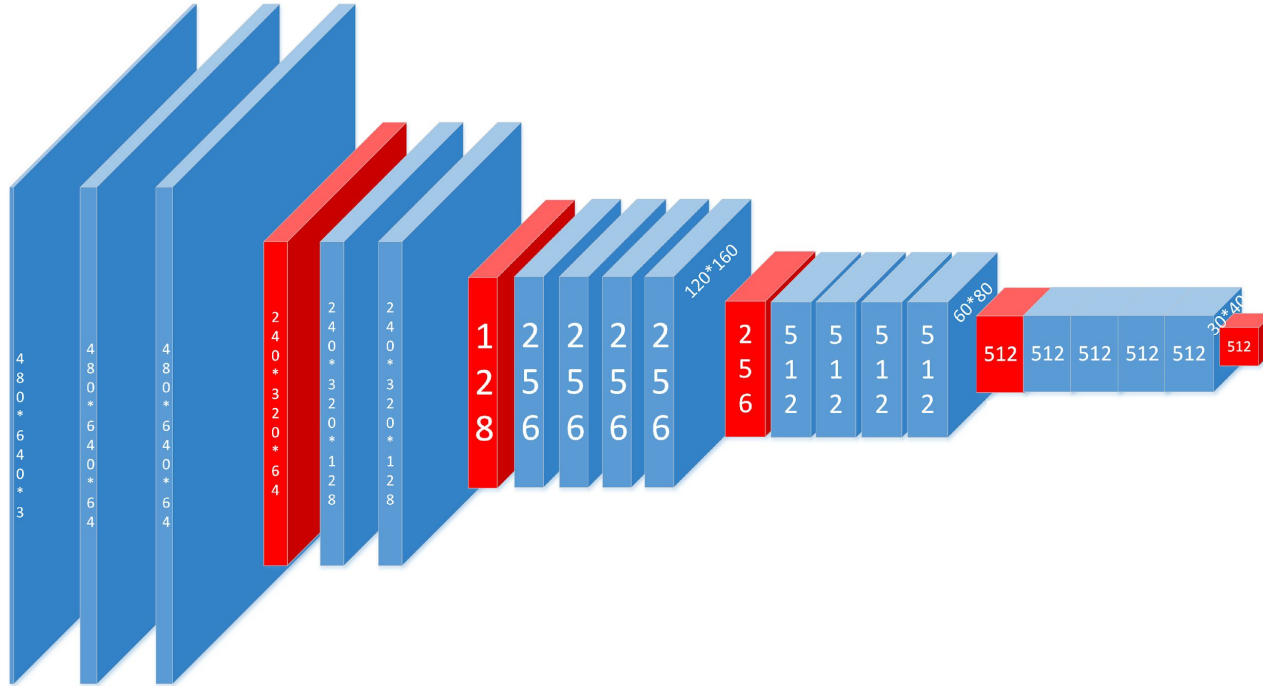
## 06. Transfer learning



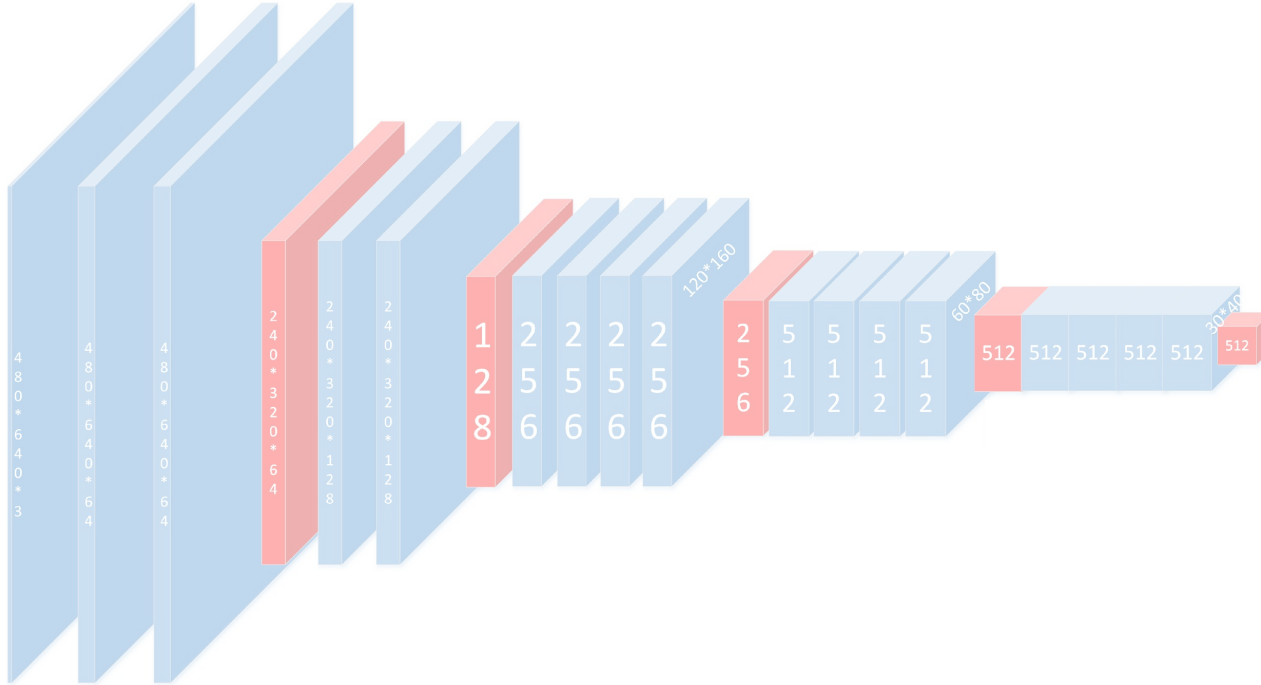




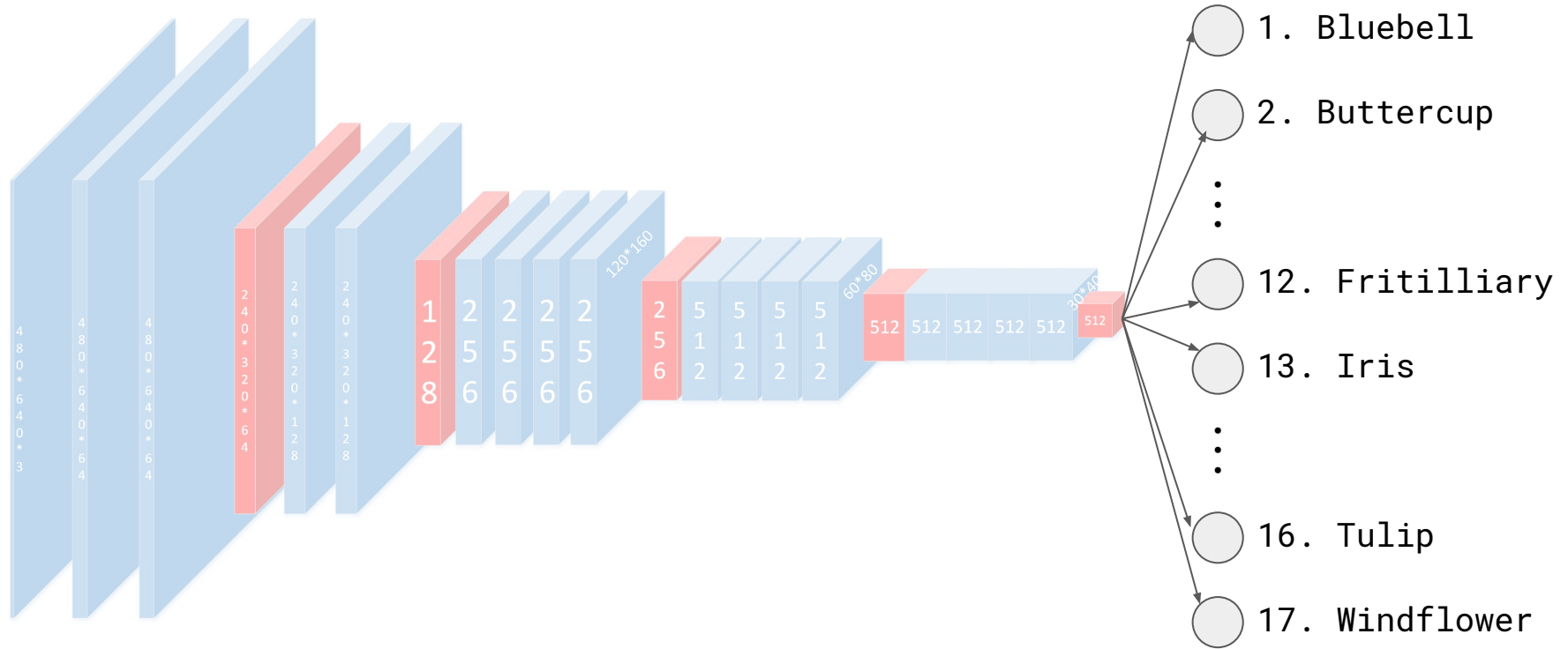
## 06. Transfer learning



## 06. Transfer learning



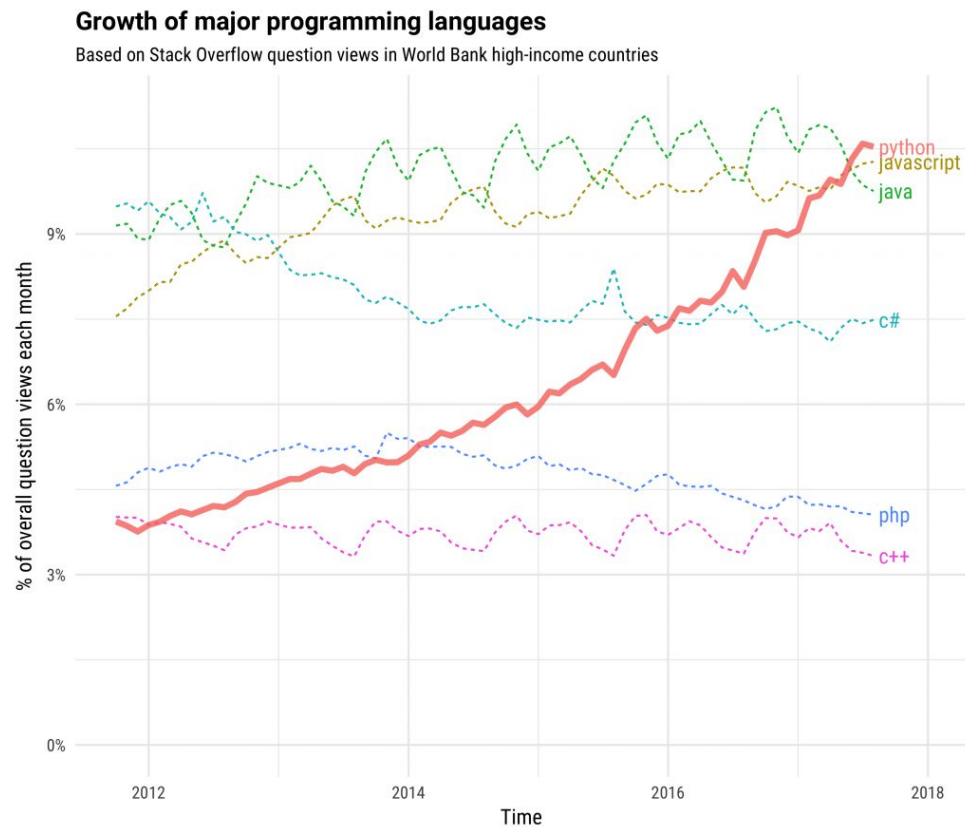
## 06. Transfer learning

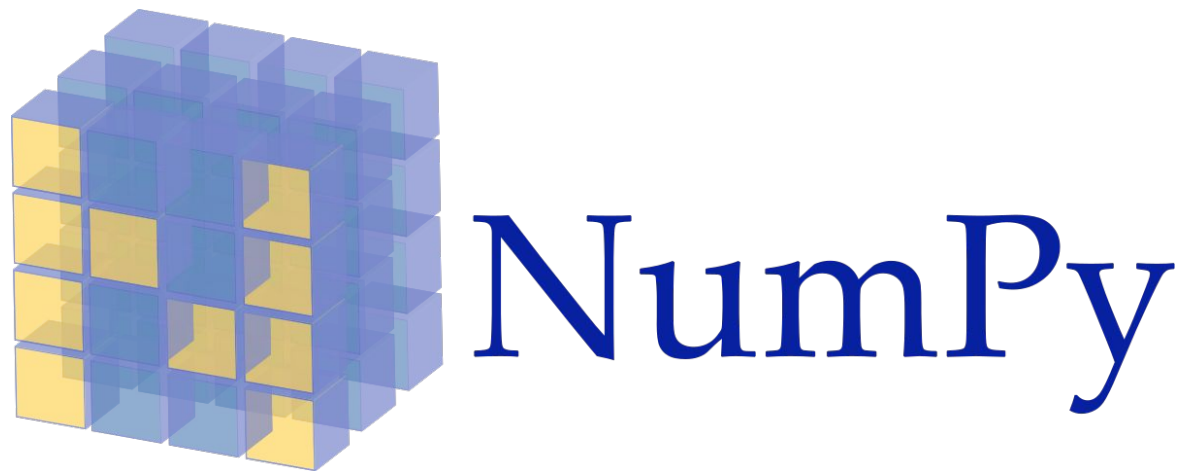


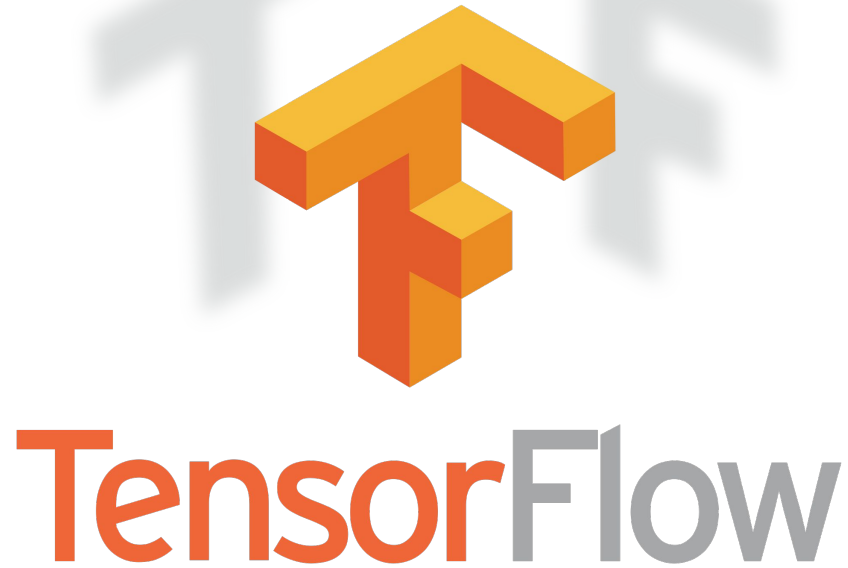
## 07. Python



## 07. Python









## 07. Python

1	0	5	0	3	4
9	0	12	4	6	19
2	1	27	4	2	0
8	3	8	5	11	1
13	8	4	6	7	3
1	0	2	12	0	4

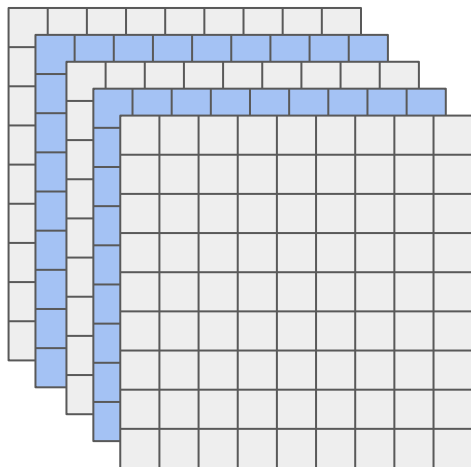
## 07. Python

$$y = ax + b$$

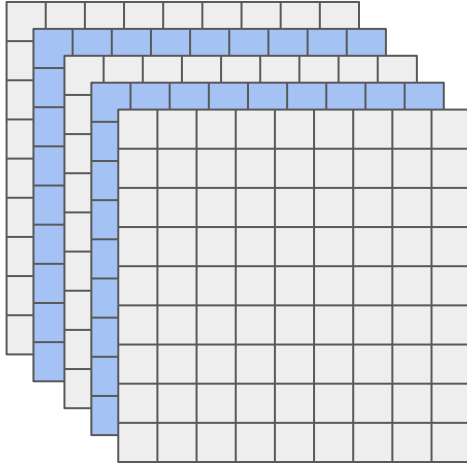
```
x = tf.placeholder(  
    dtype=tf.float32,  
    shape=(4, 4)  
)  
a = tf.Variable(  
    initial_value=tf.zeros((4, 4)),  
    dtype=tf.float32,  
    trainable=True  
)  
b = tf.Variable(  
    initial_value=tf.zeros((4, 4)),  
    dtype=tf.float32,  
    trainable=True  
)  
  
y = tf.add(tf.matmul(x, a), b)
```



## 07. Python



## 07. Python



```
BATCH_SIZE = 4
IMAGE_SIZE = (256, 256, 3)

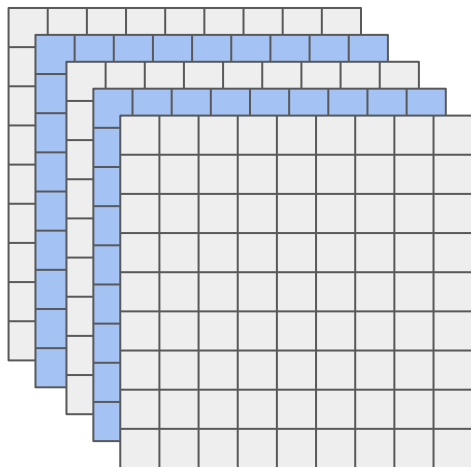
inputs = tf.placeholder(
    shape=(BATCH_SIZE,) + IMAGE_SIZE,
    dtype=tf.float32
)

weight_shape = tf.stack([5, 5, 3, 16])
weight_initializer = tf.random_normal(
    shape=weight_shape,
    stddev=.03
)
weights = tf.Variable(
    weight_initializer,
    trainable=True,
)

bias_initializer = tf.zeros(16)
bias = tf.Variable(
    bias_initializer,
    trainable=True
)

conv = tf.nn.conv2d(inputs, weights,
    strides=[1, 1, 1, 1],
    padding='SAME'
)
conv = tf.nn.bias_add(conv, bias)
```

## 07. Python



```
BATCH_SIZE = 4
IMAGE_SIZE = (256, 256, 3)

inputs = tf.placeholder(
    shape=(BATCH_SIZE,) + IMAGE_SIZE,
    dtype=tf.float32
)

weight_shape = tf.stack([5, 5, 3, 16])
weight_initializer = tf.random_normal(
    shape=weight_shape,
    stddev=.03
)
weights = tf.Variable(
    weight_initializer,
    trainable=True,
)

bias_initializer = tf.zeros(16)
bias = tf.Variable(
    bias_initializer,
    trainable=True
)

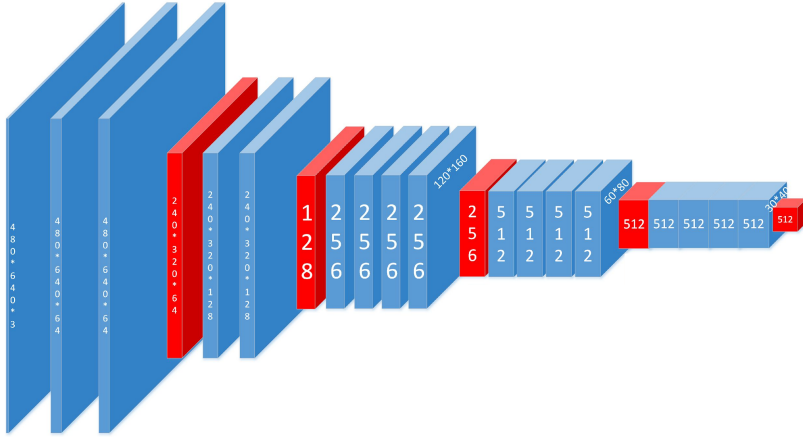
conv = tf.nn.conv2d(inputs, weights,
    strides=[1, 1, 1, 1],
    padding='SAME'
)
conv = tf.nn.bias_add(conv, bias)
```

```
IMAGE_SIZE = (256, 256, 3)

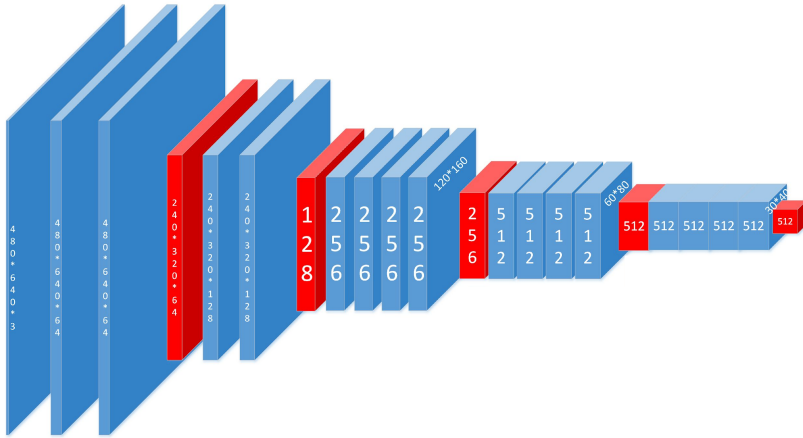
inputs = Inputs(shape=IMAGE_SIZE)

conv = Conv2D(kernels=16, filters=(3, 3))(inputs)
```

## 07. Python



## 07. Python



```
from keras.applications.vgg19 import VGG19
model = VGG19()
```



## 07. Python

```
from keras.applications.vgg19 import VGG19

model = ... # Create a model

model.summary() # Print the structure of the model

model.fit() # Train the model

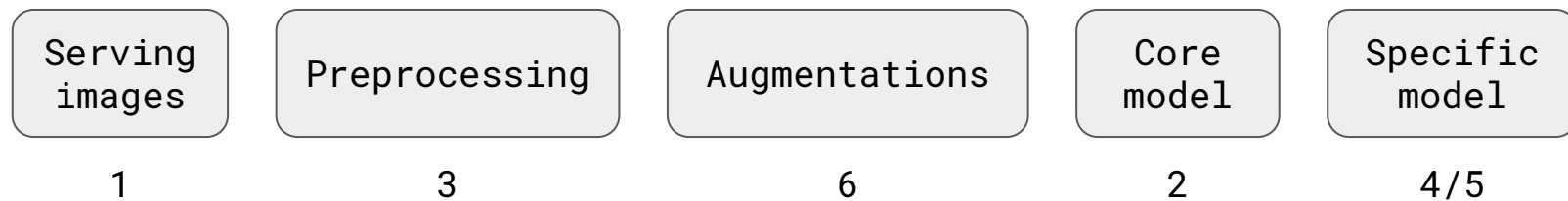
model.evaluate() # Evaluate performance on a validation set

model.predict() # Run predictions on new data

model.save() # Save the model to file

model.load() # Load the model into memory
```

## 07. Python



## 07. Python

'bluebell'	0	[1, 0, 0, 0, 0, 0]
'buttercup'	1	[0, 1, 0, 0, 0, 0]
'colts_foot'	2	[0, 0, 1, 0, 0, 0]
'cowslip'	3	[0, 0, 0, 1, 0, 0]
'crocus'	4	[0, 0, 0, 0, 1, 0]
'daffodil'	5	[0, 0, 0, 0, 0, 1]

## 07. Python

