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## Copyright

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```
close all; format compact; clc;
fprintf("Engineer: Rodrigo Becerril Ferreyra\n");
fprintf("Company: California State University, Long Beach\n");
fprintf("Project Name: Lab 2\n");
fprintf("Date: 22 September 2020\n");
```

Engineer: Rodrigo Becerril Ferreyra  
Company: California State University, Long Beach  
Project Name: Lab 2  
Date: 22 September 2020

## Problem 1

---

```
clear variables;
disp('Problem 1');
f=@(x) cos(x) - x.*exp(x);
g=@(x) cos(x)./exp(x);

tolerance=1e-4; maxits=100; %Initialize loop constraints
xinit = 2; %Initial guess
k=0; x0=xinit; %Initialize counter and point x0
x1=g(x0); %Get first iterate

while(k<maxits && abs(x0-x1)> tolerance)
    k=k+1;
    x0 = x1; xpts(k)=x0; %Save the old x values
    x1 = g(x0); ypts(k)=x1; %Save new x values (the y values)
end
root=x1; %Save answer as the root

%Display some fixed point iteration results
disp(' Sequence of iterations:');
disp([xpts;ypts]);
disp([' root=x1=',num2str(root),' after ',num2str(k),' iterations']);
disp([' Check: y(x)=',num2str(root),' = ',num2str(f(root)),'(should be ~0)']);

% Plot results
x=linspace(-xinit,xinit,100); %Careful: not good if xinit=0!
```

```

figure(); hold on;
plot(x,f(x));
plot(root,f(root),'r*');
plot(xinit,f(xinit),'k*');
grid on;
str=sprintf('Fig. %d: Root=%6.4f',1,root);
title(str); xlabel('x'); ylabel('f(x)= cos(x) - xe^x');
hold off;

```

### Problem 1

Sequence of iterations:

Columns 1 through 7

-0.0563	1.0563	0.1711	0.8304	0.2940	0.7133	0.3706
1.0563	0.1711	0.8304	0.2940	0.7133	0.3706	0.6435

Columns 8 through 14

0.6435	0.4204	0.5996	0.4533	0.5714	0.4750	0.5530
0.4204	0.5996	0.4533	0.5714	0.4750	0.5530	0.4895

Columns 15 through 21

0.4895	0.5410	0.4991	0.5331	0.5054	0.5279	0.5096
0.5410	0.4991	0.5331	0.5054	0.5279	0.5096	0.5244

Columns 22 through 28

0.5244	0.5124	0.5222	0.5142	0.5207	0.5154	0.5197
0.5124	0.5222	0.5142	0.5207	0.5154	0.5197	0.5162

Columns 29 through 35

0.5162	0.5190	0.5167	0.5186	0.5171	0.5183	0.5173
0.5190	0.5167	0.5186	0.5171	0.5183	0.5173	0.5181

Columns 36 through 42

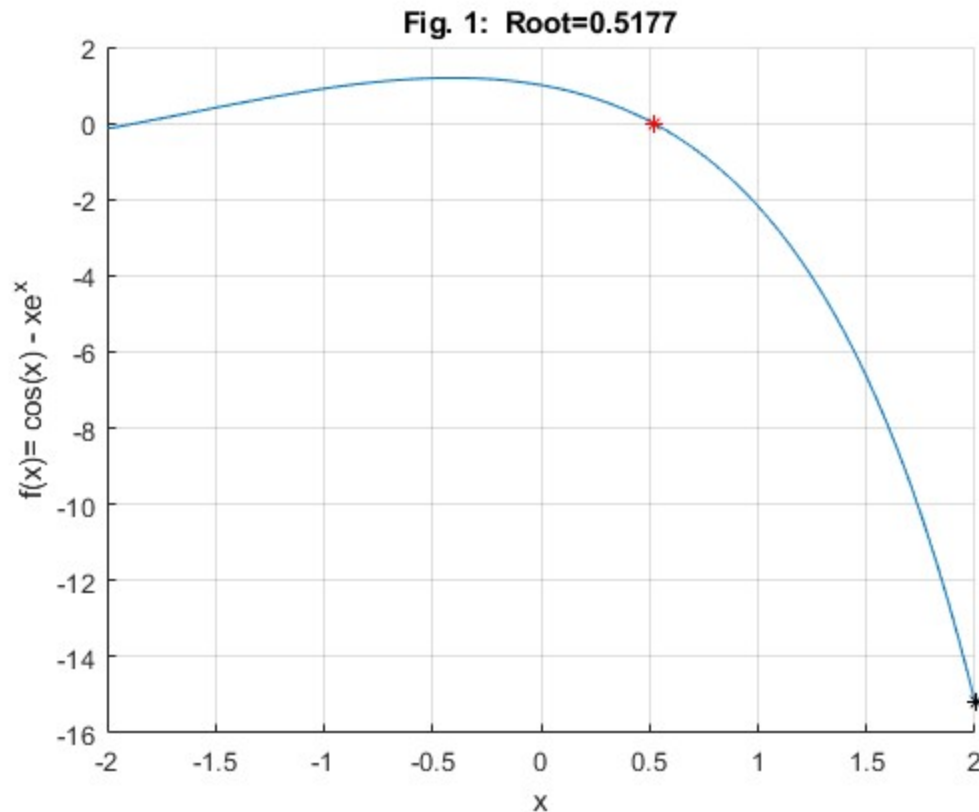
0.5181	0.5175	0.5180	0.5176	0.5179	0.5176	0.5179
0.5175	0.5180	0.5176	0.5179	0.5176	0.5179	0.5177

Columns 43 through 46

0.5177	0.5178	0.5177	0.5178
0.5178	0.5177	0.5178	0.5177

root=x1=0.51772 after 46 iterations

Check:  $y(x)=0.51772 = 0.00011324$ (should be  $\sim 0$ )



## Problem 2

```
clear variables;
disp('Problem 2');
f=@(x) x.^4 - x - 10;
g=@(x) (x + 10).^0.25;

tolerance=1e-4; maxits=100; %Initialize loop constraints
xinit = 4; %Initial guess
k=0; x0=xinit; %Initialize counter and point x0
x1=g(x0); %Get first iterate

while(k<maxits && abs(x0-x1)> tolerance)
    k=k+1;
    x0 = x1; xpts(k)=x0; %Save the old x values
    x1 = g(x0); ypts(k)=x1; %Save new x values (the y values)
end
root=x1; %Save answer as the root

%Display some fixed point iteration results
disp(' Sequence of iterations:');
disp([xpts;ypts]);
disp([' root=x1=',num2str(root),' after ',num2str(k),' iterations']);
disp([' Check: y(x)=',num2str(root),' = ',num2str(f(root)),'(should be ~0)']);

% Plot results
x=linspace(-xinit,xinit,100); %Careful: not good if xinit=0!
figure(); hold on;
plot(x,f(x));
```

```

plot(root,f(root),'r*');
plot(xinit,f(xinit),'k*');
grid on;
str=sprintf('Fig. %d: Root=%6.4f',2,root);
title(str); xlabel('x'); ylabel('f(x)= x^4-x-10');
hold off;

```

### Problem 2

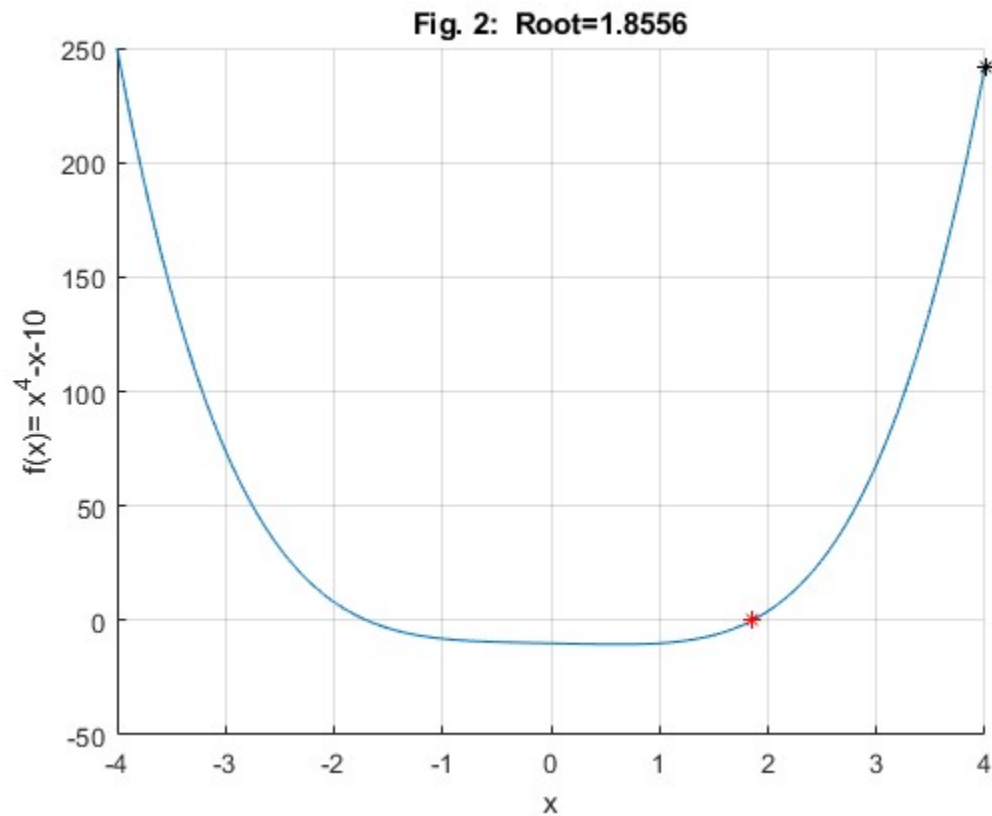
Sequence of iterations:

1.9343    1.8587    1.8557    1.8556

1.8587    1.8557    1.8556    1.8556

root=x1=1.8556 after 4 iterations

Check:  $y(x)=1.8556 = 4.5216e-06$  (should be  $\sim 0$ )



### Problem 3

```

clear variables;
disp('Problem 3');
f=@(x) x - exp(-x);
g=@(x) exp(-x);

tolerance=1e-4; maxits=100; %Initialize loop constraints
xinit = 3; %Initial guess
k=0; x0=xinit; %Initialize counter and point x0
x1=g(x0); %Get first iterate

while(k<maxits && abs(x0-x1)> tolerance)

```

```

    k=k+1;
    x0 = x1; xpts(k)=x0; %Save the old x values
    x1 = g(x0); ypts(k)=x1; %Save new x values (the y values)
end
root=x1; %Save answer as the root

%Display some fixed point iteration results
disp(' Sequence of iterations:');
disp([xpts;ypoints]);
disp([' root=x1=',num2str(root),' after ',num2str(k),' iterations']);
disp([' Check: y(x)=',num2str(root),' = ',num2str(f(root)),'(should be ~0)']);

% Plot results
x=linspace(-xinit,xinit,100); %Careful: not good if xinit=0!
figure(); hold on;
plot(x,f(x));
plot(root,f(root),'r*');
plot(xinit,f(xinit),'k*');
grid on;
str=sprintf('Fig. %d: Root=%6.4f',3,root);
title(str); xlabel('x'); ylabel('f(x)= x - e^{-x}');
hold off;

```

### Problem 3

Sequence of iterations:

Columns 1 through 7

0.0498	0.9514	0.3862	0.6796	0.5068	0.6024	0.5475
0.9514	0.3862	0.6796	0.5068	0.6024	0.5475	0.5784

Columns 8 through 14

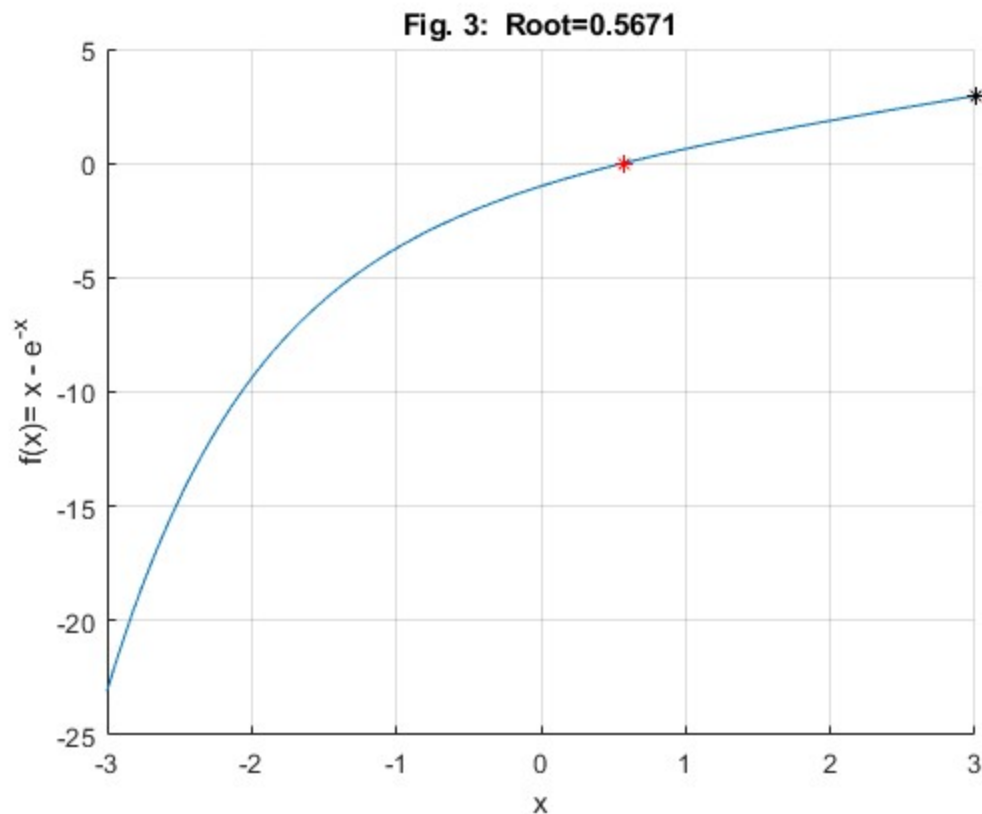
0.5784	0.5608	0.5708	0.5651	0.5683	0.5665	0.5675
0.5608	0.5708	0.5651	0.5683	0.5665	0.5675	0.5669

Columns 15 through 18

0.5669	0.5673	0.5671	0.5672
0.5673	0.5671	0.5672	0.5671

root=x1=0.56712 after 18 iterations

Check:  $y(x)=0.56712 = -3.4332e-05$ (should be  $\sim 0$ )



#### Problem 4

```
clear variables;
disp('Problem 4');
f=@(x) exp(x) - (x .* (x.^2 + 3.*x - 3)) + (x.^3 + 4.*x.^2 + x + 2);
g=@(x) (exp(x) + x.^3 + 4.*x.^2 + x + 2)./(x.^2 + 3.*x - 3);

tolerance=1e-4; maxits=100; %Initialize loop constraints
xinit = -2; %Initial guess
k=0; x0=xinit; %Initialize counter and point x0
x1=g(x0); %Get first iterate

while(k<maxits && abs(x0-x1)> tolerance)
    k=k+1;
    x0 = x1; xpts(k)=x0; %Save the old x values
    x1 = g(x0); ypts(k)=x1; %Save new x values (the y values)
end
root=x1; %Save answer as the root

%Display some fixed point iteration results
disp(' Sequence of iterations:');
disp([xpts;ypts]);
disp([' root=x1=',num2str(root),' after ',num2str(k),' iterations']);
disp([' Check: y(x)=',num2str(root),' = ',num2str(f(root)),'(should be ~0)']);

% Plot results
x=linspace(-xinit,xinit,100); %Careful: not good if xinit=0!
figure(); hold on;
plot(x,f(x));
```

```

plot(root,f(root),'r*');
plot(xinit,f(xinit),'k*');
grid on;
str=sprintf('Fig. %d: Root=%6.4f',4,root);
title(str); xlabel('x'); ylabel('f(x)= e^x - x(x^2 +3x - 3) + (x^3 + 4x^2 + x + 2)');
hold off;

```

#### Problem 4

Sequence of iterations:

Columns 1 through 7

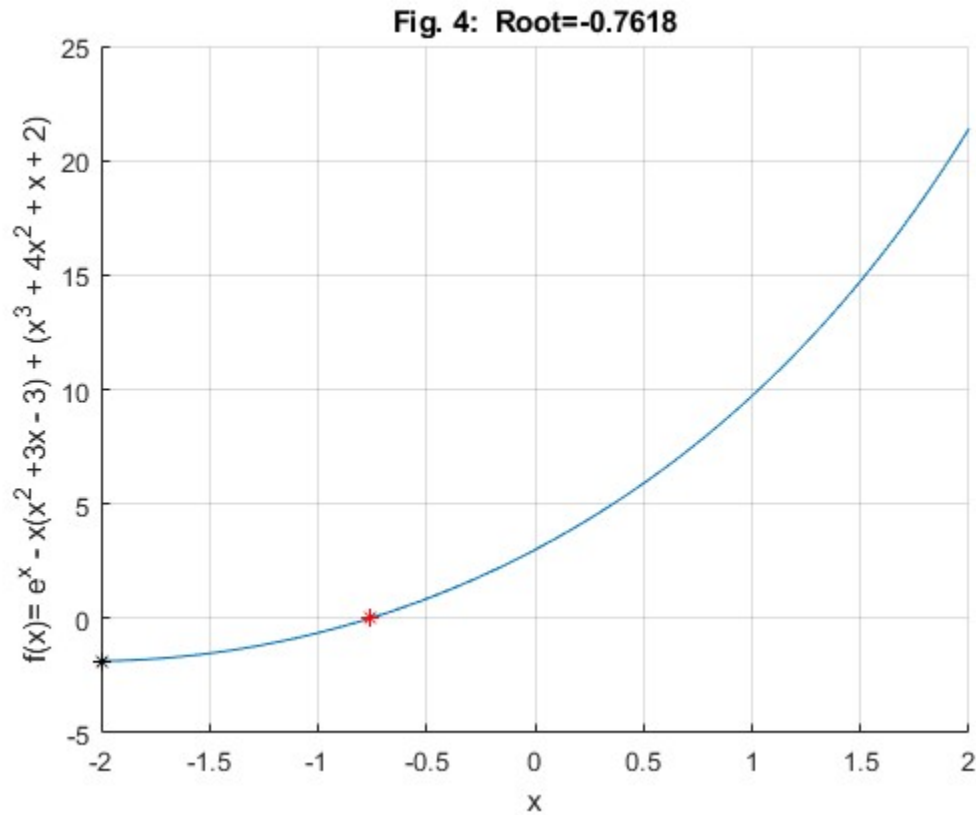
-1.6271	-1.3091	-1.0688	-0.9129	-0.8279	-0.7885	-0.7721
-1.3091	-1.0688	-0.9129	-0.8279	-0.7885	-0.7721	-0.7657

Columns 8 through 12

-0.7657	-0.7633	-0.7623	-0.7620	-0.7619
-0.7633	-0.7623	-0.7620	-0.7619	-0.7618

root=x1=-0.76182 after 12 iterations

Check:  $y(x)=-0.76182 = -8.5377e-05$ (should be  $\sim 0$ )



#### Problem 5

```

clear variables;
disp('Problem 5');
f=@(x) x - sin(x) - 0.5;
g=@(x) sin(x) + 0.5;

tolerance=1e-4; maxits=100; %Initialize loop constraints
xinit = 2; %Initial guess

```

```

k=0; x0=xinit; %Initialize counter and point x0
x1=g(x0); %Get first iterate

while(k<maxits && abs(x0-x1)> tolerance)
    k=k+1;
    x0 = x1; xpts(k)=x0; %Save the old x values
    x1 = g(x0); ypts(k)=x1; %Save new x values (the y values)
end
root=x1; %Save answer as the root

%Display some fixed point iteration results
disp(' Sequence of iterations:');
disp([xpts;ypts]);
disp([' root=x1=',num2str(root),' after ',num2str(k),' iterations']);
disp([' Check: y(x)=',num2str(root),' = ',num2str(f(root)),'(should be ~0)']);

% Plot results
x=linspace(-xinit,xinit,100); %Careful: not good if xinit=0!
figure(); hold on;
plot(x,f(x));
plot(root,f(root),'r*');
plot(xinit,f(xinit),'k*');
grid on;
str=sprintf('Fig. %d: Root=%6.4f',5,root);
title(str); xlabel('x'); ylabel('f(x)= x + sin(x) + {}^1/{}_2');
hold off;

```

#### Problem 5

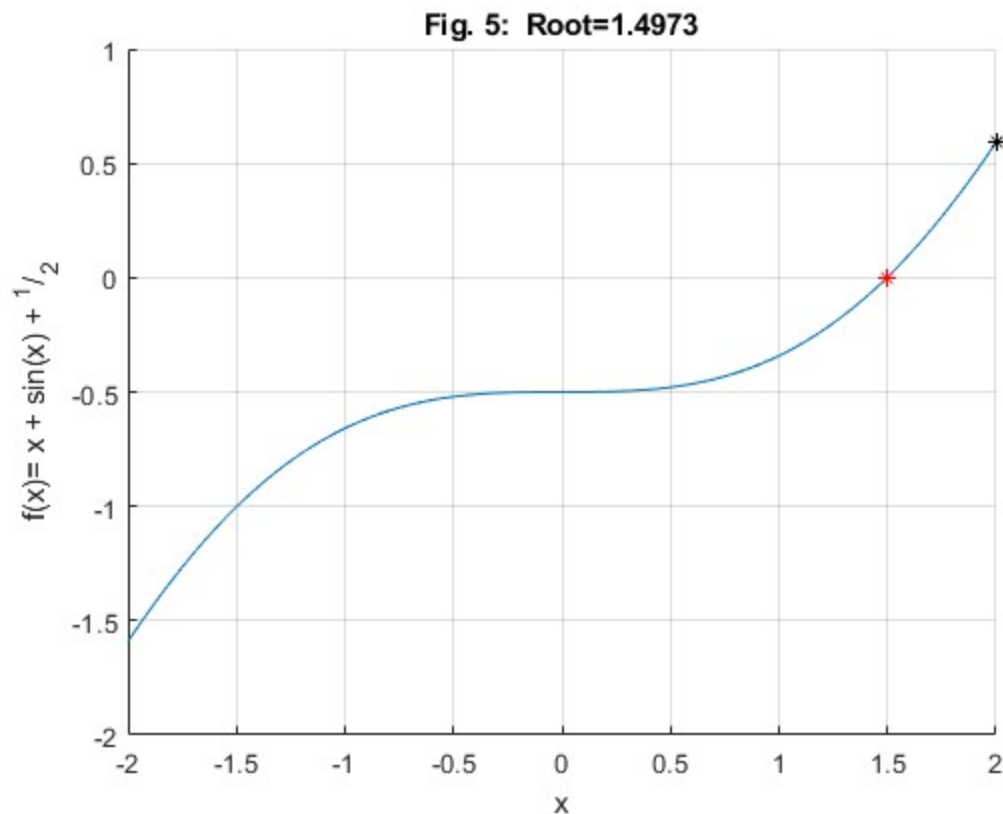
Sequence of iterations:

1.4093	1.4870	1.4965	1.4972
1.4870	1.4965	1.4972	1.4973

root=x1=1.4973 after 4 iterations

Check:  $y(x)=1.4973 = -4.0722e-06$ (should be  $\sim 0$ )





## Problem 6

```
clear variables;
disp('Problem 6');
f=@(x) exp(-x) + 3.*log(x);
g=@(x) exp(exp(-x)./3);

tolerance=1e-4; maxits=100; %Initialize loop constraints
xinit = 2; %Initial guess
k=0; x0=xinit; %Initialize counter and point x0
x1=g(x0); %Get first iterate

while(k<maxits && abs(x0-x1)> tolerance)
    k=k+1;
    x0 = x1; xpts(k)=x0; %Save the old x values
    x1 = g(x0); ypts(k)=x1; %Save new x values (the y values)
end
root=x1; %Save answer as the root

%Display some fixed point iteration results
disp(' Sequence of iterations:');
disp([xpts;ypts]);
disp([' root=x1=',num2str(root),' after ',num2str(k),' iterations']);
disp([' Check: y(x)=',num2str(root),' = ',num2str(f(root)),'(should be ~0)']);

% Plot results
x=linspace(1e-6,xinit,100); %The domain of ln is (0, inf)
figure(); hold on;
plot(x,f(x));
```

```
plot(root,f(root),'r*');  
plot(xinit,f(xinit),'k*');  
grid on;  
str=sprintf('Fig. %d: Root=%6.4f',6,root);  
title(str); xlabel('x'); ylabel('f(x)= e^{-x} + 3ln(x)');  
hold off;
```

#### Problem 6

Sequence of iterations:

1.0461	1.1242	1.1144	1.1156	1.1154
--------	--------	--------	--------	--------

1.1242	1.1144	1.1156	1.1154	1.1154
--------	--------	--------	--------	--------

root=x1=1.1154 after 5 iterations

Check:  $y(x)=1.1154 = 0.65554$  (should be  $\sim 0$ )

