

# **Arrays and Pointers in C**

In today's lecture we first take a detour from data structure, and discuss pointers and arrays in C.

# Arrays and Pointers in C

```
void printArray(int A[], int n) {  
    for (int i=0; i<n; i++) printf("%d ", A[i]);  
    printf("\n");  
}
```

```
void printArray(int A[], int n) {  
    for (int i=0; i<n; i++) printf("%d ", A[i]);  
    printf("\n");  
}
```

```
void main() {  
    int A[10] = {1, 3, 5, 7, 11, 13, 17, 23, 29, 31};  
    printArray(A, 3);  
}
```

1 3 5

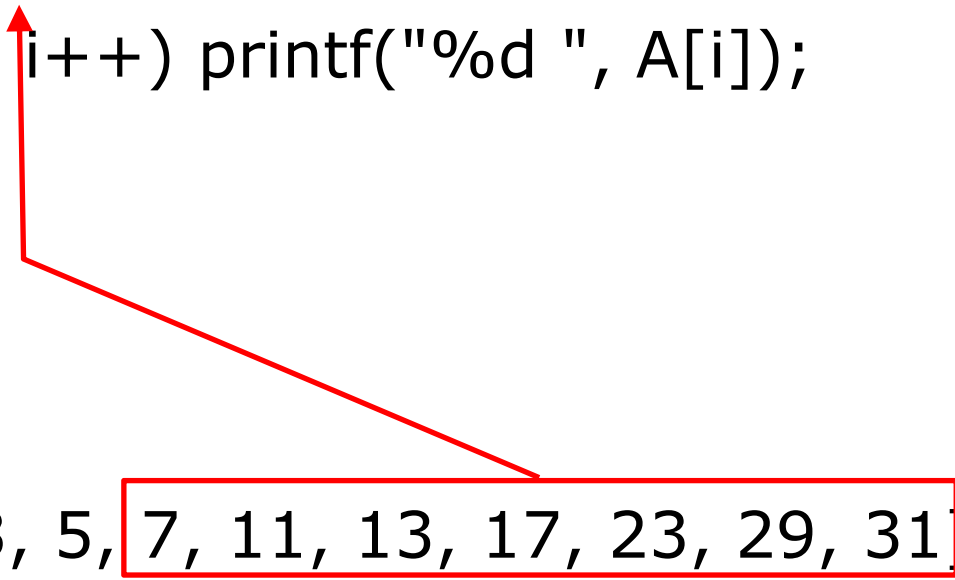
```
void printArray(int A[], int n) {  
    for (int i=0; i<n; i++) printf("%d ", A[i]);  
    printf("\n");  
}
```

```
void main() {  
    int A[10] = {1, 3, 5, 7, 11, 13, 17, 23, 29, 31};  
    printArray(A, 5);  
}
```

1 3 5 7 11

```
void printArray(int A[], int n) {  
    for (int i=0; i<n; i++) printf("%d ", A[i]);  
    printf("\n");  
}
```

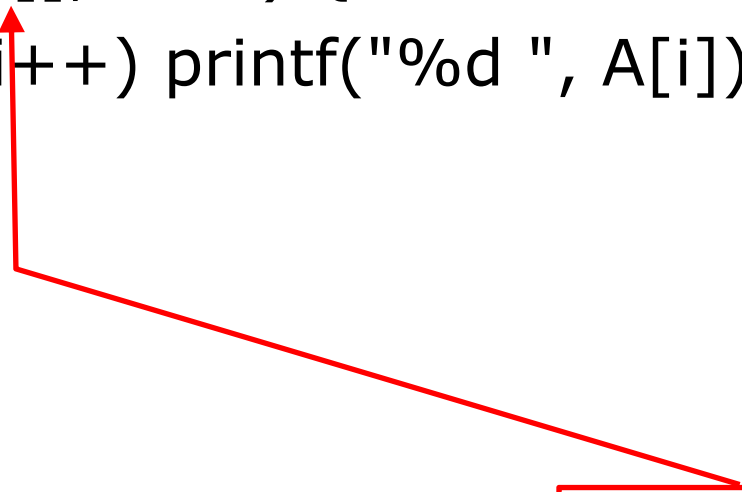
```
void main() {  
    int A[10] = {1, 3, 5, 7, 11, 13, 17, 23, 29, 31};  
    printArray(A+3, 4);  
}
```



7 11 13 17

```
void printArray(int A[], int n) {  
    for (int i=0; i<n; i++) printf("%d ", A[i]);  
    printf("\n");  
}
```

```
void main() {  
    int A[10] = {1, 3, 5, 7, 11, 13, 17, 23, 29, 31};  
    printArray(A+7, 2);  
}
```



23 29

```
void main() {  
    int A[10] = {1, 3, 5, 7, 11, 13, 17, 23, 29, 31};  
    printf("%d\n", A[2]);  
    printf("%d\n", (A+3)[0]);  
    printf("%d\n", (A+5)[2]);  
}
```

5

7

23

```
void main() {  
    int A[10] = {1, 3, 5, 7, 11, 13, 17, 23, 29, 31};  
    int *p; p = A; ← C treat A as constant  
    printf("%d\n", p[2]);  
    printf("%d\n", (p+3)[0]);  
    printf("%d\n", (p+5)[2]);  
}
```

5

7

23



```
void main() {  
    int A[10] = {1, 3, 5, 7, 11, 13, 17, 23, 29, 31};  
    int *p; A = p;  
    printf("%d\n", p[2]);  
    printf("%d\n", (p+3)[0]);  
    printf("%d\n", (p+5)[2]);  
}
```

error: array type 'int [10]' is not assignable

```
int *p; A = p;  
      ~ ^
```

```
void main() {  
    int A[10] = {1, 3, 5, 7, 11, 13, 17, 23, 29, 31};  
    printf("%d\n", A[0]);  
    printf("%d\n", *A);  
    printf("%d\n", A);  
}
```

1

1

-296015264

Process finished with exit code 11

```
void main() {  
    int A[10] = {1, 3, 5, 7, 11, 13, 17, 23, 29, 31};  
    printf("%d\n", A[2]);  
    printf("%d\n", *(A+3));  
    printf("%d\n", A+3);  
}
```

5

7

-390227348

Process finished with exit code 11

## What will be printed?

```
void main() {  
    int A[10] = {1, 3, 5, 7, 11, 13, 17, 23, 29, 31};  
    int i = (A+5)[2];  
    printf("%d\n", i);  
}
```

## What will be printed?

```
void main() {  
    int A[10] = {1, 3, 5, 7, 11, 13, 17, 23, 29, 31};  
    int *p;  
    p = A;  
    printf("%d\n", p[3]);  
    p = A+3;  
    printf("%d\n", p[2]);  
}
```

## What will be printed?

```
void printArray(int A[], int n) {  
    for (int i=0; i<n; i++) printf("%d ", A[i]);  
    printf("\n");  
}
```

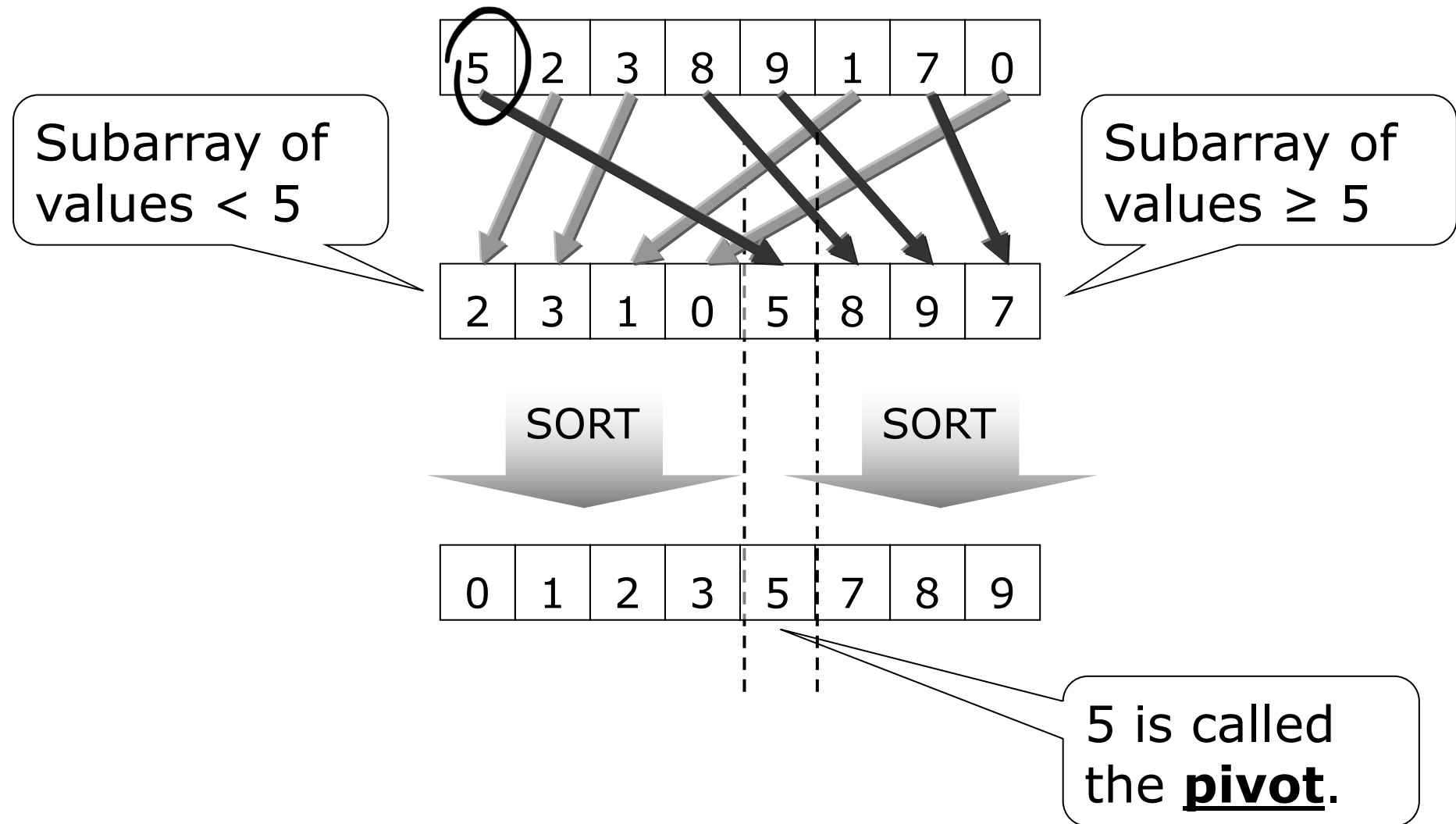
```
void main() {  
    int A[10] = {1, 3, 5, 7, 11, 13, 17, 23, 29, 31};  
    int *p; p = A; printArray(p, 4);  
}
```

## What will be printed?

```
void printArray(int A[], int n) {  
    for (int i=0; i<n; i++) printf("%d ", A[i]);  
    printf("\n");  
}
```

```
void main() {  
    int A[10] = {1, 3, 5, 7, 11, 13, 17, 23, 29, 31};  
    int *p; p = A; printArray(p+3, 4);  
}
```

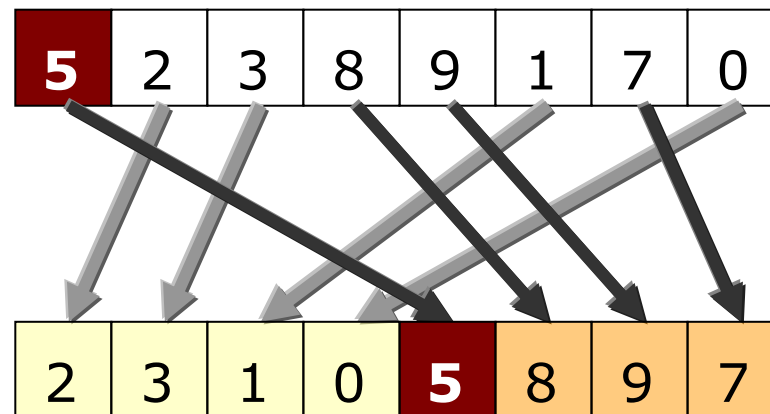
# The Quicksort Algorithm



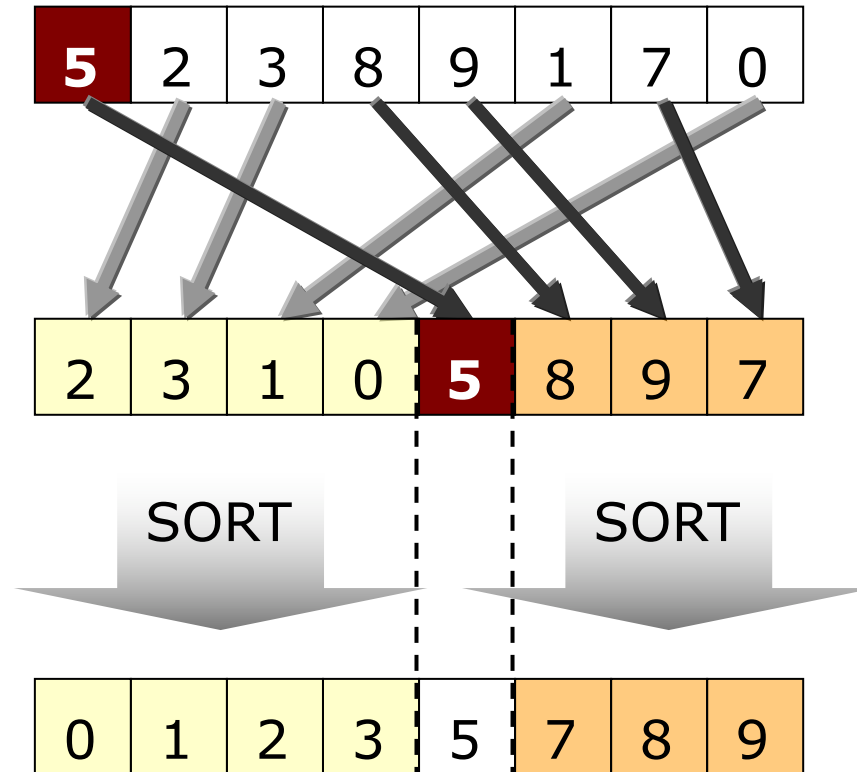


This is the basic idea of the **quicksort** algorithm:

- First, if the array is empty, or has only 1 element, then it is already sorted.
- Otherwise, choose a **pivot** and rearrange the elements in the array so that large elements are moved toward the end and small elements towards the beginning.



- Finally, sort the two subarrays.



We usually simply take the first element of the array as the pivot.

<b>5</b>	2	3	8	9	1	7	0
----------	---	---	---	---	---	---	---

To arrange the array, we use the following method:

Initially,  $p=1$  and  $q=n-1$ .

**REPEAT**

$q$ : moves left until  $\text{array}[q] < \text{pivot}$  or meets  $p$

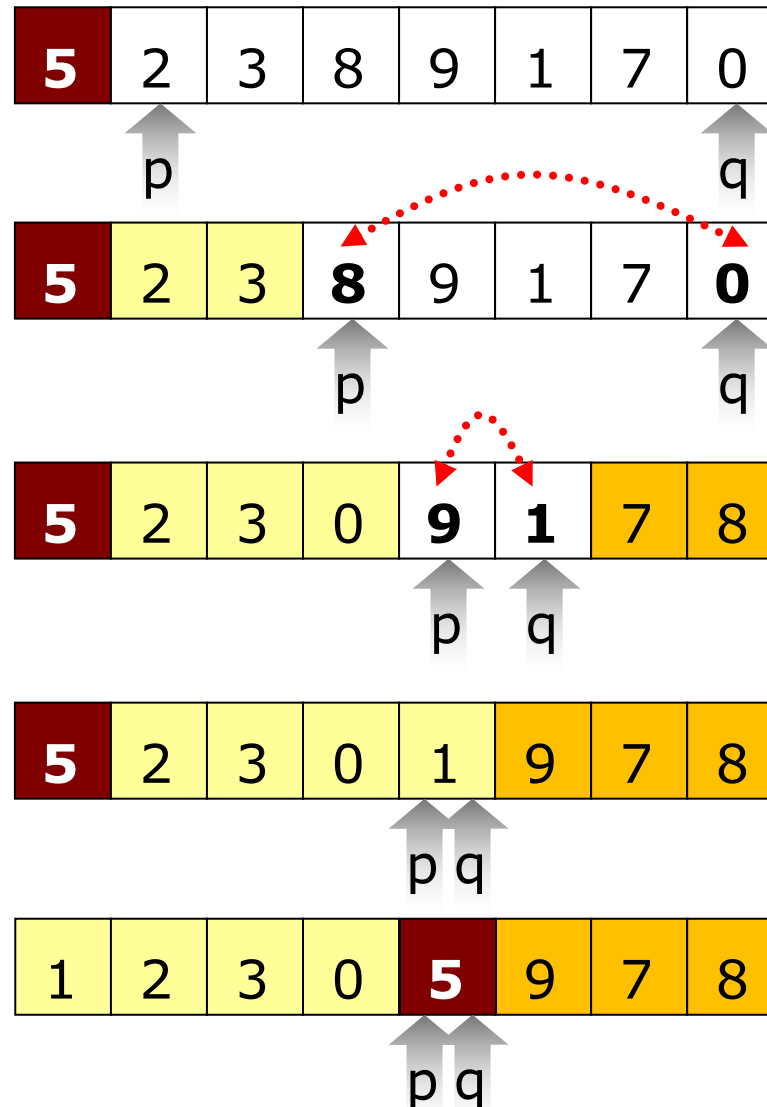
$p$ : moves right until  $\text{array}[p] \geq \text{pivot}$  or meets  $q$

If  $p$  meets  $q$ , then break

else

swap  $\text{array}[p]$  and  $\text{array}[q]$ .

Finally, put the pivot into the position where  $p$  and  $q$  meet.



## Another Example:

Initially,  $p=1$  and  $q=n-1$ .

### **REPEAT**

$q$ : moves left until  
 $\text{array}[q] < \text{pivot}$   
or meets  $p$

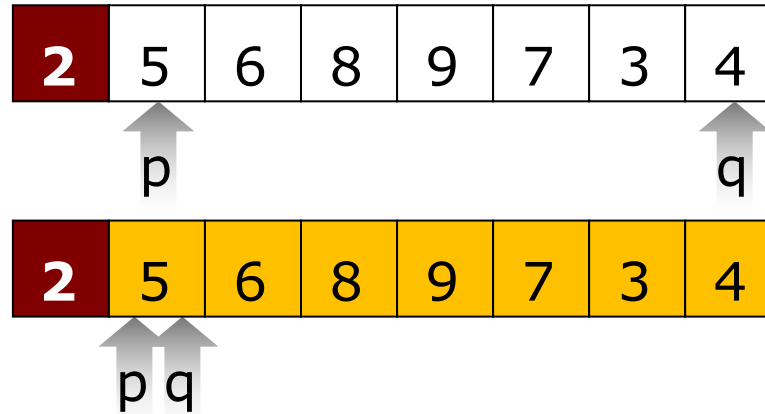
$p$ : moves right until  
 $\text{array}[p] \geq$   
pivot or meets  $q$

If  $p$  meets  $q$ , then  
break

else

swap  $\text{array}[p]$   
and  $\text{array}[q]$ .

Finally, put the pivot  
into the position  
where  $p$  and  $q$   
meet.

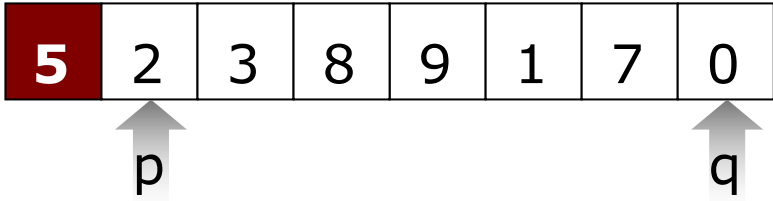


\*

```
static int Partition(int array[], int n) {  
  
    int p, q, pivot;  
    pivot=array[0]; p=1; q=n-1;  
    while (1) {  
        while (p<q && array[q]>=pivot) q--;  
        while (p<q && array[p]<pivot) p++;  
        if (p==q) break;  
        {int tmp; tmp=array[p]; array[p]=array[q]; array[q]=tmp;}  
    }  
    if (array[p] >= pivot) return(0);  
    array[0]=array[p]; array[p]=pivot;  
    return(p);  
}
```

- **pivot=array[0];**  
**p=1; q=n-1;**

Initially,  $p=1$  and  $q=n-1$ .



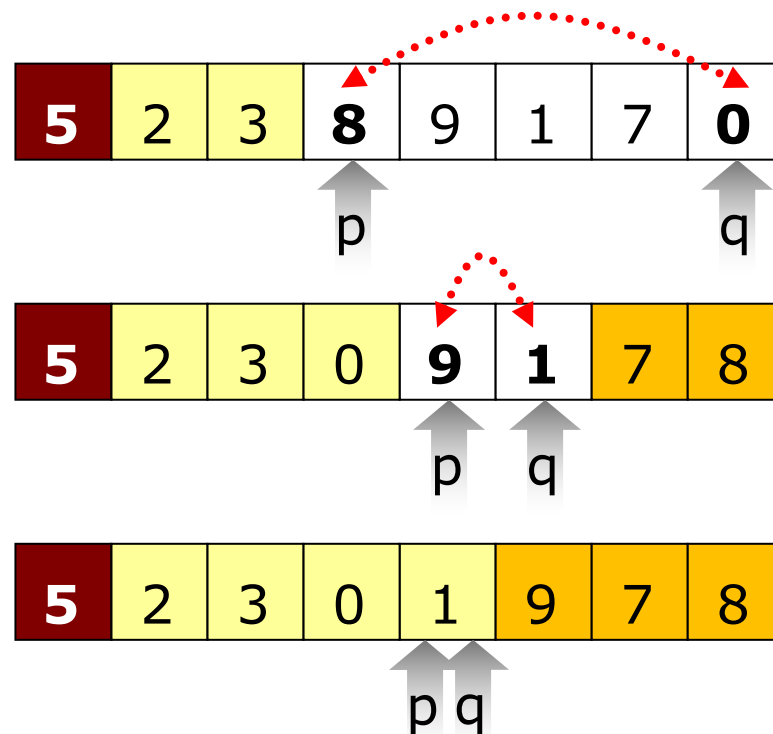
```
static int Partition(int array[], int n) {
    int p, q, pivot;
    pivot=array[0]; p=1; q=n-1;
    while (1) {
        while (p<q && array[q]>=pivot) q--;
        while (p<q && array[p]<pivot) p++;
        if (p==q) break;
        {int tmp; tmp=array[p]; array[p]=array[q]; array[q]=tmp;}
    }
    if (array[p] >= pivot) return(0);
    array[0]=array[p]; array[p]=pivot;
    return(p);
}
```

- while (1) {**  
     **while (p<q && array[q]>=pivot)**  
         **q--;**  
     **while (p<q && array[p]<pivot)**  
         **p++;**  
     **if (p==q) break;**  
     **{int tmp; tmp=array[p];array[p]=array[q];array[q]=tmp;}**  
   **}**

```
static int Partition(int array[], int n) {
    int p, q, pivot;
    pivot=array[0]; p=1; q=n-1;
    while (1) {
        while (p<q && array[q]>=pivot) q--;
        while (p<q && array[p]<pivot) p++;
        if (p==q) break;
        {int tmp; tmp=array[p]; array[p]=array[q]; array[q]=tmp;}
    }
    if (array[p] >= pivot) return(0);
    array[0]=array[p]; array[p]=pivot;
    return(p);
}
```

#### REPEAT

q: moves left until  
array[q] < pivot  
or meets p  
p: moves right until  
array[p] >=  
pivot or meets q  
If p meets q, then  
break  
else  
swap array[p]  
and array[q].





- **if (array[p] >= pivot)  
return(0);  
array[0]=array[p];  
array[p]=pivot;  
return(p);**

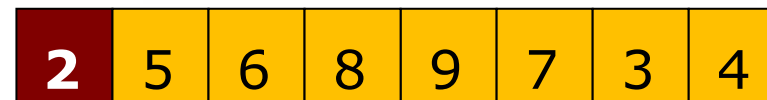
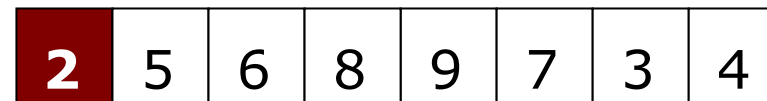
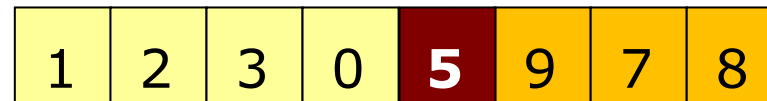
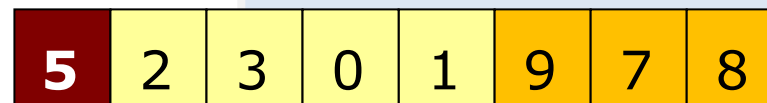
Finally, put the pivot into the position where p and q meet.

**return(p);**

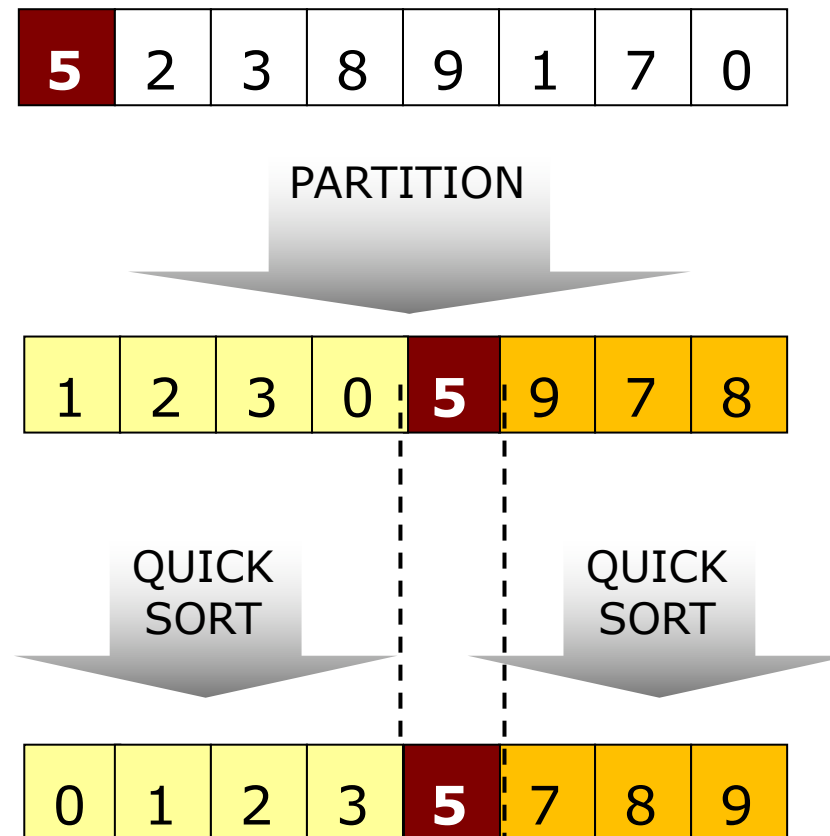
Finally, put the pivot into the position where p and q meet.

**return(0);**

```
static int Partition(int array[], int n) {
    int p, q, pivot;
    pivot=array[0]; p=1; q=n-1;
    while (1) {
        while (p<q && array[q]>=pivot) q--;
        while (p<q && array[p]<pivot) p++;
        if (p==q) break;
        {int tmp; tmp=array[p]; array[p]=array[q]; array[q]=tmp;}
    }
    if (array[p] >= pivot) return(0);
    array[0]=array[p]; array[p]=pivot;
    return(p);
}
```



## Reminder: the Quicksort algorithm



\*

```
void QuickSort(int array[], int n) {  
    int pivotPosition;  
  
    if (n<=1) return;  
  
    pivotPosition = Partition(array, n);  
  
    QuickSort(array, pivotPosition);  
    QuickSort(array+PivotPosition+1, n-PivotPosition-1);  
}
```

```
void QuickSort(int array[], int n) {  
    int pivotPosition;  
    if (n<=1) return;  
    pivotPosition = Partition(array, n);  
    QuickSort(array, pivotPosition);  
    QuickSort(array+PivotPosition+1, n-PivotPosition-1);  
}
```

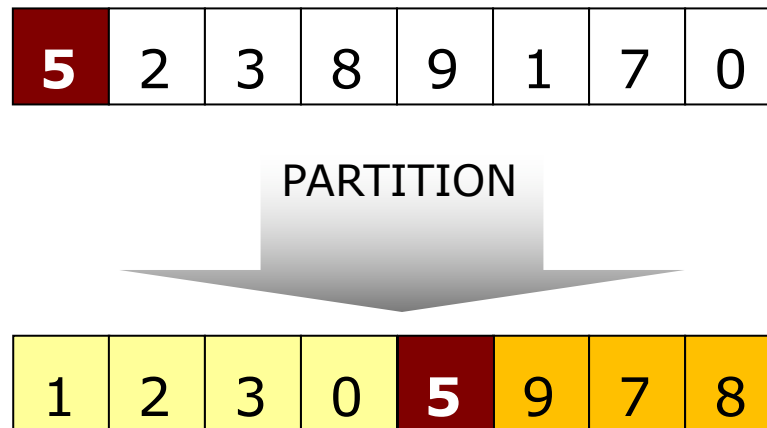
## Note:

- **if (n<=1) return;**

If the array is empty, or contains only 1 element, then it is already sorted. There is no need to do anything.

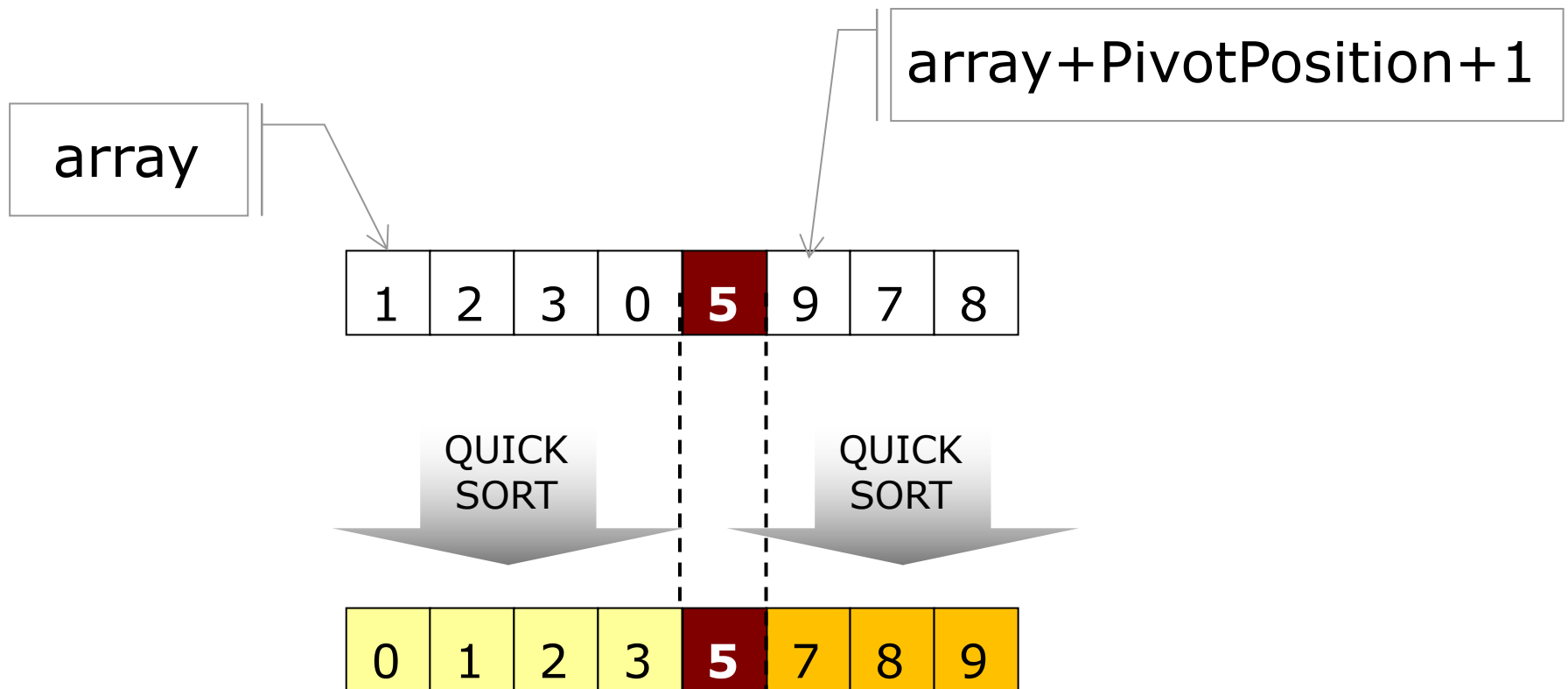
- **pivotPosition = Partition(array, n);**

In this example, pivotPosition = 4.



```
void QuickSort(int array[], int n) {  
    int pivotPosition;  
    if (n <= 1) return;  
    pivotPosition = Partition(array, n);  
    QuickSort(array, pivotPosition);  
    QuickSort(array+PivotPosition+1, n-PivotPosition-1);  
}
```

- **QuickSort(array, pivotPosition);**  
**QuickSort(array+PivotPosition+1, n-PivotPosition-1);**

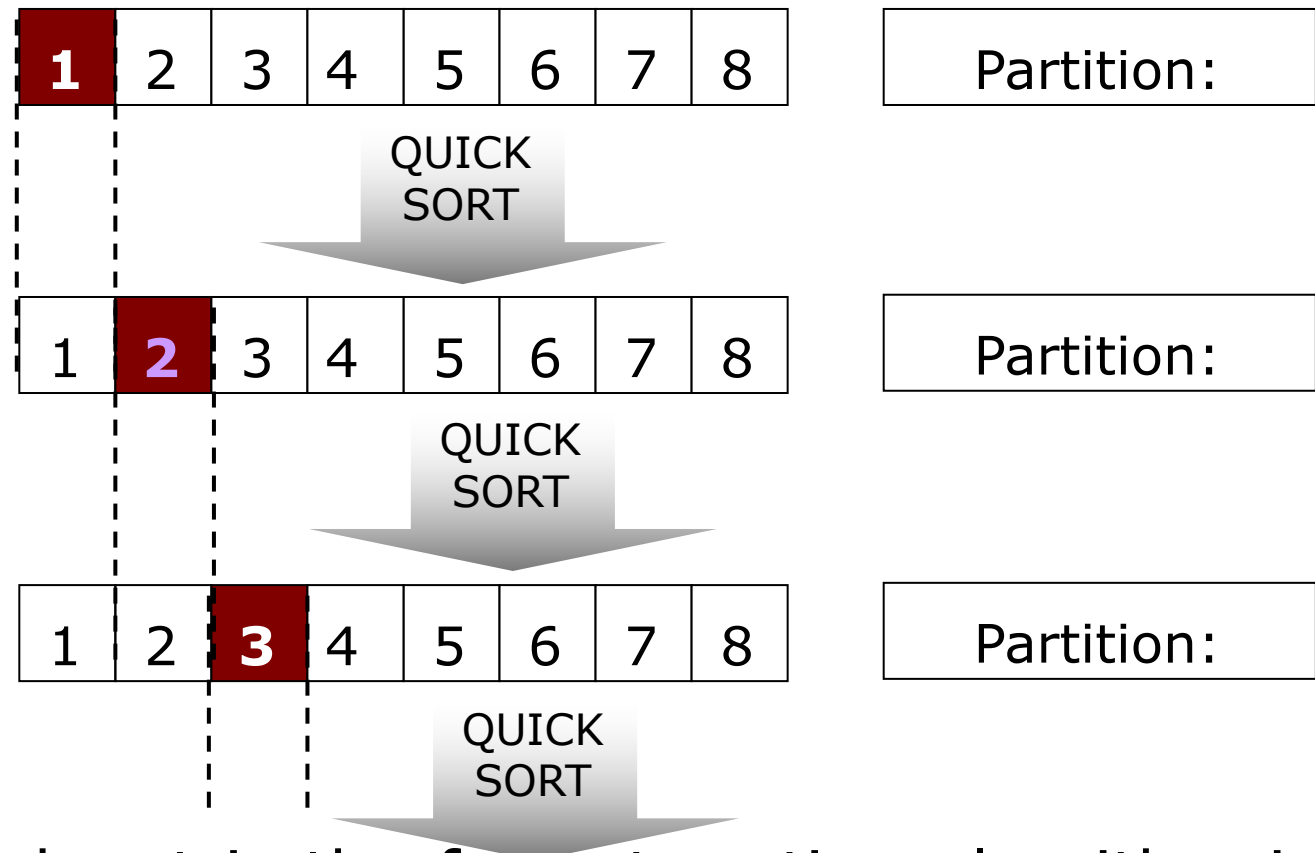


## Complexity of Quicksort

The following is simply stated and we do not show how to derive:

**The worst-case complexity of Quicksort is  $O(N^2)$ .  
The average-case complexity of Quicksort is  
 $O(N \log N)$ .**

The worst case happens when the array is already sorted.



On average, Quicksort is the fastest sorting algorithm in practice.