#### **Real-Time Volume Graphics**

#### [07] Global Volume Illumination

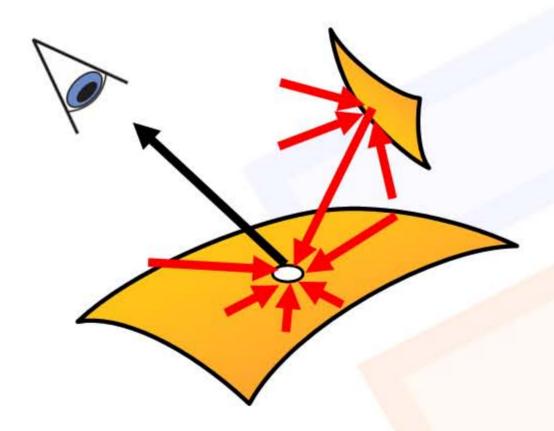
## Why Global Illumination

#### Local illumination

- might sufficient for many application areas in scientific visualization (e.g medicine)
- Not sufficient for visual arts/photorealism!
- Appearance of many common objects is dominated by scattering effects
  - Smoke, clouds
  - Wax, skin, translucent materials

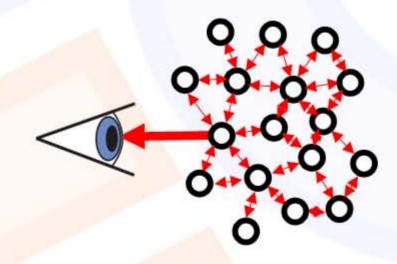
#### Surface vs Volume Illumination

#### Surface Lighting



#### Volume Lighting

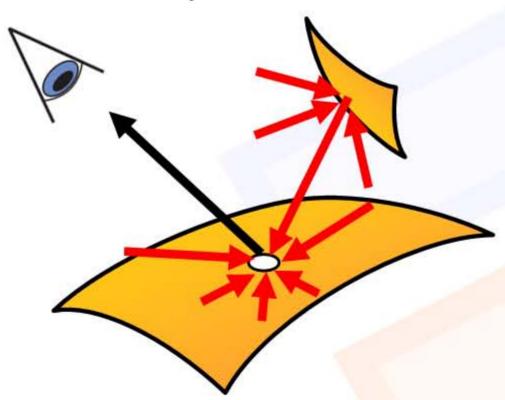
- Light transport in participating medium
- Lighing Calculation at every point
- Scattering from phase function



#### Surface vs Volume Illumination

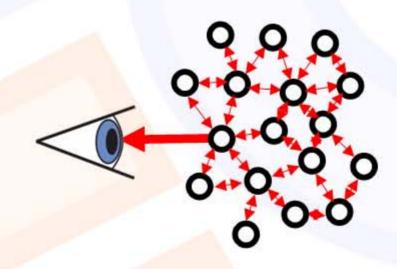
#### Surface Lighting

- Light transport in vacuum
- Lighting calculation is performed at surface points
- Reflectivity from BRDF



#### Volume Lighting

- Light transport in participating medium
- Lighing Calculation at every point
- Scattering from phase function



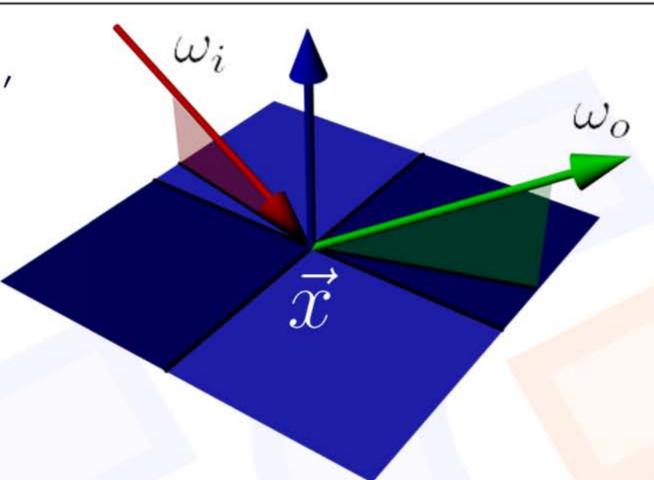
#### **Surface Illumination**

The incoming radiance  $L_i$ , at a point  $\vec{x}$  from direction

$$\omega_i = (\theta_i, \phi_i)$$

will partially be reflected into direction

$$\omega_o = (\theta_o, \phi_o)$$



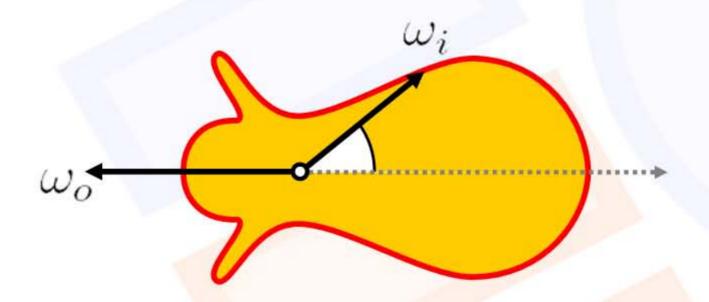
To obtain the radiance at  $\vec{x}$ , we must account for all possible incoming directions:

$$L_o(\vec{x}, \vec{\omega_o}) = \int_{\Omega} f(\vec{x}, \vec{\omega_i} \to \vec{\omega_o}) L_i(\vec{x}, \vec{\omega_i}) \cos \theta_i \, d\omega_i$$



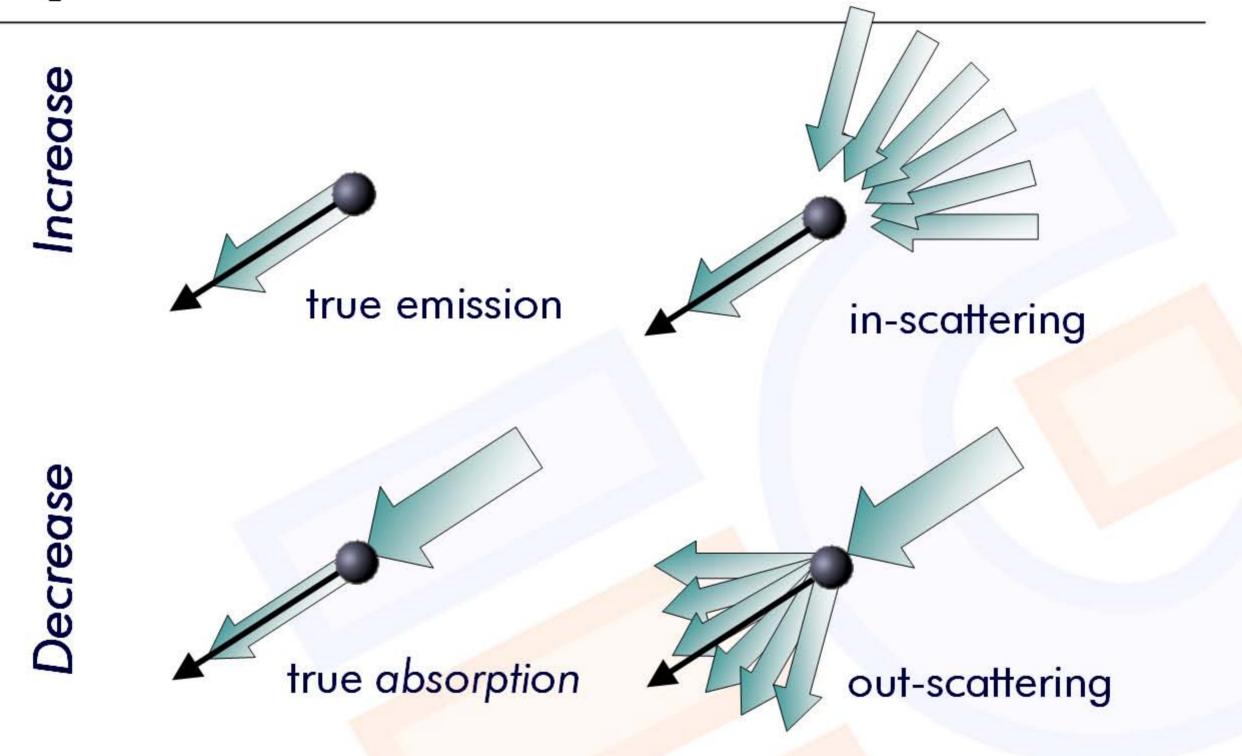
#### **Phase Functions**

- For **surfaces**, the BRDF describes the probability of light being reflected from one direction  $\omega_i$  on the hemisphere into another direction  $\omega_o$ .
- For **volumes**, the phase function  $p(\mathbf{x}, \omega_o, \omega_i)$  describes the probability of light being scattered from direction into direction





#### Physical Model of Radiative Transfer

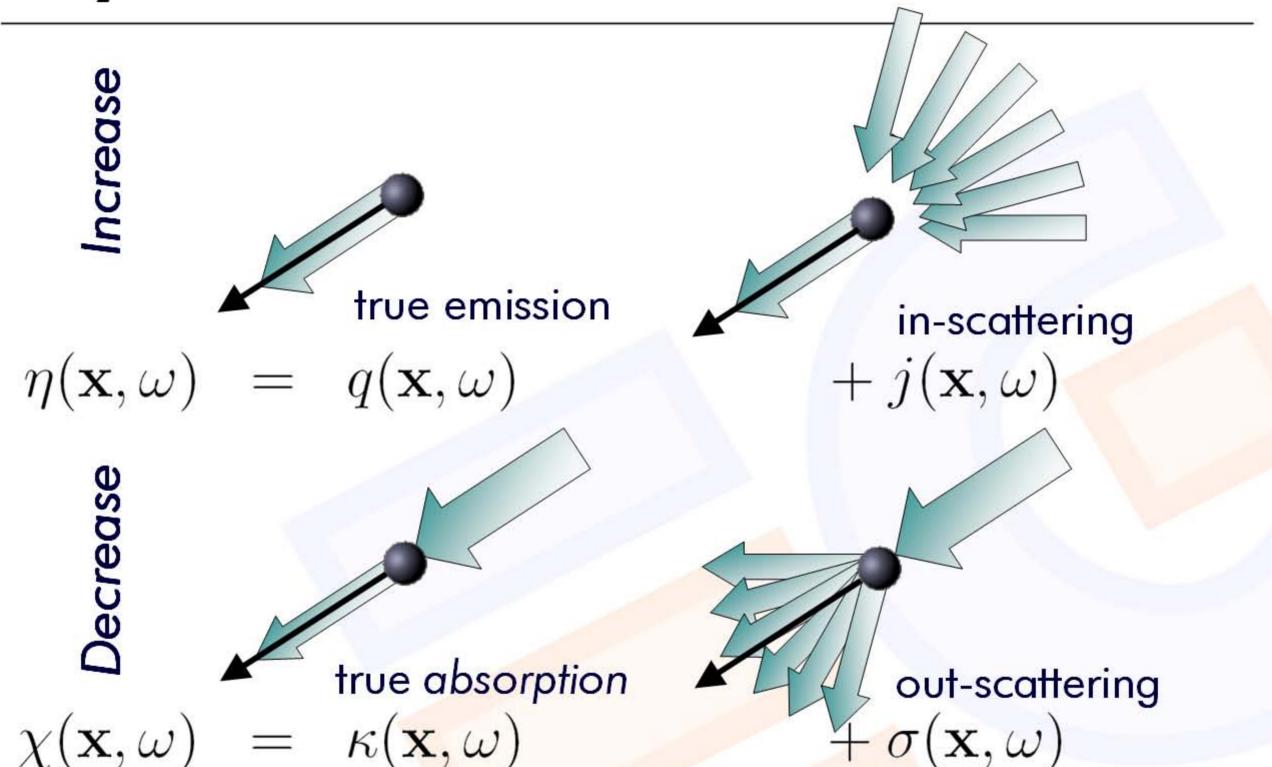






REAL-TIME VOLUME GRAPHICS

#### Physical Model of Radiative Transfer





In-scattering

Phase function

Incoming radiance

$$j(\mathbf{x}, \omega) = \frac{1}{4\pi} \int_{\text{sphere}} \sigma(\mathbf{x}, \omega') p(\mathbf{x}, \omega', \omega) I(\mathbf{x}, \omega') d\omega'$$

Volume Rendering Equation:

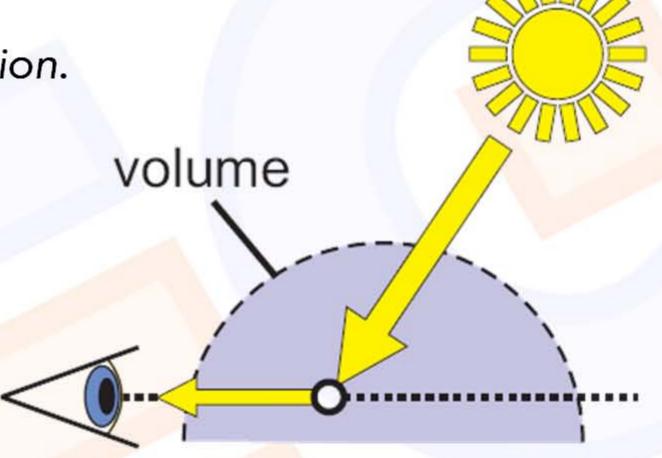
$$\begin{split} \boldsymbol{\omega} \cdot \nabla_{\mathbf{x}} I(\mathbf{x}, \boldsymbol{\omega}) &= -(\kappa(\mathbf{x}, \boldsymbol{\omega}) + \sigma(\mathbf{x}, \boldsymbol{\omega})) I(\mathbf{x}, \boldsymbol{\omega}) + q(\mathbf{x}, \boldsymbol{\omega}) \\ &+ \int_{\mathrm{sphere}} \sigma(\mathbf{x}, \boldsymbol{\omega}') p(\mathbf{x}, \boldsymbol{\omega}', \boldsymbol{\omega}) I(\mathbf{x}, \boldsymbol{\omega}') \; \mathrm{d}\boldsymbol{\omega}' \end{split}$$

#### **Volume Illumination**

- Up until now: External light is not attenuated
- Now: Attenuation of light as it travels through the volume

Single scattering, no attenuation.

- Light reaches every point unimpededly
- Light is scattered once before it reaches the eye
- Not physically plausible



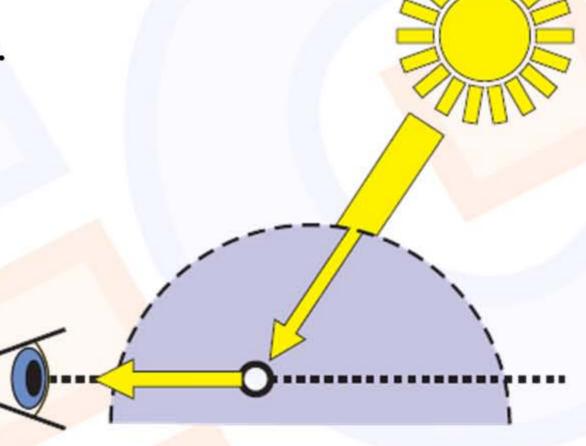


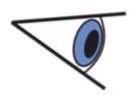
#### **Volume Illumination**

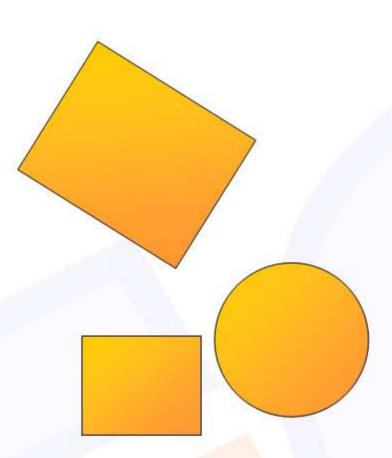
- Up until now: External light is not attenuated
- Now: Attenuation of light as it travels through the volume

Single scattering with attenuation.

- Light is attenuated along ist way through the volume (Volumetric shadows)
- Light is scattered once before it reaches the eye

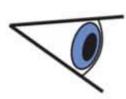


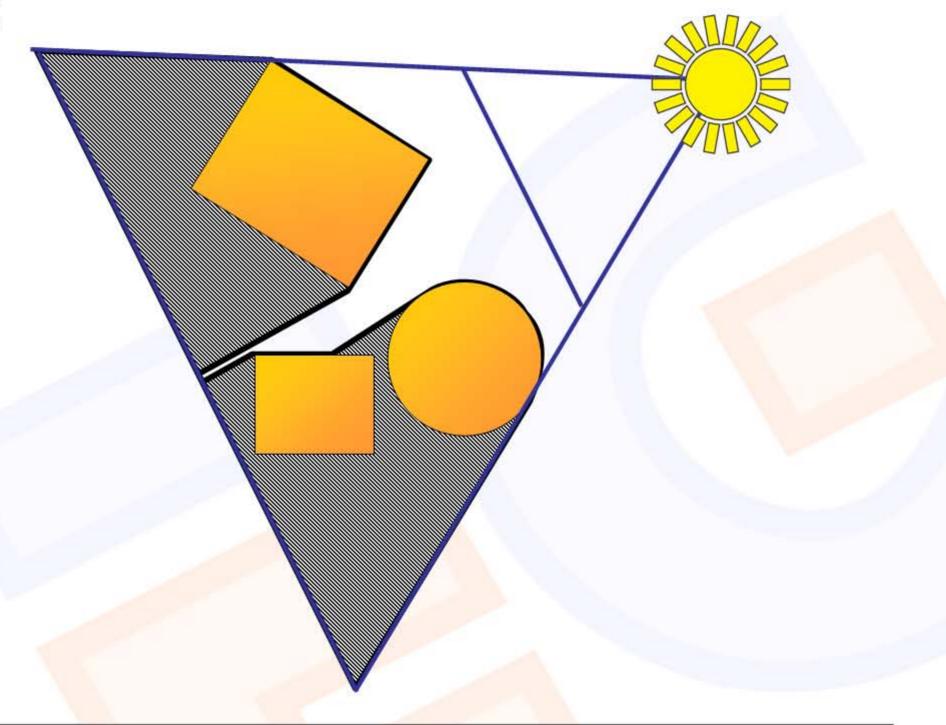


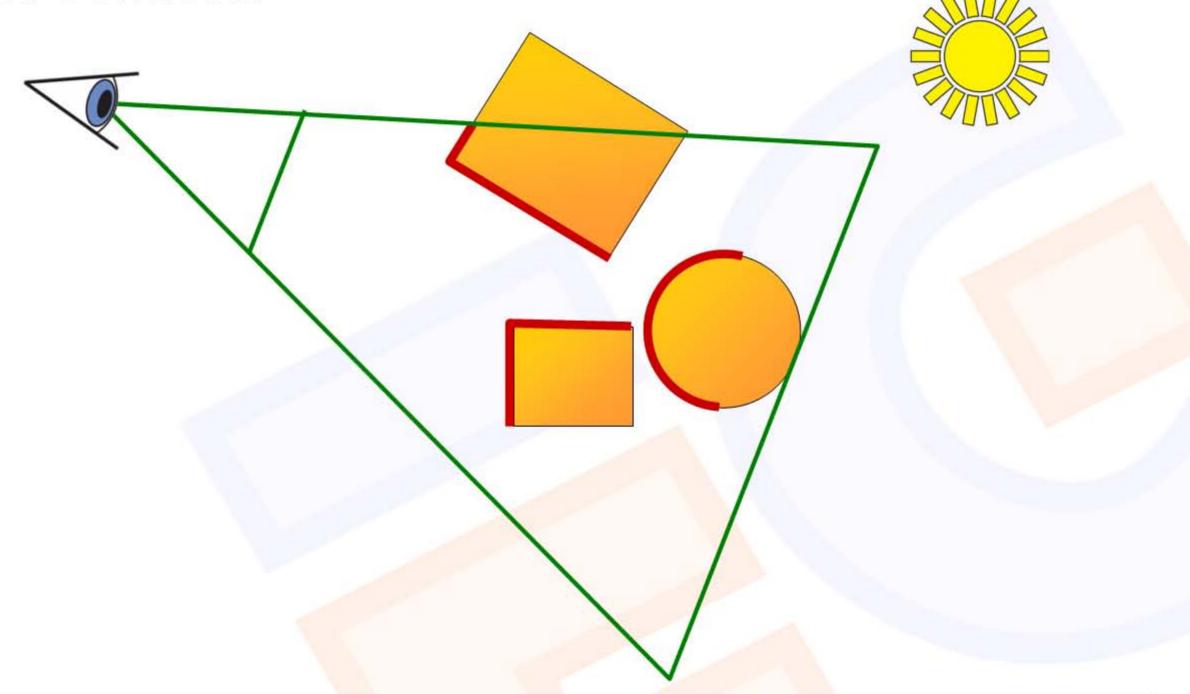


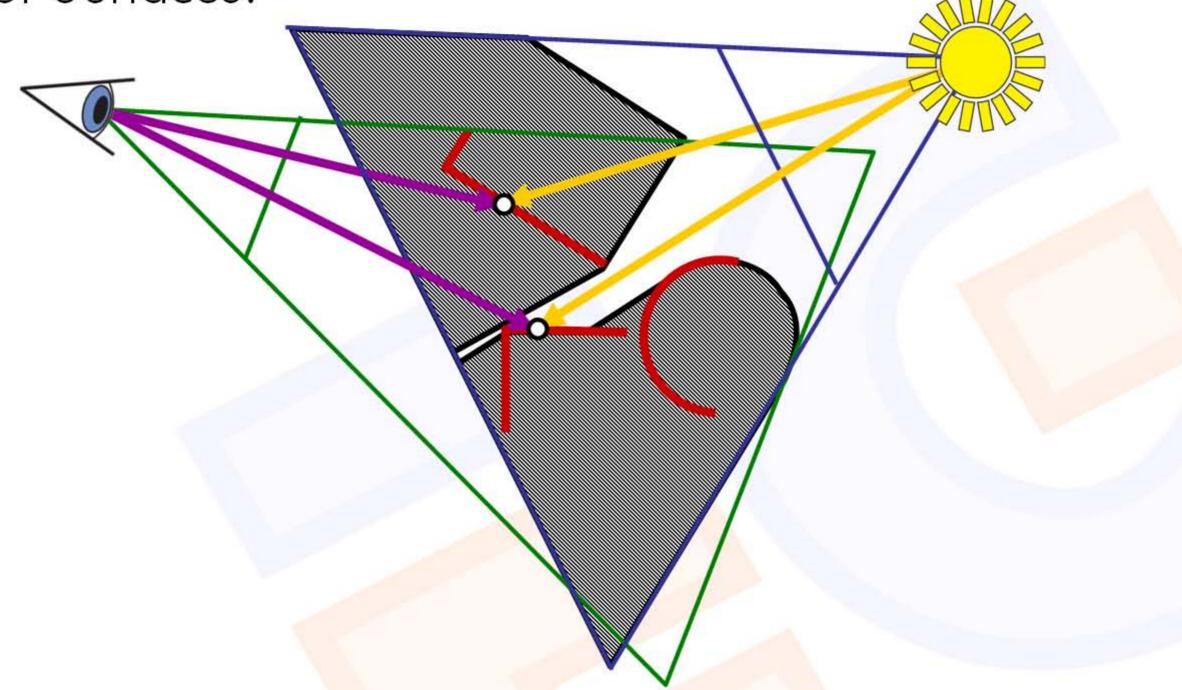










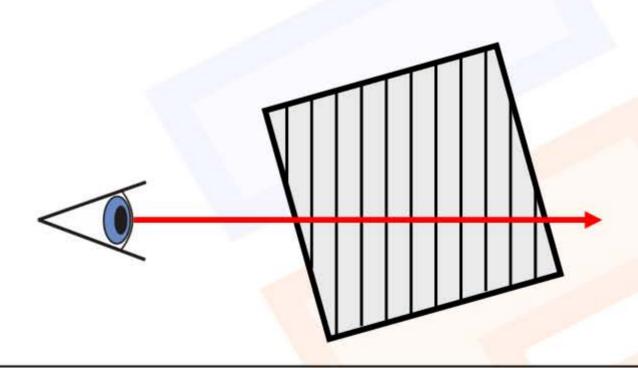


For Volume Rendering:

Update image and shadow buffer slice-by-slice

Need proxy geometry, that can be rendered from two

different views.

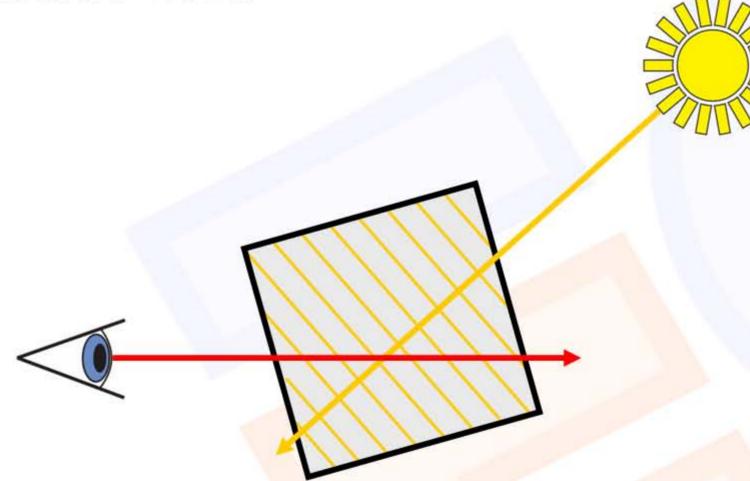


For Volume Rendering:

Update image and shadow buffer slice-by-slice

Need proxy geometry, that can be rendered from two

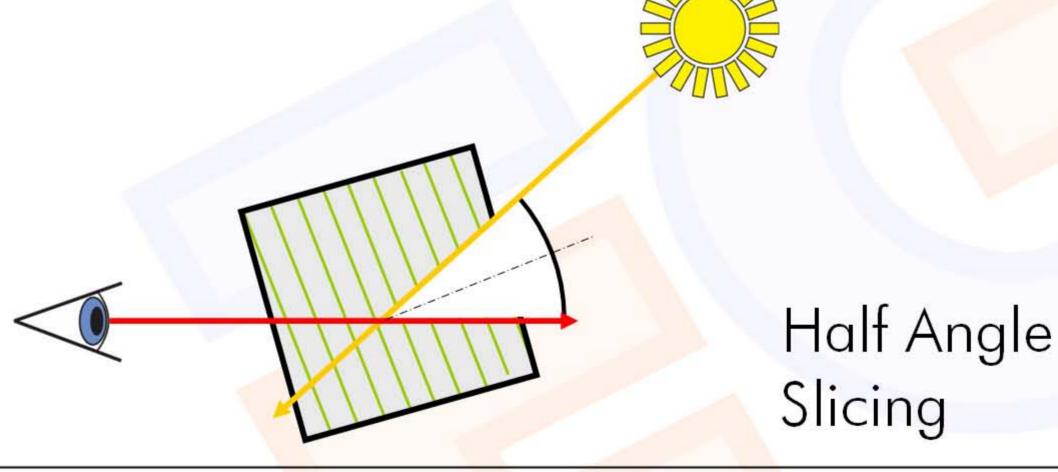
different views.



For Volume Rendering:

Update image and shadow buffer slice-by-slice

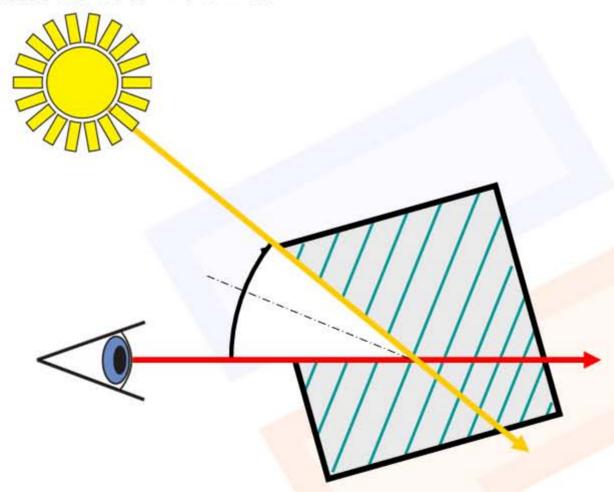
Need proxy geometry, that can be rendered from two different views.





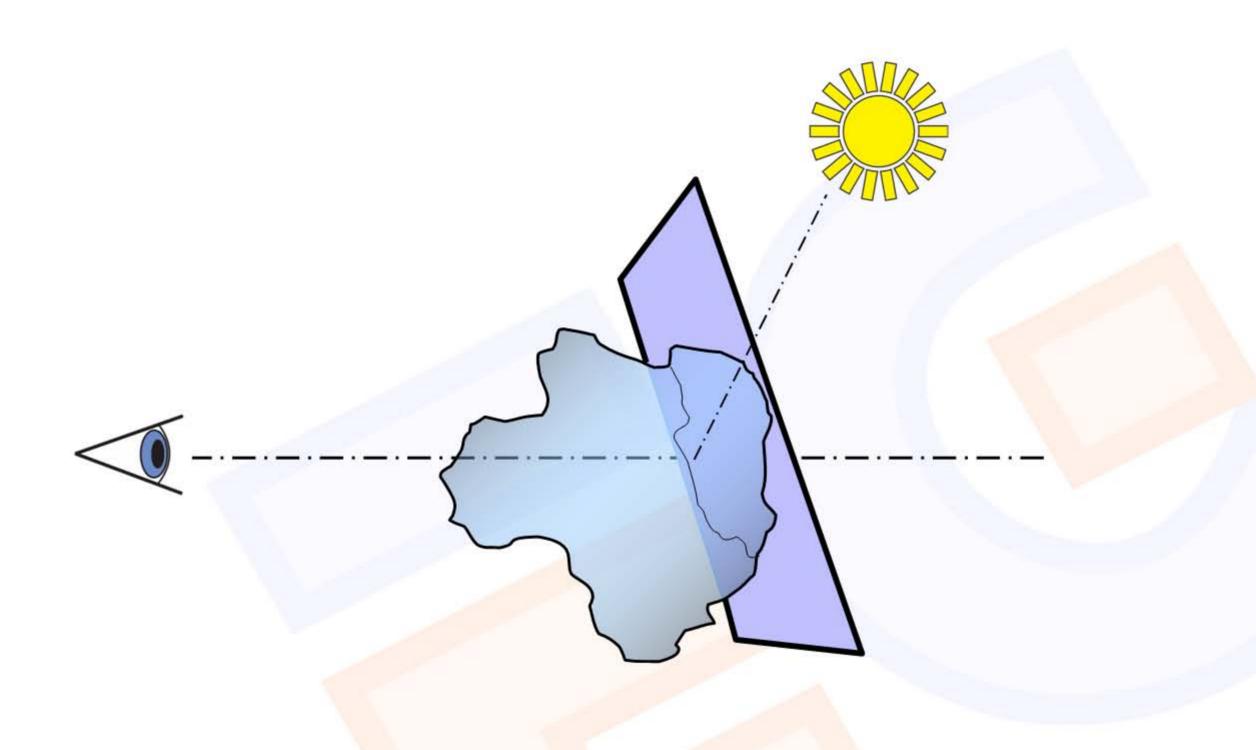


- For Volume Rendering:
  - Update image and shadow buffer slice-by-slice
  - Need proxy geometry, that can be rendered from two different views.

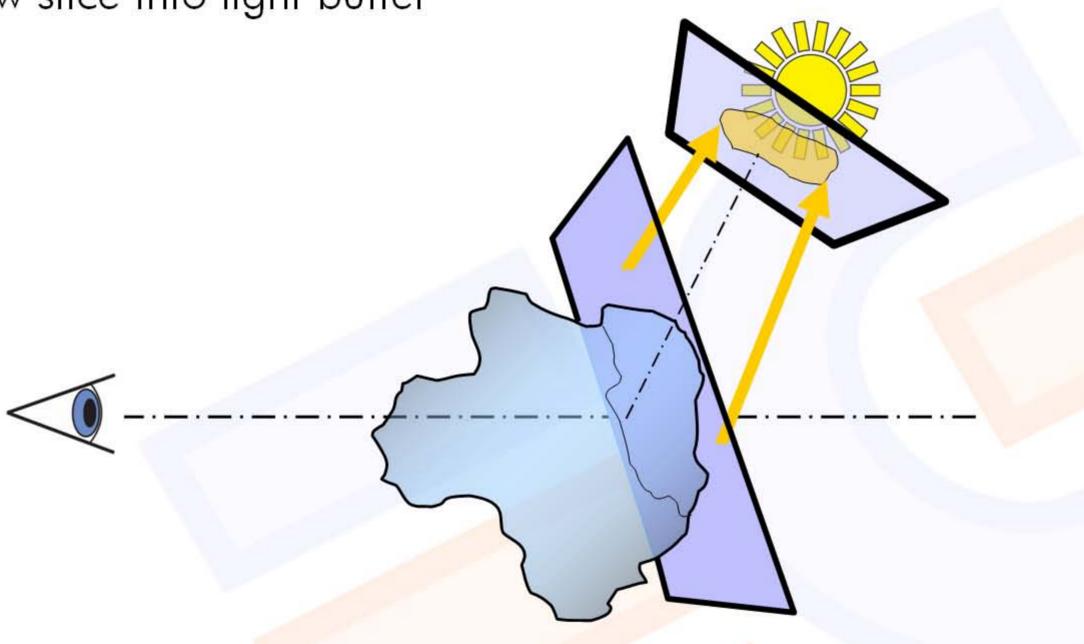


Half Angle Slicing





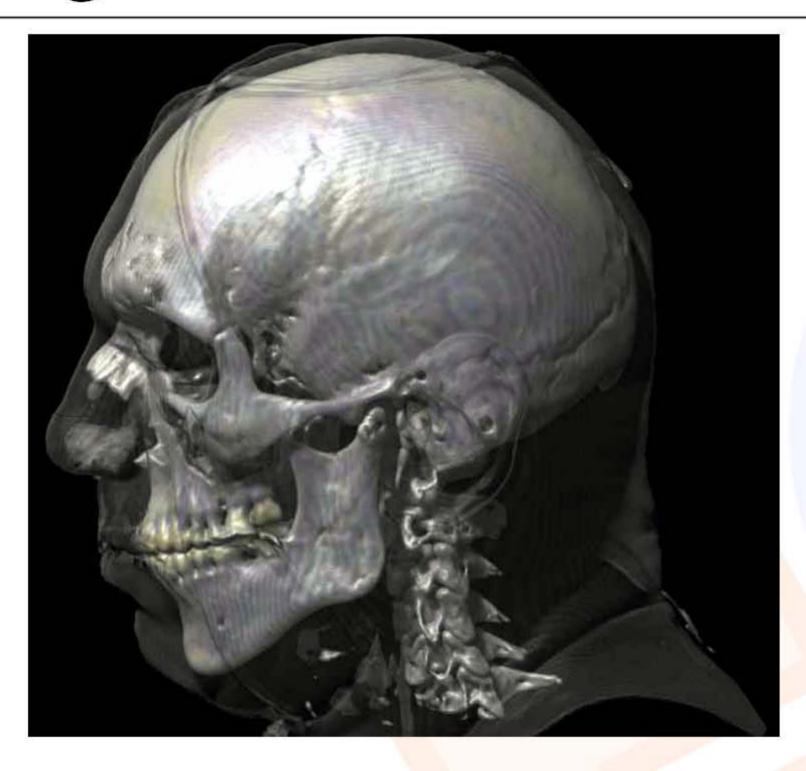
1. Draw slice into light buffer



1. Draw slice into light buffer 2. Draw slice into image buffer

1. Draw slice into light buffer 2. Draw slice into image buffer 3. Proceed with next slice





#### Example:

Visible Human CT Head

Direct Light + Attenuation

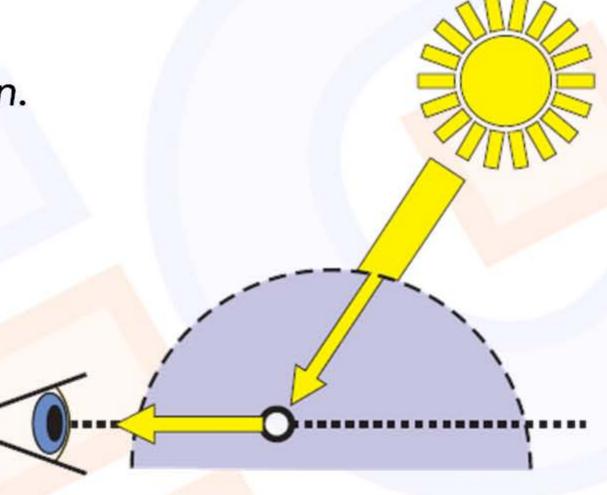
#### **Volume Illumination**

Up until now: External light is attenuated by volume

Single scattering with attenuation.

 Light is attenuated along ist way through the volume (Volumetric shadows)

 Light is scattered once before it reaches the eye

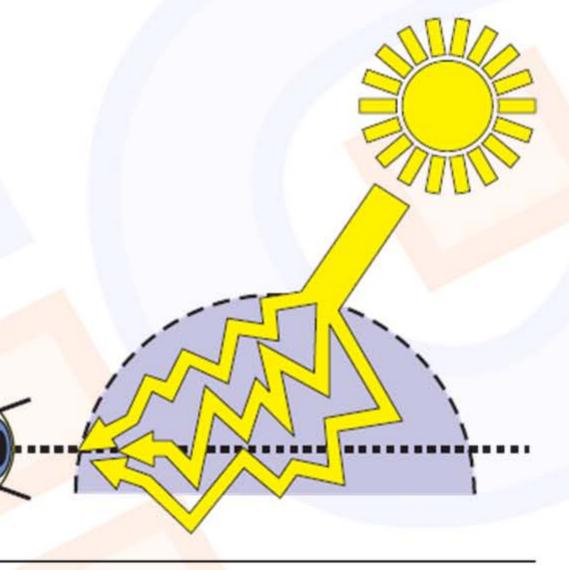


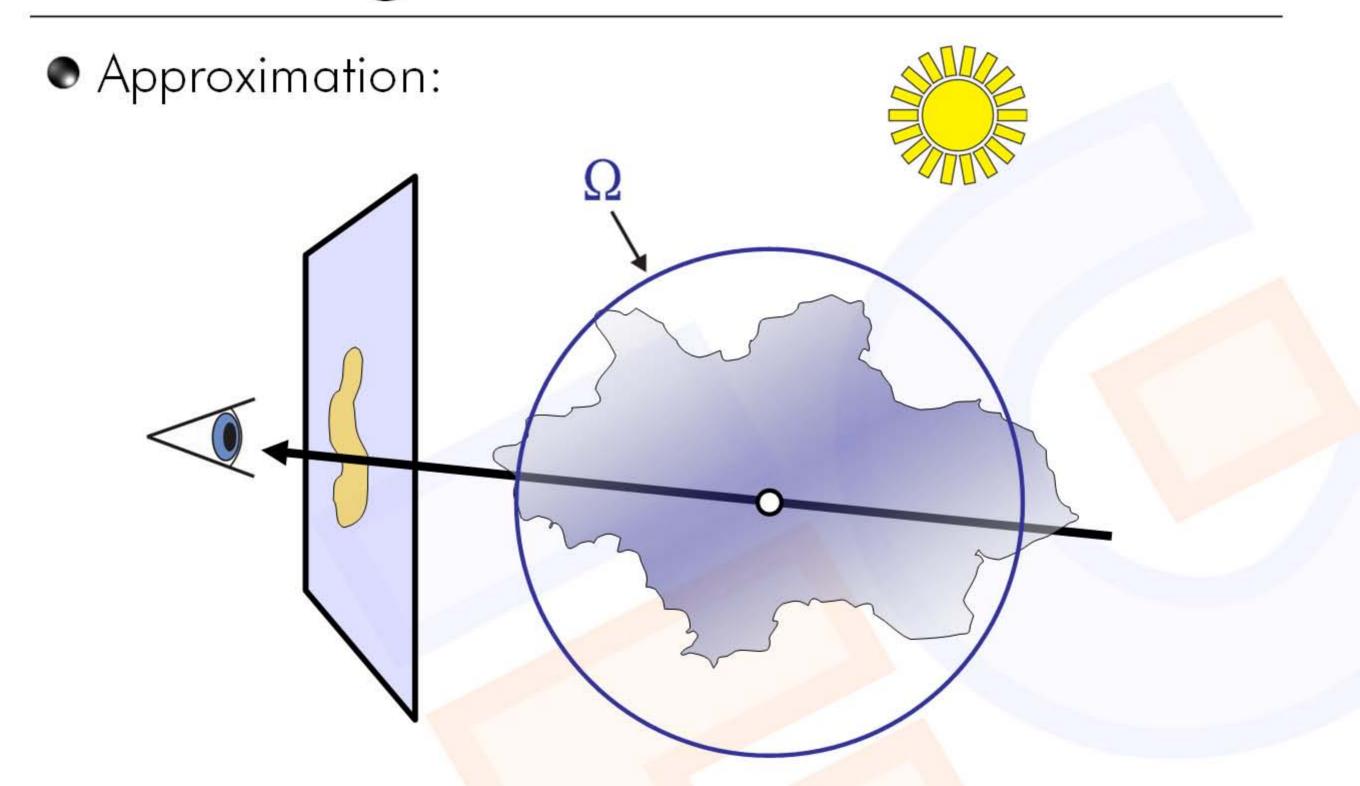
#### **Volume Illumination**

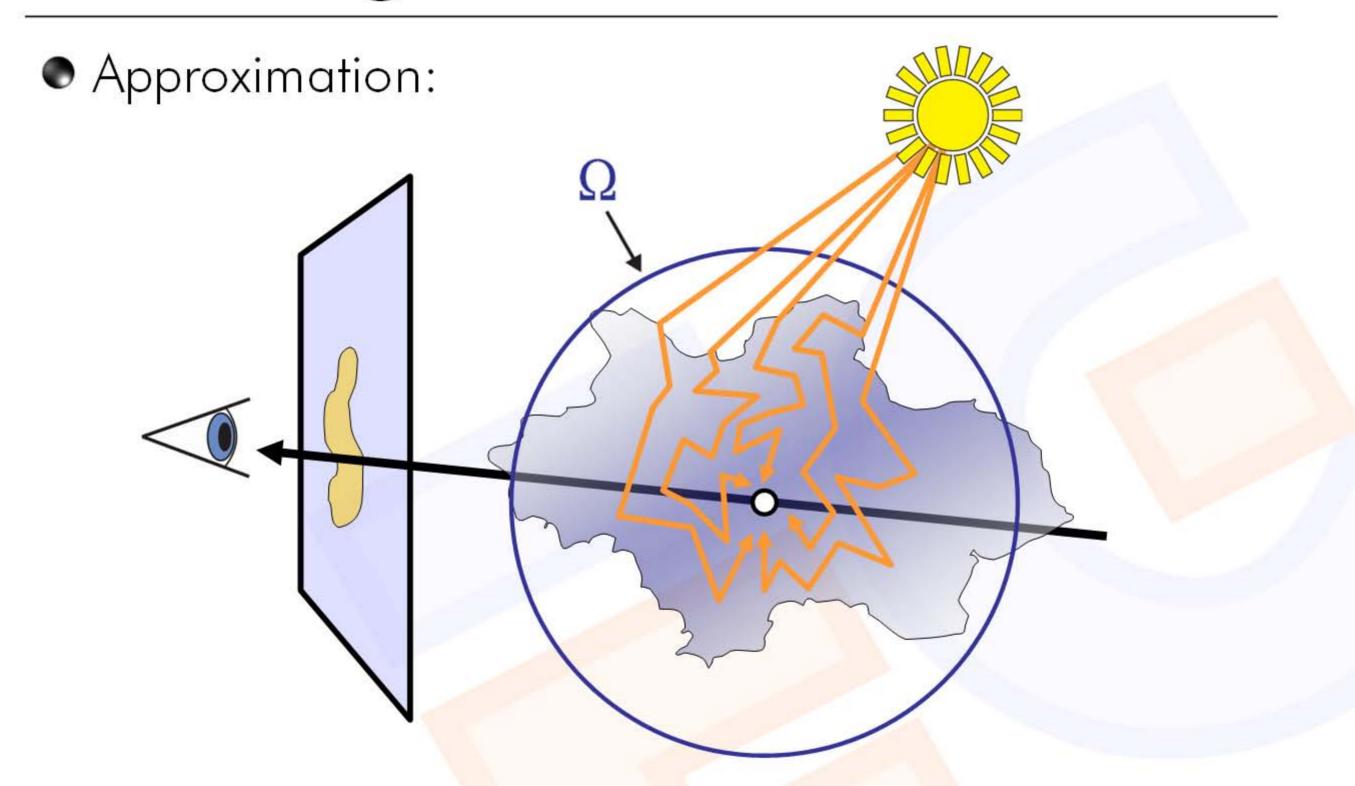
- Up until now: External light is attenuated by volume
- Now: Light is scattered inside the volume

#### Multiple scattering

 Light is scattered multiple times before it reaches the eye (Global illumination)

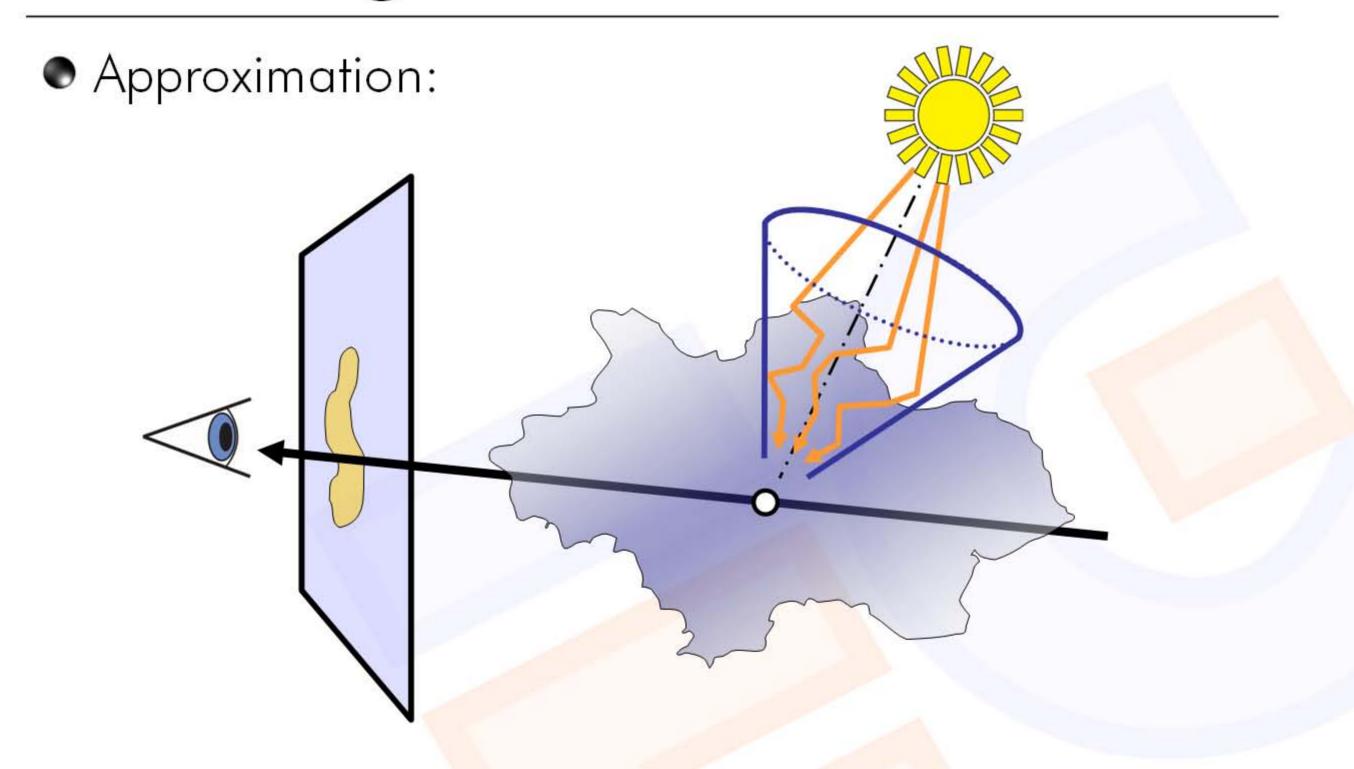








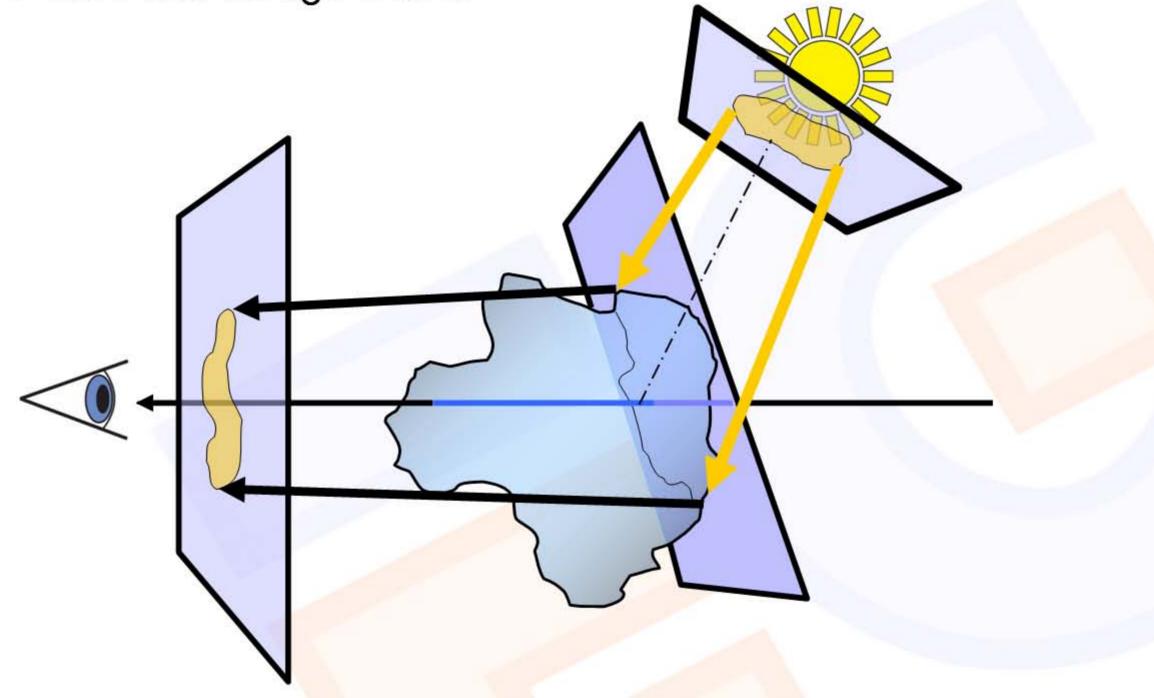








2. Draw slice into image buffer



2. Draw slice into image buffer Sample light buffer multiple times jittered around the original position

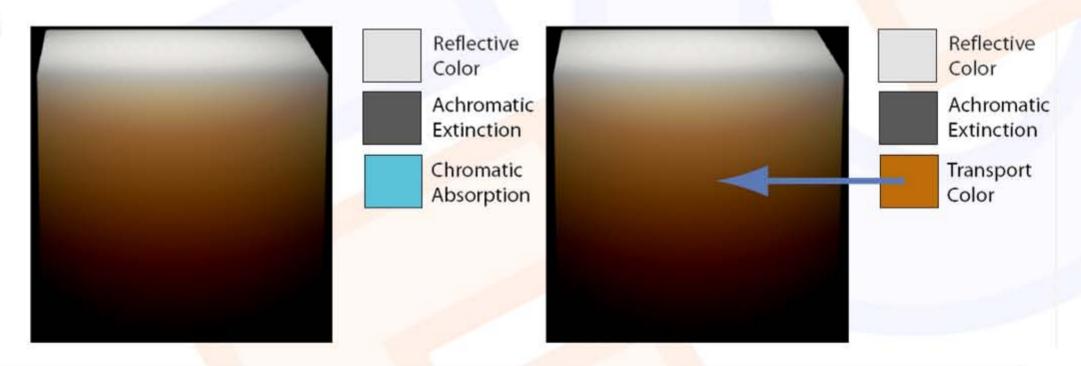
Scattering part:

$$j(\mathbf{x}, \omega) = \frac{1}{4\pi} \int_{\text{sphere}} \sigma(\mathbf{x}, \omega') p(\mathbf{x}, \omega', \omega) I(\mathbf{x}, \omega') d\omega'$$

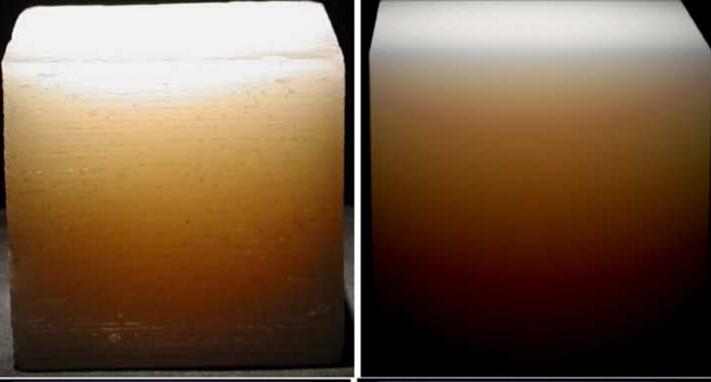
• Chromatic out-scattering term  $\sigma(\mathbf{x},\omega')$  can be used to change color of light as it travels throught the

volume

REAL-TIME VOLUME GRAPHICS

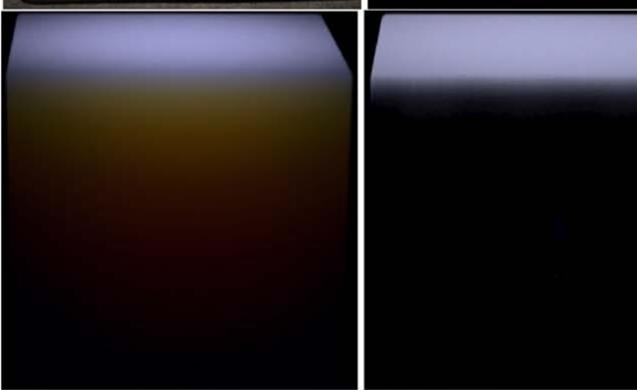


Photograph of real wax block



Volumetric
Scattering
+ Chromatic
Attenuation

Bright blue reflective color

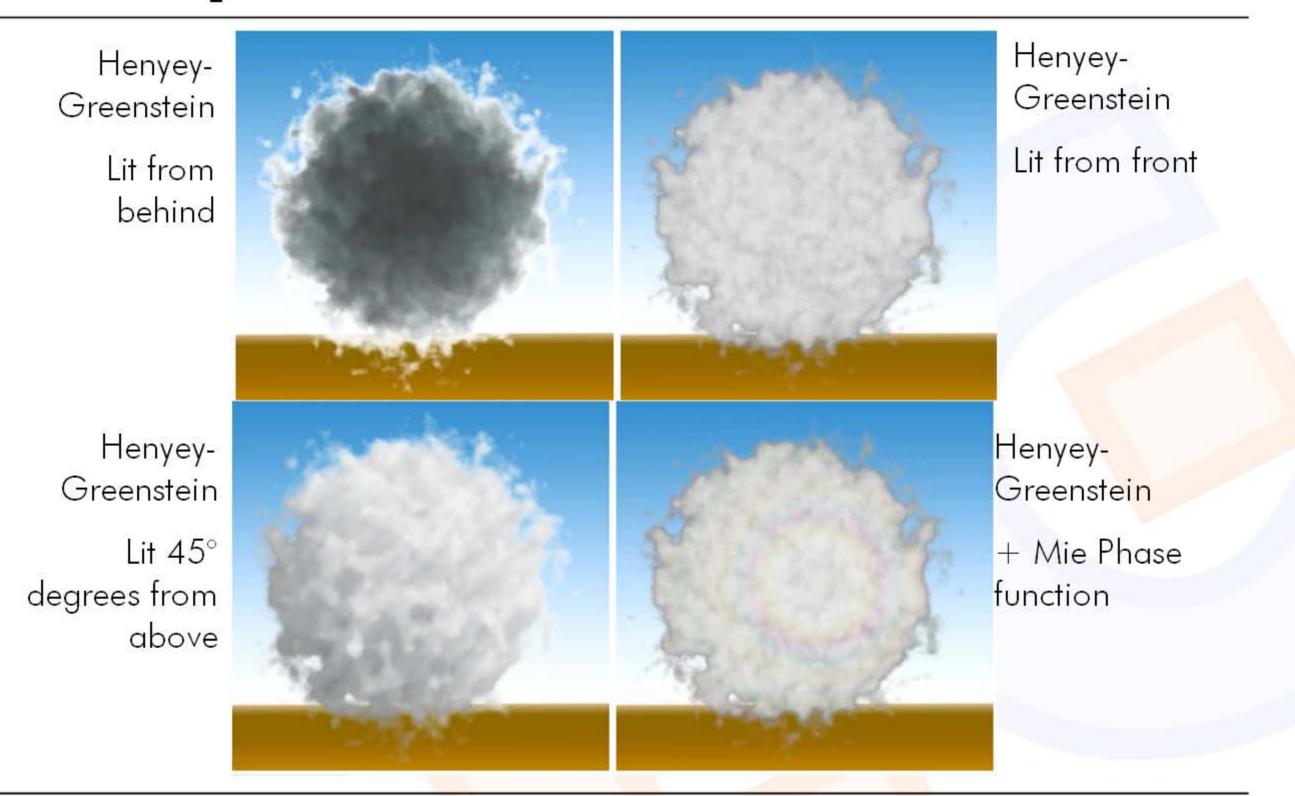


Direct attenuation only





#### **Examples Phase Function**

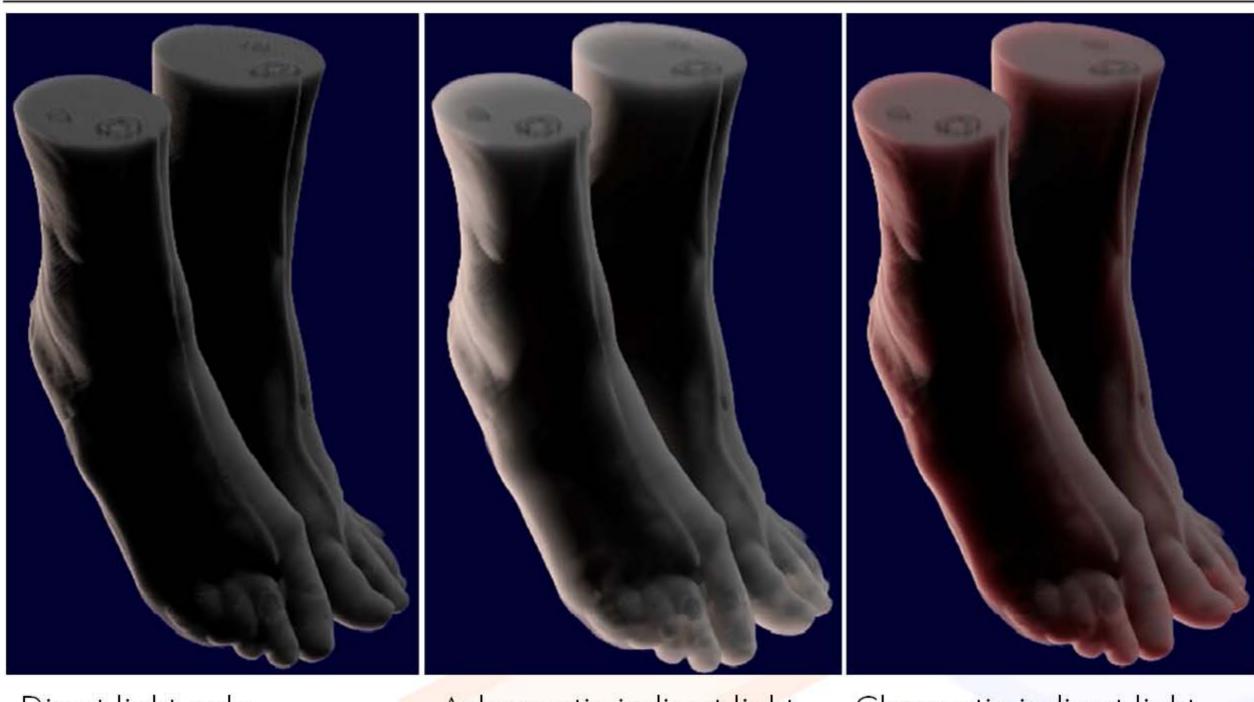












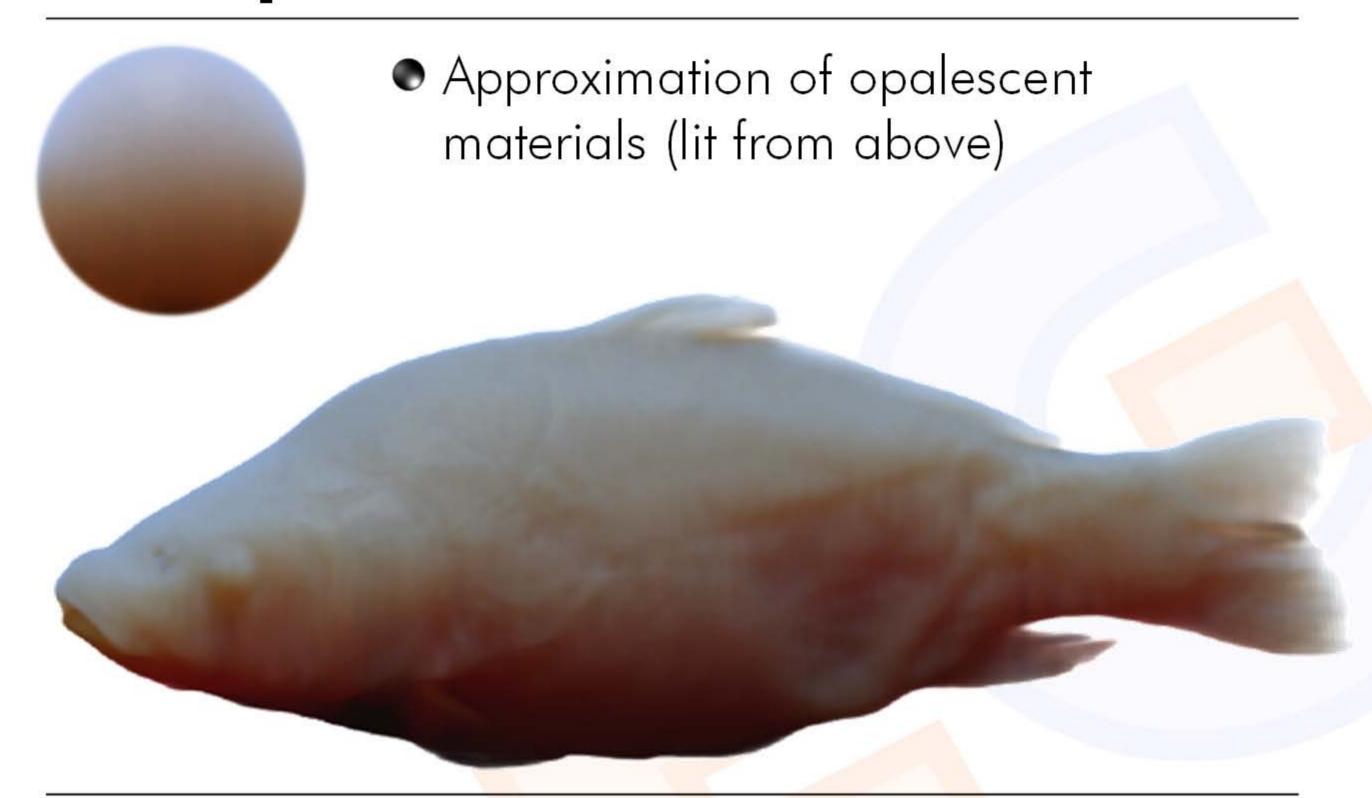
Direct light only

Achromatic indirect light

Chromatic indirect light







Surface Shading



Direct Light + Shadows

Direct Light+ Indirect Light



Direct Light+ Indirect Light

Surface shading on the leaves only



